

DARK MATTER AT THE HIGH MASS FRONTIER

Joseph Bramante



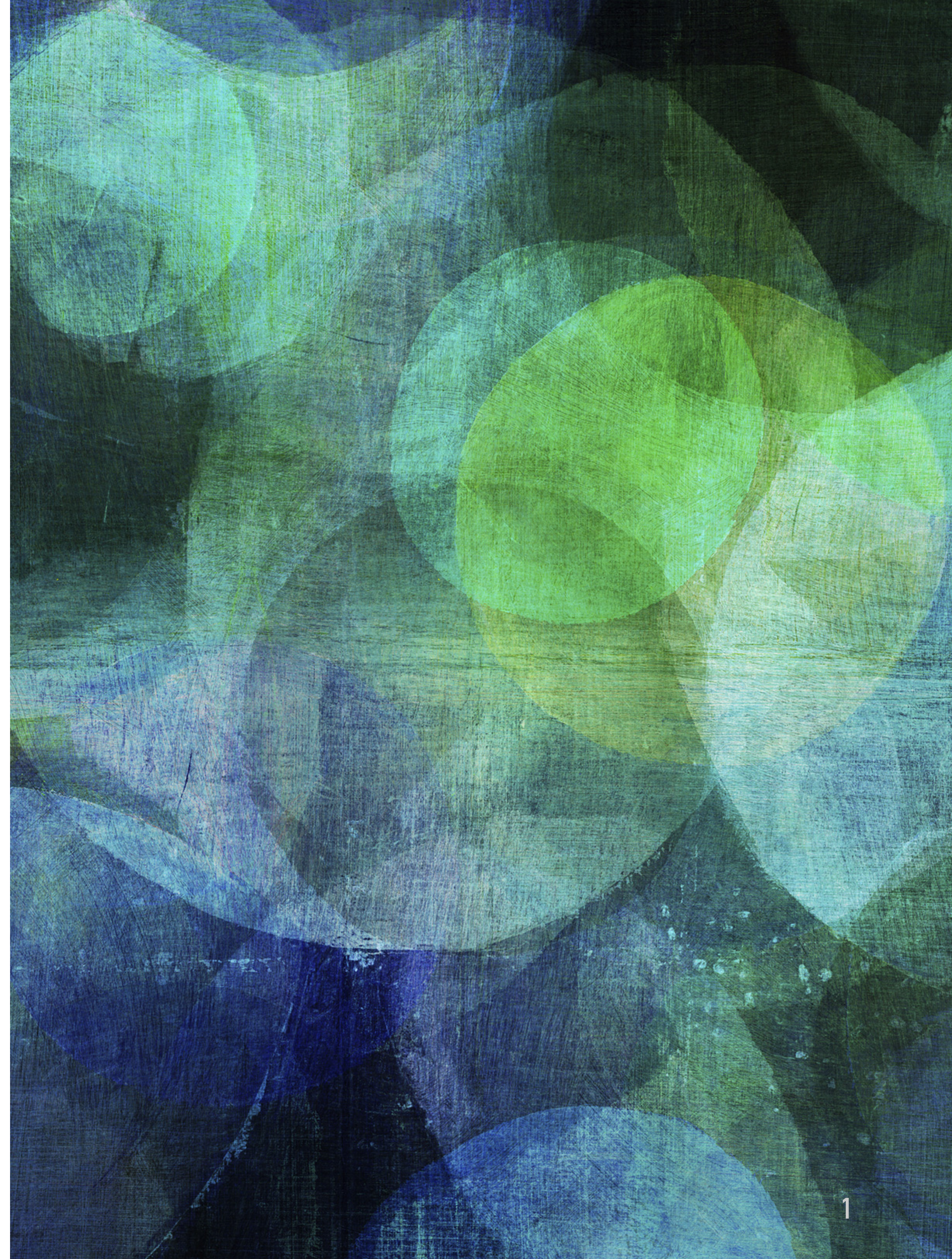
Queen's
UNIVERSITY



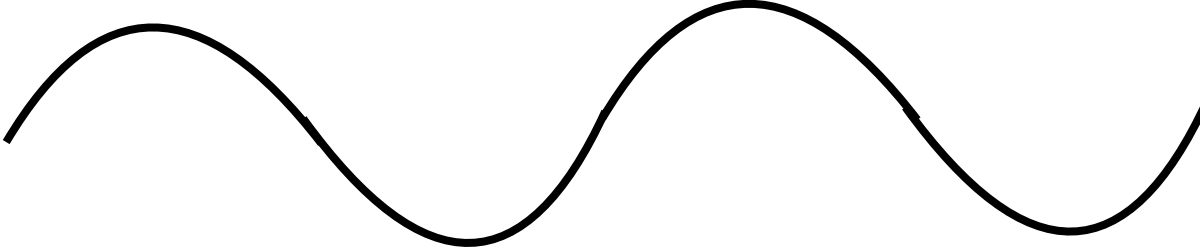
Arthur B. McDonald
Canadian Astroparticle Physics Research Institute

PI

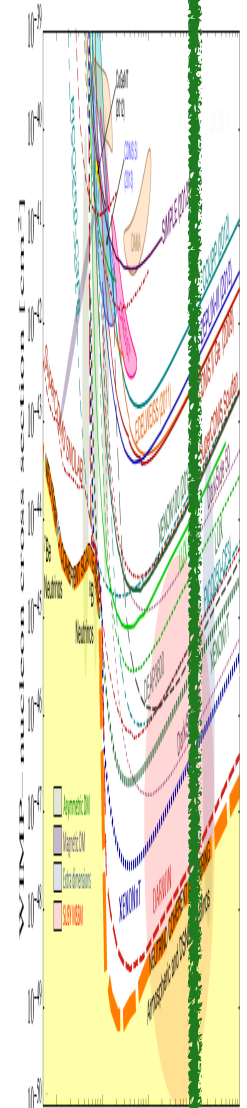
APCTP Workshop
Dark Matter as a Portal To New Physics



HIGH MASS DARK MATTER



de Broglie length =
size of dwarf galaxy



WIMPs



Mass of Smallest
Galactic Halos



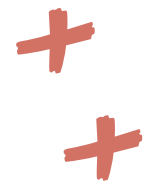
m_x (GeV)

WHAT DO WE KNOW ABOUT HIGH MASS DARK MATTER?

- **Direct detection experiments and multiscatter**
 - with Benjamin Broerman, Rafael Lang, Nirmal Raj, Amit Bhoonah, Ningqiang Song
- **Interstellar gas cloud cooling**
 - with Amit Bhoonah, Fatemeh Elahi, Sarah Schon, Ningqiang Song
- **Solar / terrestrial / martian / white dwarven / neutron stars**
 - with Javier Acevedo, Alan Goodman, Joachim Kopp, Toby Opferkuch, Yu-Dai Tsai
- **High mass cosmology, connection to asymmetries**
 - with James Unwin, Amit Bhoonah, Simran Nerval, Ningqiang Song
- **Accelerating dark matter**
 - with Javier Acevedo, Alan Goodman



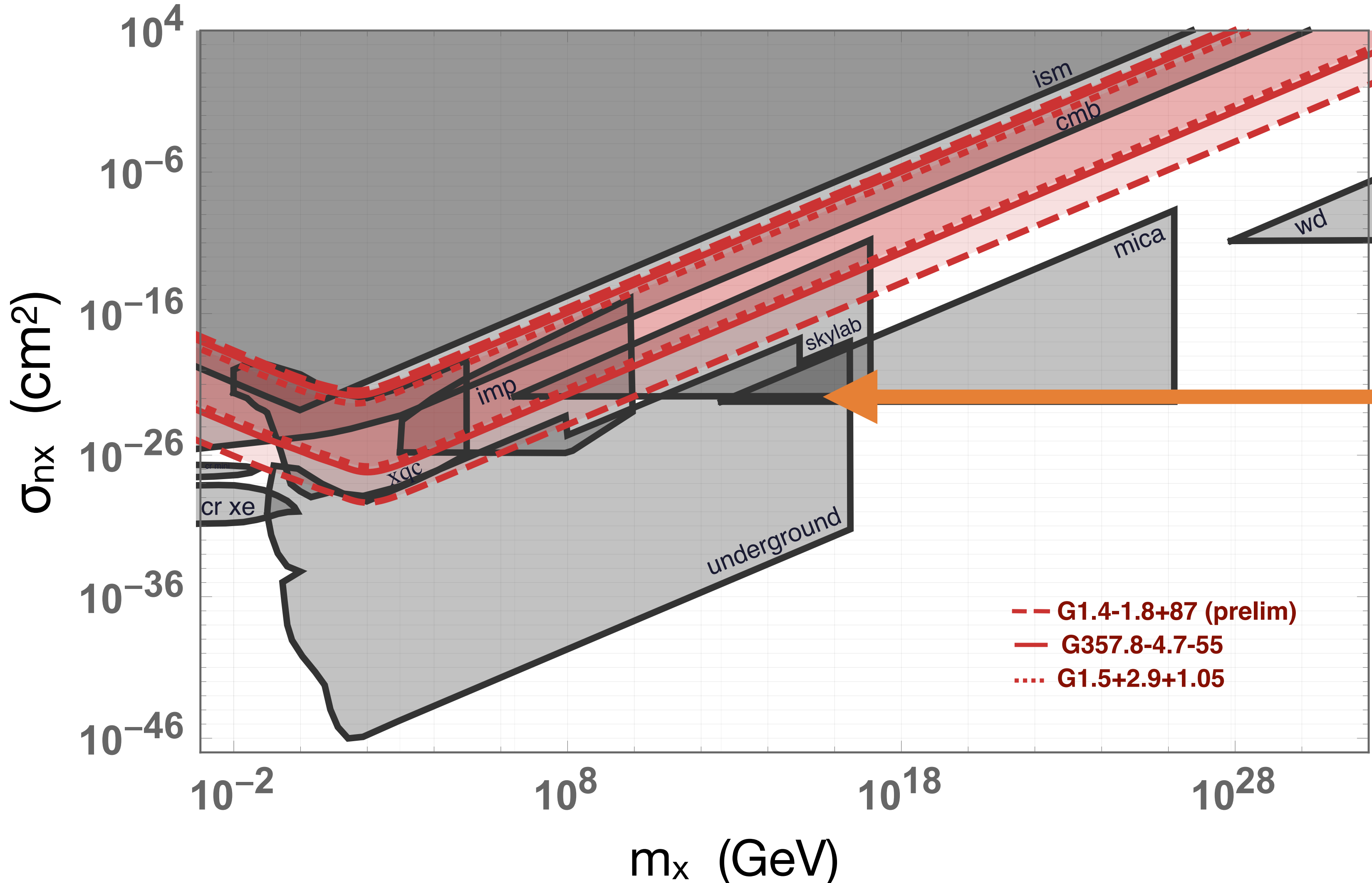
Multiscatter: models of dark matter interact many times in detectors.



New searches for multiply interacting dark matter (MIMPs)

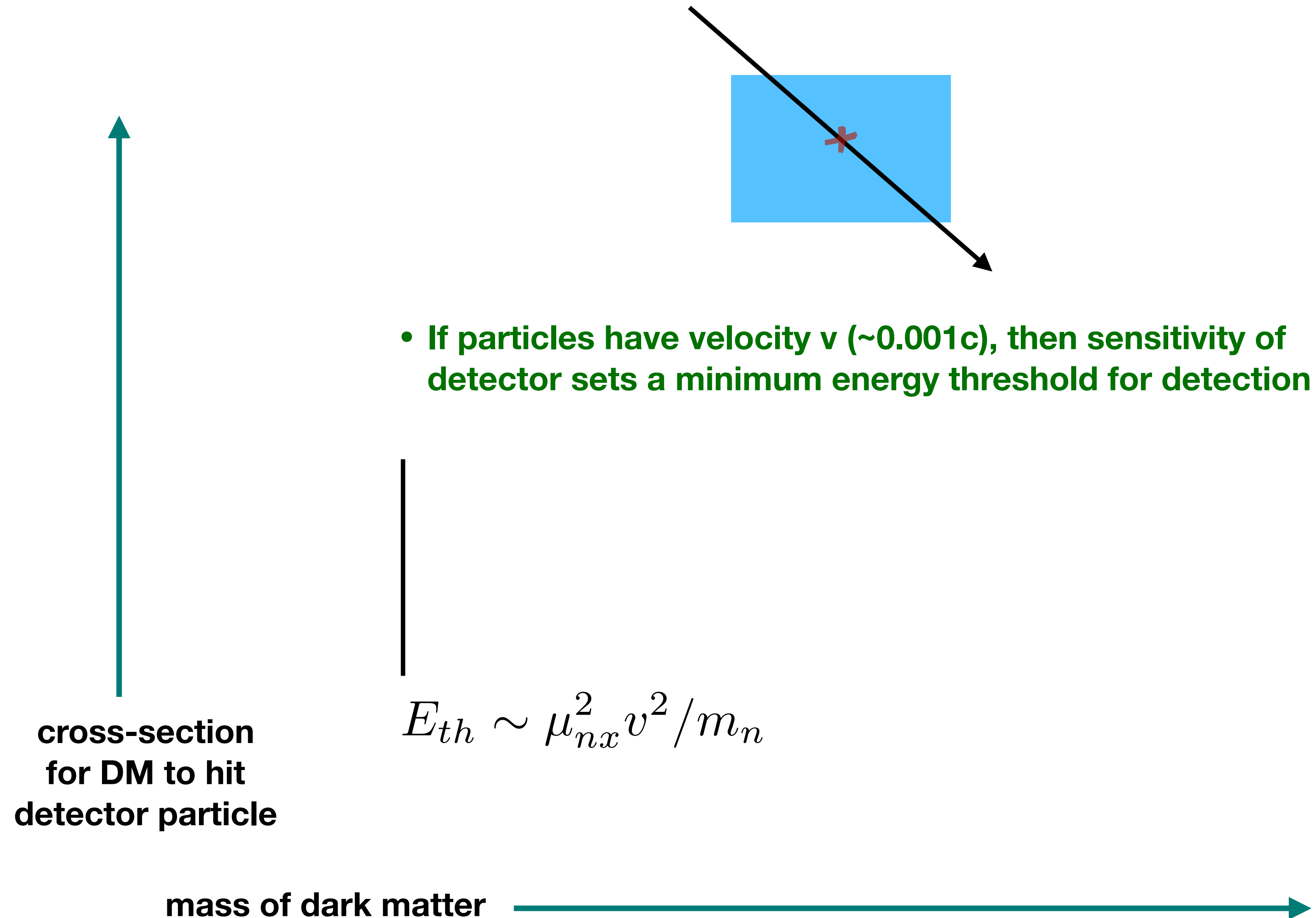


EXTRAPOLATING TO HIGH MASS DARK MATTER

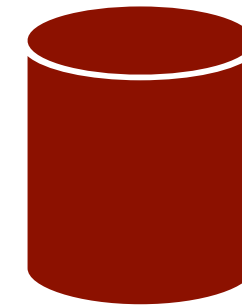


Naive extrapolation fails, need new analyses.

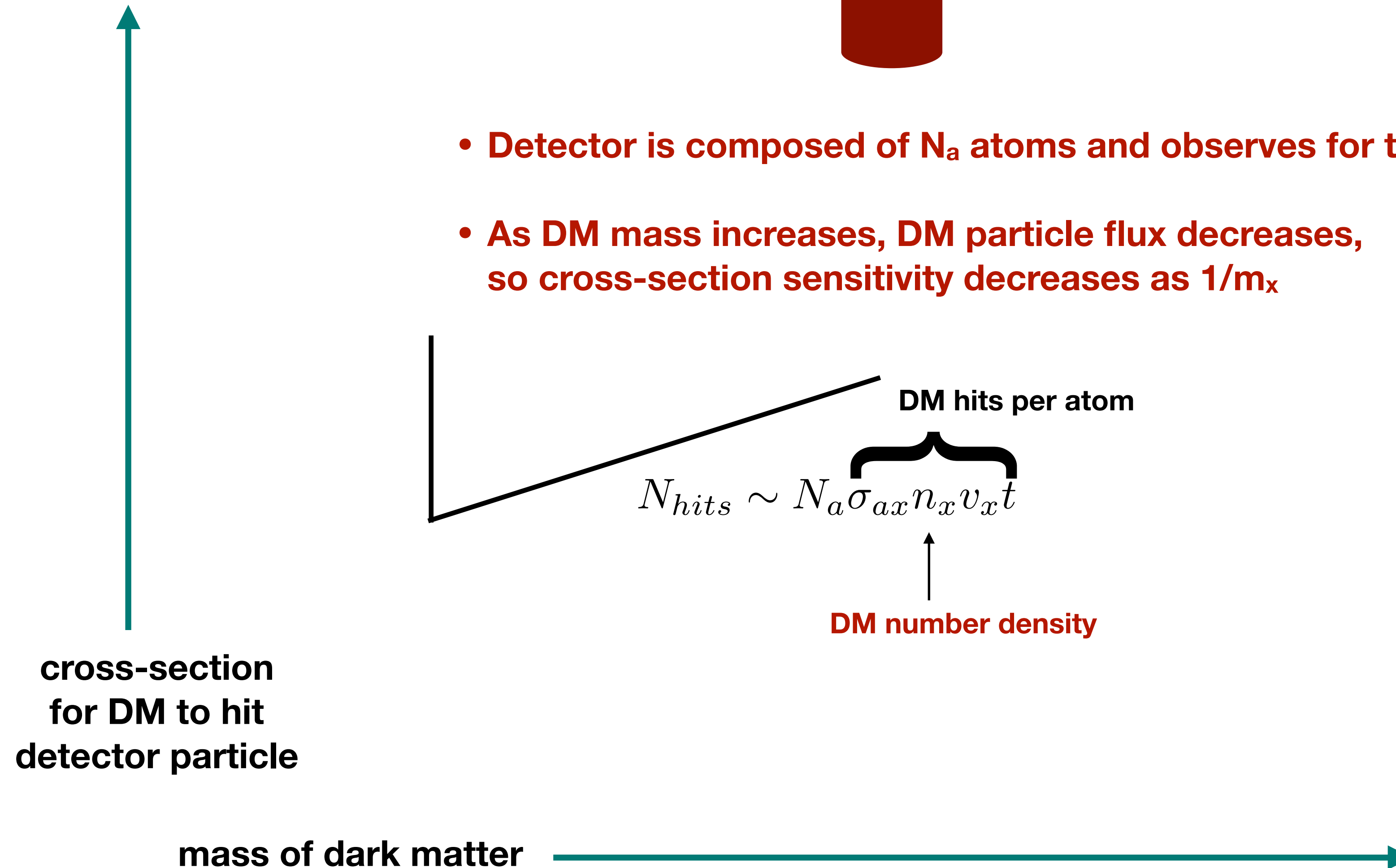
EXPERIMENT LOOKING FOR FLUX OF NEW PARTICLES



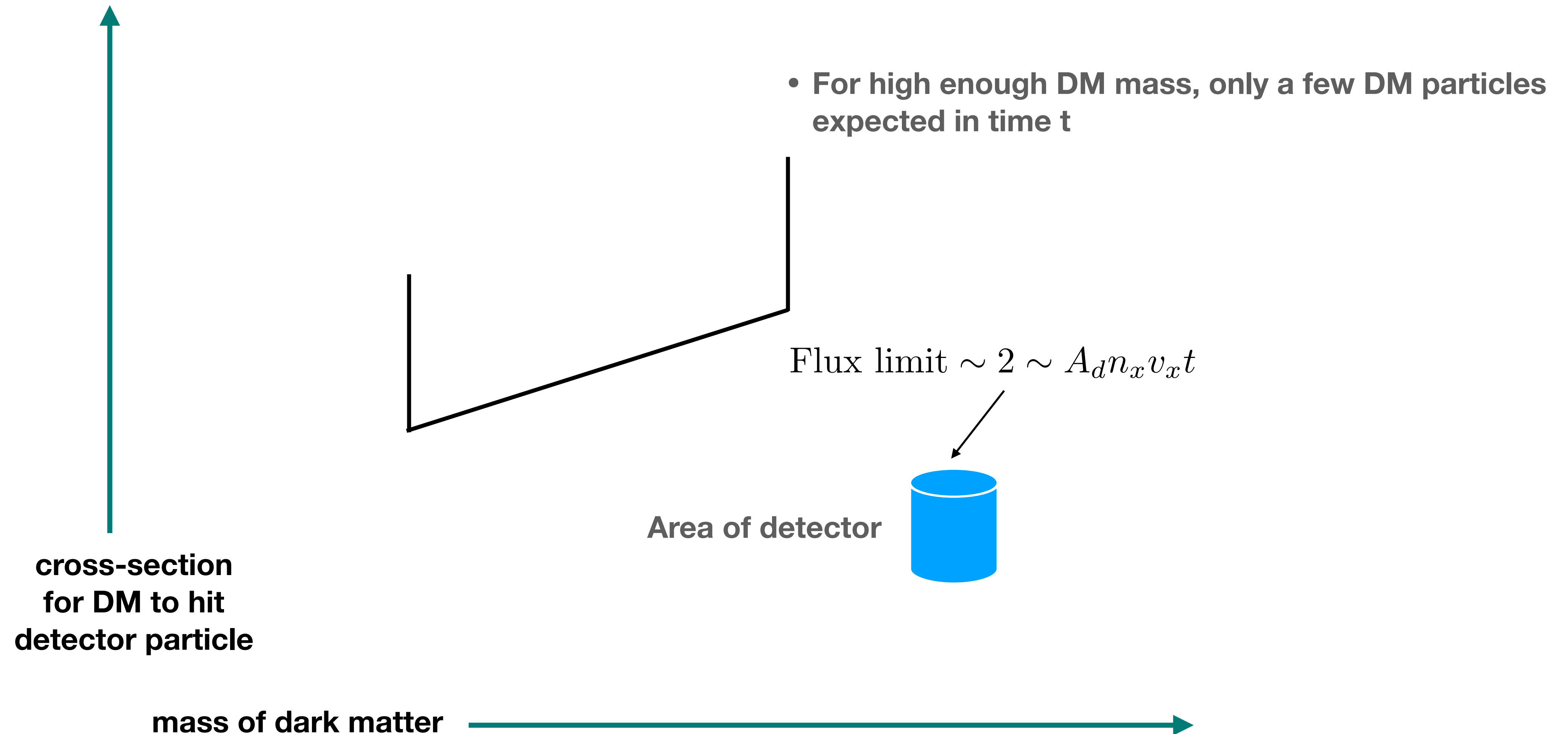
EXPERIMENT LOOKING FOR FLUX OF NEW PARTICLES



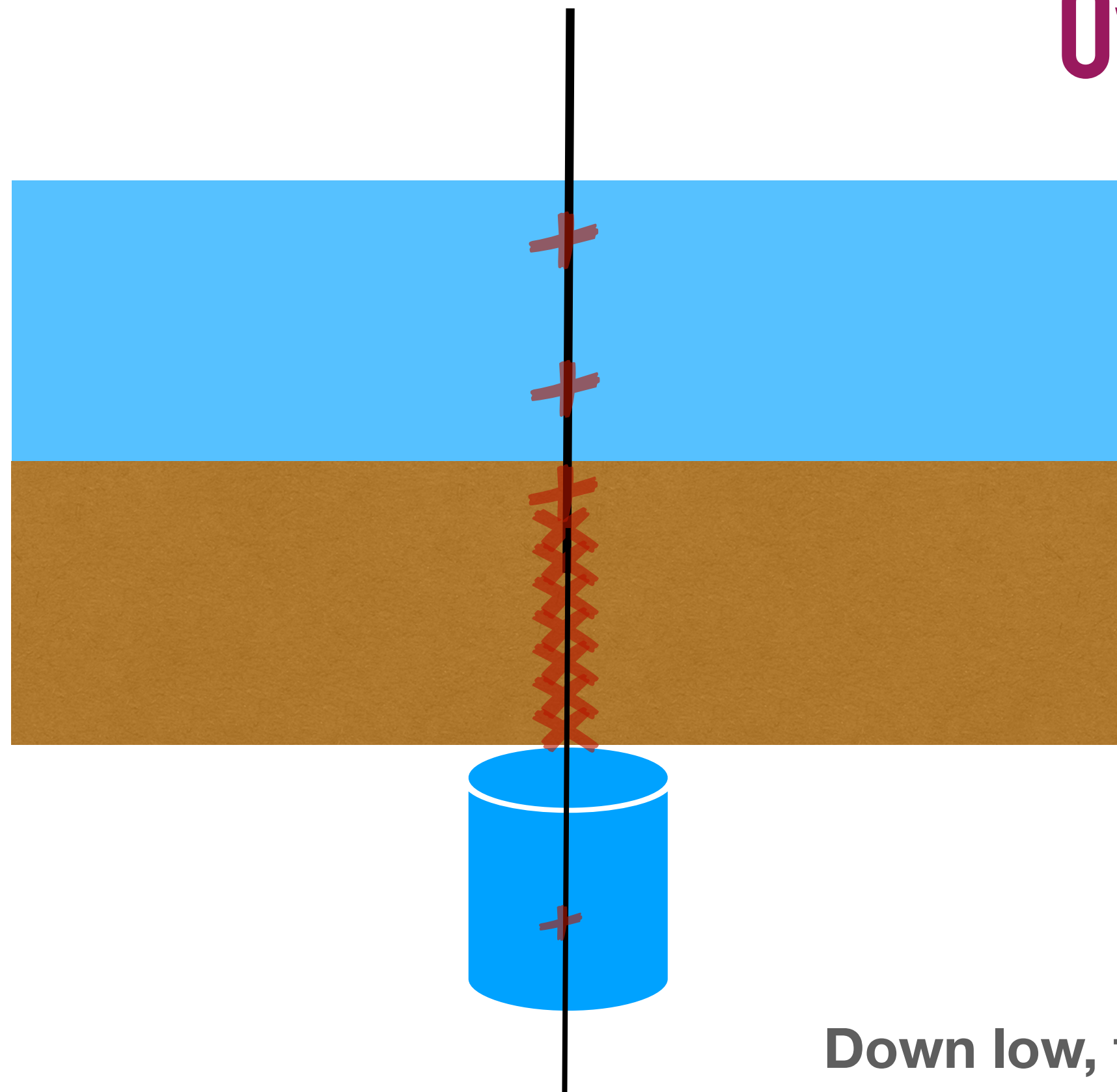
- Detector is composed of N_a atoms and observes for time t
- As DM mass increases, DM particle flux decreases, so cross-section sensitivity decreases as $1/m_x$



EXPERIMENT LOOKING FOR FLUX OF NEW PARTICLES



Overburden



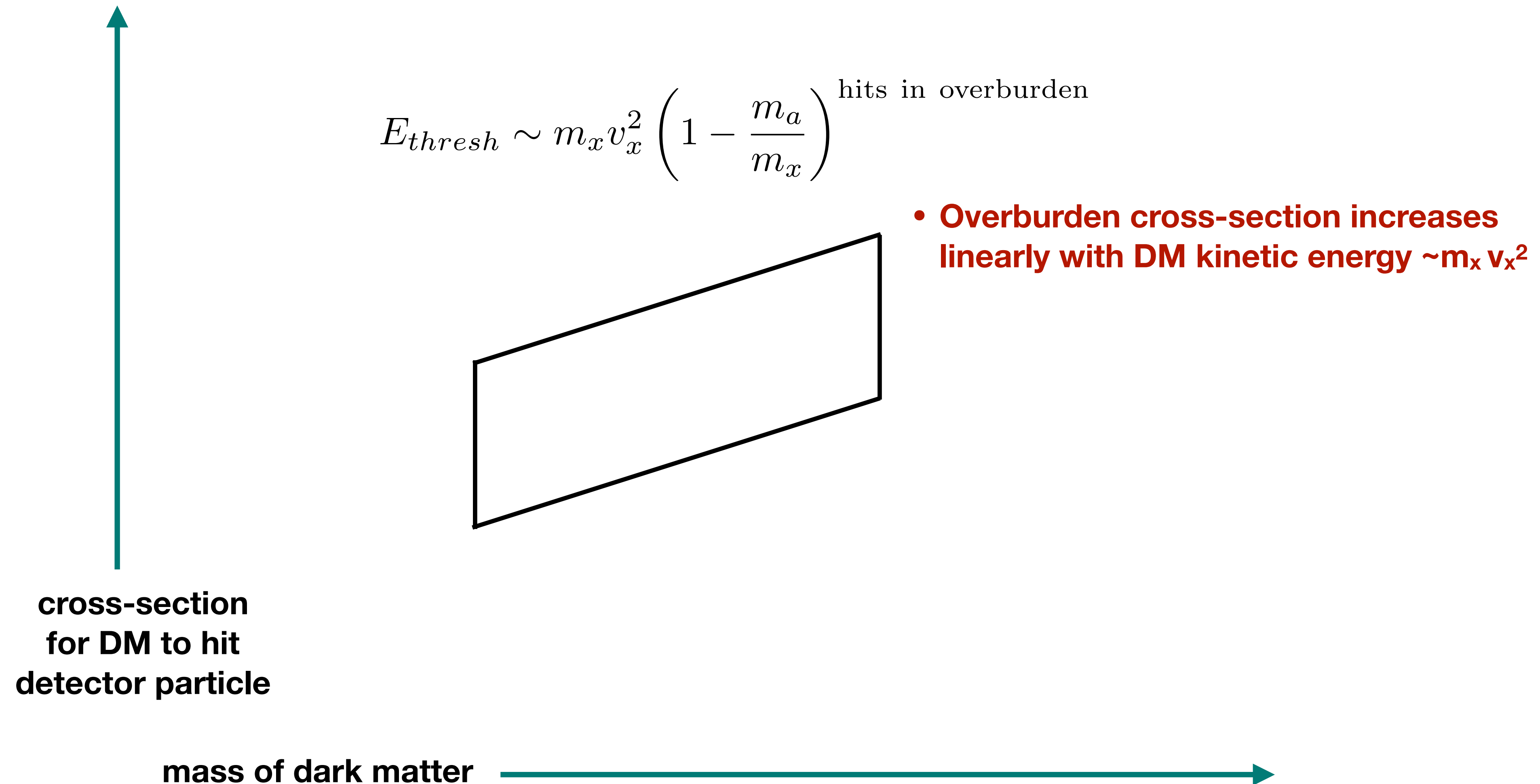
- DM particles will be slowed through repeated scattering with atmosphere, earth, aluminum space station wall.

Down low, too slow?

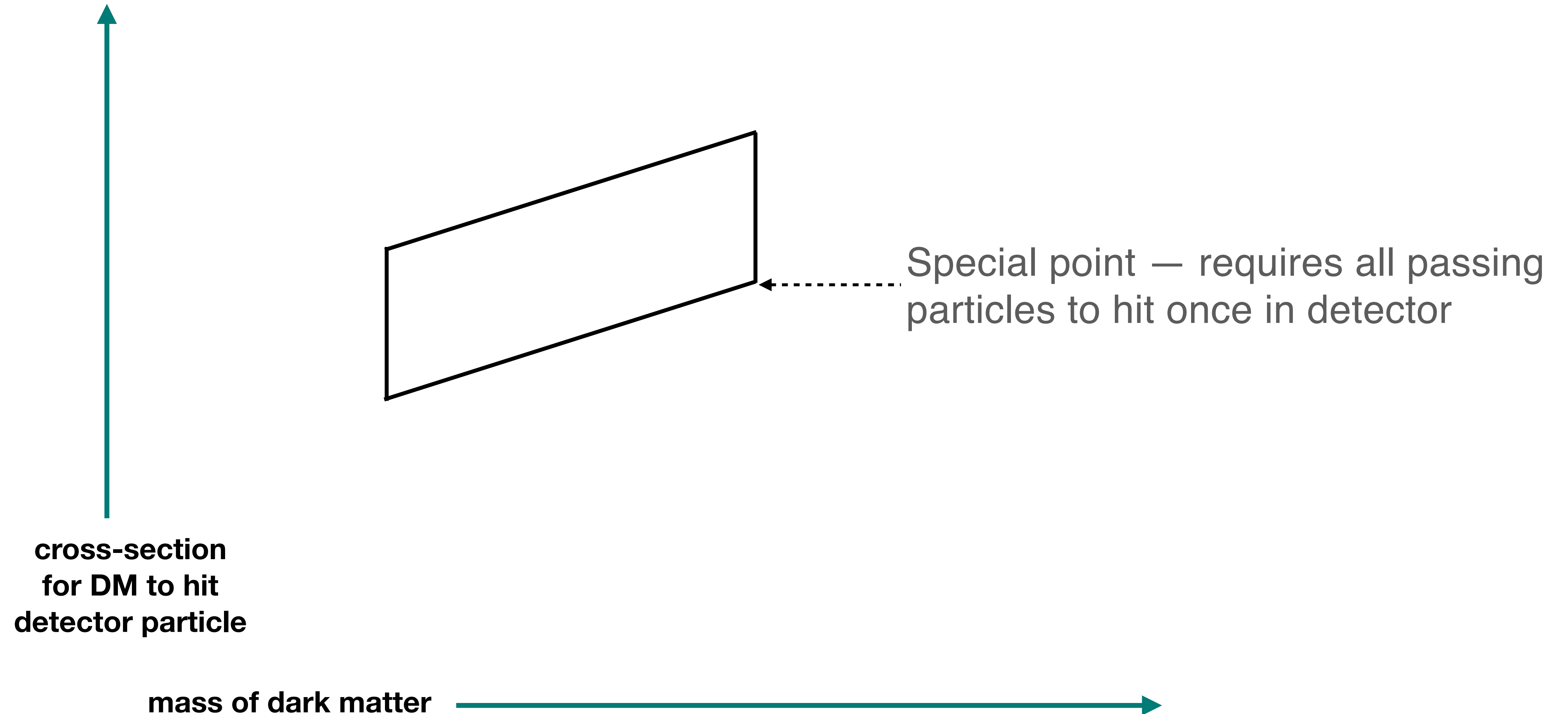
Length of overburden

$$E_{thresh} \lesssim E_i (1 - m_a/m_x)^{n_a \sigma_{ax} L_{ob}}$$

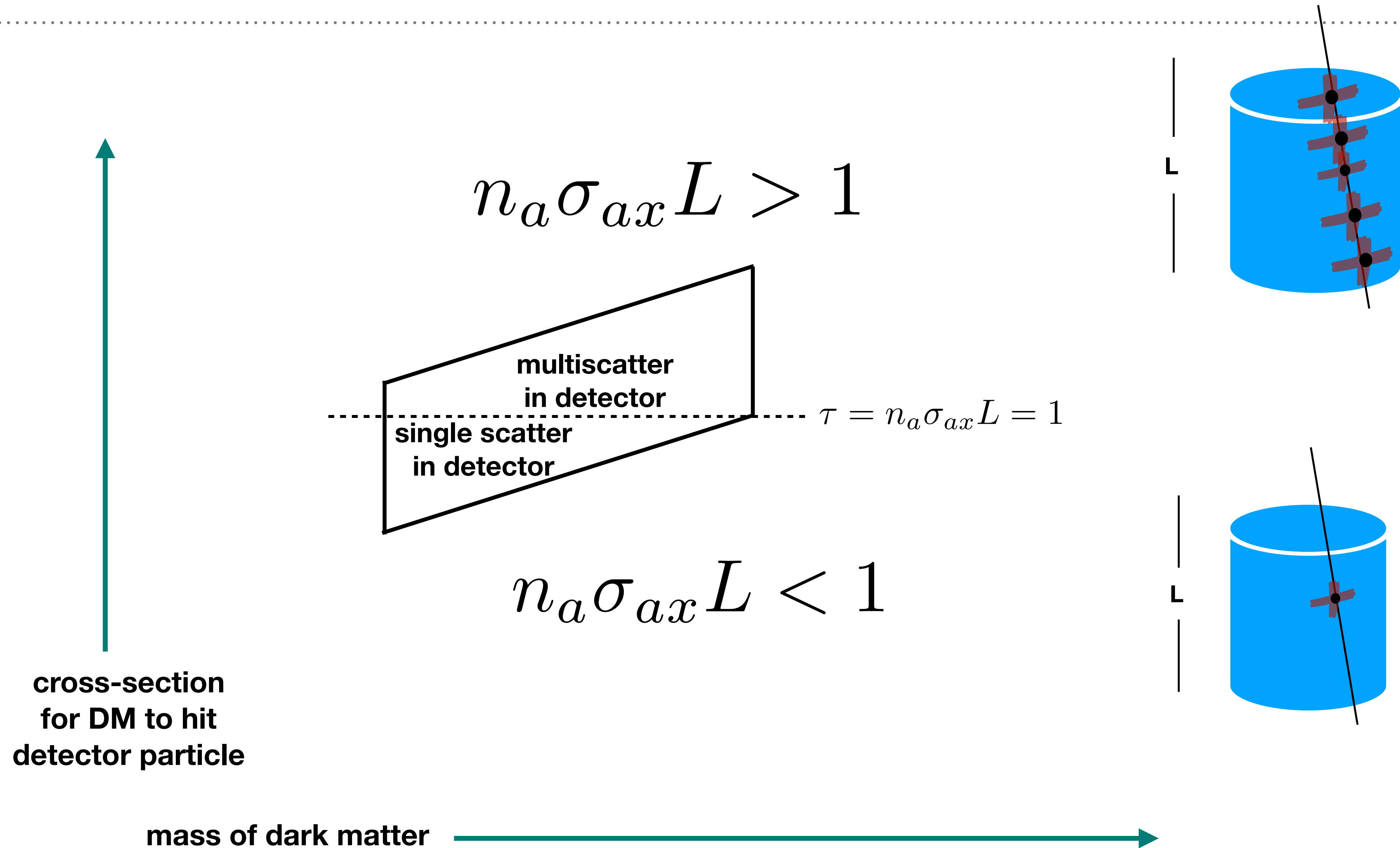
EXPERIMENT LOOKING FOR FLUX OF NEW PARTICLES



EXPERIMENT LOOKING FOR FLUX OF NEW PARTICLES

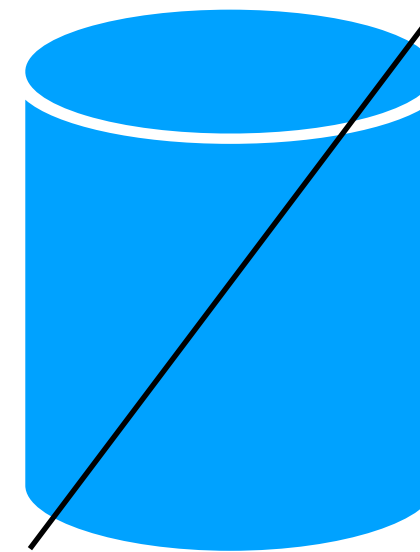


MULTISCATTER DARK MATTER DETECTION



Multiscatter frontier, in general

Transit time for a MIMP through
a meter is five microseconds

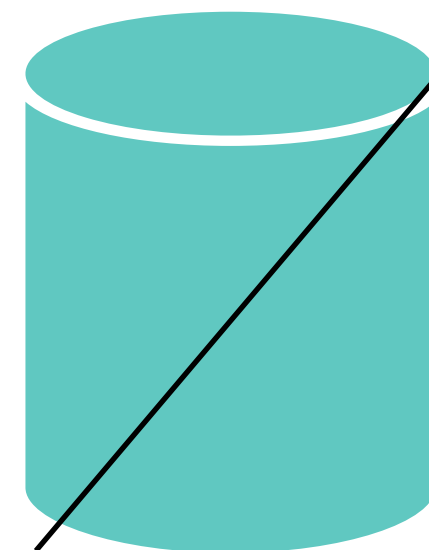


|
MIMP
5 μ s
|

Individual nuclear scattering events typically
deposit ~ 10 keV

Bubble Chamber

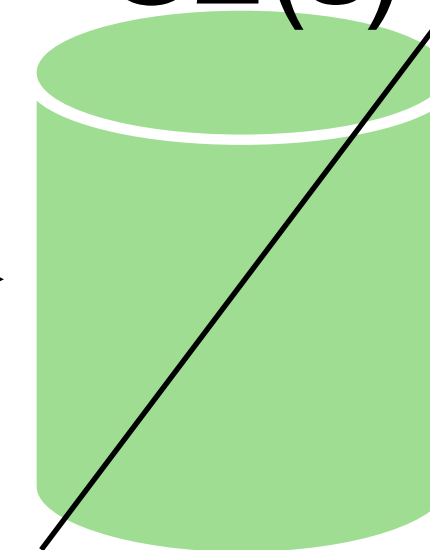
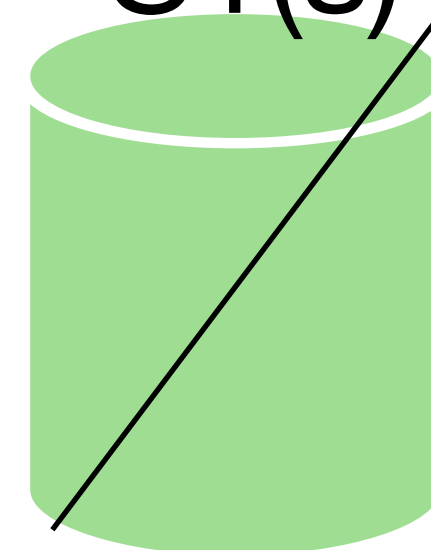
bubble(s)



Time Projection Chamber

S1(s)

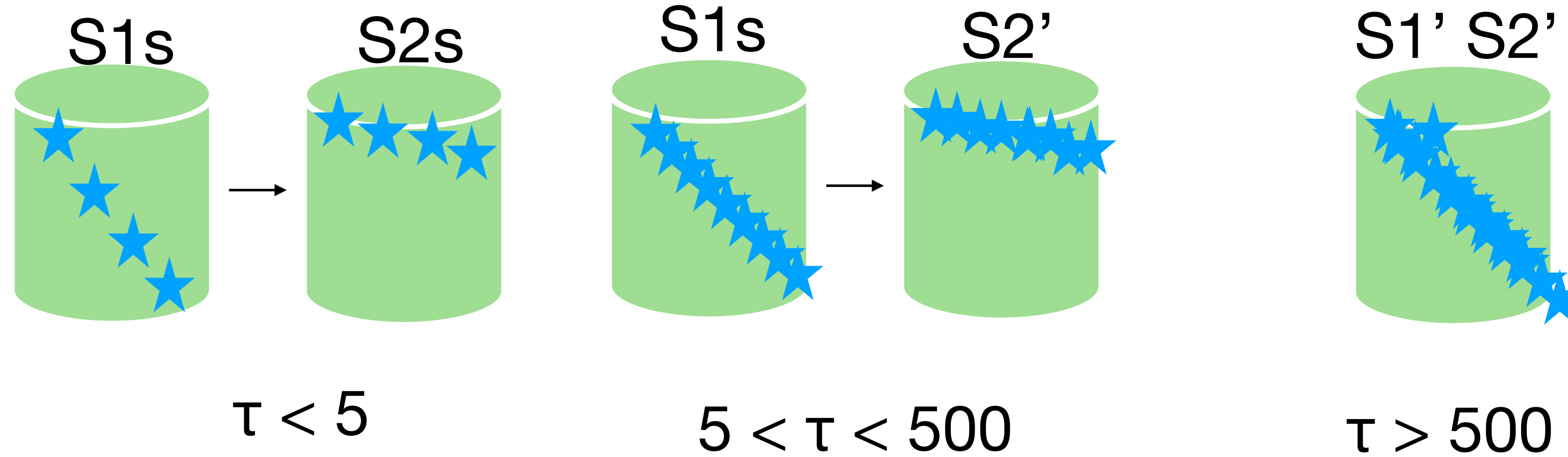
S2(s)



Multiscatter frontier, Xenon TPC

S1 (10 ns)-prompt scintillator recoil flash

S2 (μ s)-drifted electrons

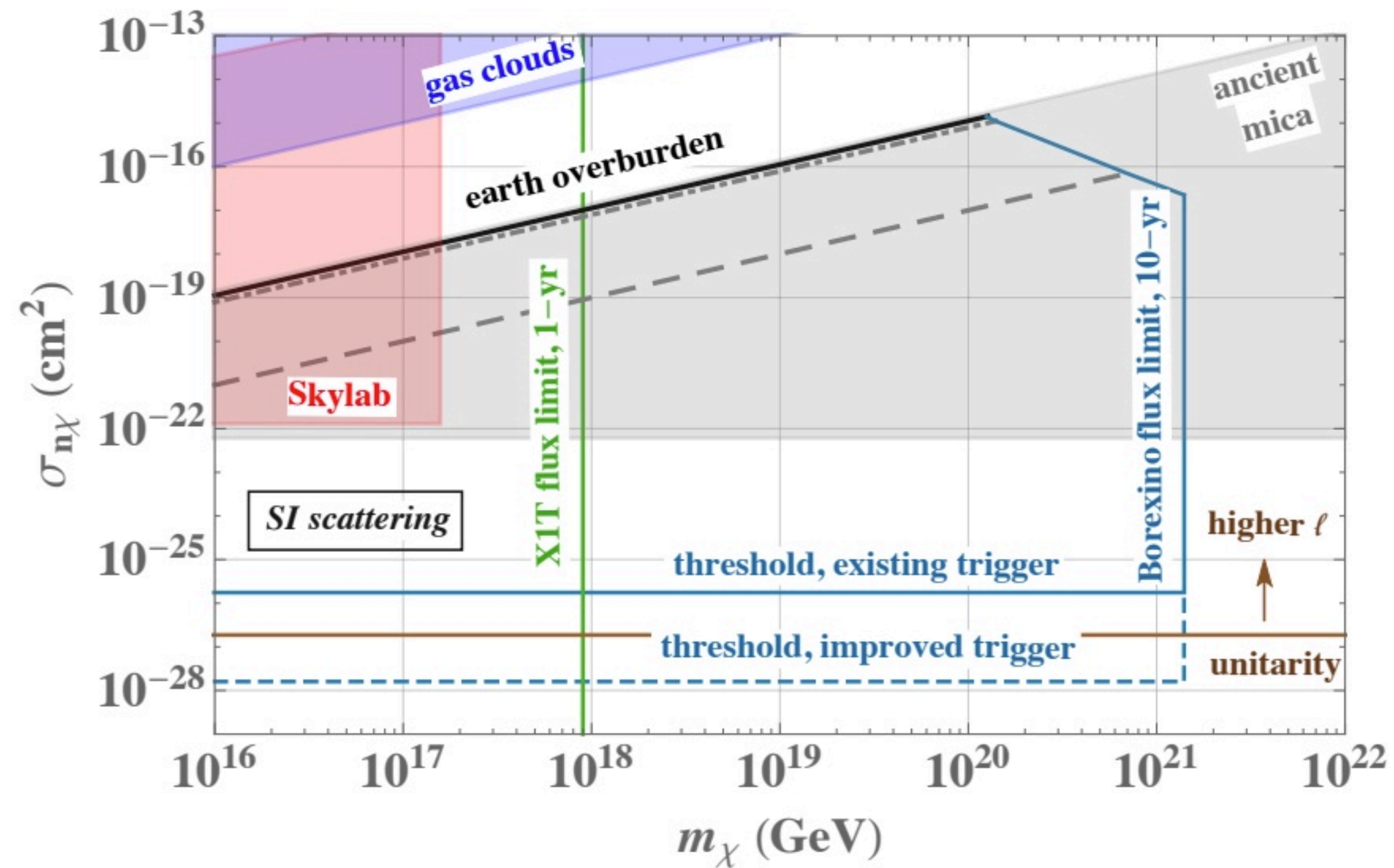


τ is the approximate number of hits per detector passage.
For $\tau > 5$ ($\tau > 500$) the S2 (S1) pulses merge
into elongated pulses S2' (S1').

For $\tau > 500$, there will be overlap
between the S2' and S1' elongated pulses.

UNDERGROUND MULTISCATTER PROSPECTS

Scintillating Neutrino Detectors

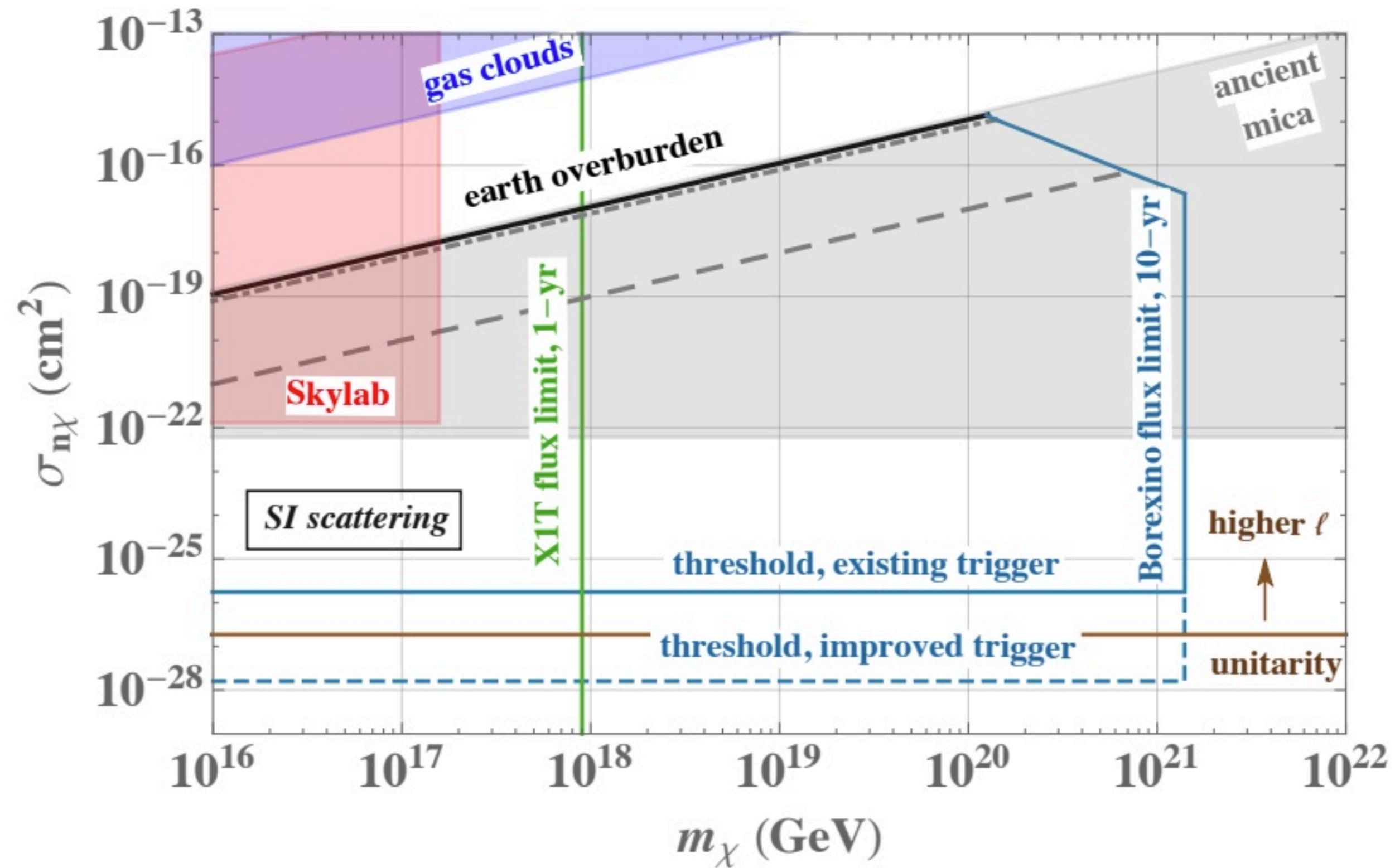


1812.09325

1910.05380

UNDERGROUND MULTISCATTER PROSPECTS

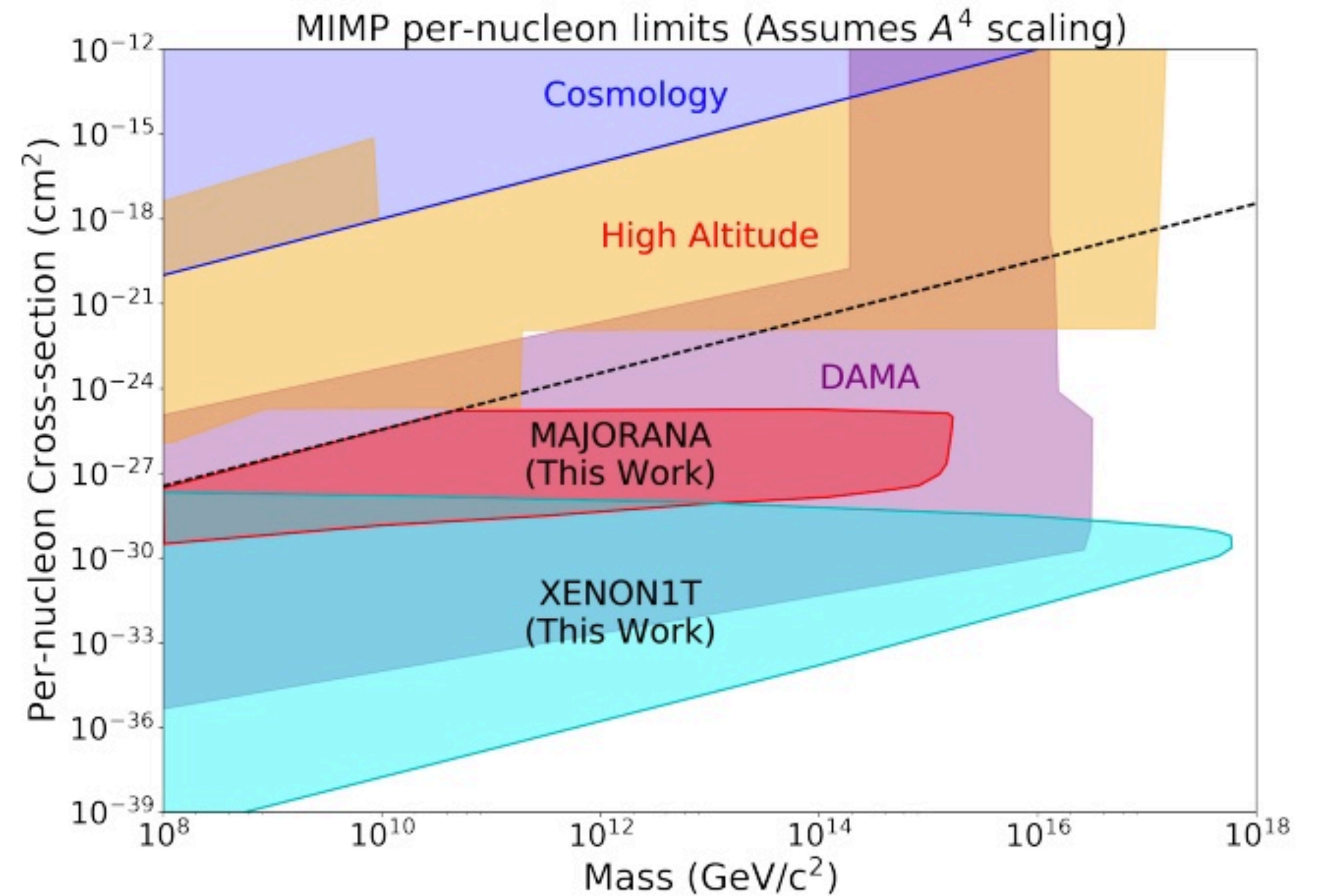
Scintillating Neutrino Detectors



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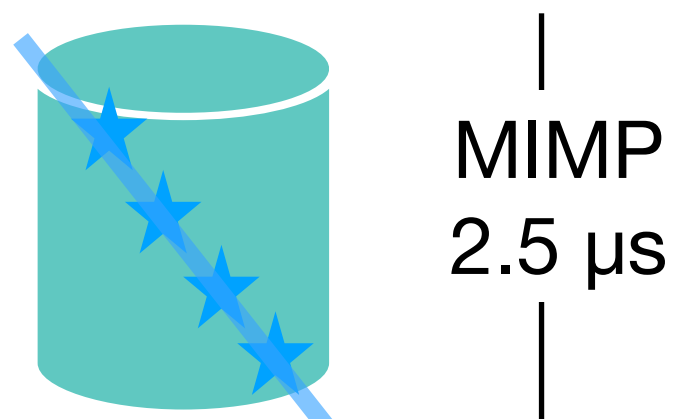
Underground Multiscatter Searches



1803.08044

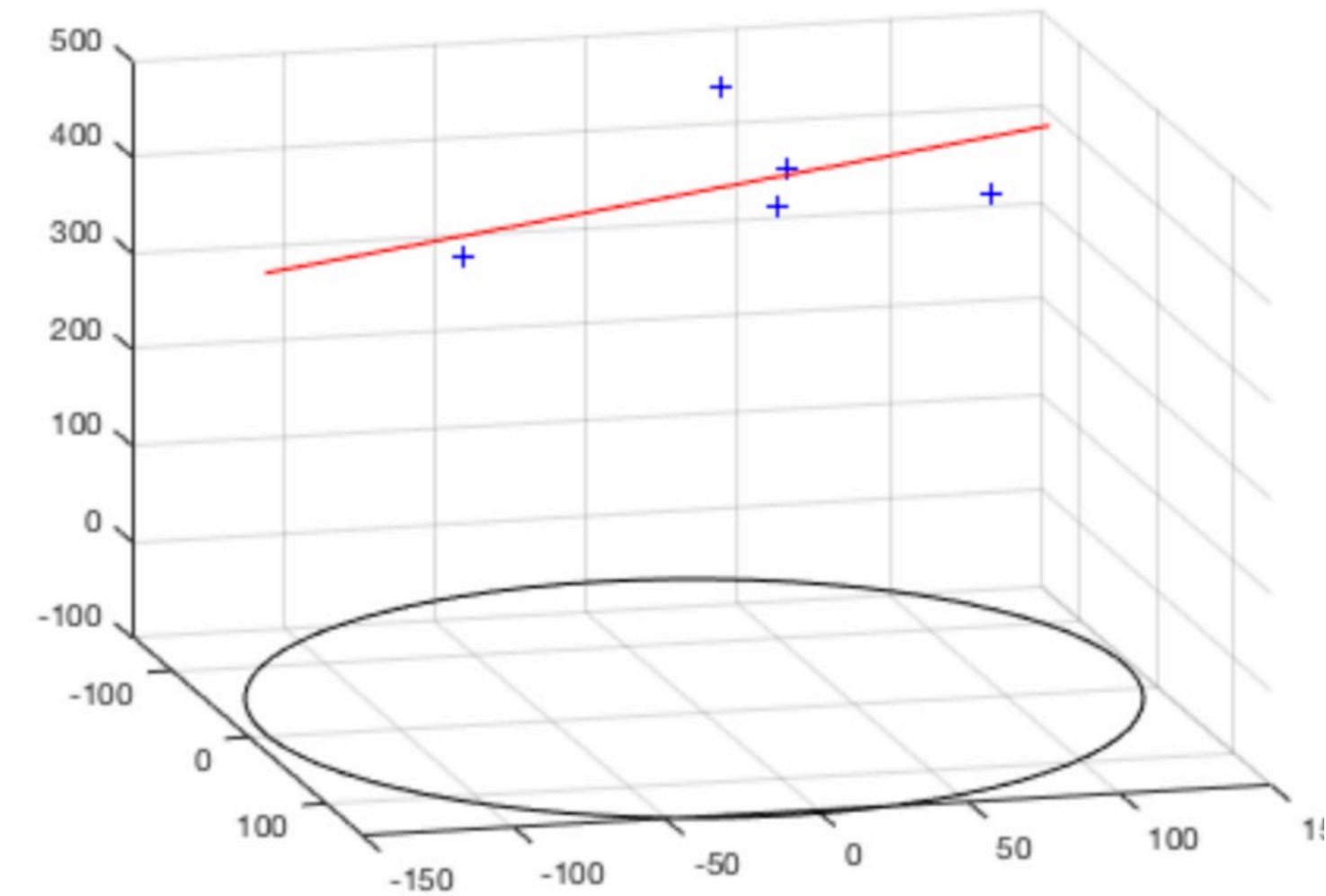
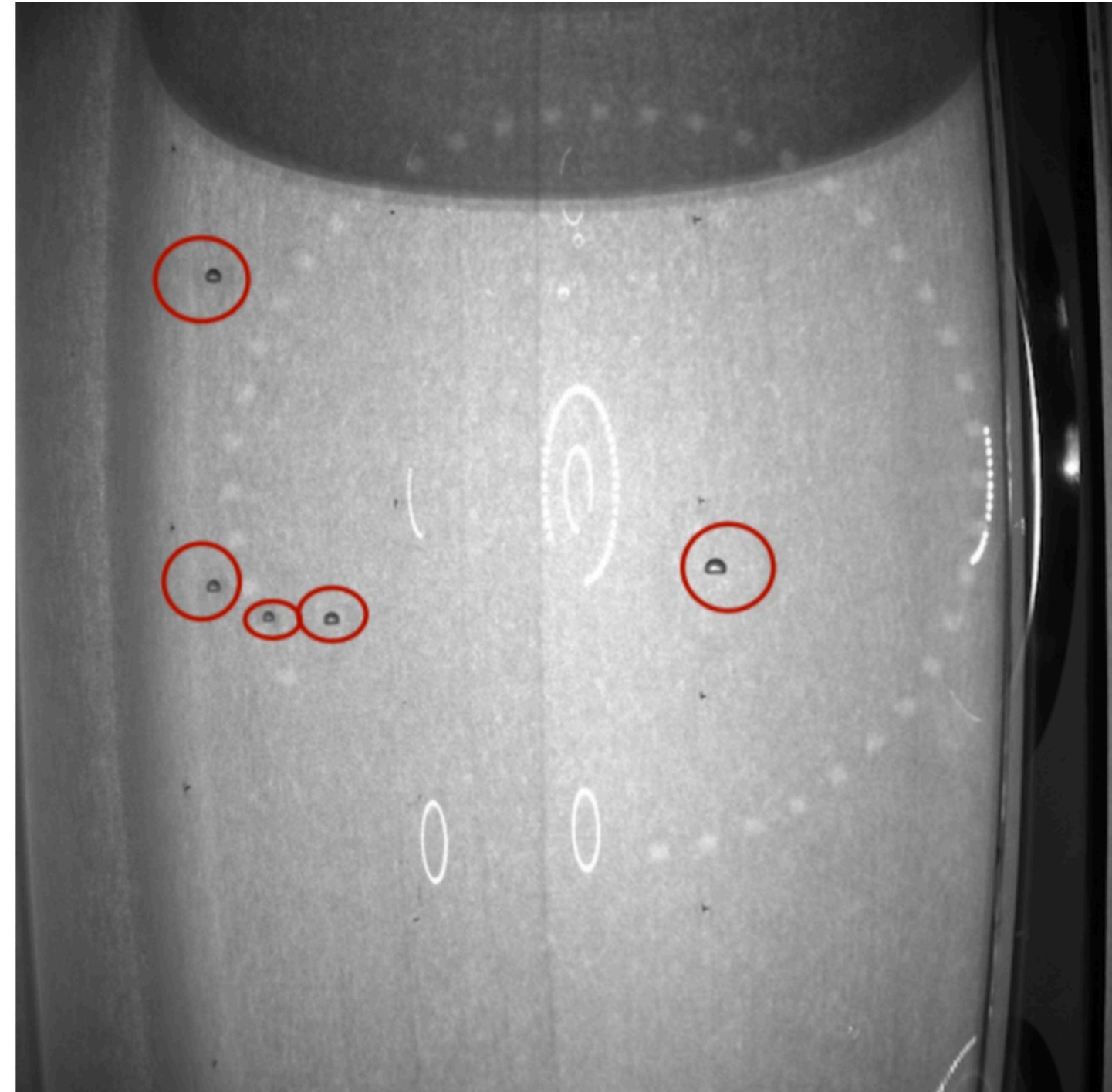
2009.07909

PICO-60 multiscatter search ongoing



MIMP
2.5 μ s

~400 ns acoustic sensors
~mm resolution stereo cameras
see bubbles (up to 500)



MIMP scatter should be highly collinear.
For <kilobarn cross-section.

Courtesy Ben Broerman, Queen's PhD student
ongoing analysis

$$\Omega_{\max} \lesssim 1.7^\circ \left(\frac{m_a}{100 \text{ GeV}} \right) \left(\frac{10^{13} \text{ GeV}}{m_x} \right) \left(\frac{L}{100 \text{ cm}} \right) \left(\frac{n_a}{10^{22}/\text{cm}^3} \right)^{1/3} .$$

ETCHING PLASTIC SEARCHES FOR DARK MATTER

- *Two searches in 1978 and 1990 for cosmic rays and monopoles using acid-etched plastic track detectors*
- *Still have best sensitivity for some high mass dark matter, for different reasons*

Skylab

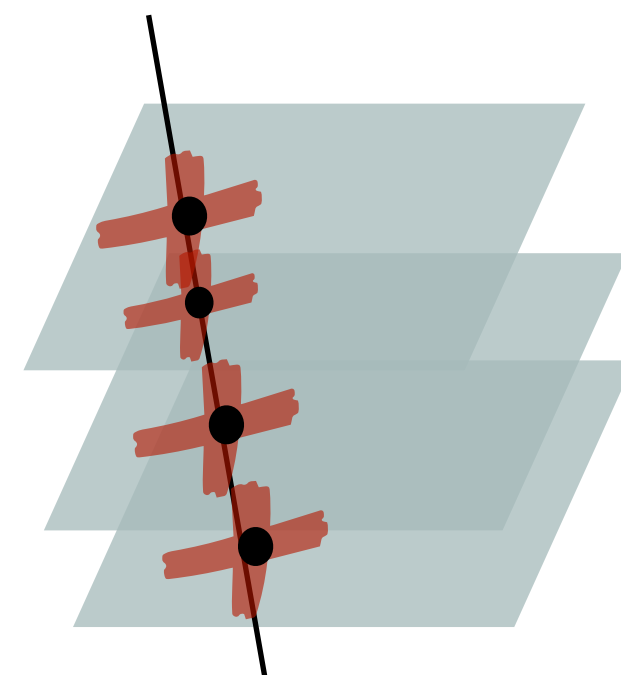


Ohya Quarry



	Skylab	Ohya
Area A	1.17 m ²	2442 m ²
Duration t	0.70 yr	2.1 yr
Zenith cutoff angle	$\theta_D = 60^\circ$	$\theta_D = 18.4^\circ$
Detector material	0.25 mm thick Lexan × 32 sheets	1.59 mm thick CR-39 × 4 sheets
Detector density	1.2 g cm ⁻³ Lexan	1.3 g cm ⁻³ CR-39
Detector length at θ_D	1.6 cm	0.66 cm
Overburden density	2.7 g cm ⁻³ Aluminum	2.7 g cm ⁻³ Rock
Overburden length at θ_D	0.74 cm	39 m

*Bhoonah, JB, Courtman, Song
2012.13406*

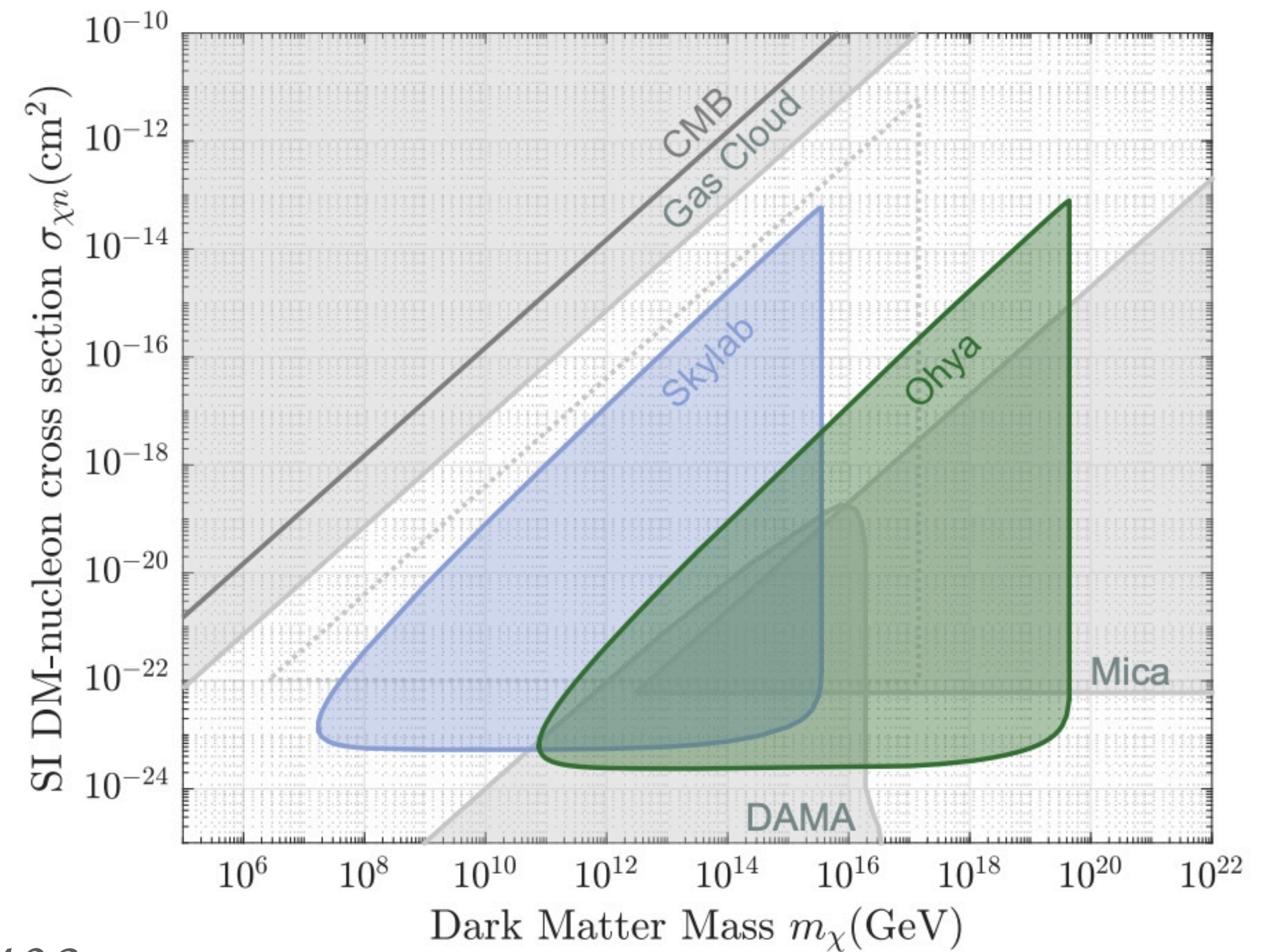
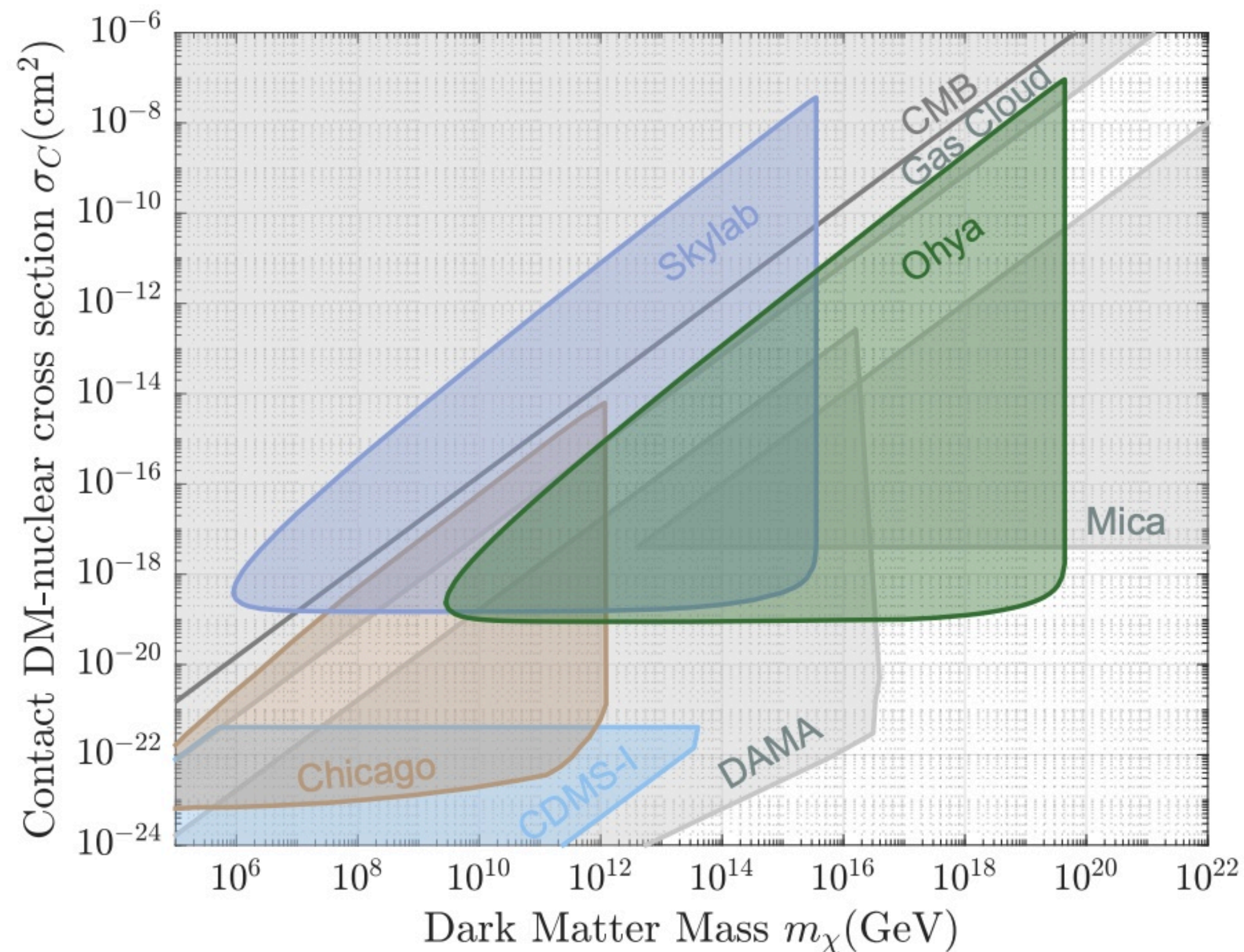


(see also Starkman, Gould, Esmailzadeh Dimopoulos 1990)

ETCHING PLASTIC SEARCHES FOR DARK MATTER

- Use realistic dark matter density and velocity distribution, solve for overburden + etching exactly

$$\frac{dE}{dx} \Big|_{th} = \frac{2E_i}{m_\chi} \left(\sum_{ACO} \frac{\mu_{\chi A}^2}{m_A} n_A \sigma_{\chi A} \right) \exp \left[\frac{-2}{m_\chi} \left(x_O \sum_{ACO} n_A \frac{\mu_{\chi A}^2}{m_A} \sigma_{\chi A} + x_D \sum_{ACD} n_A \frac{\mu_{\chi A}^2}{m_A} \sigma_{\chi A} \right) \right]$$

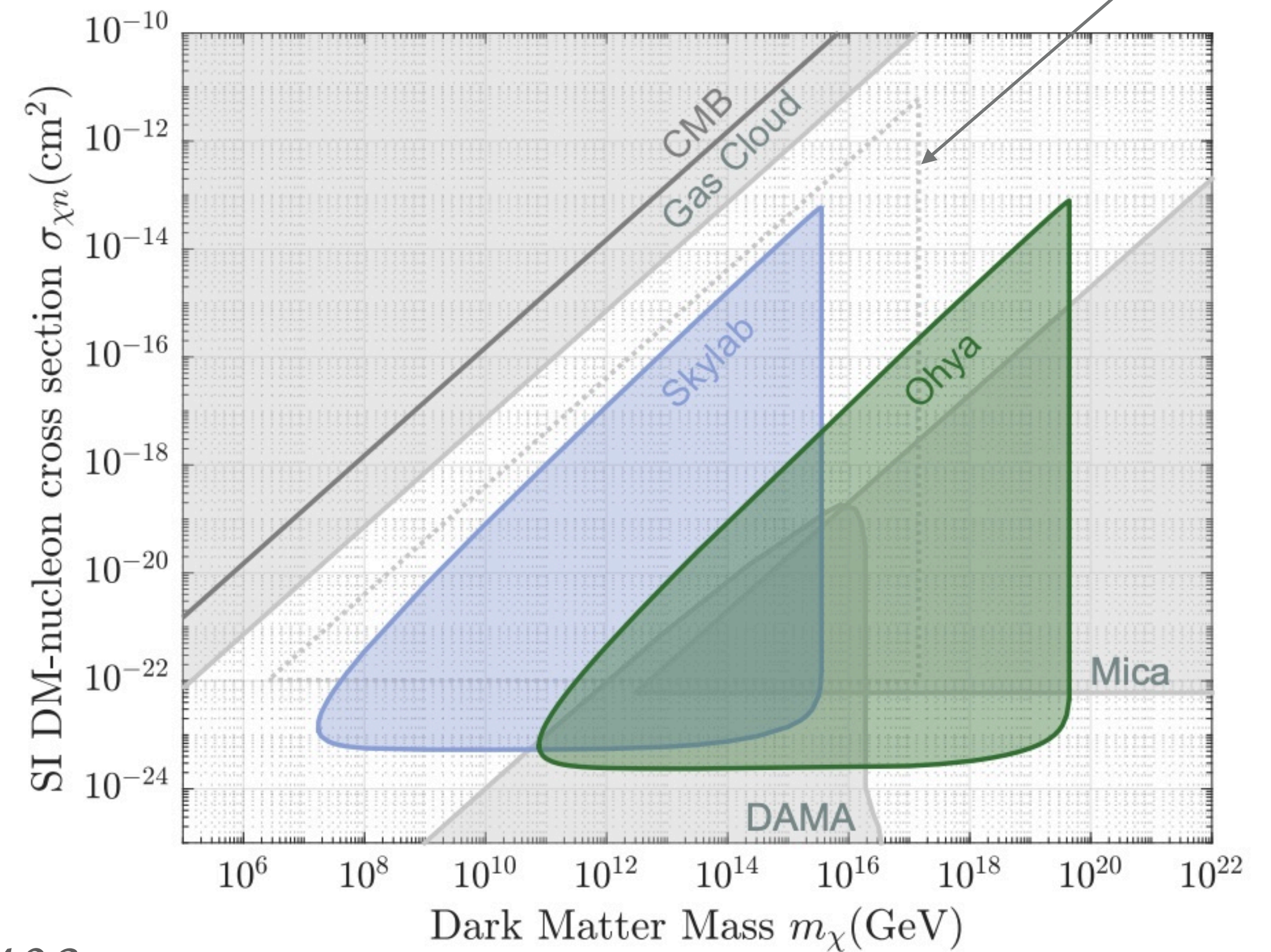
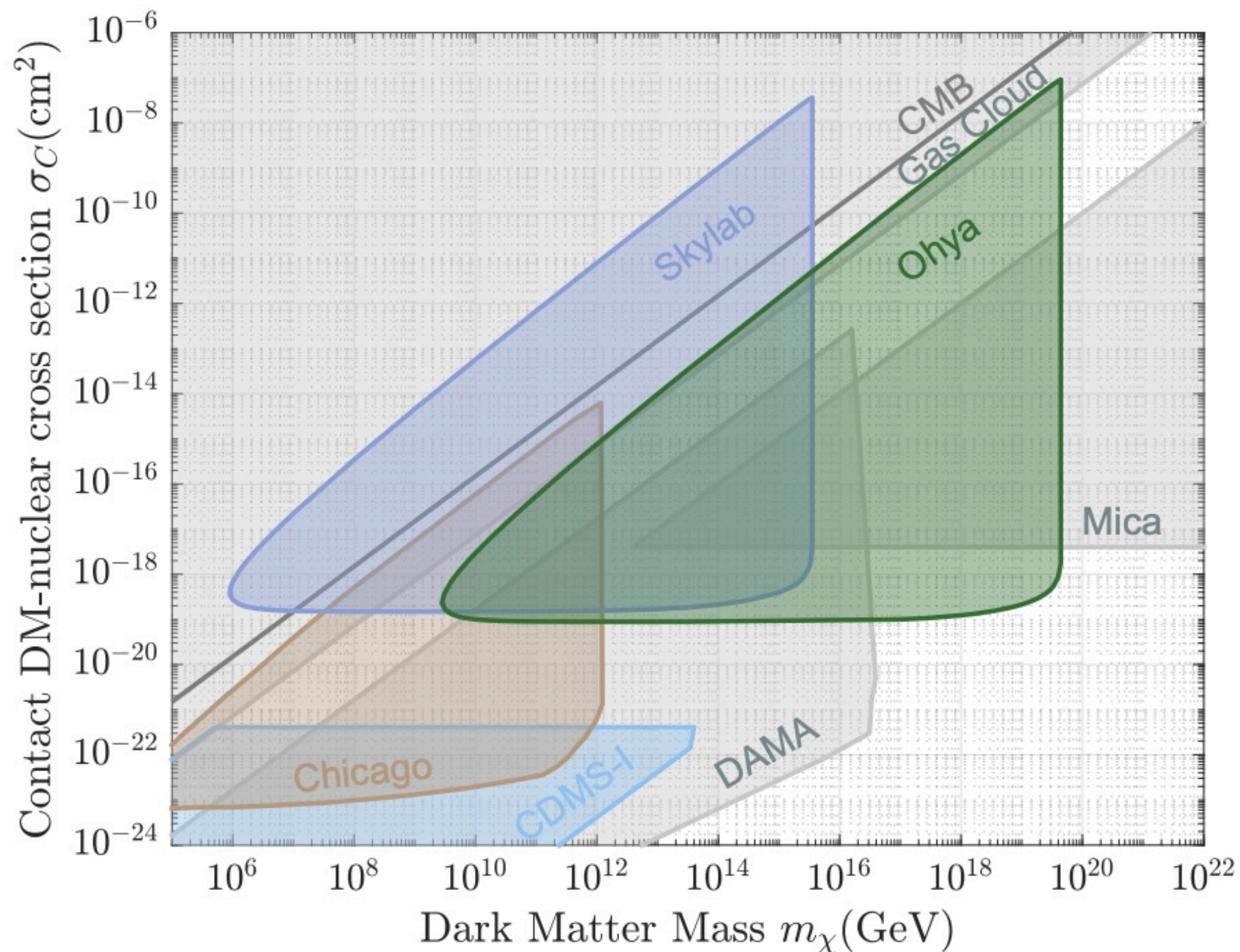


ETCHING PLASTIC SEARCHES FOR DARK MATTER

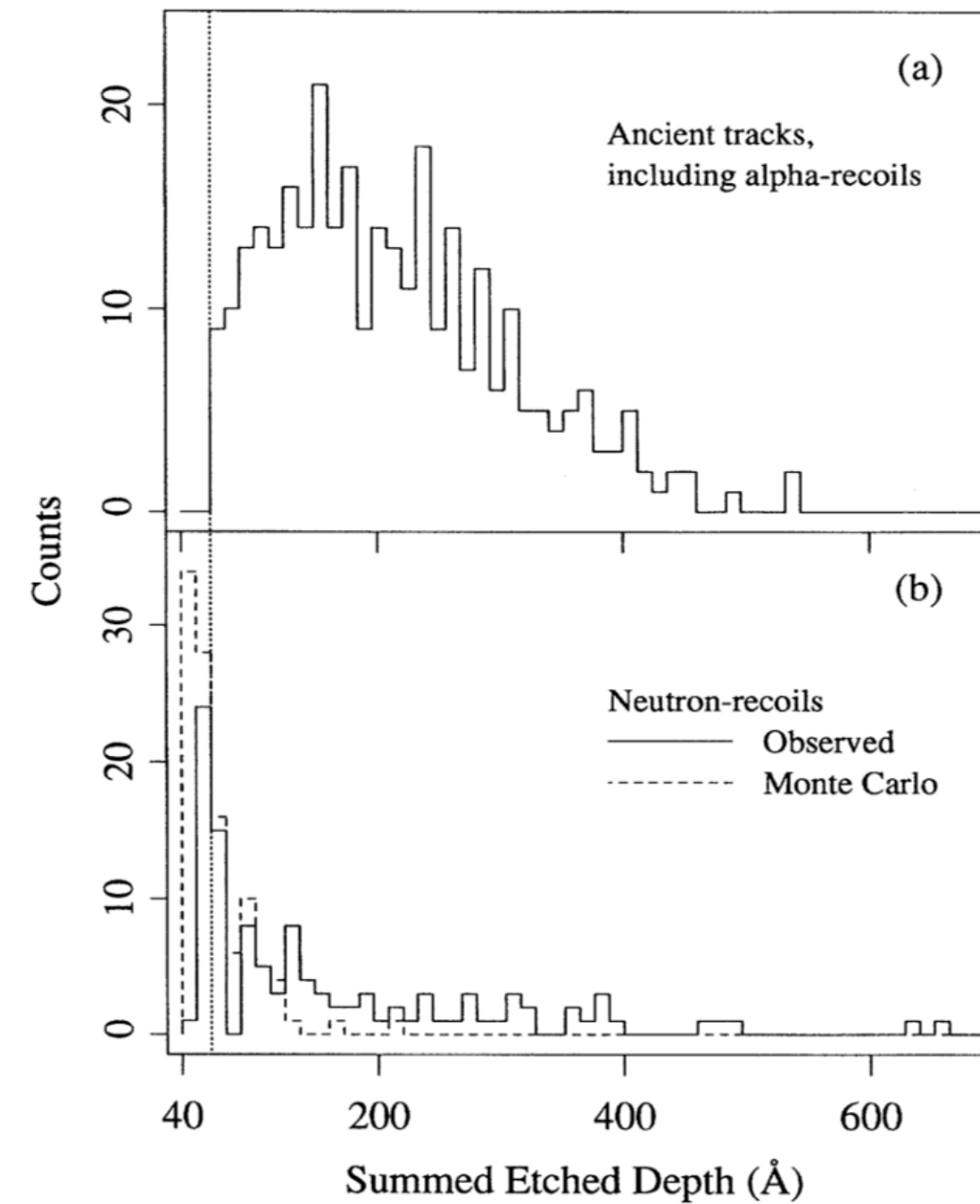
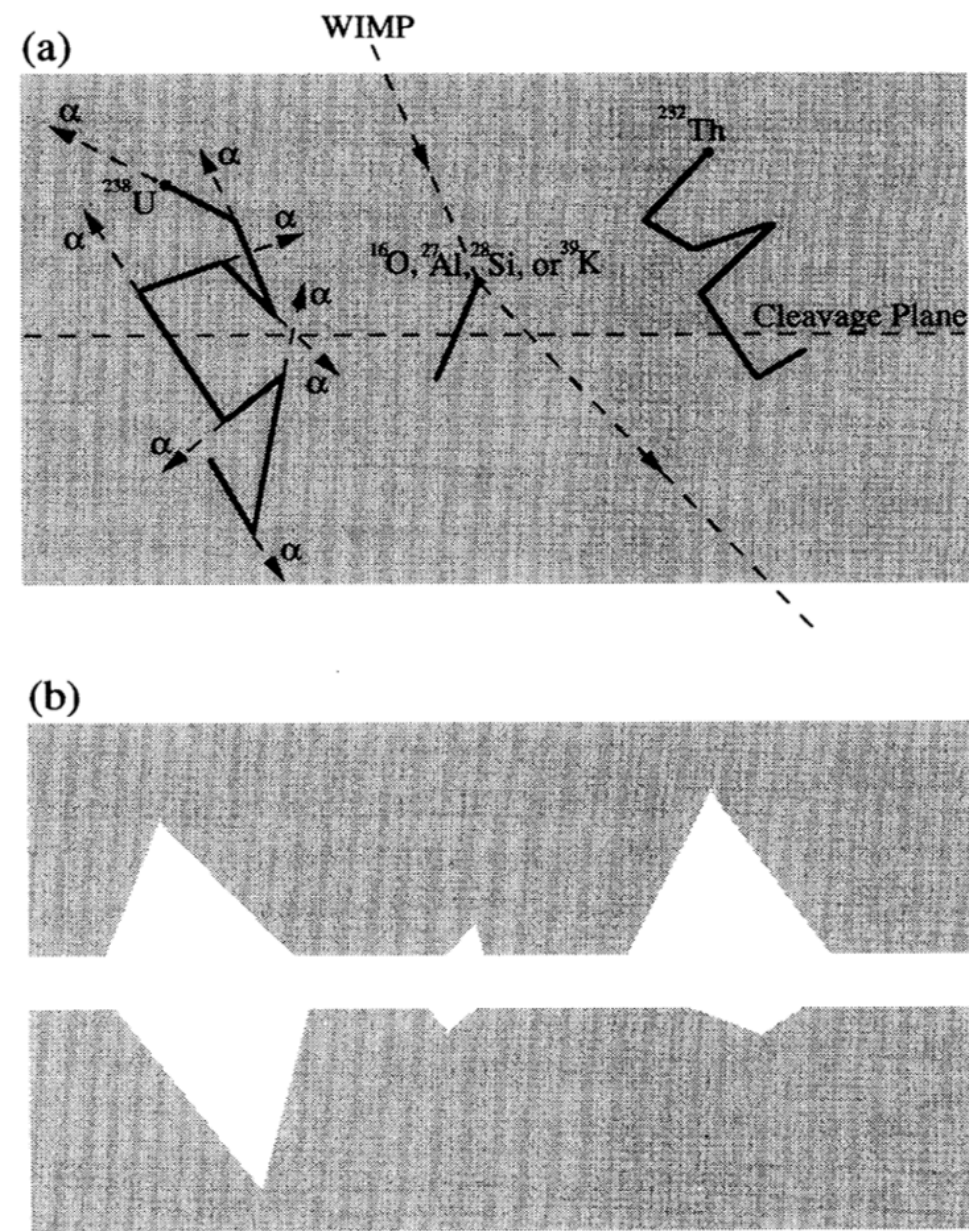
- Use realistic dark matter density and velocity distribution, solve for overburden + etching exactly

$$\frac{dE}{dx} \Big|_{th} = \frac{2E_i}{m_\chi} \left(\sum_{ACO} \frac{\mu_{\chi A}^2}{m_A} n_A \sigma_{\chi A} \right) \exp \left[\frac{-2}{m_\chi} \left(x_O \sum_{ACO} n_A \frac{\mu_{\chi A}^2}{m_A} \sigma_{\chi A} + x_D \sum_{ACD} n_A \frac{\mu_{\chi A}^2}{m_A} \sigma_{\chi A} \right) \right]$$

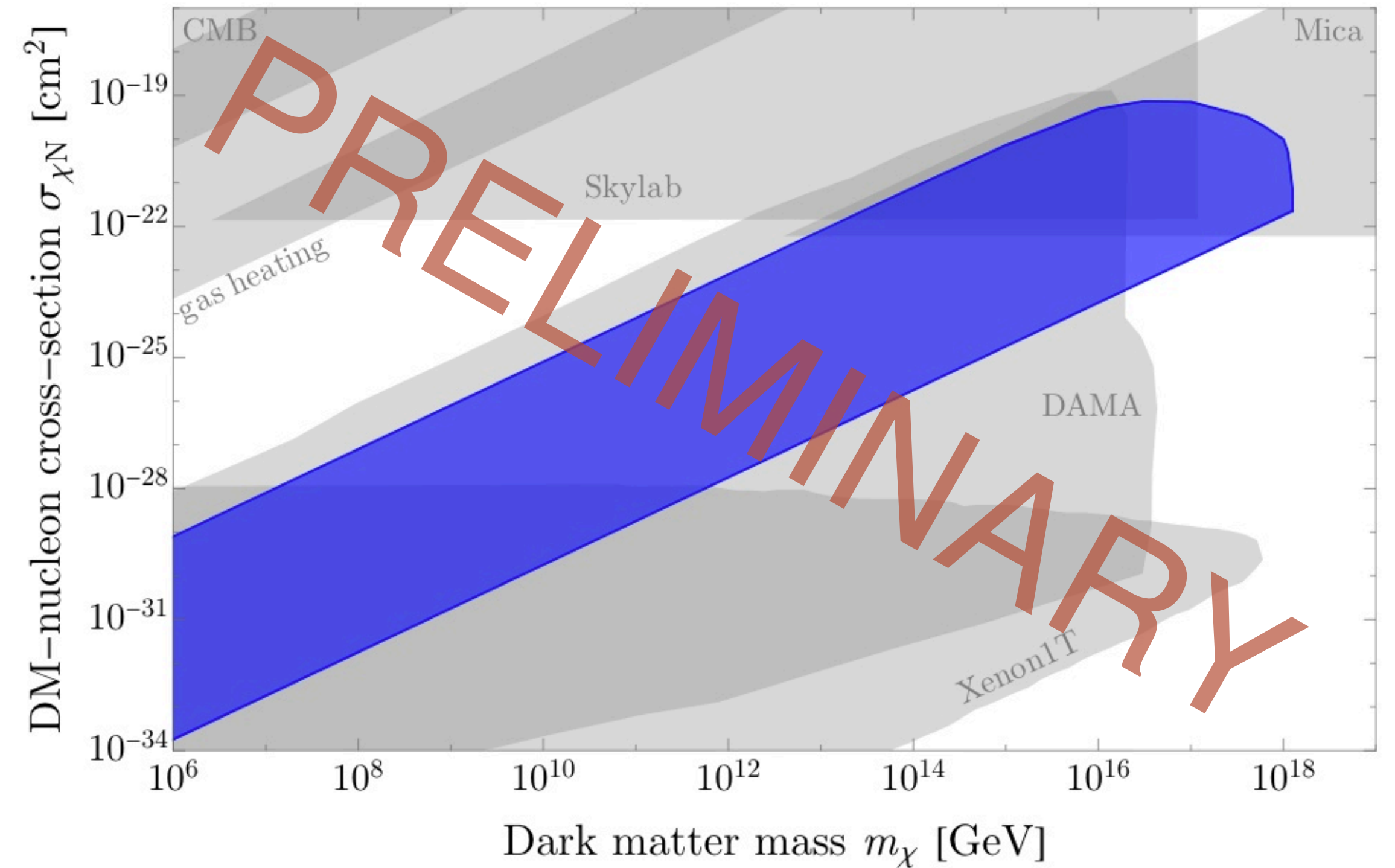
Previous
Skylab
estimate



ANCIENT MICA SEARCH FOR DARK MATTER



► Recast using crust and mica MC methods

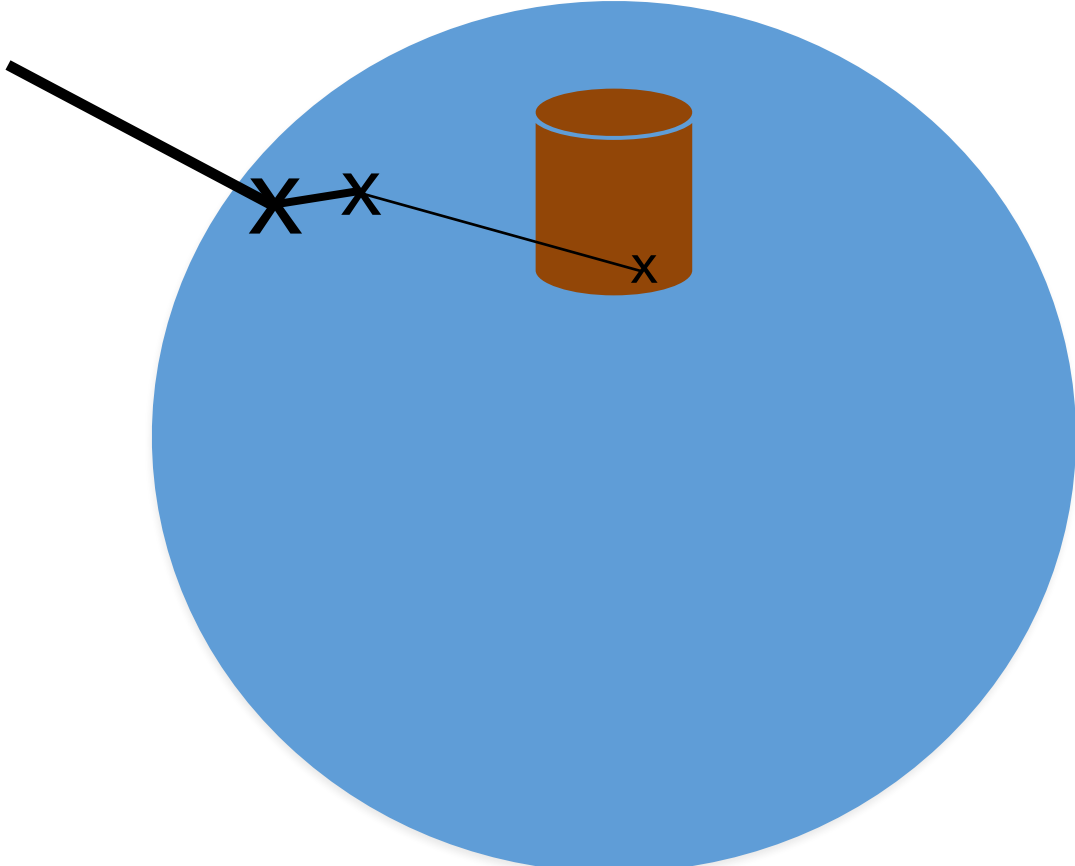


► 1995 Snowden-Ifft et al. calibrated mica samples

Acevedo, JB, Goodman in prep

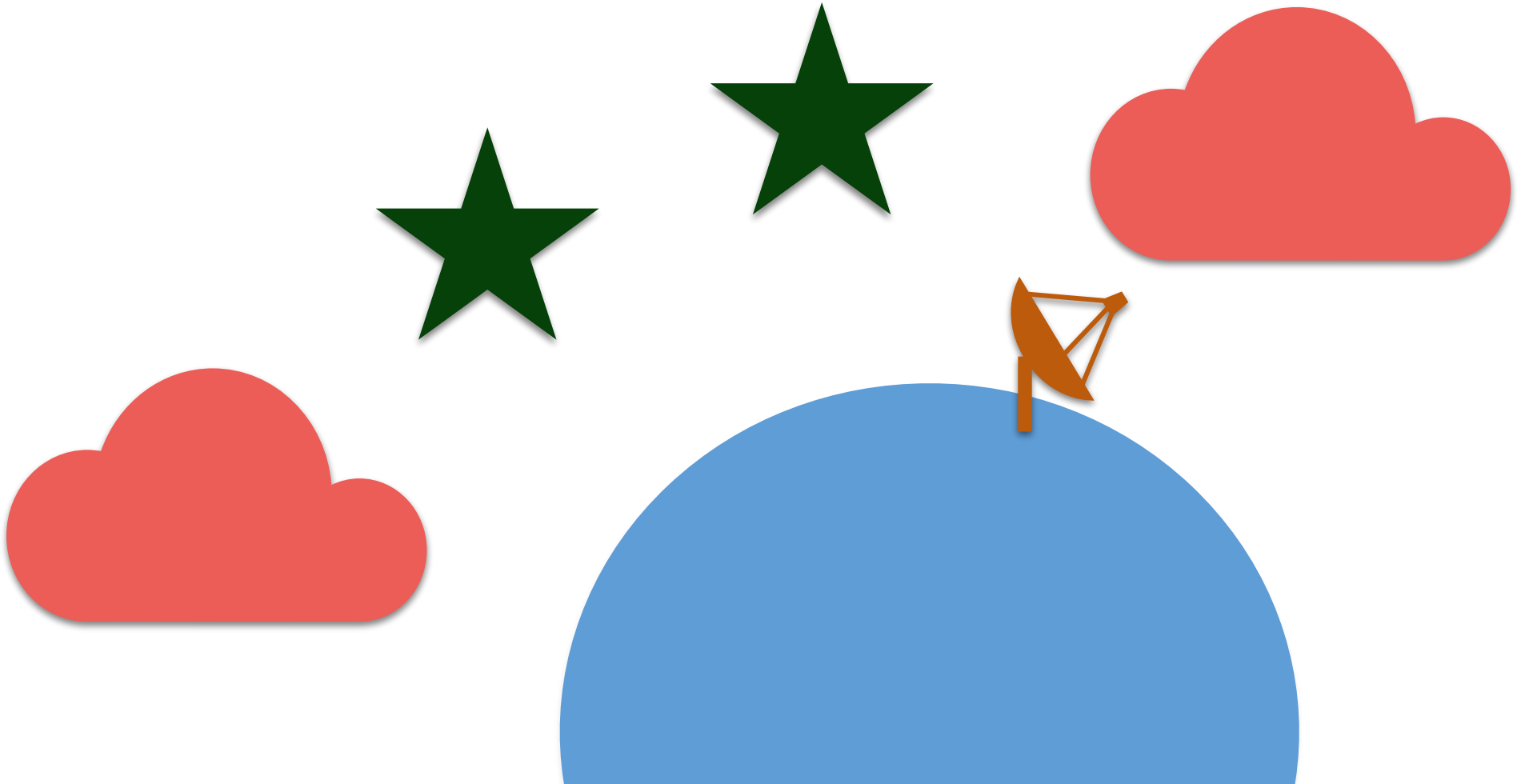
GAS CLOUDS

The earth and atmosphere block detection of strongly-interacting dark matter



dark matter kinetic energy < recoil threshold

Use detectors in space!

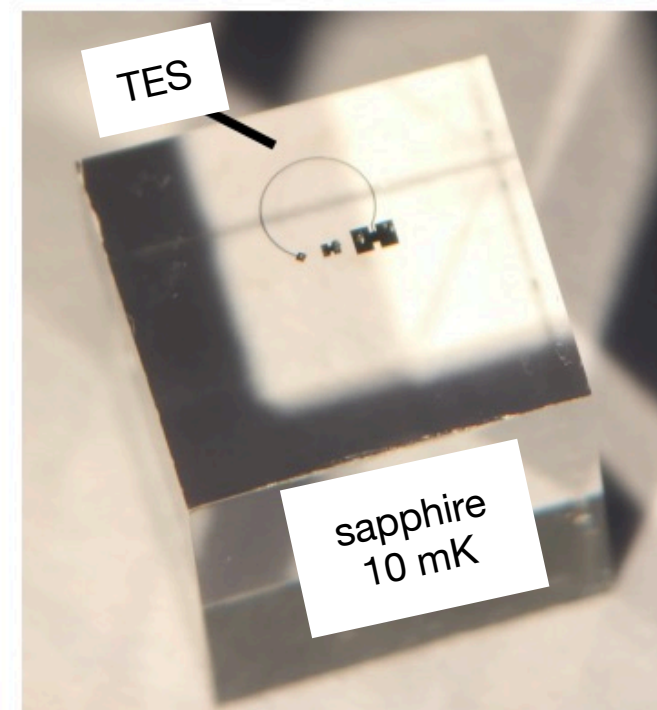
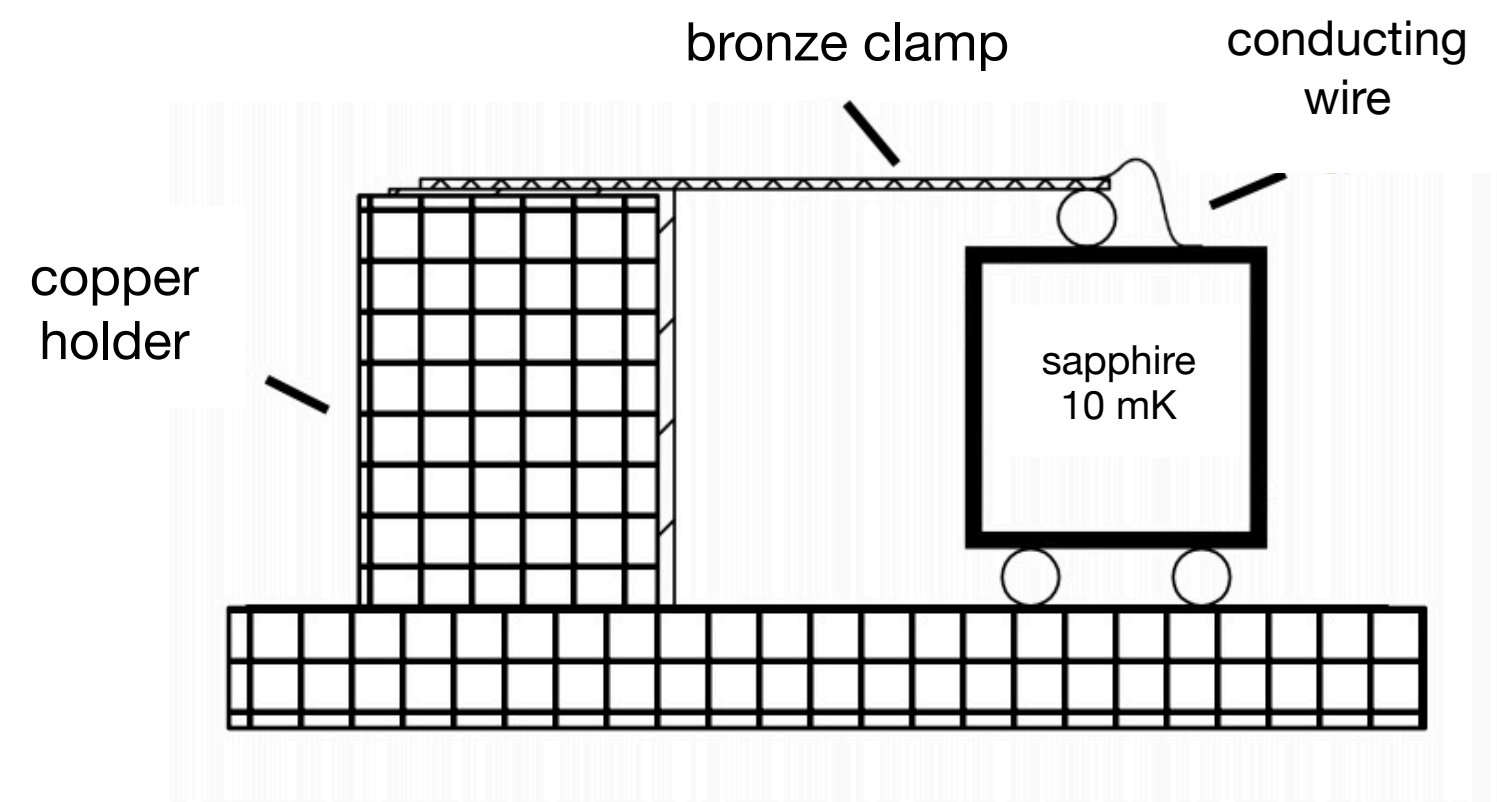


Interstellar gas
big
little overburden
unbound electrons

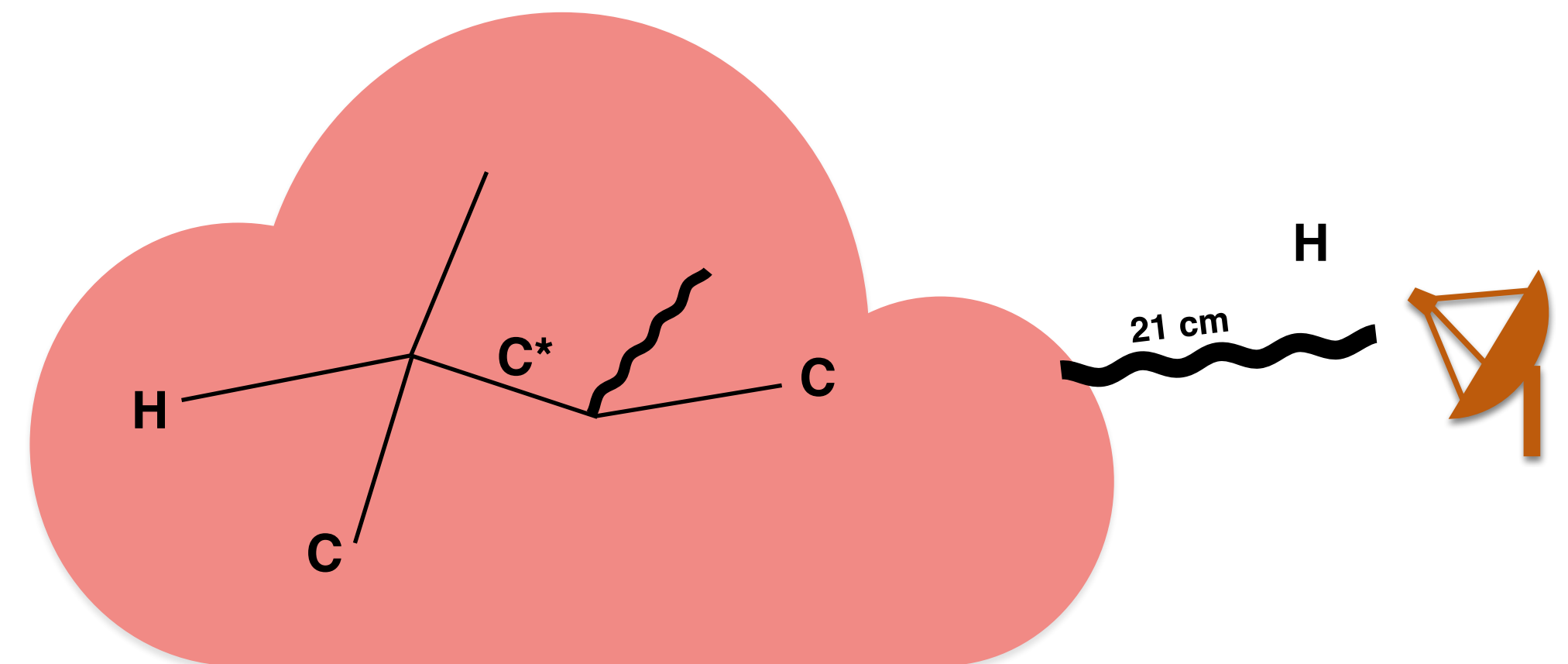
2010.07240
1812.10919
1806.06857

GAS CLOUDS AS CALORIMETRIC DETECTORS

CRESST sapphire
cooling: conducting wire
readout: TES thermal phonon

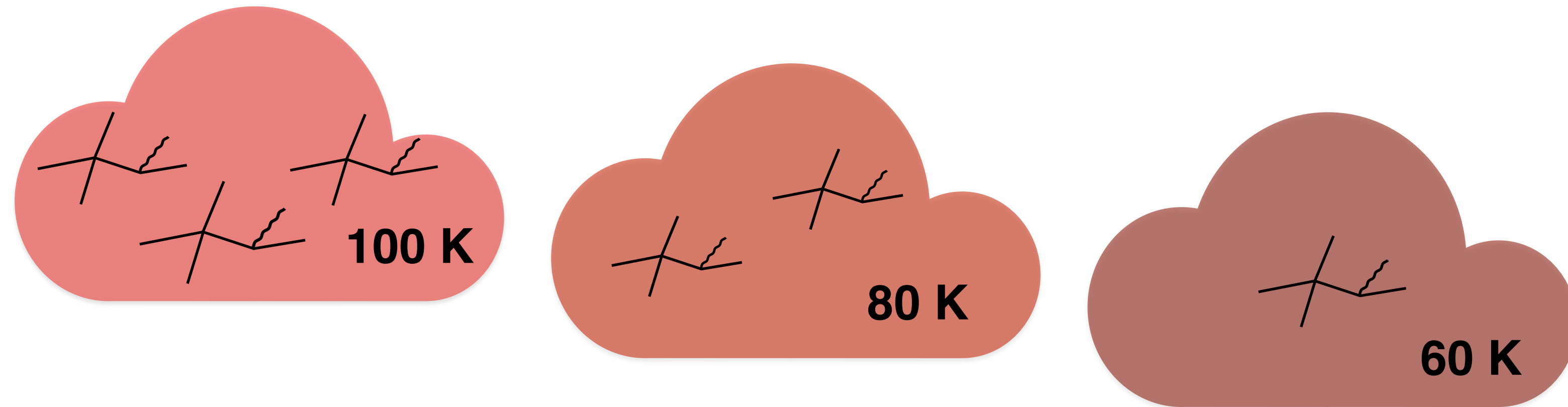


Cold Galactic gas clouds
cooling: carbon transitions
readout: 21 cm emission



GAS CLOUD COOLING

For 10-100 K gas clouds cooling results from electrons and hydrogen colliding with metal ions, and subsequent atomic de-excitation.



$$\text{Cooling rate} \propto n_{\text{H}}^2 \sigma \sqrt{T/m}$$

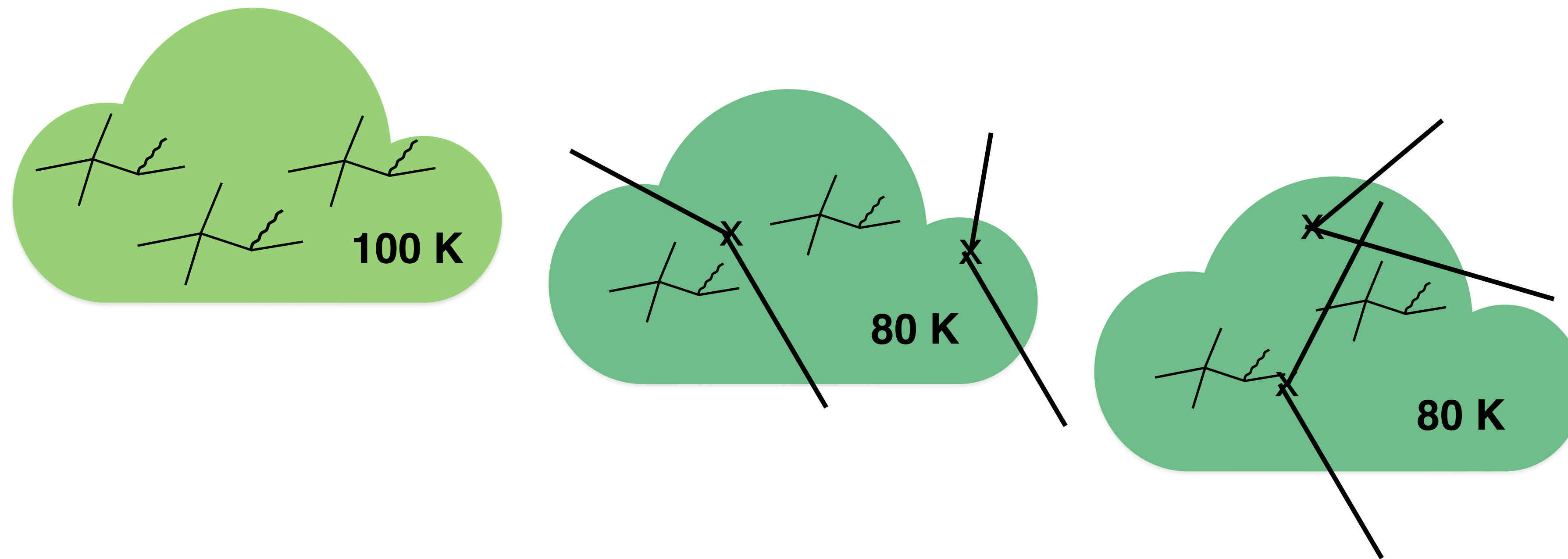
Collisions are rarer at lower temperatures.

**→ So as the cloud cools,
the cooling rate decreases.**

GAS CLOUD DARK MATTER HEATING EQUILIBRIUM

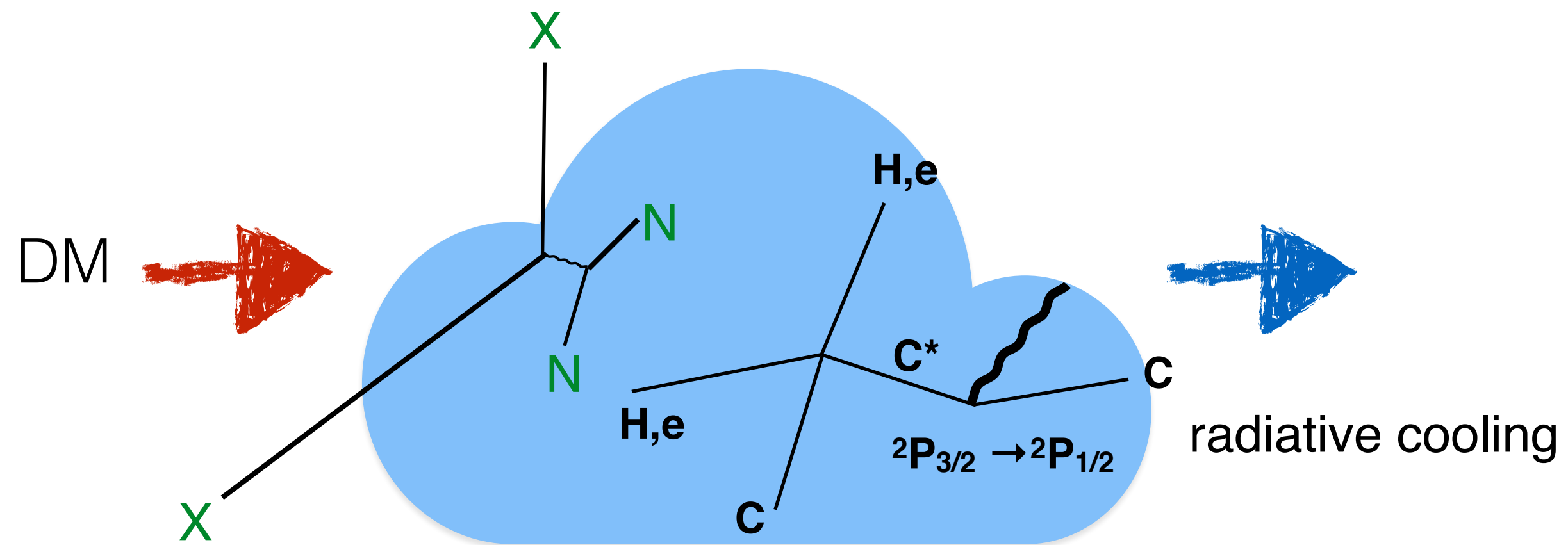
Cooling decreases with gas cloud temperature.

If dark matter predominantly heats the gas cloud, the cloud will not cool below some temperature.



Cooling rate \geq Dark matter heating rate

GAS CLOUD BOUNDS



Conservative: assume all heating by DM

In reality:

(DM +)

cosmic rays

Xray/UV background

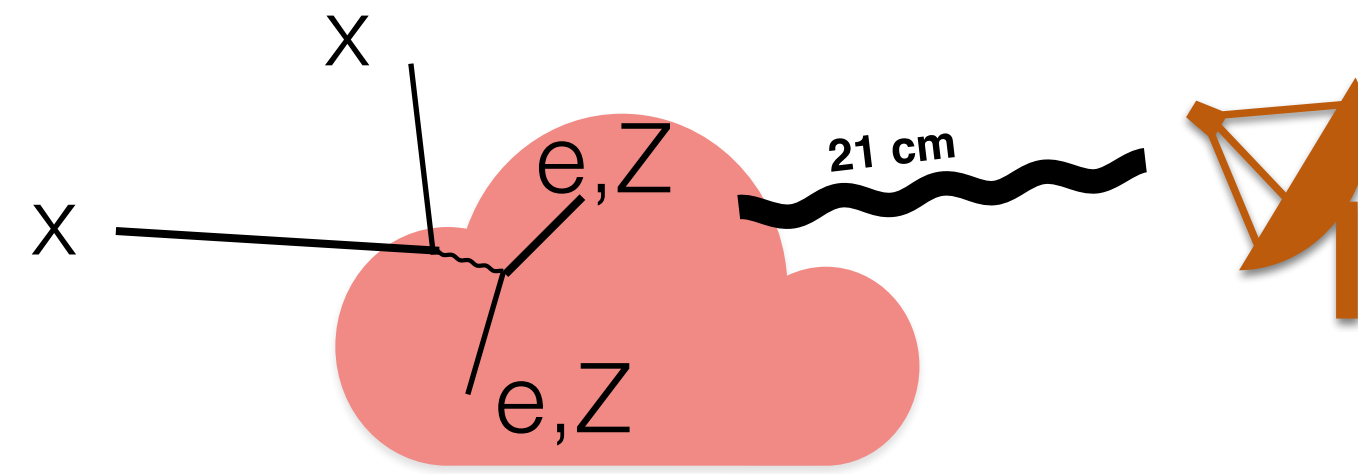
photoelectric heating
via dust grains



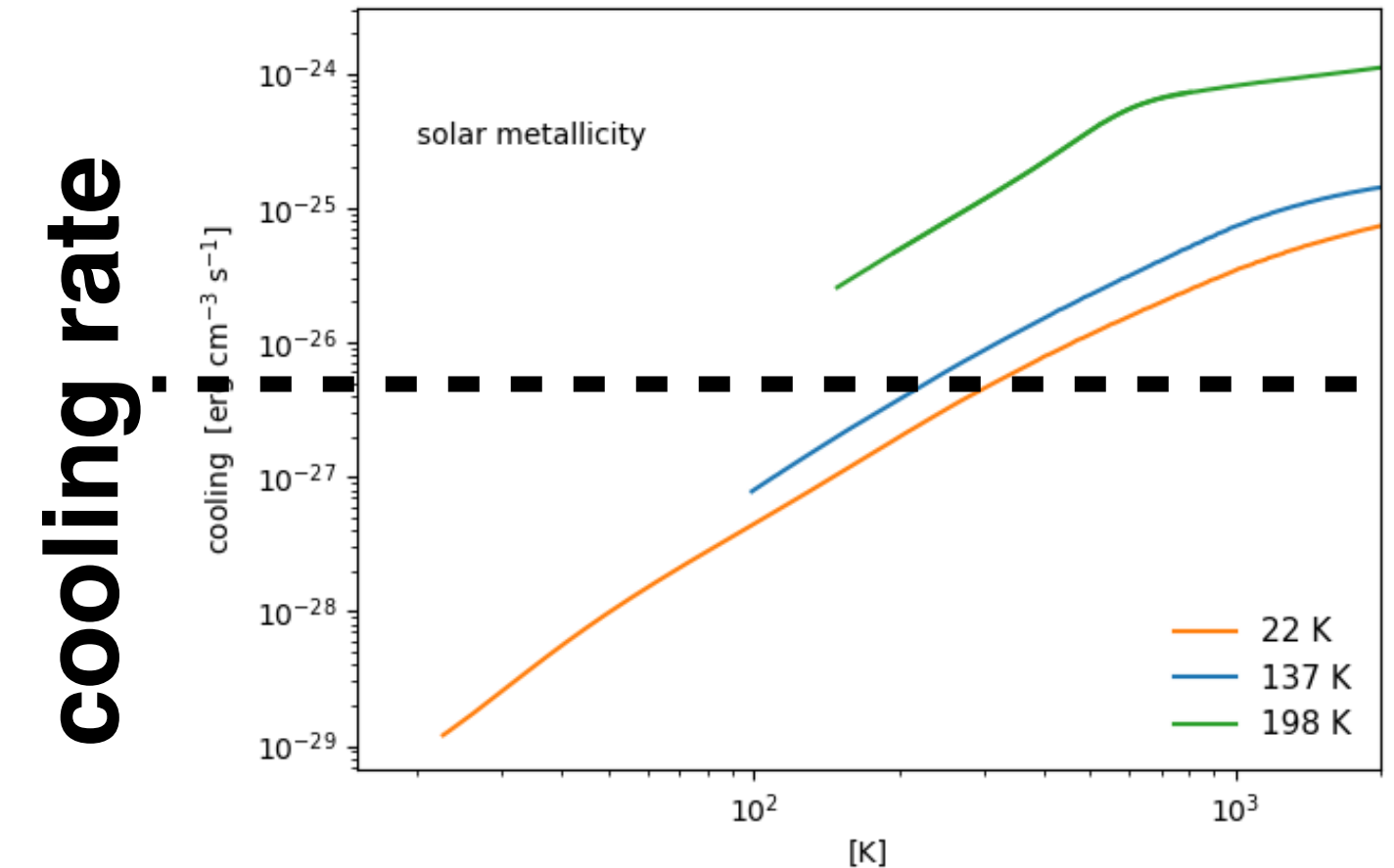
There are known ubiquitous heating sources, like cosmic UV background, cosmic rays, dust grain heating.

GAS CLOUD BOUNDS Class I

Infer the cooling rate of the gas from 21cm emission + models



Cooling curves are monotonic decreasing for $T < 1000$ Kelvin



Class I Bound

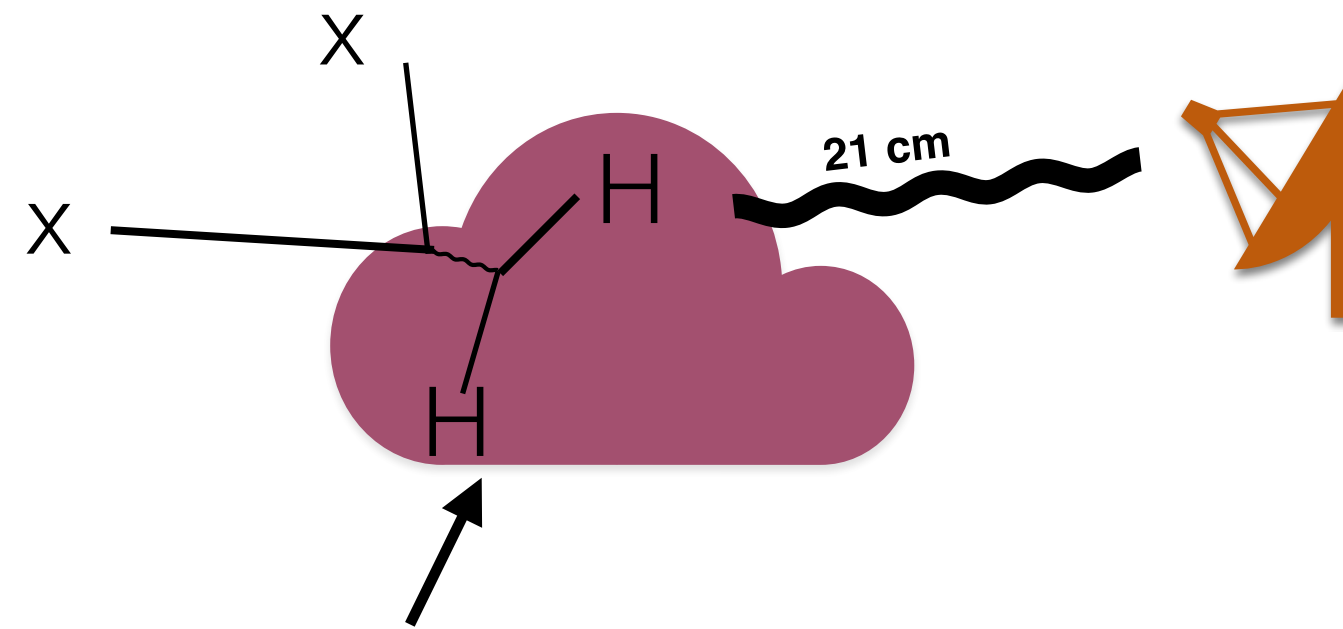
Dark heating < radiative cooling

Set bound on dark matter interacting with either unbound electrons or metals

$$VCR = f(T, n_H, [\text{Fe}/\text{H}])$$

GAS CLOUD BOUNDS Class II

Infer the cooling rate of the gas from 21cm emission + models



Same as Class I, but now consider scattering off of non-metals/electrons

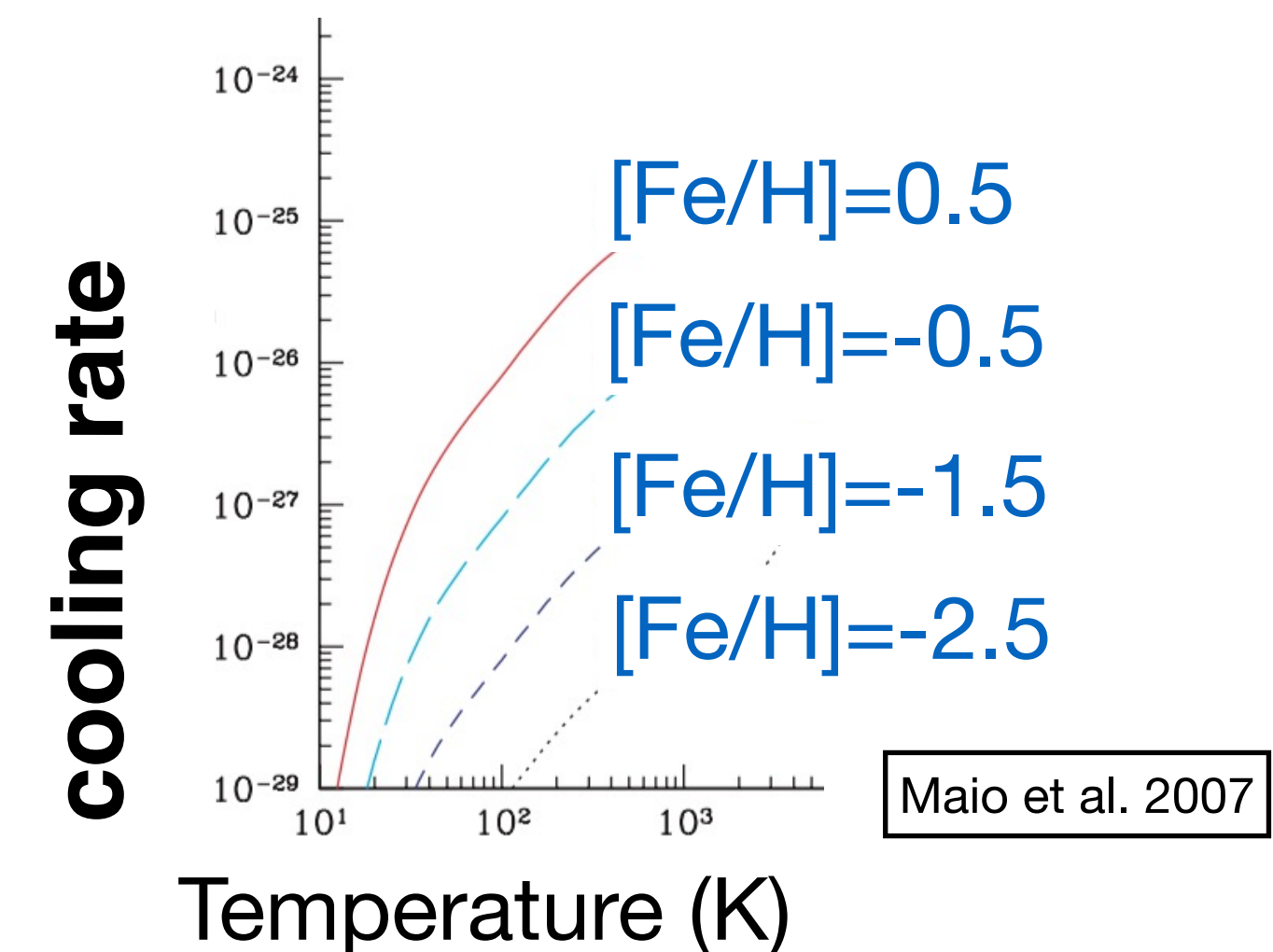
Class II Bound

Dark heating < radiative cooling

Should choose a conservative metallicity for a robust bound

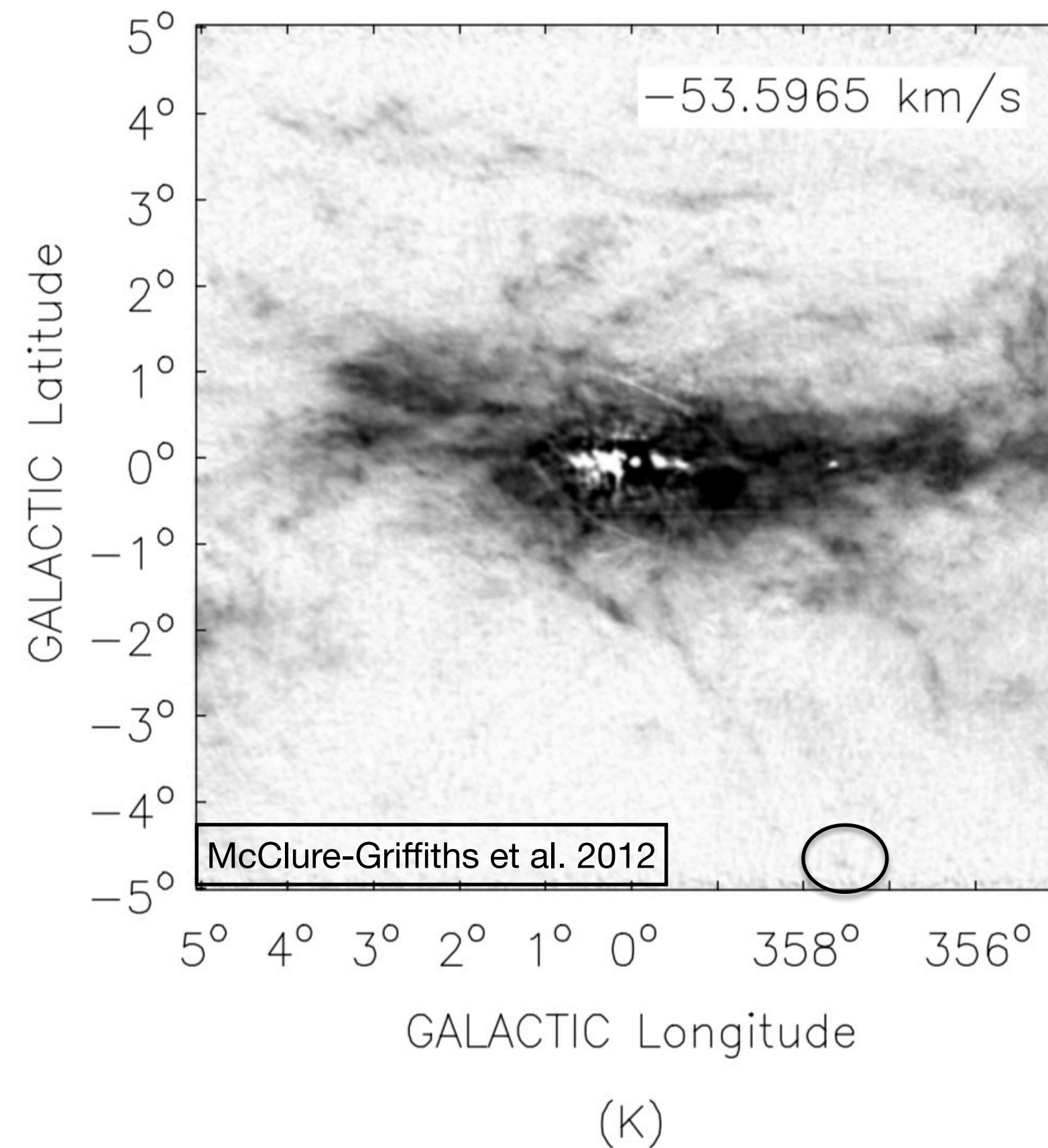
Bound now depends on metallicity

$$VCR \propto [\text{Fe}/\text{H}]$$



HEAVY DM IN GAS CLOUD, NUCLEAR INTERACTIONS

Gas Cloud 357.8-4.7-55



Δv from 21 cm
emission gives
 $T < 137$ K

G357.8-4.7-55

$M = 237 M_{\odot}$

$r_{gc} = 12.9$ pc

$n_n = 0.4$ cm⁻³

T_g $\boxed{?}$ < 137 K

$r_{los} \sim 800$ pc

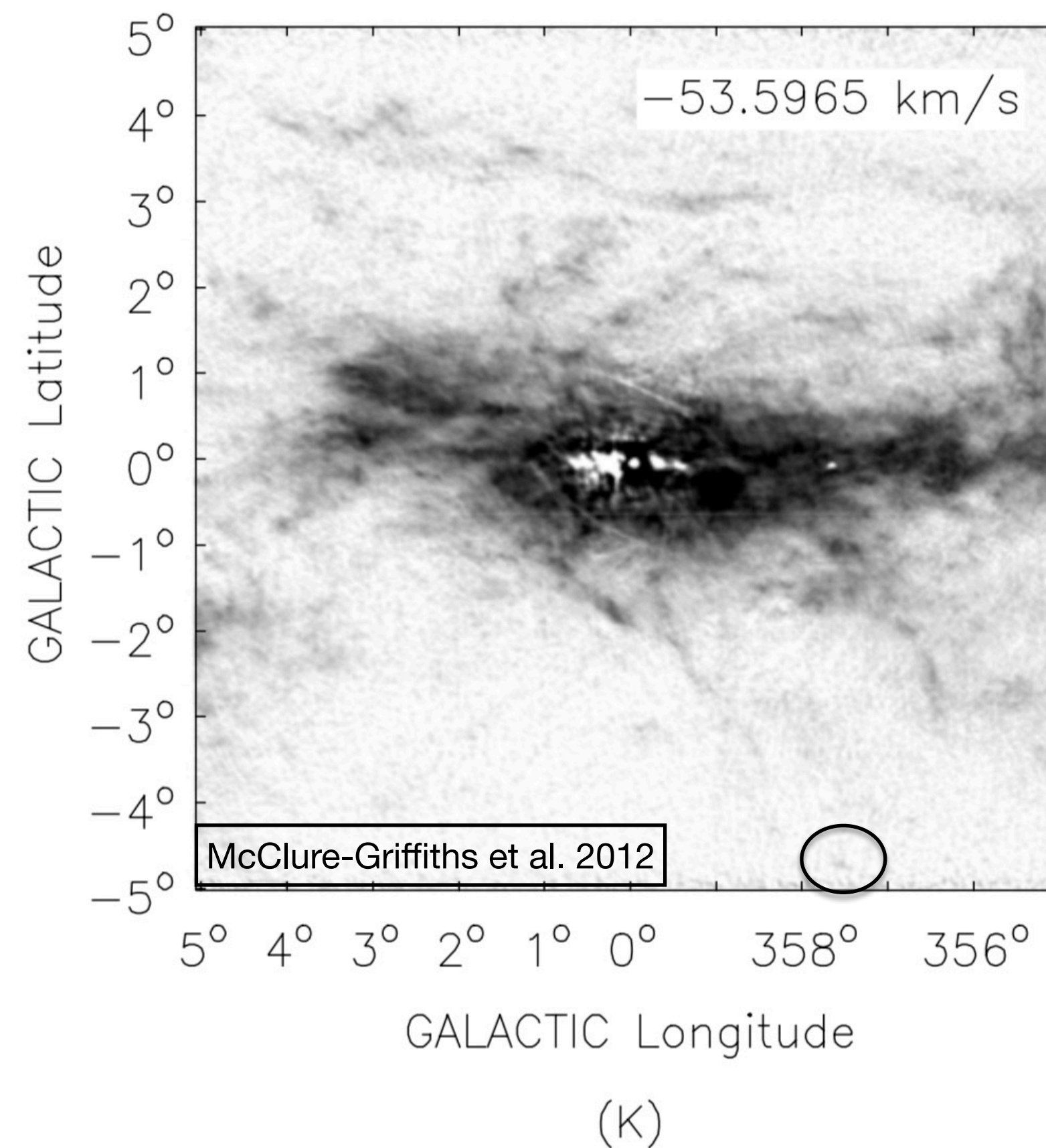
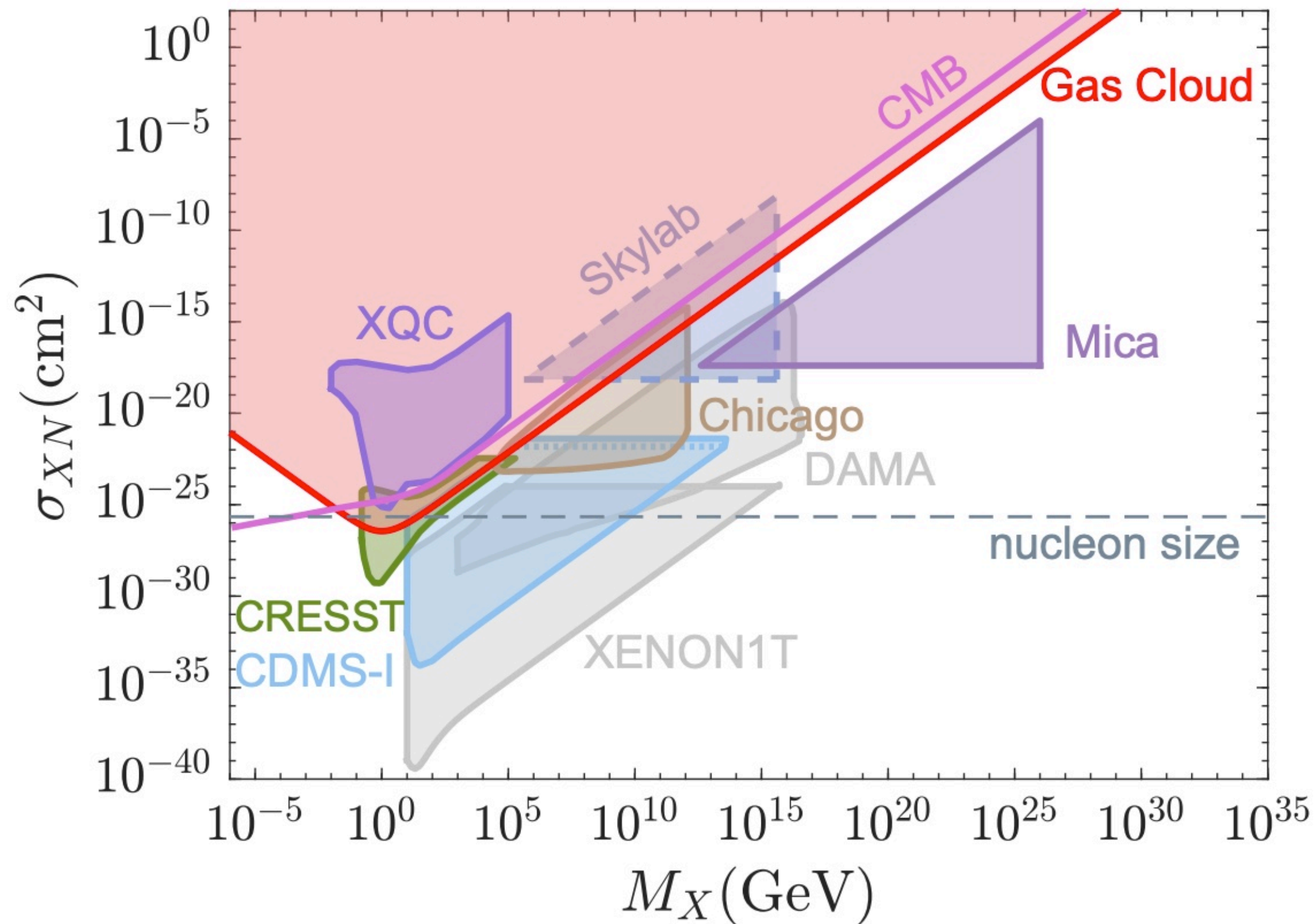
$v_g = -54$ km/s

(assume spherical cloud)

HEAVY DM IN GAS CLOUD, NUCLEAR INTERACTIONS

- Fixed cross-section for scattering off all nuclei

Gas Cloud 357.8-4.7-55



Δv from 21cm emission gives $T < 137$ K

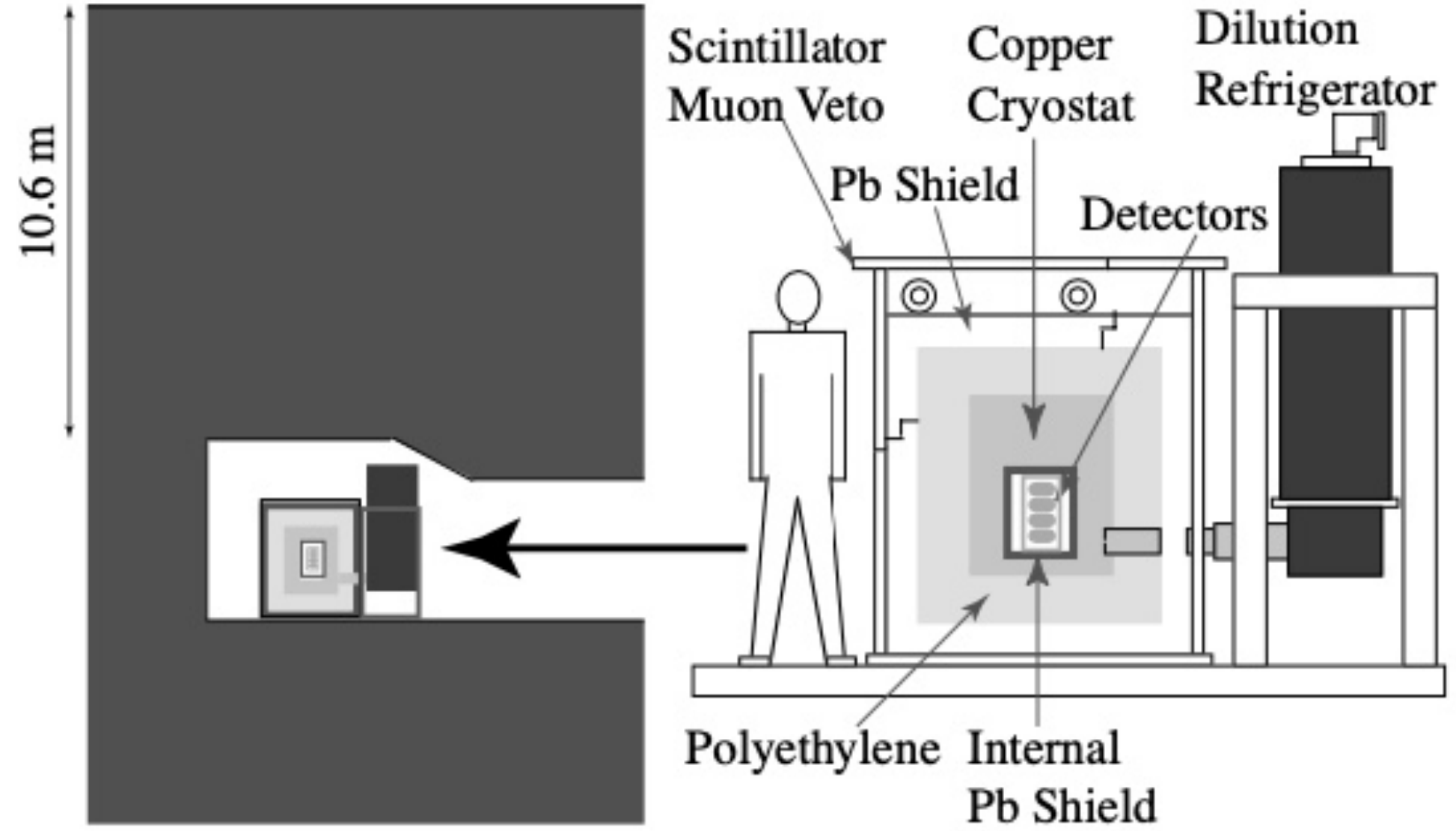
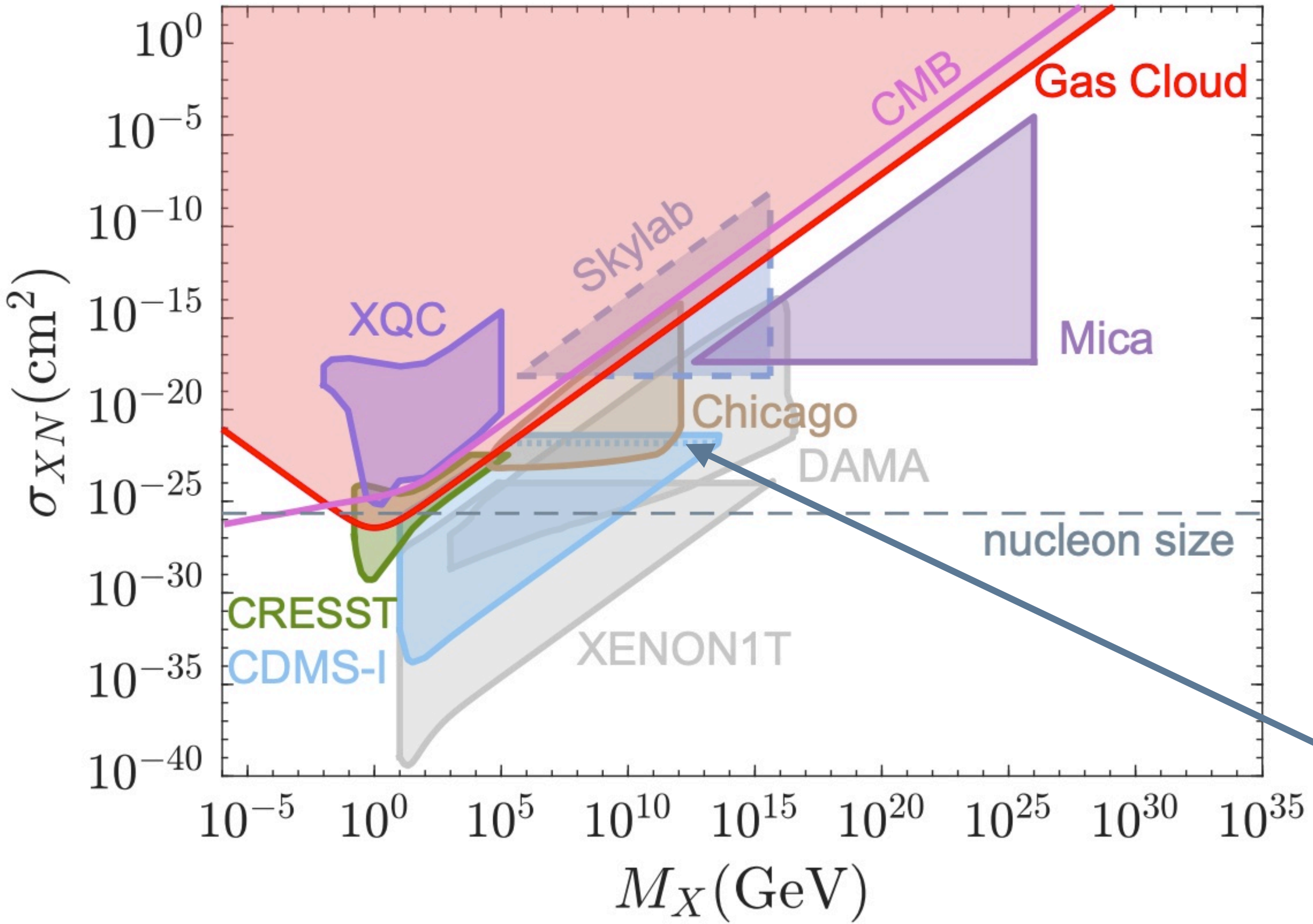
G357.8-4.7-55

- $M = 237 M_{\odot}$
- $r_{gc} = 12.9$ pc
- $n_n = 0.4$ cm⁻³
- T_g [?] < 137 K
- $r_{los} \sim 800$ pc
- $v_g = -54$ km/s

(assume spherical cloud)

2010.07240

HEAVY DM IN GAS CLOUD, NUCLEAR INTERACTIONS



Also update on CDMS-I limit using multi scatter (Muon veto rejects strong interactions)

2010.07240

HEAVY COMPOSITE DM IN GAS CLOUD, LONG-RANGE INTERACTIONS

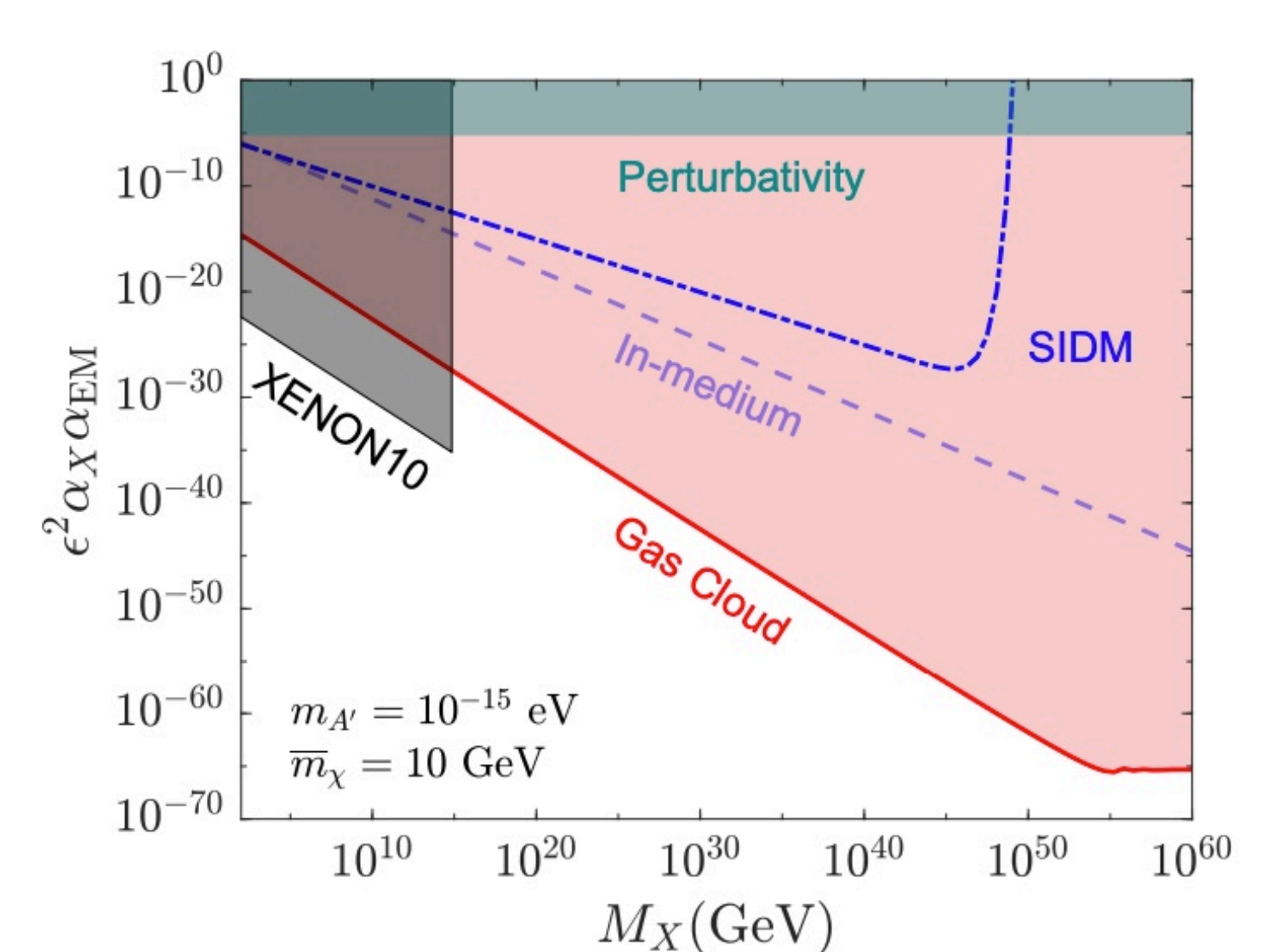
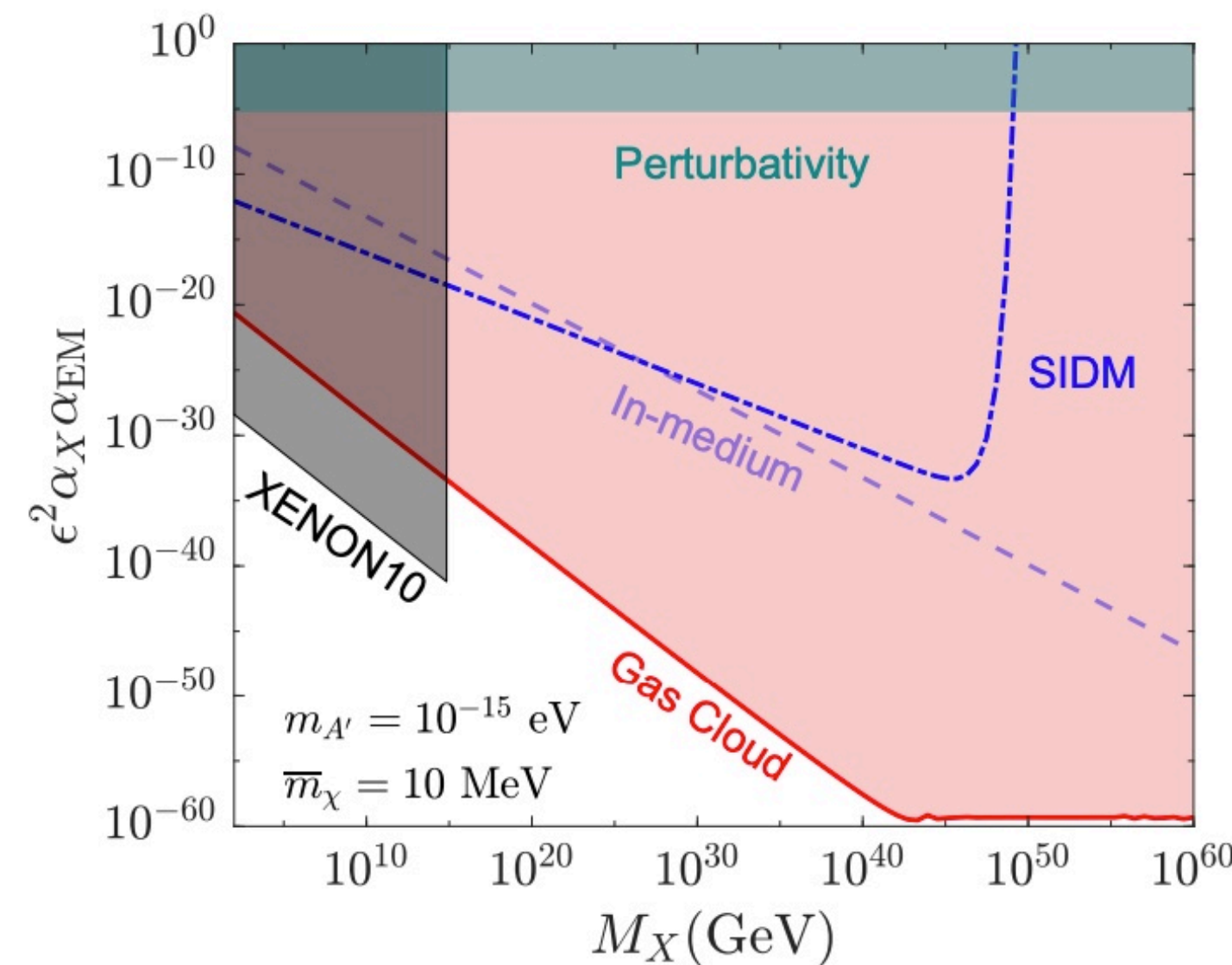
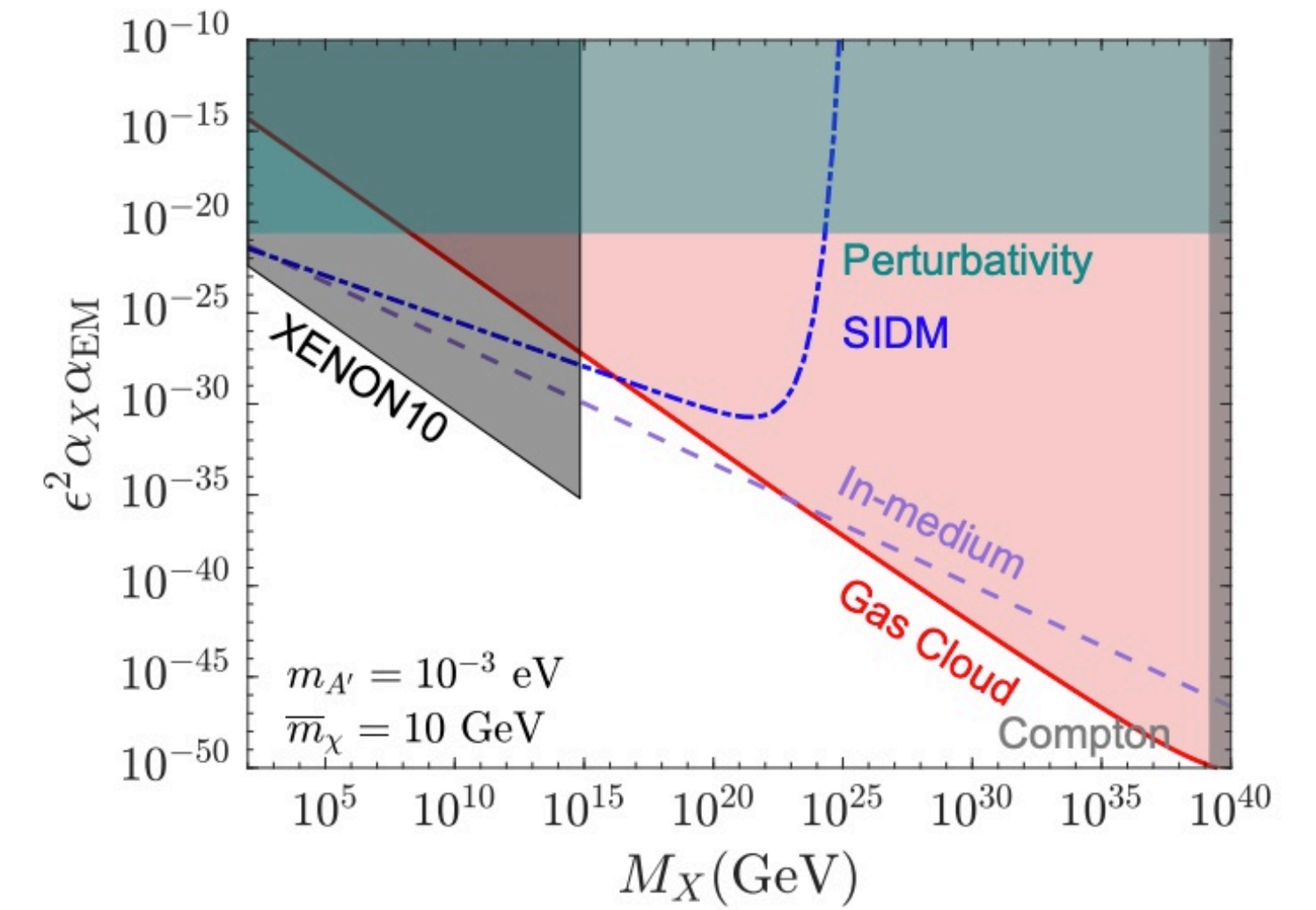
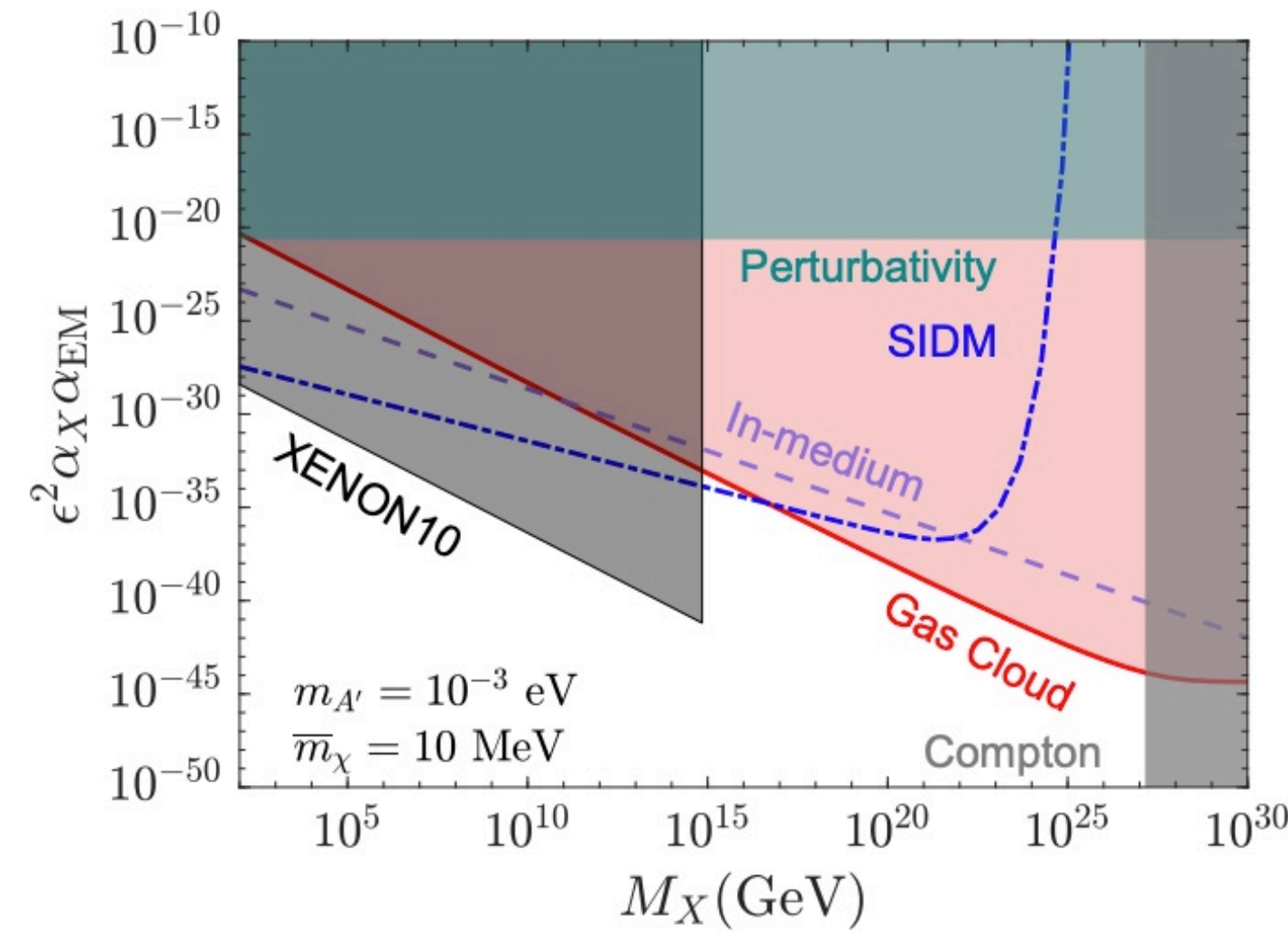
Vector Portal Dark Matter



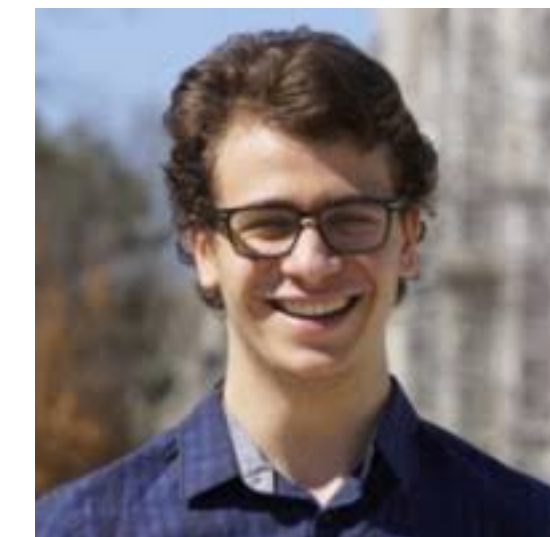
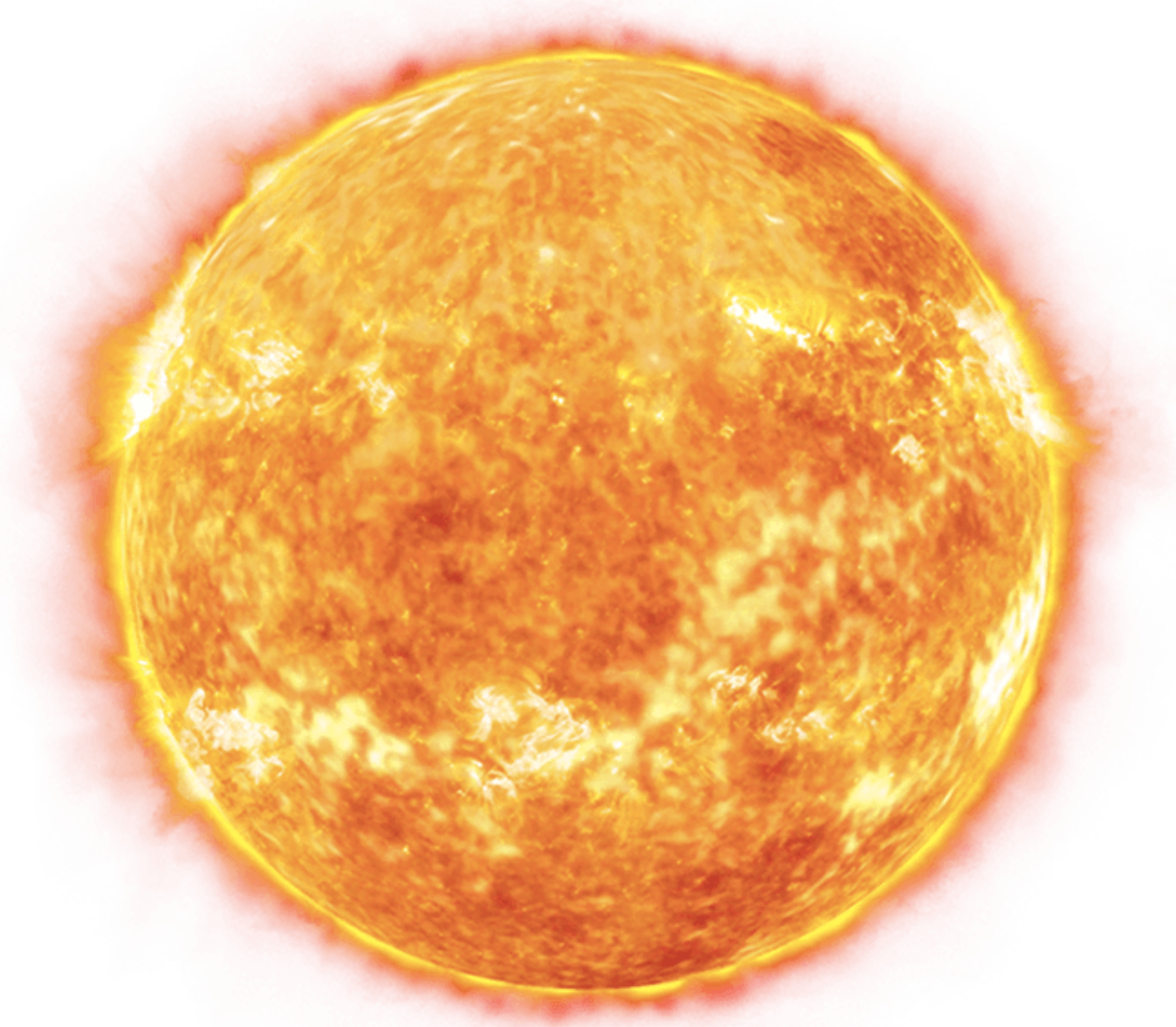
$$\mathcal{L} = \mathcal{L}_{SM} - \frac{1}{2}m_{A'}^2 A'_\mu A'^\mu - \frac{1}{4}F'_{\mu\nu} F'^{\mu\nu} - \frac{\kappa}{2}F_{\mu\nu} F'^{\mu\nu} - g_D A'_\mu \bar{\chi} \gamma^\mu \chi$$

Mediator with a mass, can be applied to millicharged in the nearly massless limit.

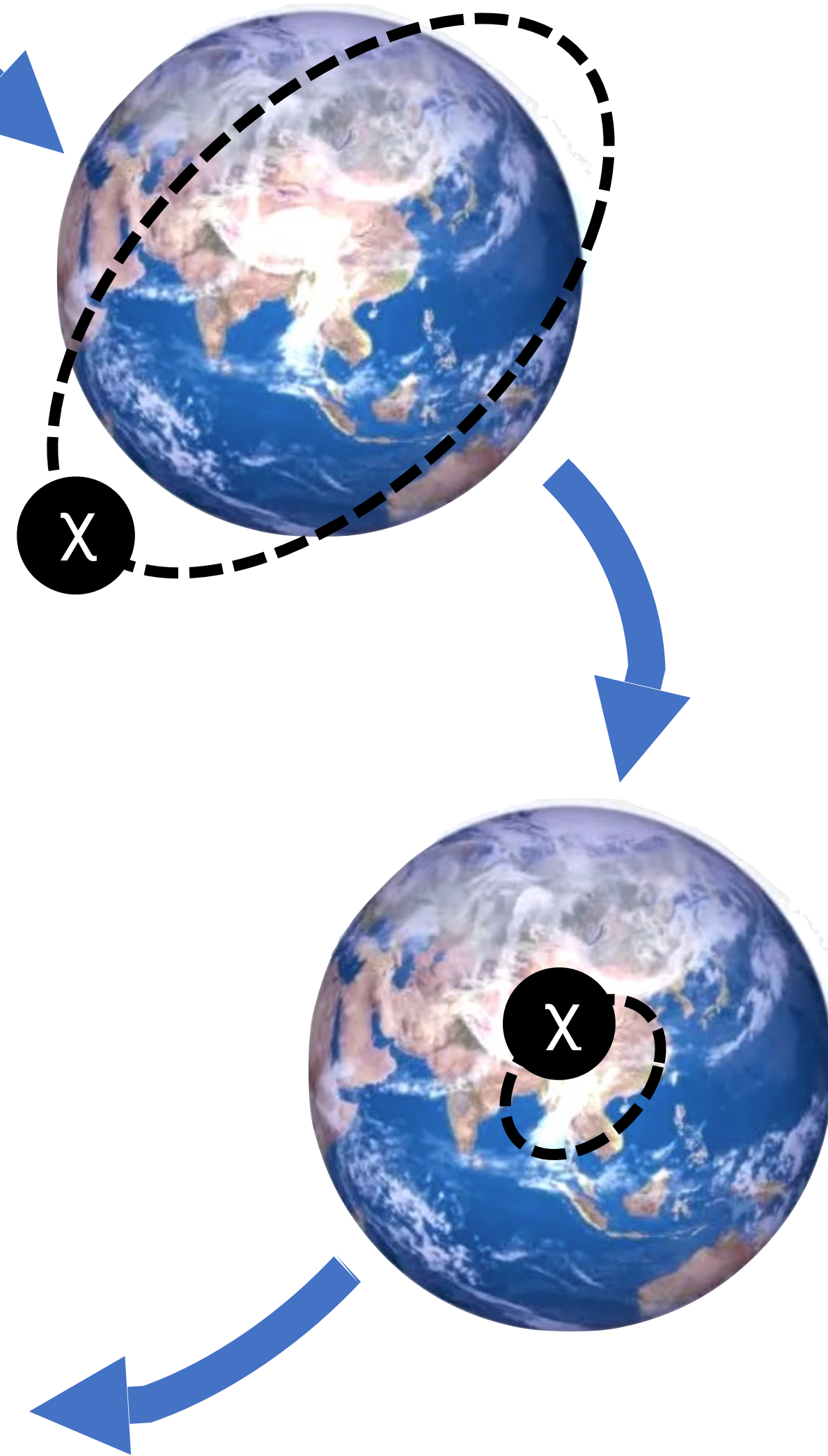
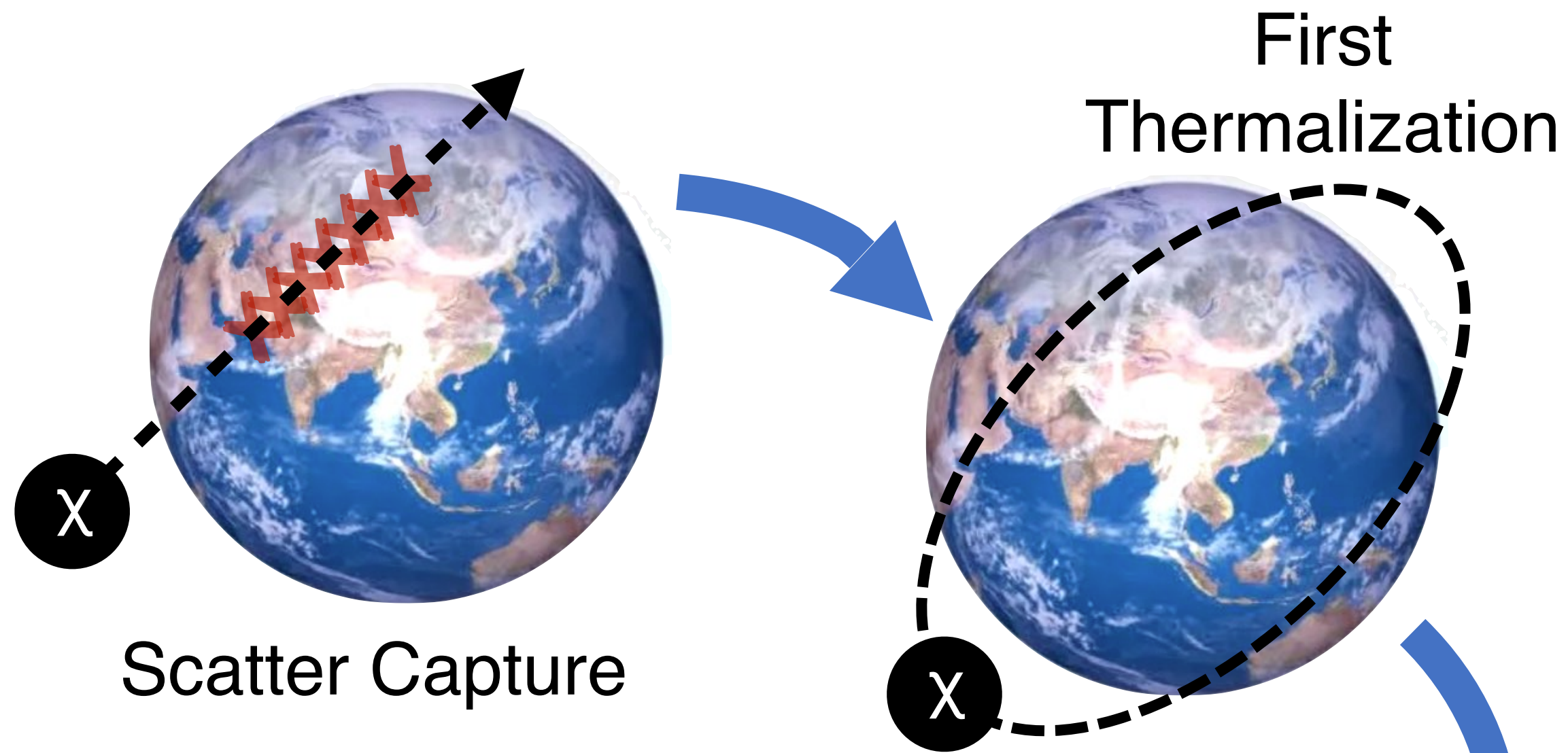
2010.07240



Stars and Planets As Dark Matter Detectors



Special thanks to Alan Goodman



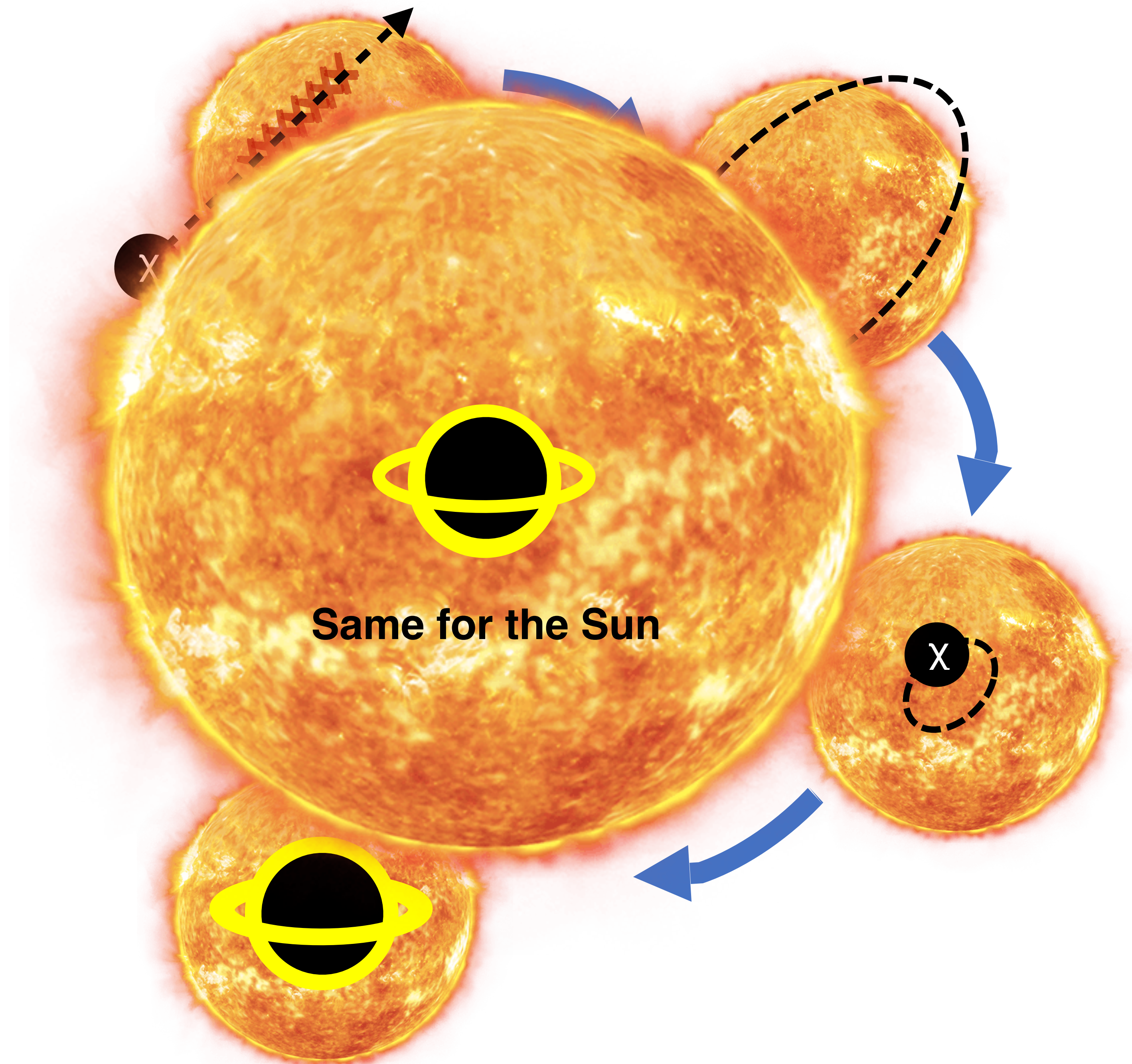
Annihilating DM heats Earth

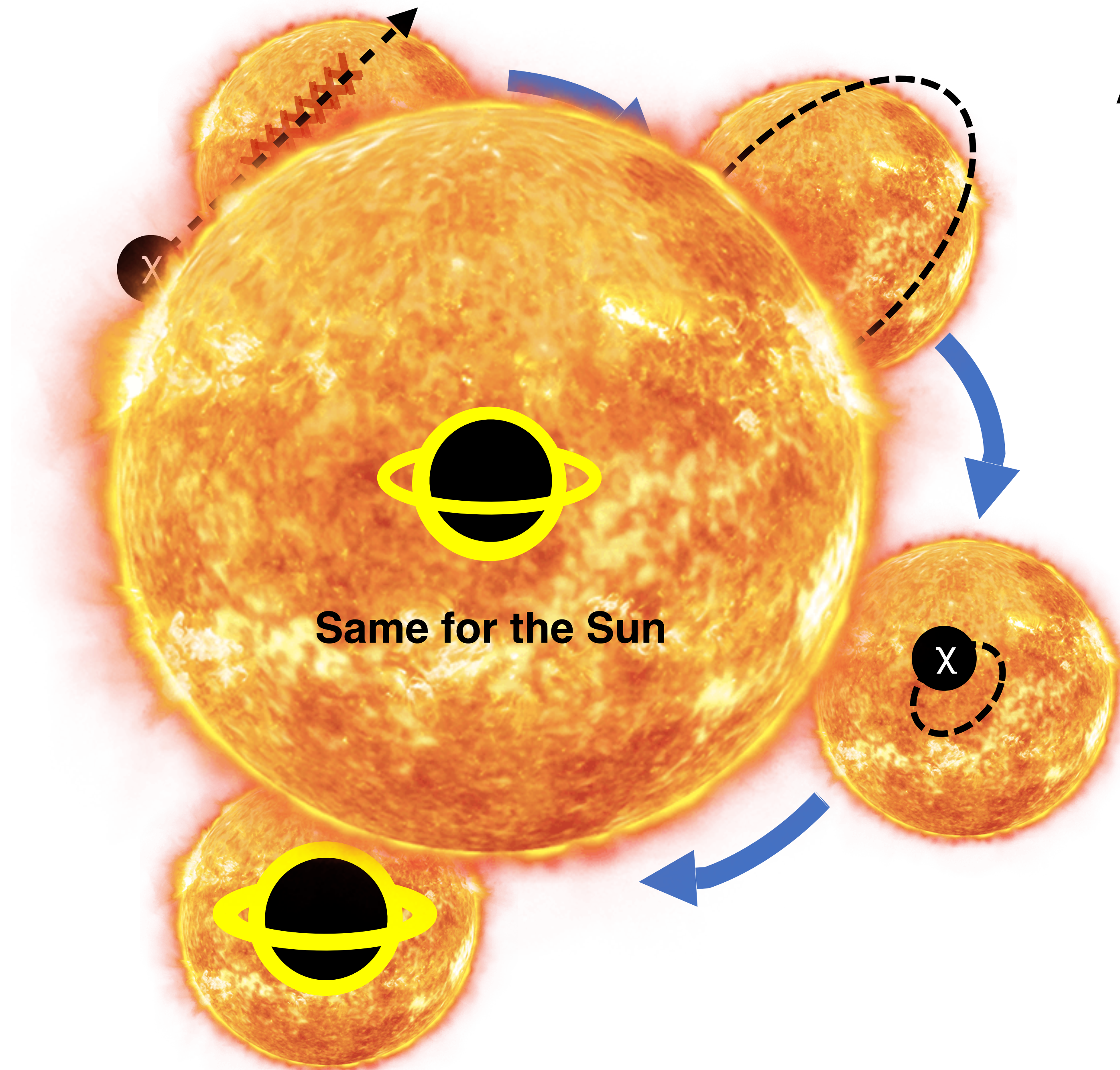


Or

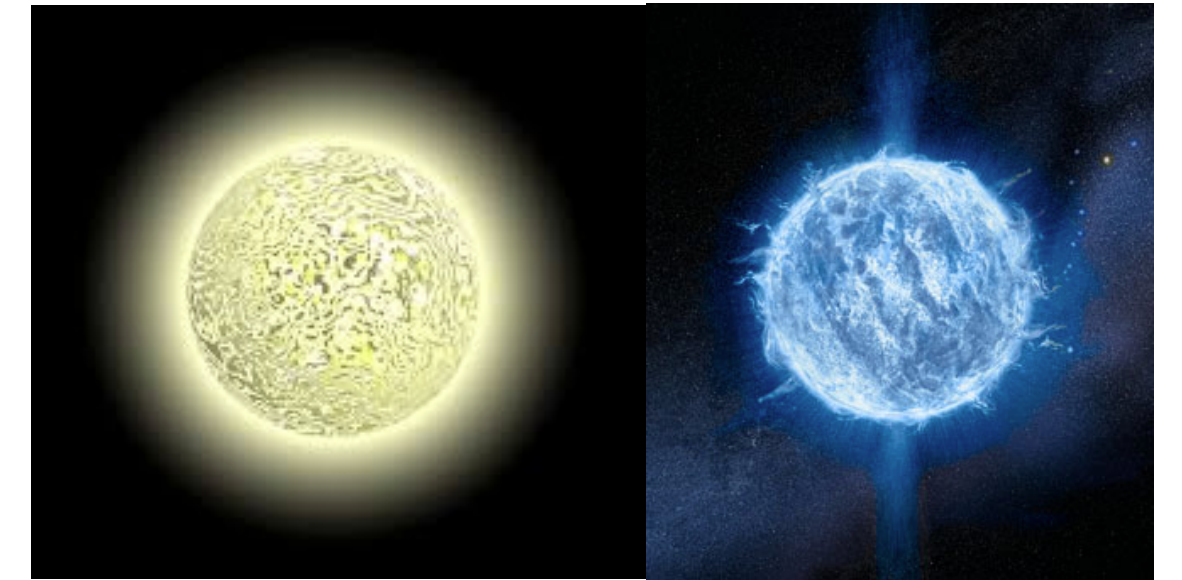
Non-annihilating DM collapses to BH (then heats or eats earth)

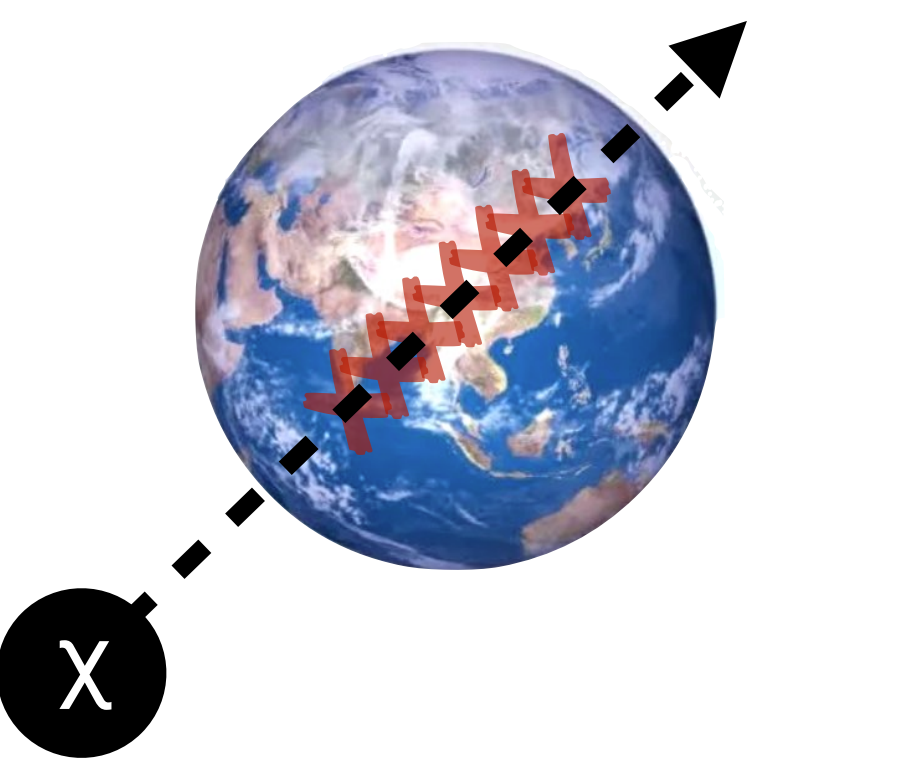




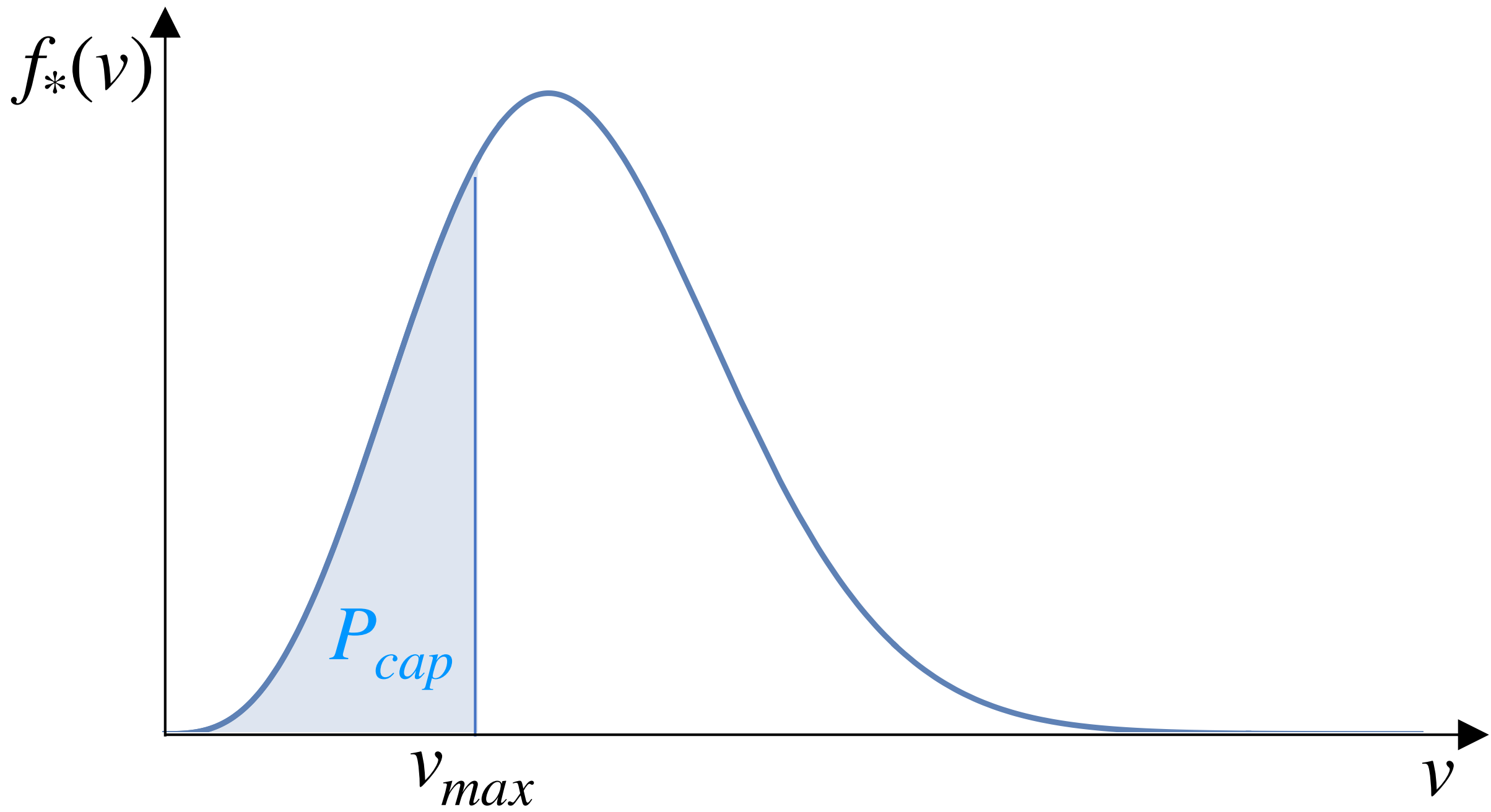


**And White Dwarfs and
Neutron stars**



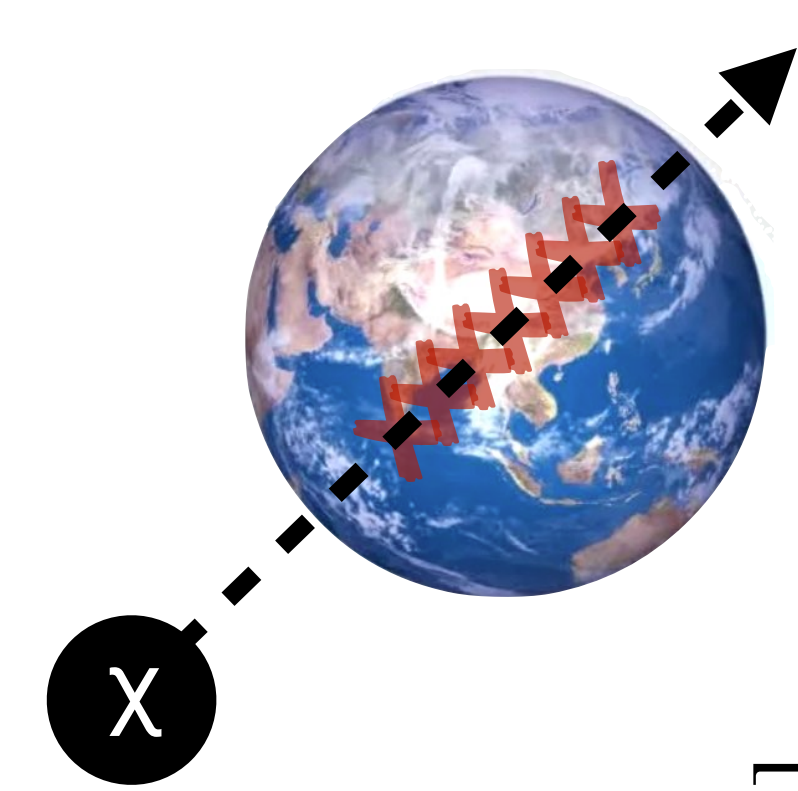


For high mass DM, need proper Earth frame DM distribution, since capture can be dominated by low-velocity DM

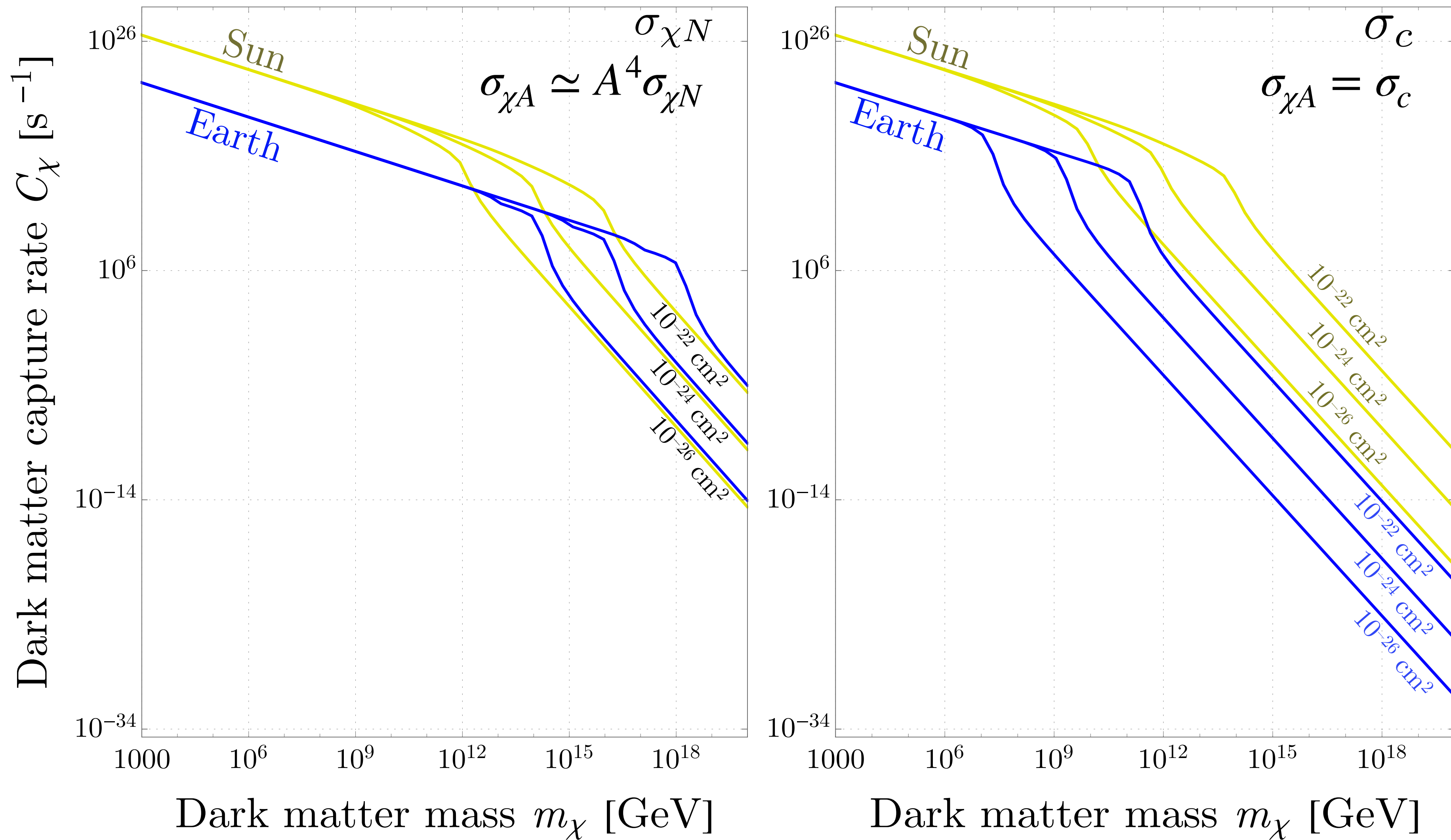


$$f_*(v) \sim \int_{-1}^1 d \cos \phi (v^2 - v_e^2)^{3/2} \exp\left(-\frac{\tilde{v}^2}{v_0^2}\right) \Theta(v - v_e) \Theta(v_{eg} - \tilde{v})$$

Ensures all DM is slower than the galactic escape velocity, $v_{eg} = 528$ km/s, but faster than Earth's escape velocity



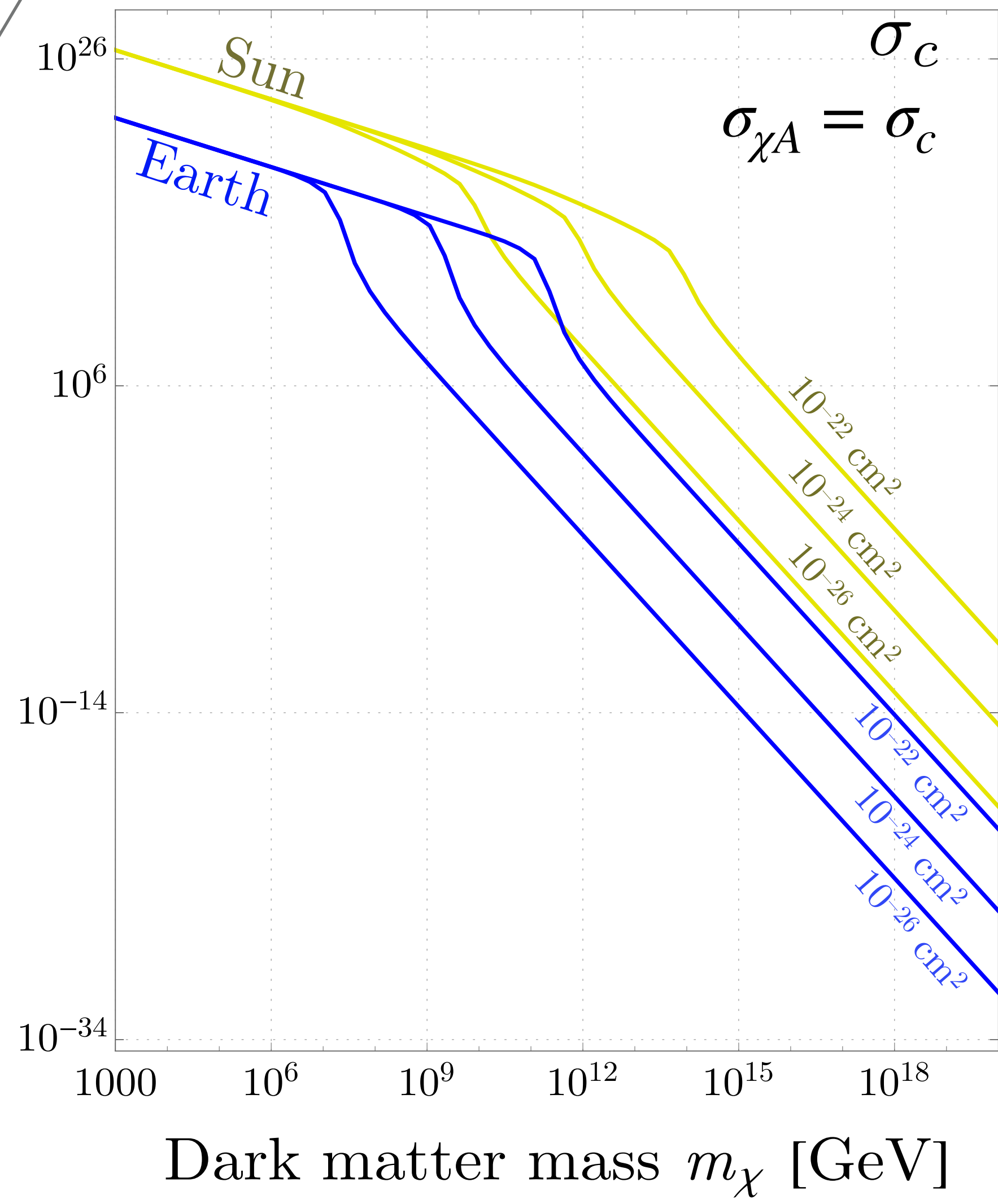
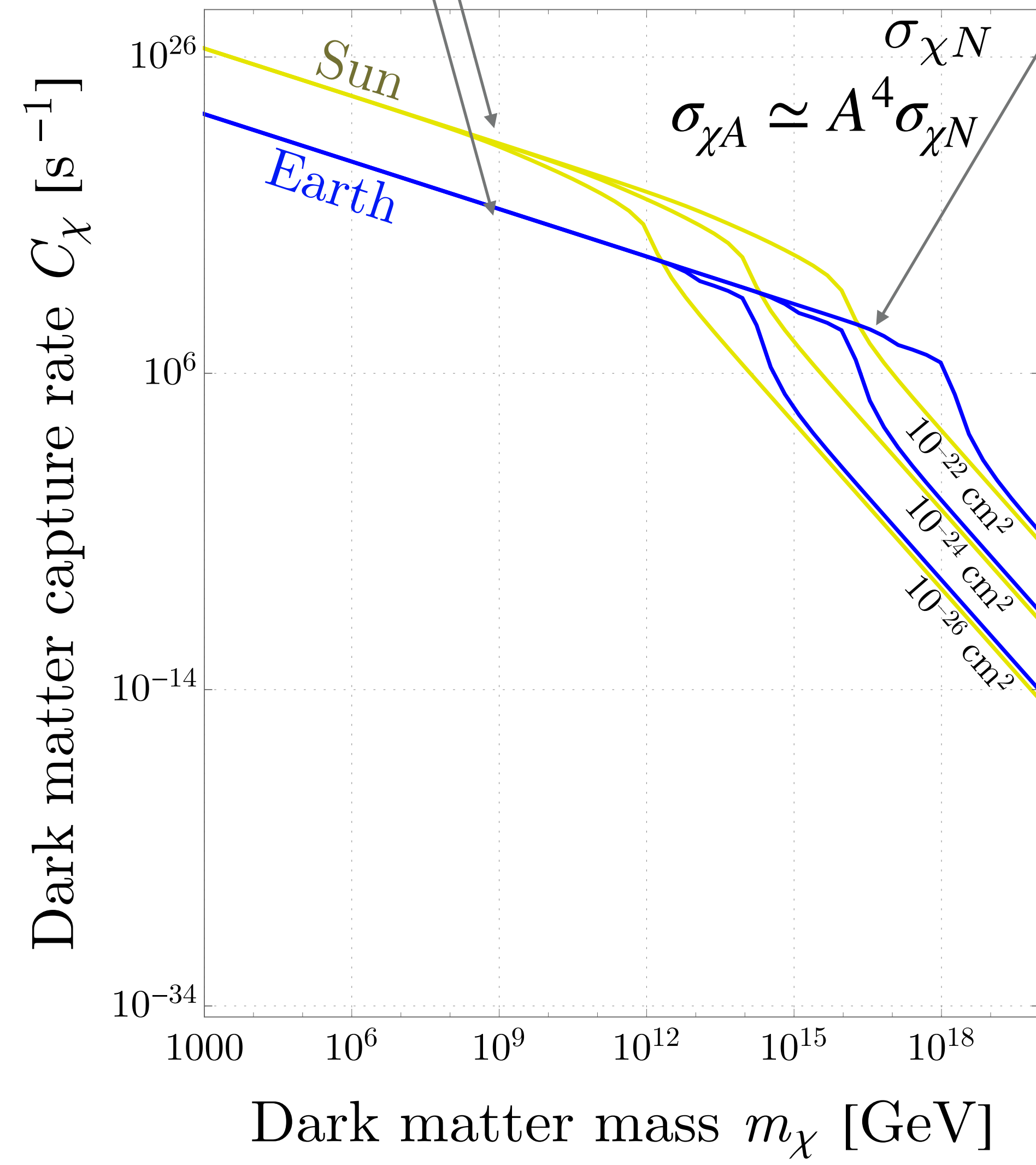
$$C_\chi(m_\chi, \sigma) = 4\pi R_\oplus^2 \langle v_\chi \rangle \frac{\rho_\chi}{m_\chi} P_{cap}(m_\chi, \sigma)$$





Single Scatter Capture

Multi Scatter Capture

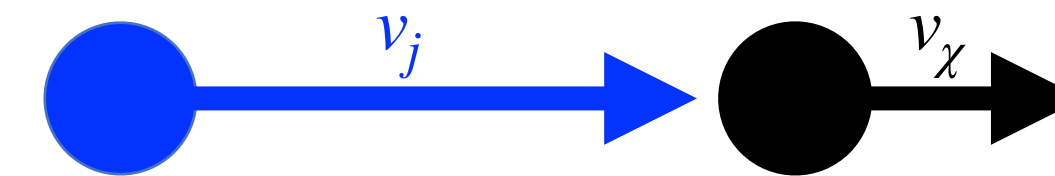




Thermal velocity of nuclei $v_j \simeq \sqrt{\frac{3T_{\oplus}}{m_j}}$

$\left(\frac{dE}{dt}\right)_{in} \simeq -\rho_j \sigma_{\chi j} v_{\chi}^3$ 'inertial' regime $v_{\chi} \gg v_j$

$\left(\frac{dE}{dt}\right)_{vis} \simeq -\rho_j \sigma_{\chi j} v_j v_{\chi}^2$ 'viscous' regime $v_{\chi} \ll v_j$



$\left(\frac{dE}{dt}\right)_{vis} \ll \left(\frac{dE}{dt}\right)_{in} \longrightarrow$ **Use viscous regime scaling, gives longest thermalization time**

“Sphere” of DM particles in the Earth settle at thermal radius:

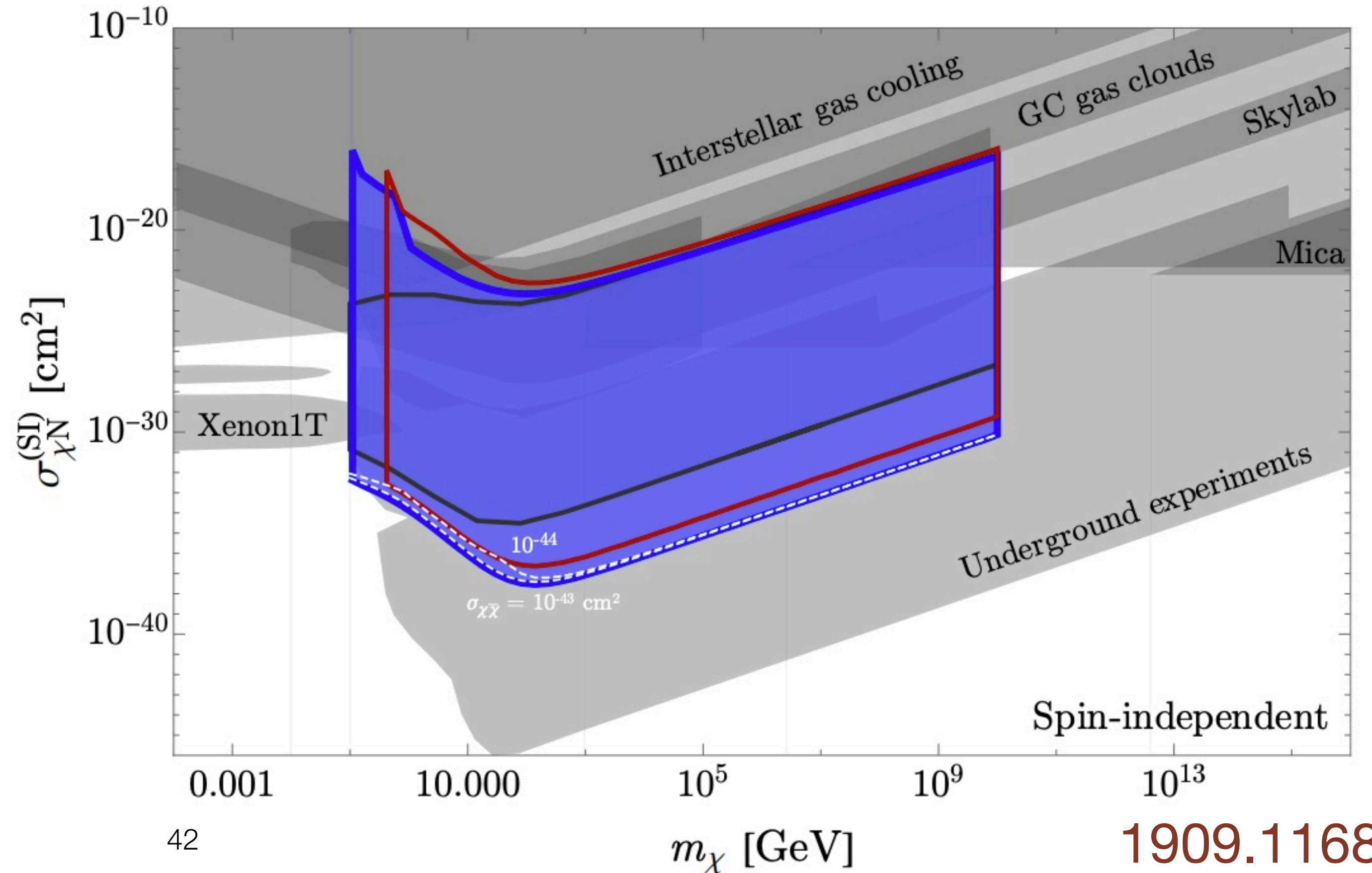
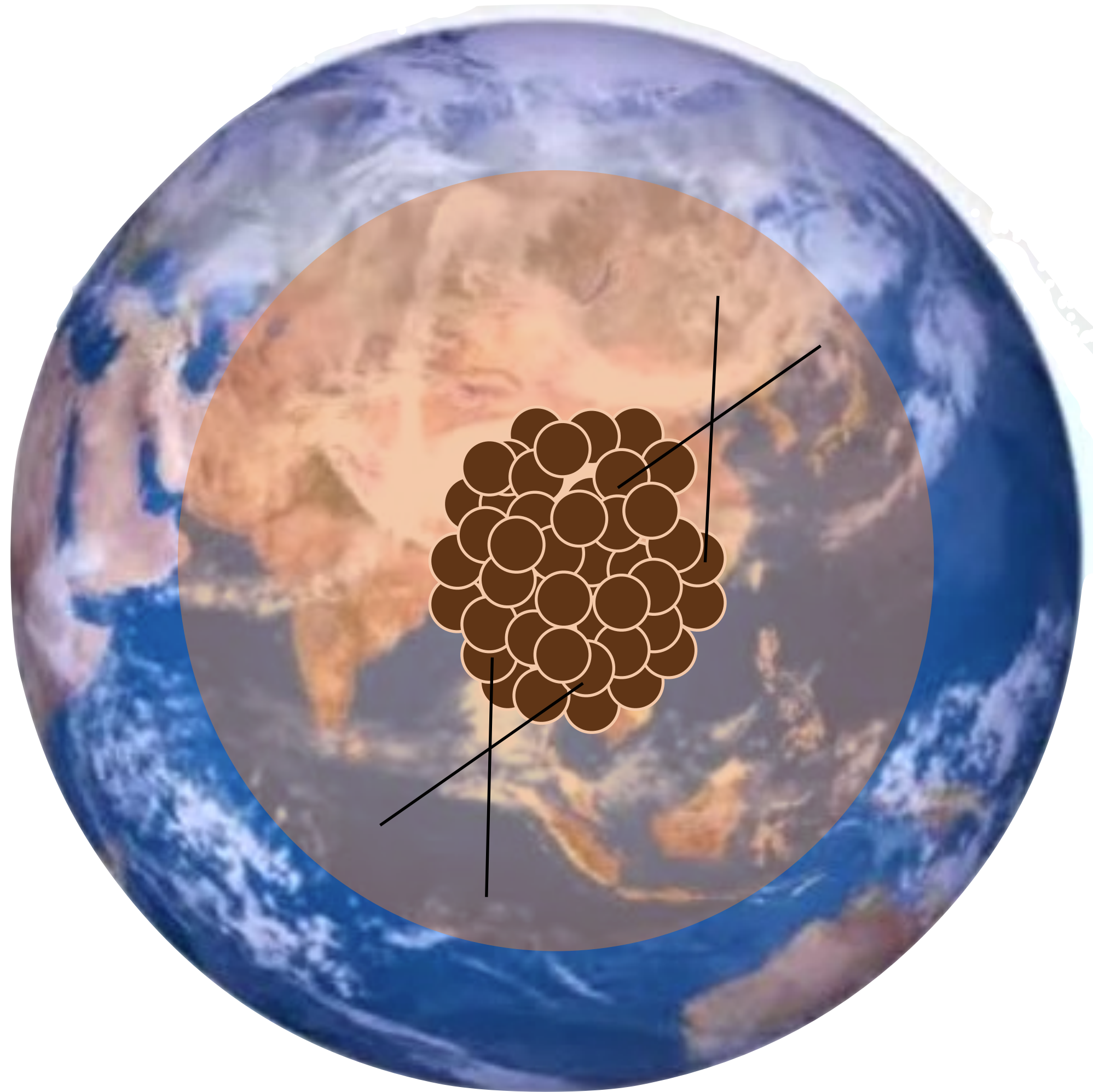
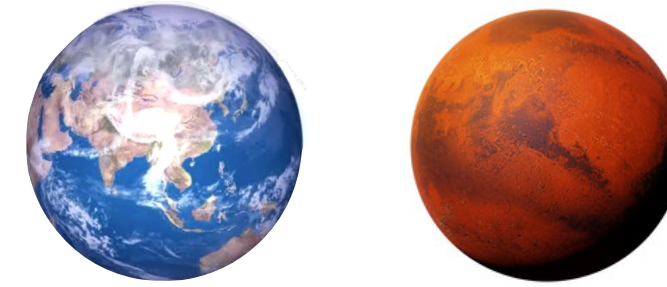
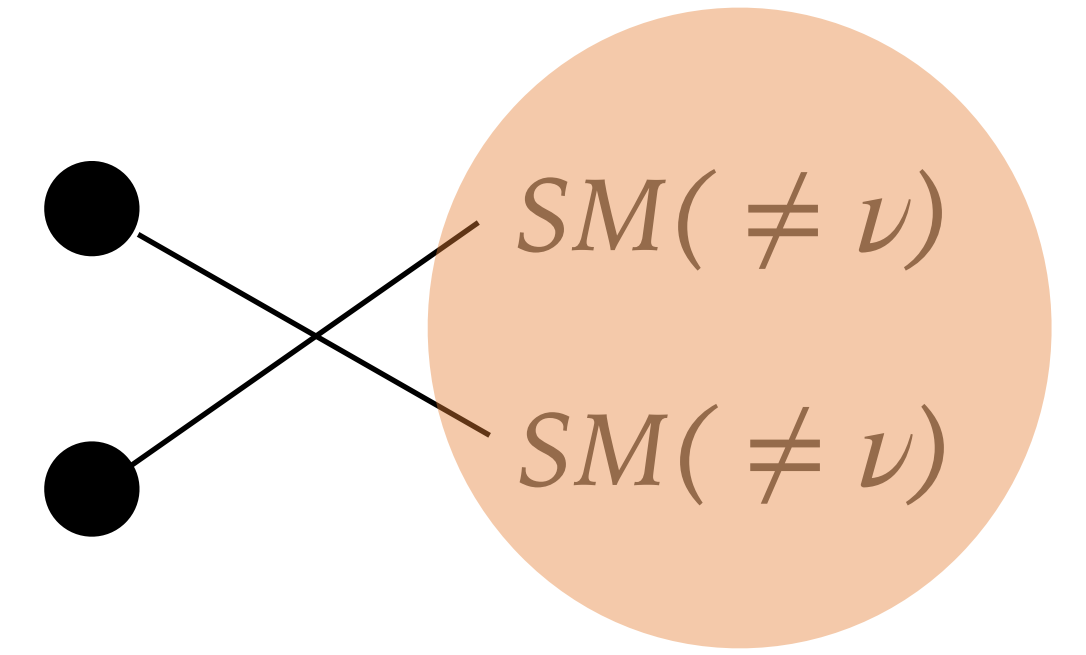
$$\langle E_k \rangle \simeq -2\langle V \rangle \longrightarrow r_{th} = \sqrt{\frac{9T_{\oplus}}{4\pi G\rho_{\oplus}m_{\chi}}} \lesssim \mathcal{O}(\text{km})$$



Sphere of DM particles in the Earth settle at thermal radius:

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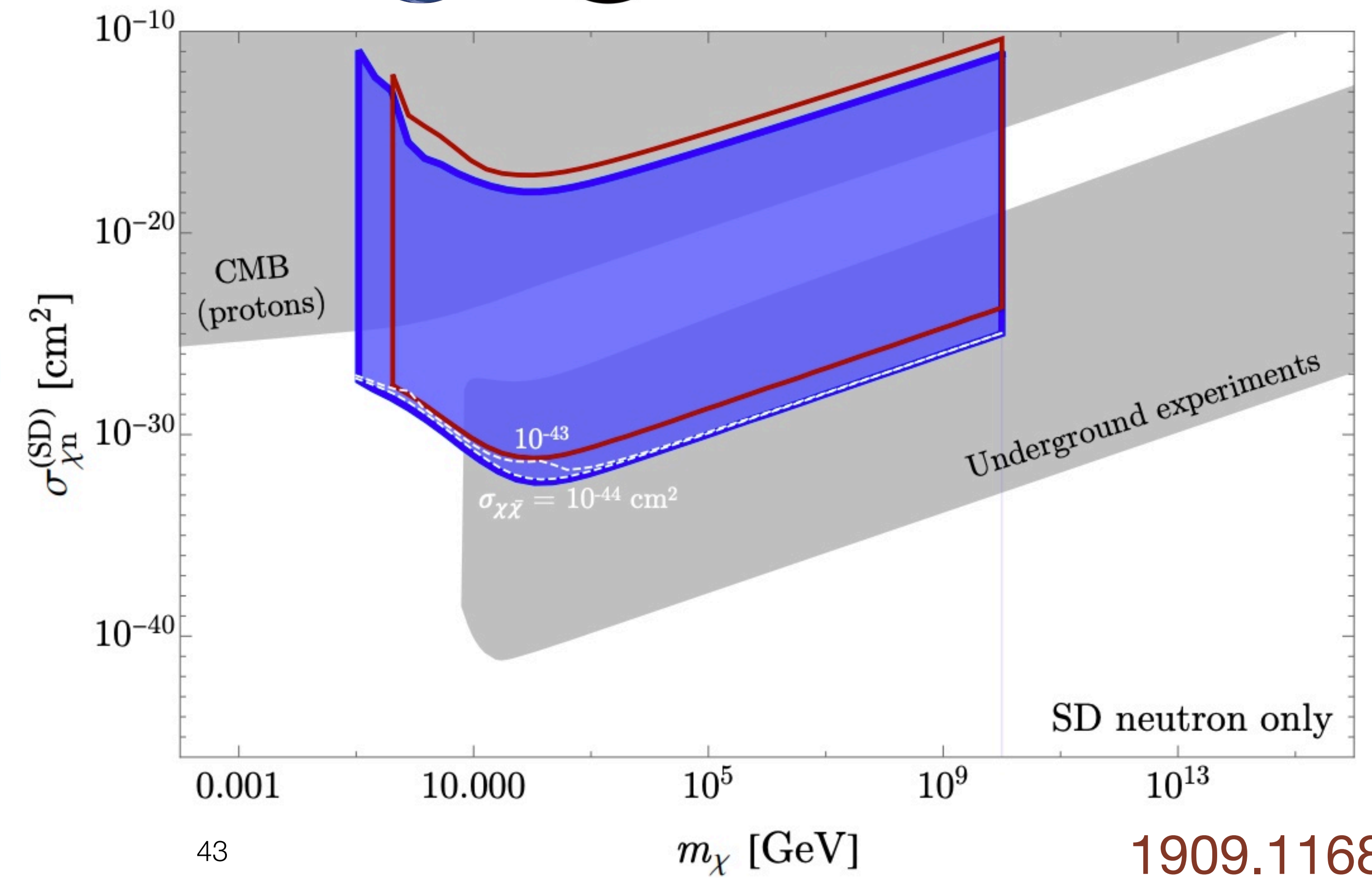
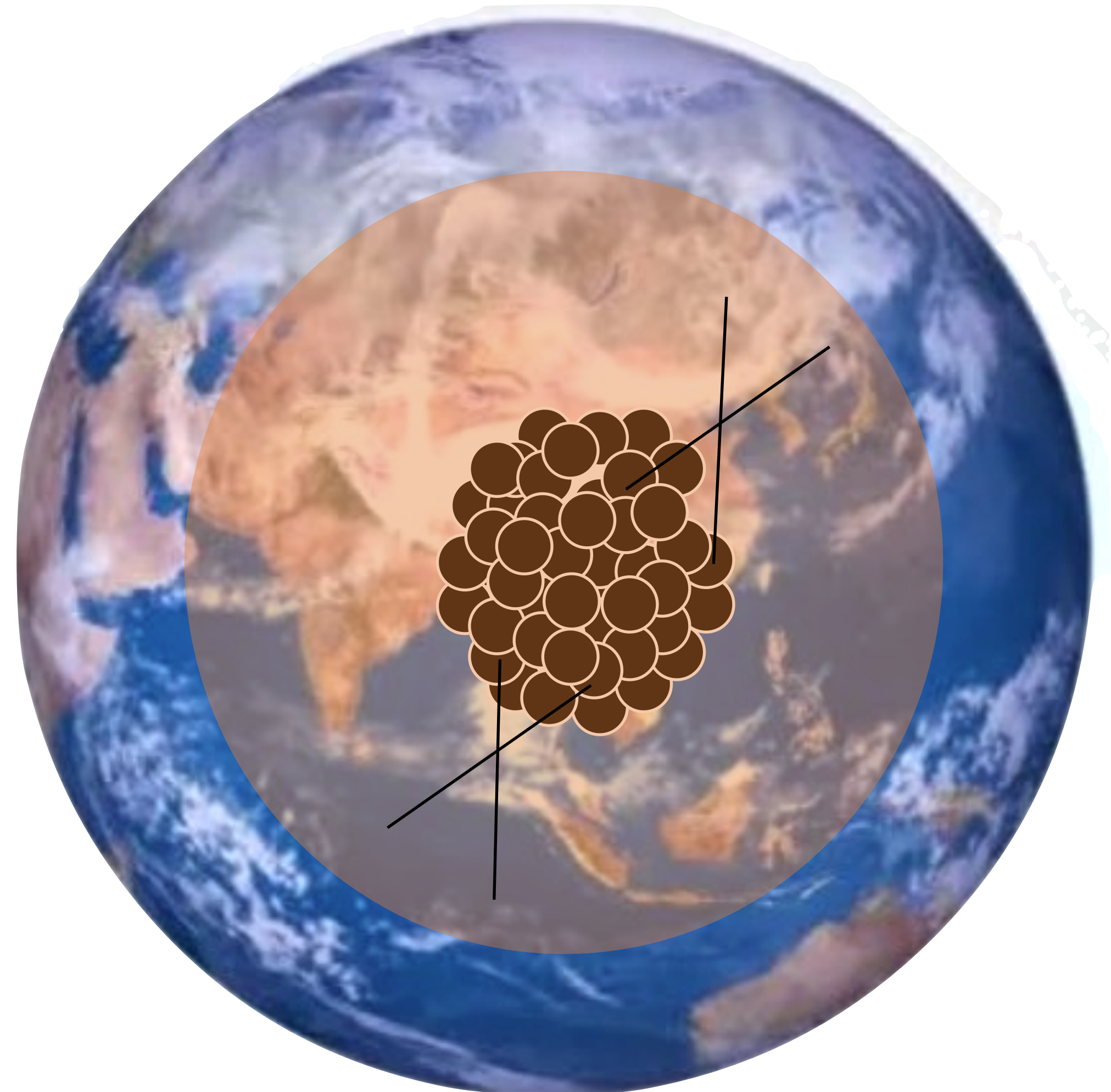
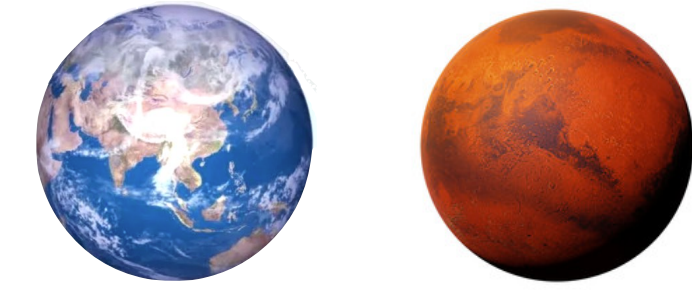
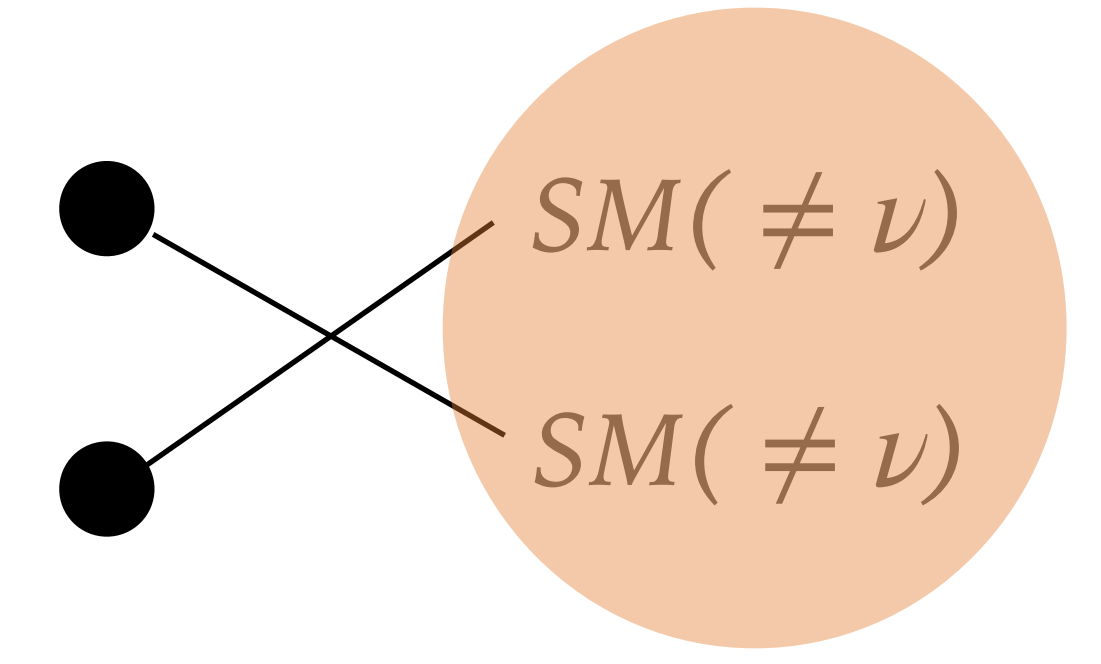
If they annihilate:
Earth/Martian heating!



Sphere of DM particles in the Earth settle at thermal radius:

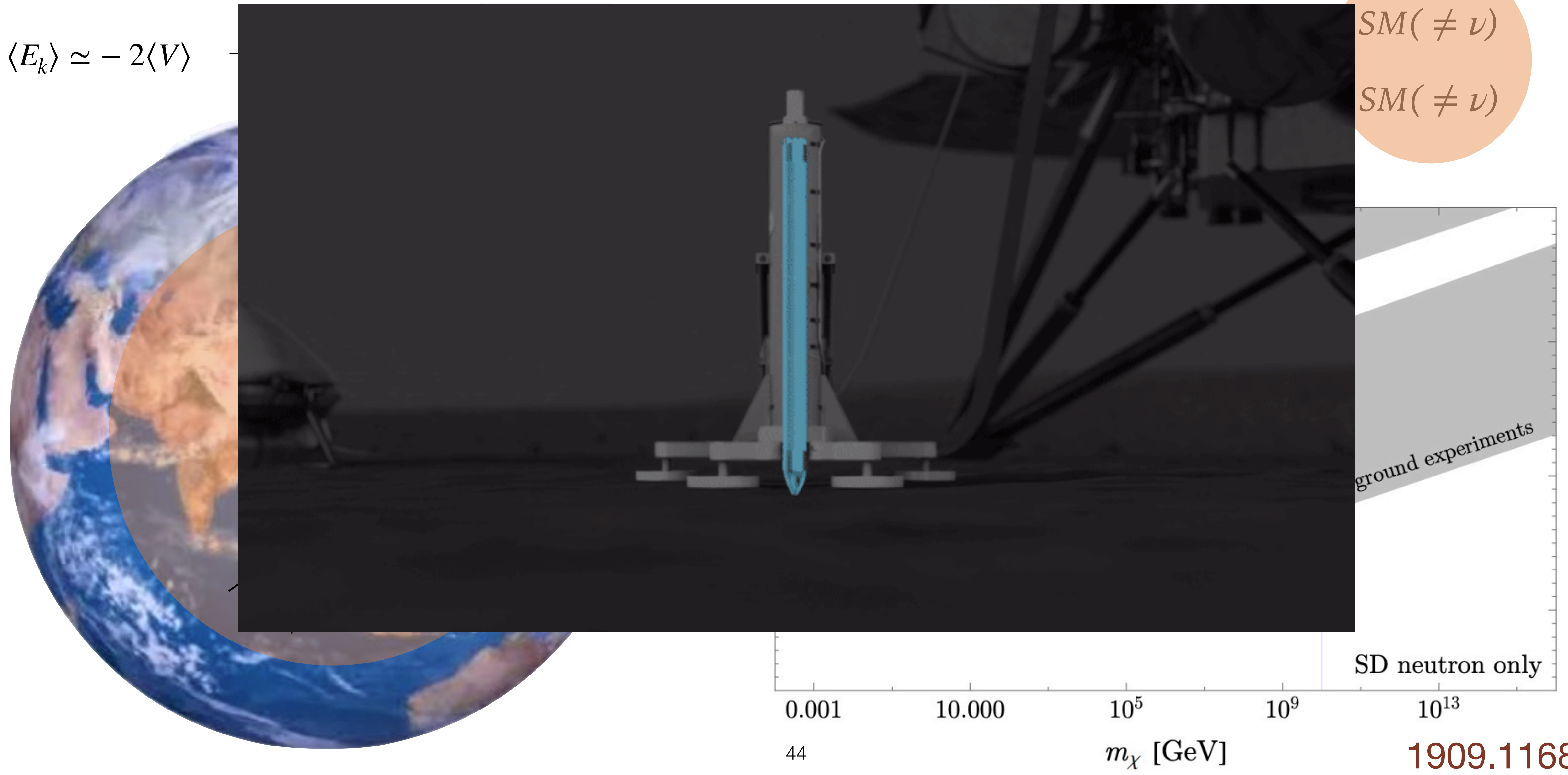
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If they annihilate:
Earth/Martian heating!



“Sphere” of DM particles in the Earth settle at thermal radius:

$$\langle E_k \rangle \simeq -2\langle V \rangle$$



SM ($\neq \nu$)

SM ($\neq \nu$)

ground experiments

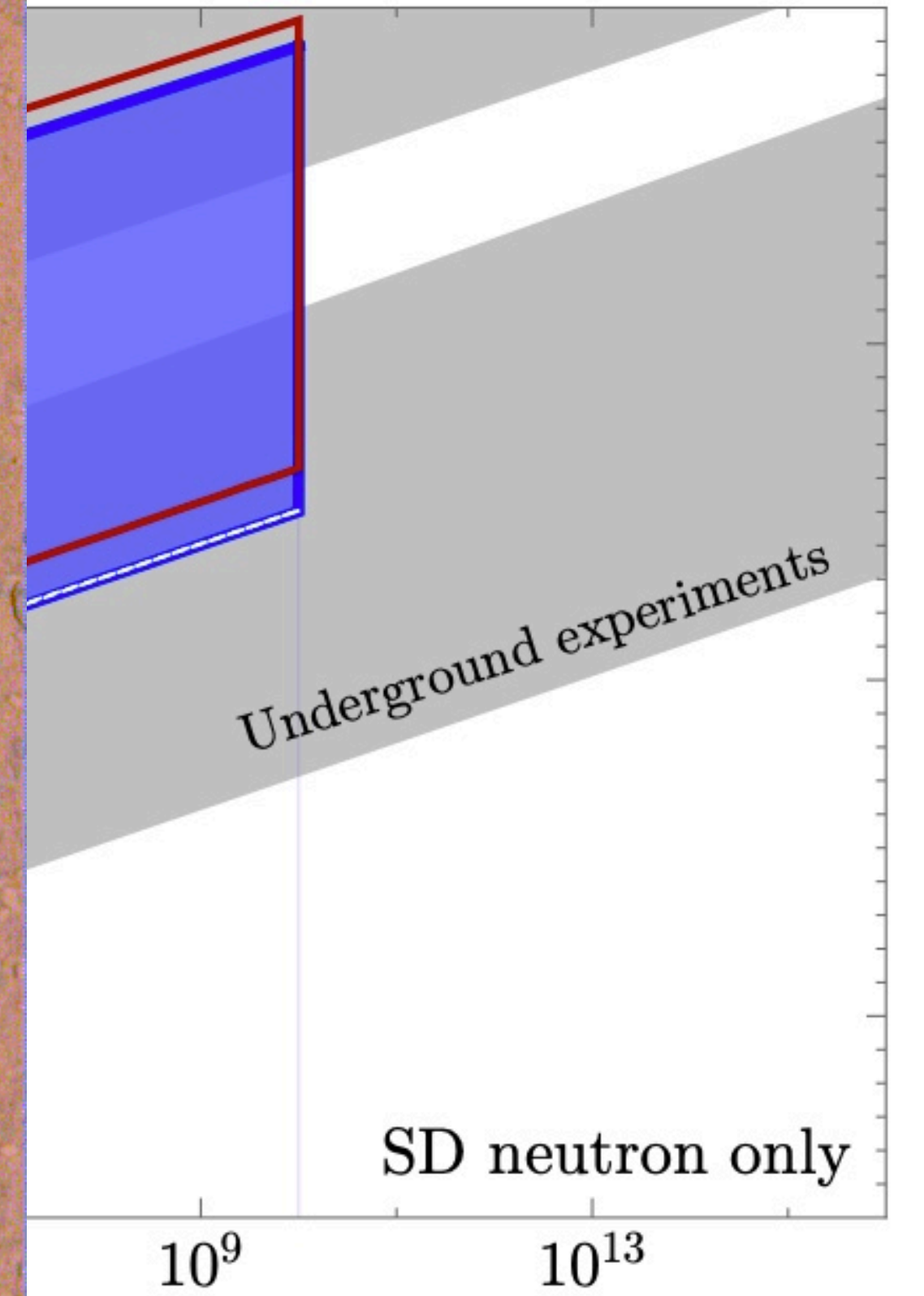
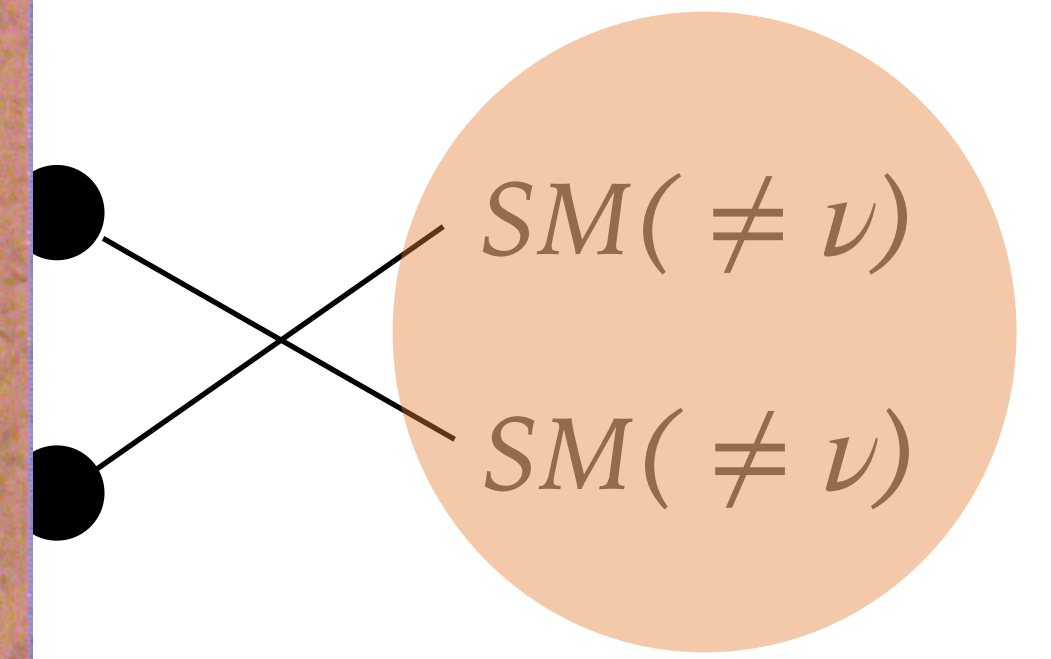
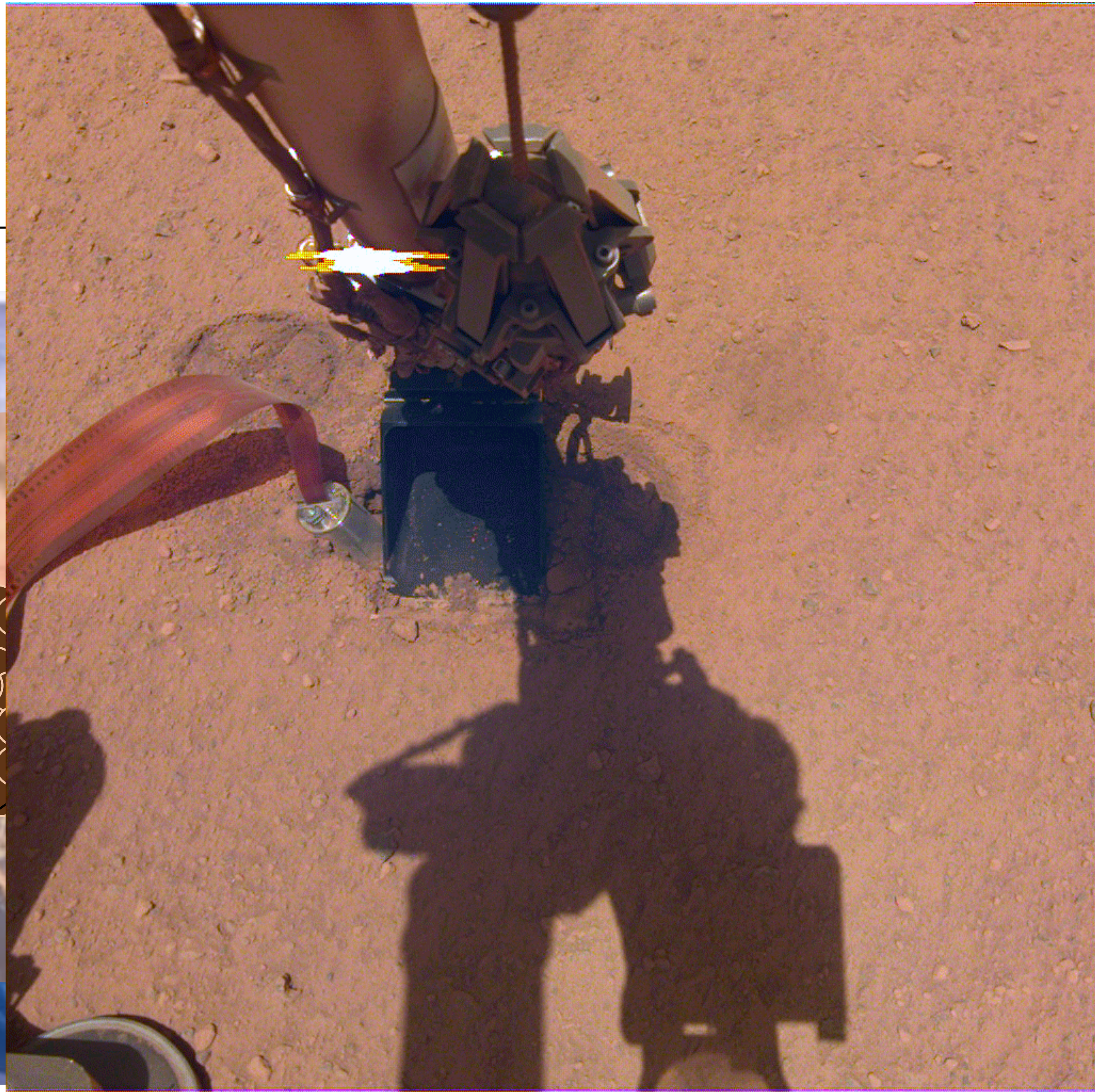
SD neutron only

0.001 10.000 10^5 10^9 10^{13}

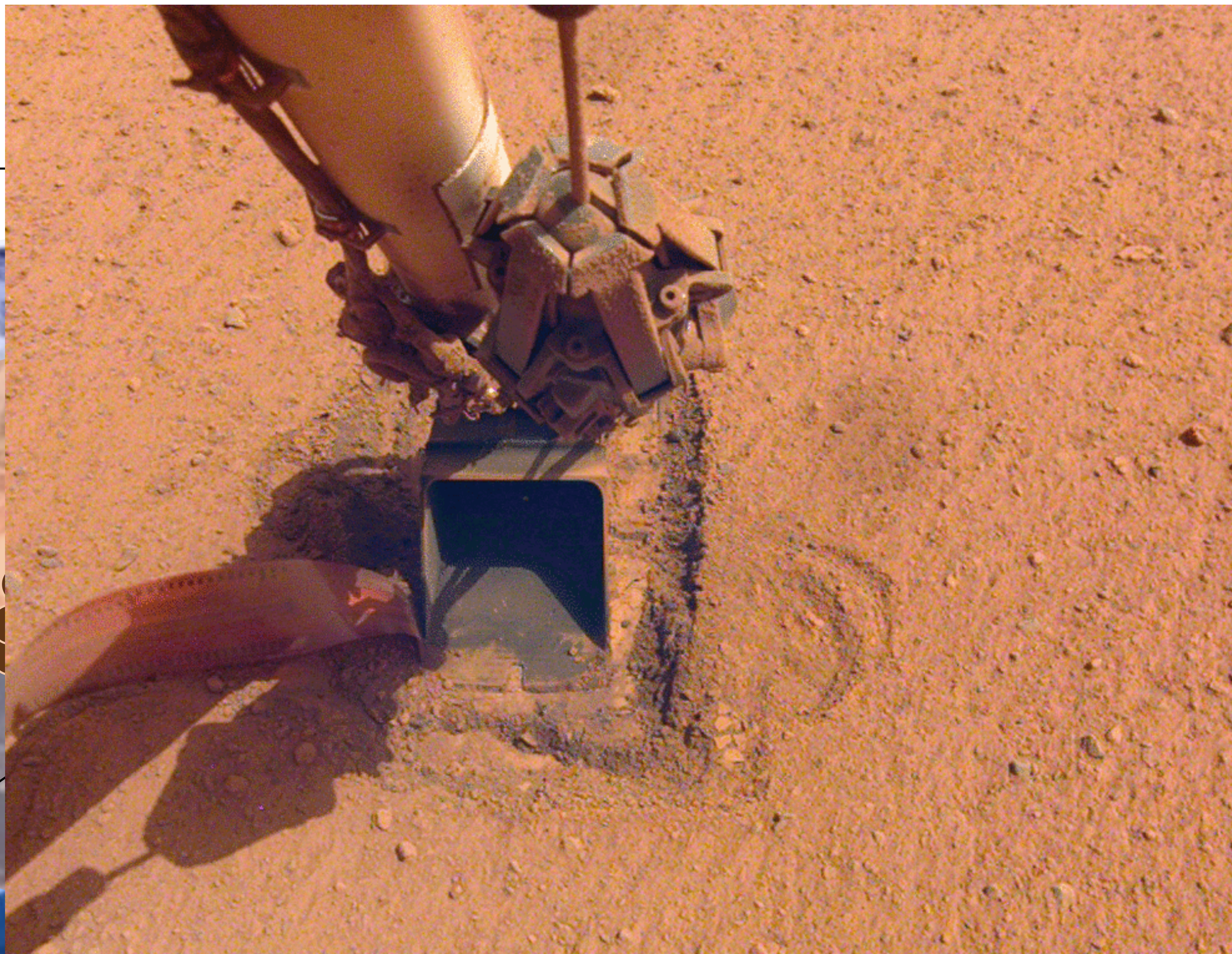
m_χ [GeV]

1909.11683

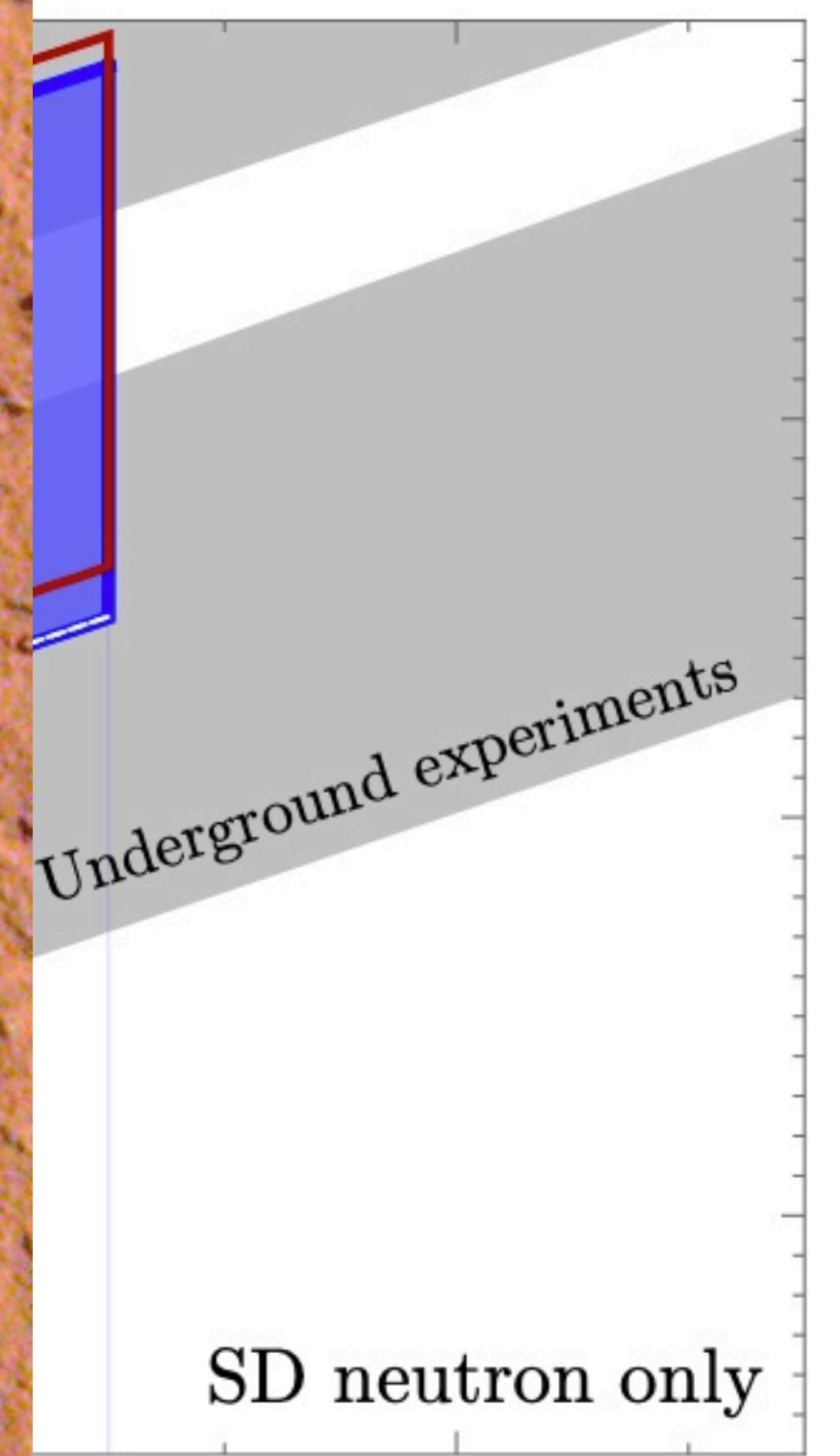
$$\langle E_k \rangle \simeq -2\langle V \rangle$$



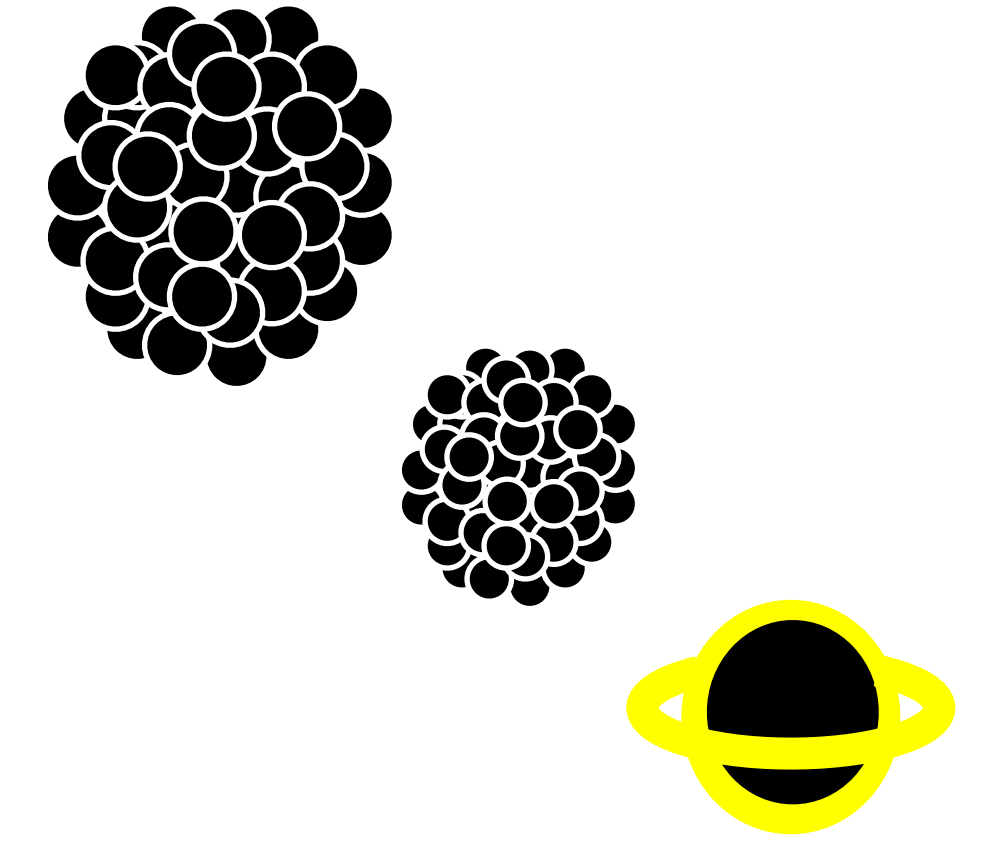
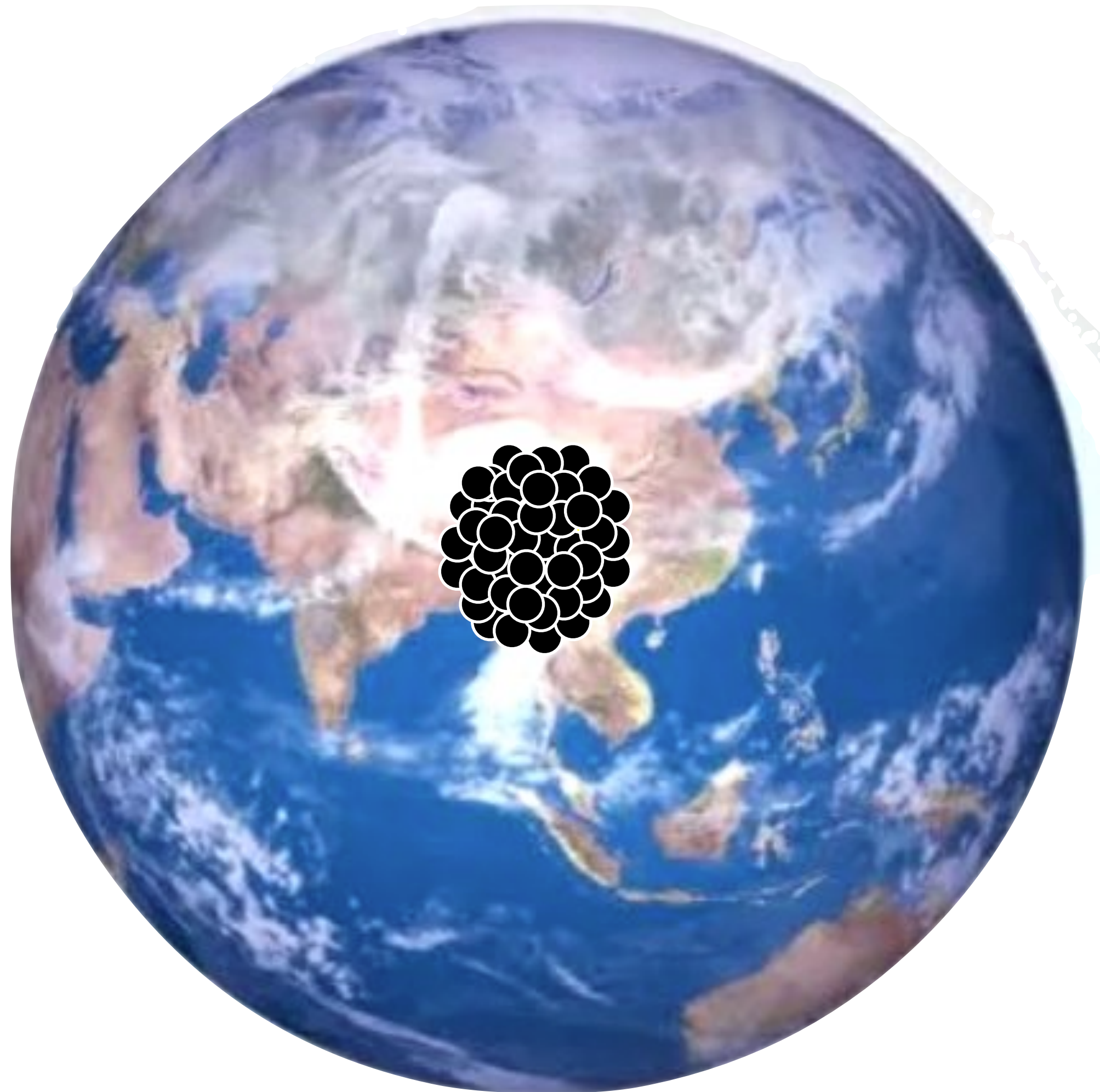
$$\langle E_k \rangle \simeq -2\langle V \rangle$$



$SM(\neq \nu)$
 $SM(\neq \nu)$



If they don't annihilate: collapse!



Jeans instability condition:

$$\rho_\chi \gtrsim \rho_\oplus$$

Self-gravitating condition:

$$M_{cap} \gtrsim \sqrt{\frac{3T_\oplus^3}{\pi G^3 m_\chi^3 \rho_\oplus}} = M_{sg}$$

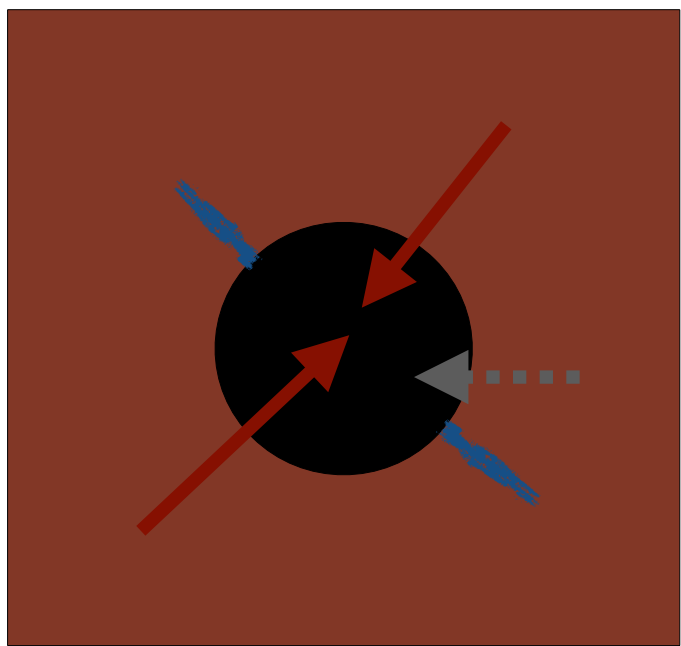
Fermi degeneracy condition:

$$M_{cap} \gtrsim \frac{M_{pl}^3}{m_\chi^2} = M_f$$

Critical mass for collapse:

$$M_{crit} = \max(M_f, M_{sg})$$

BH evolution



$$\frac{dM_{BH}}{dt} \simeq B \times M_{BH}^2 - \frac{H}{M_{BH}^2} + C \leftarrow \dots$$

Bondi Accretion:

- Causes BH to grow
- Larger for larger black holes (lighter DM)

Hawking radiation:

- Causes BH to shrink
- Larger for smaller BHs (heavier DM)

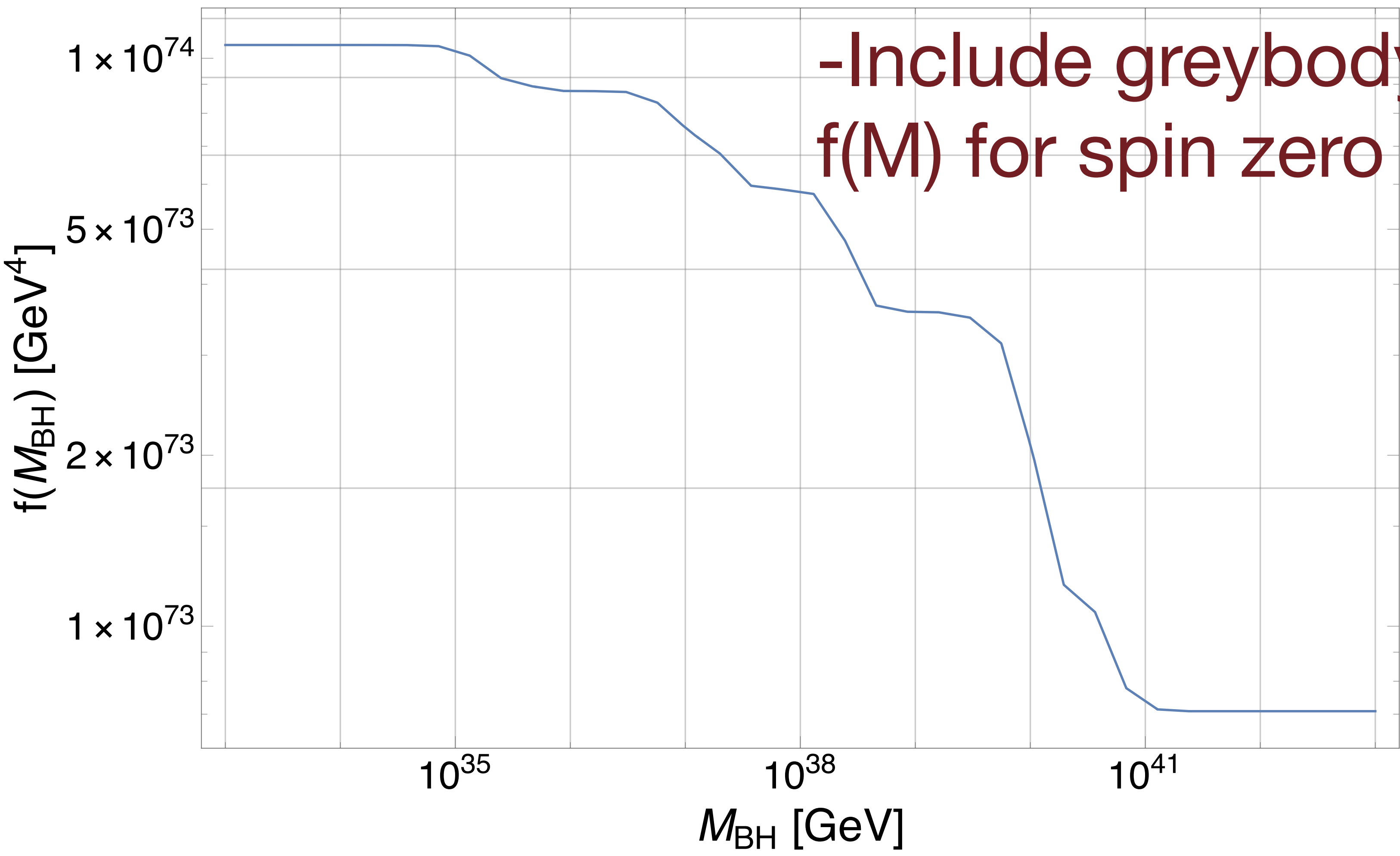
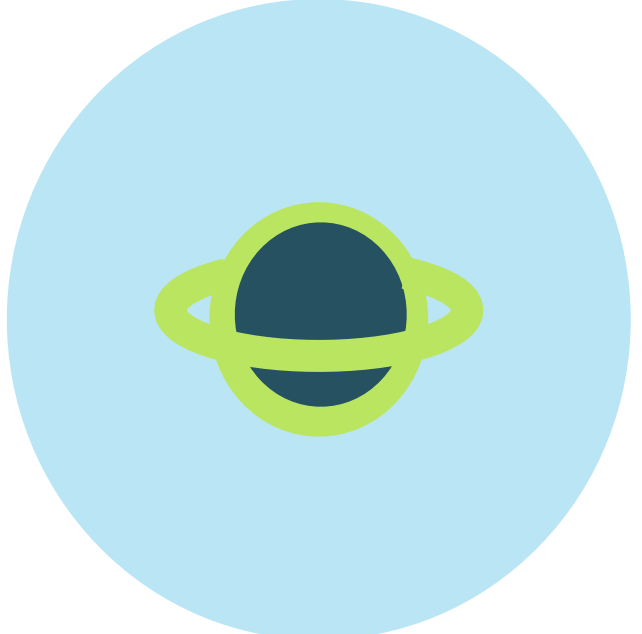
Dark Matter Accretion:

- Causes BH to grow
- Independent of DM or BH mass
- Has a maximum value of $m_\chi \Phi_\chi \simeq 3000 \text{ TW} \simeq 10^{25} \text{ GeV/s}$

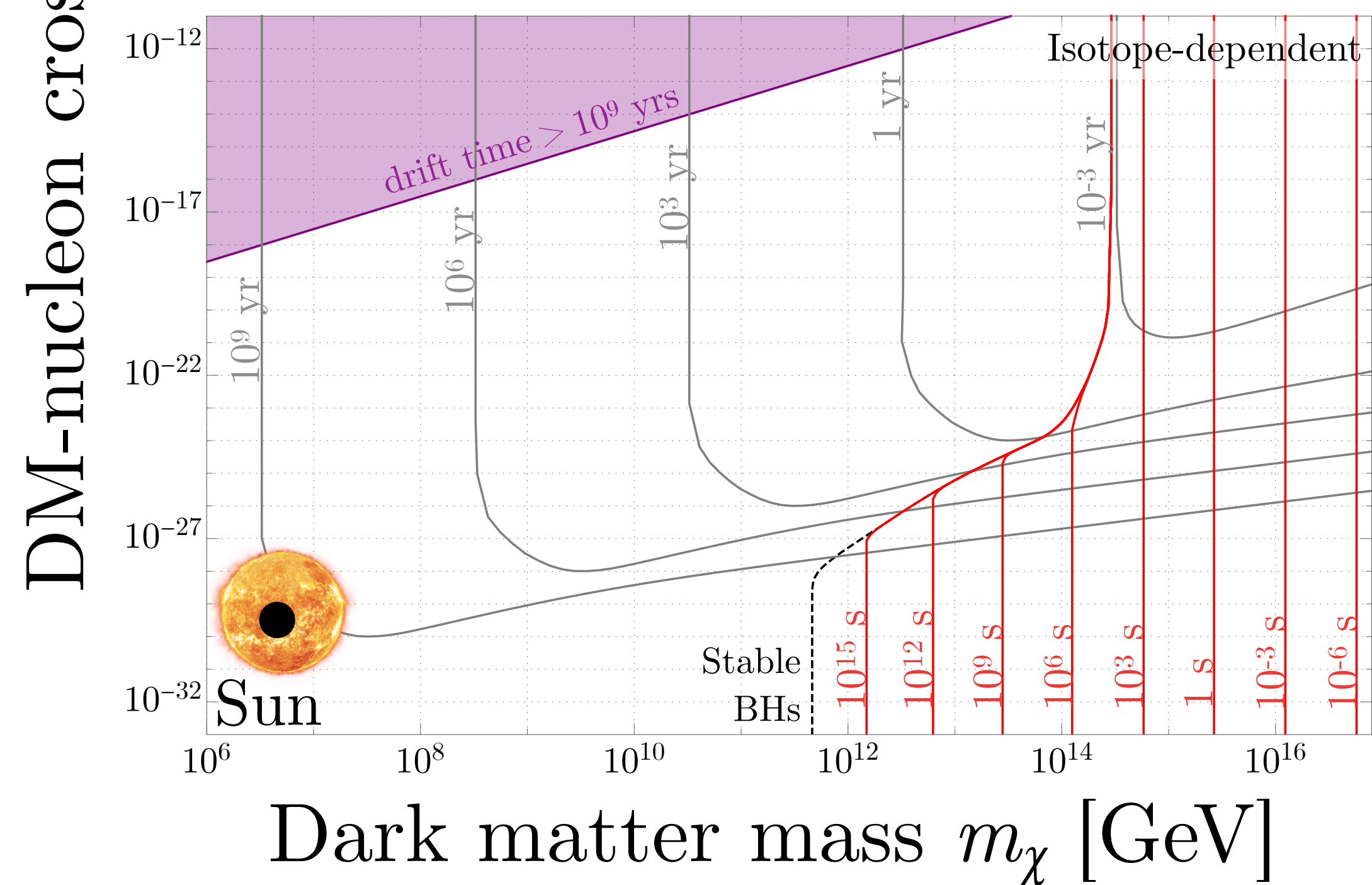
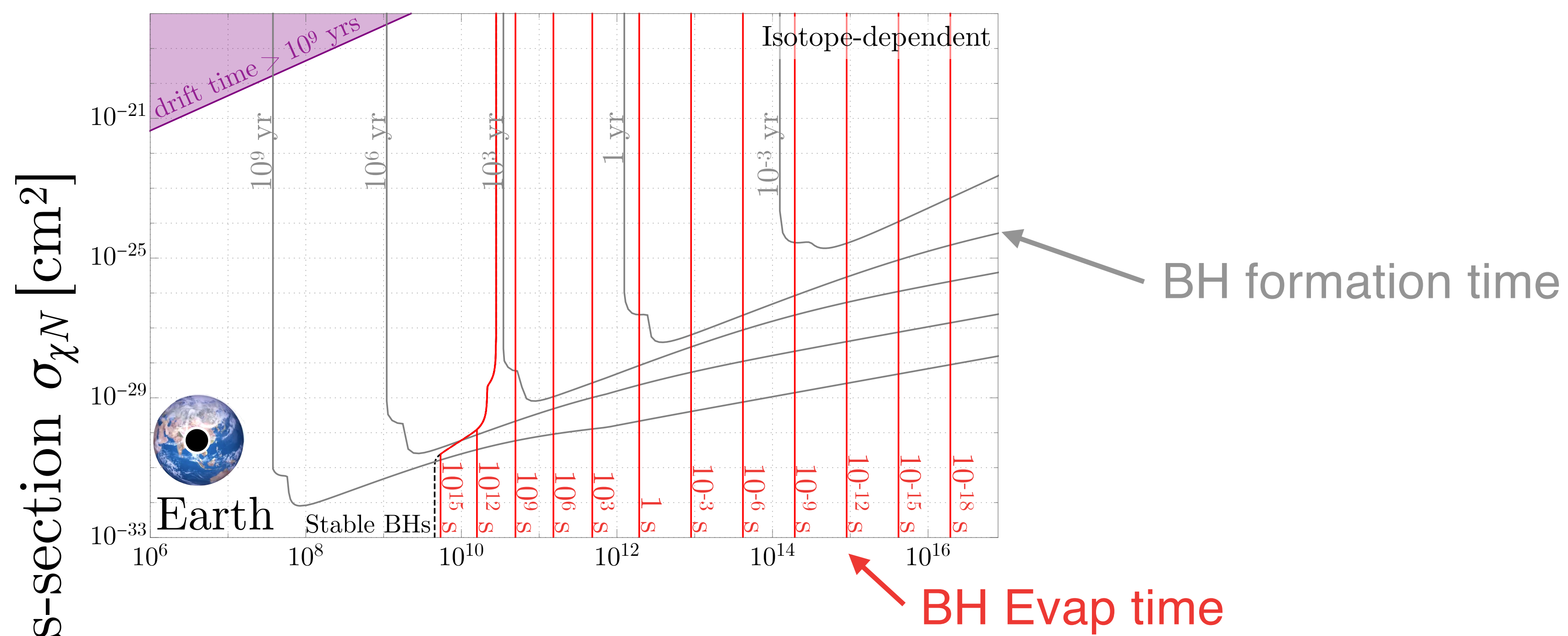
	Earth	Sun
Max destructive m_χ Hawking = Bondi + $m_\chi \Phi_\chi$	$2.7 \times 10^{10} \text{ GeV}$	$3 \times 10^{14} \text{ GeV}$
Min evaporative m_χ Hawking = Bondi	$4.5 \times 10^9 \text{ GeV}$	$4.6 \times 10^{11} \text{ GeV}$

BH evolution

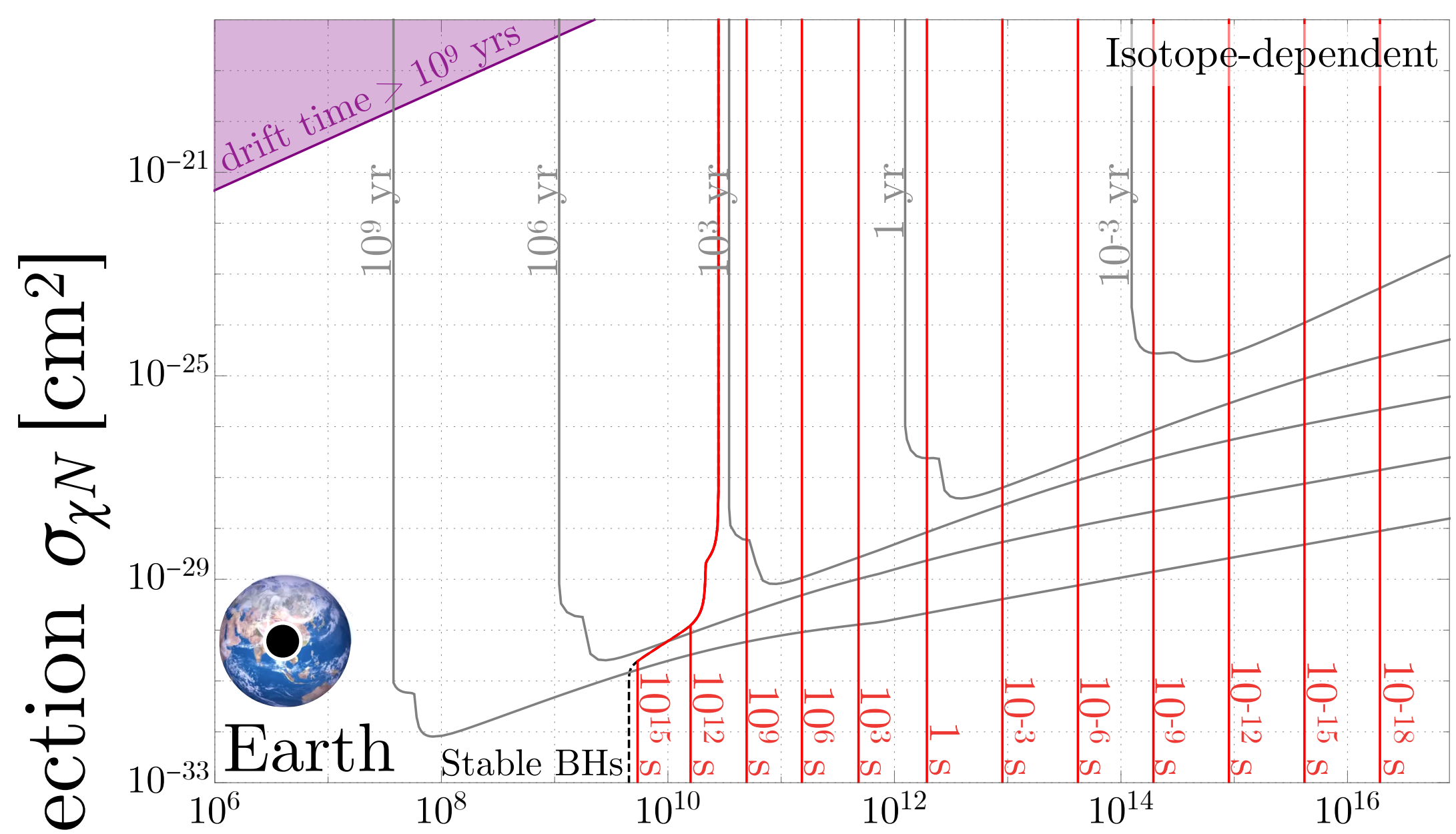
$$\frac{dM_{BH}}{dt} = \frac{4\pi\rho_{\oplus}(GM_{BH})^2}{c_s^3} - \frac{f(M_{BH})}{15360\pi(GM_{BH})^2} + m_{\chi}C_{\chi}$$



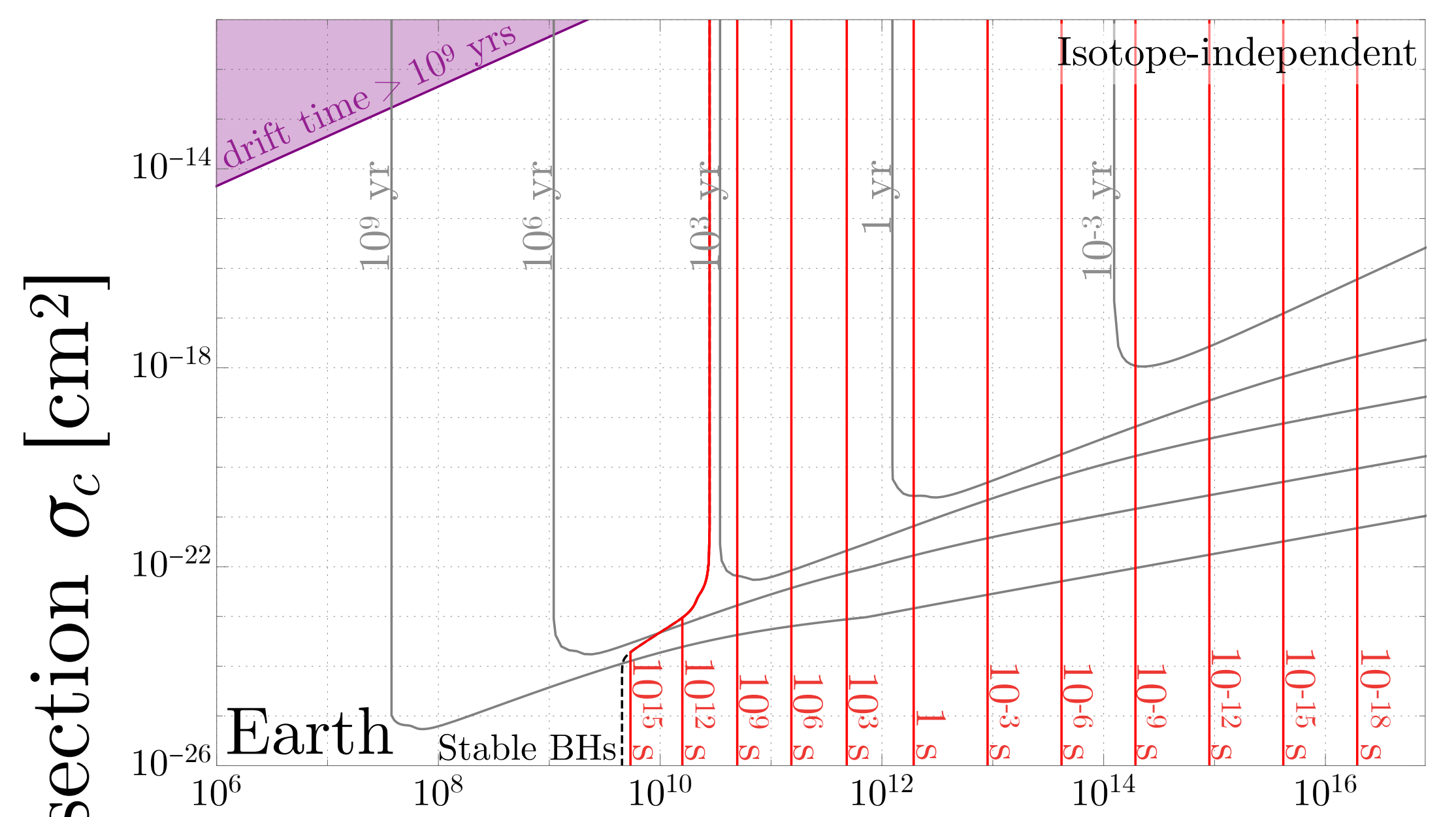
-Include greybody factor $f(M)$ for spin zero BH



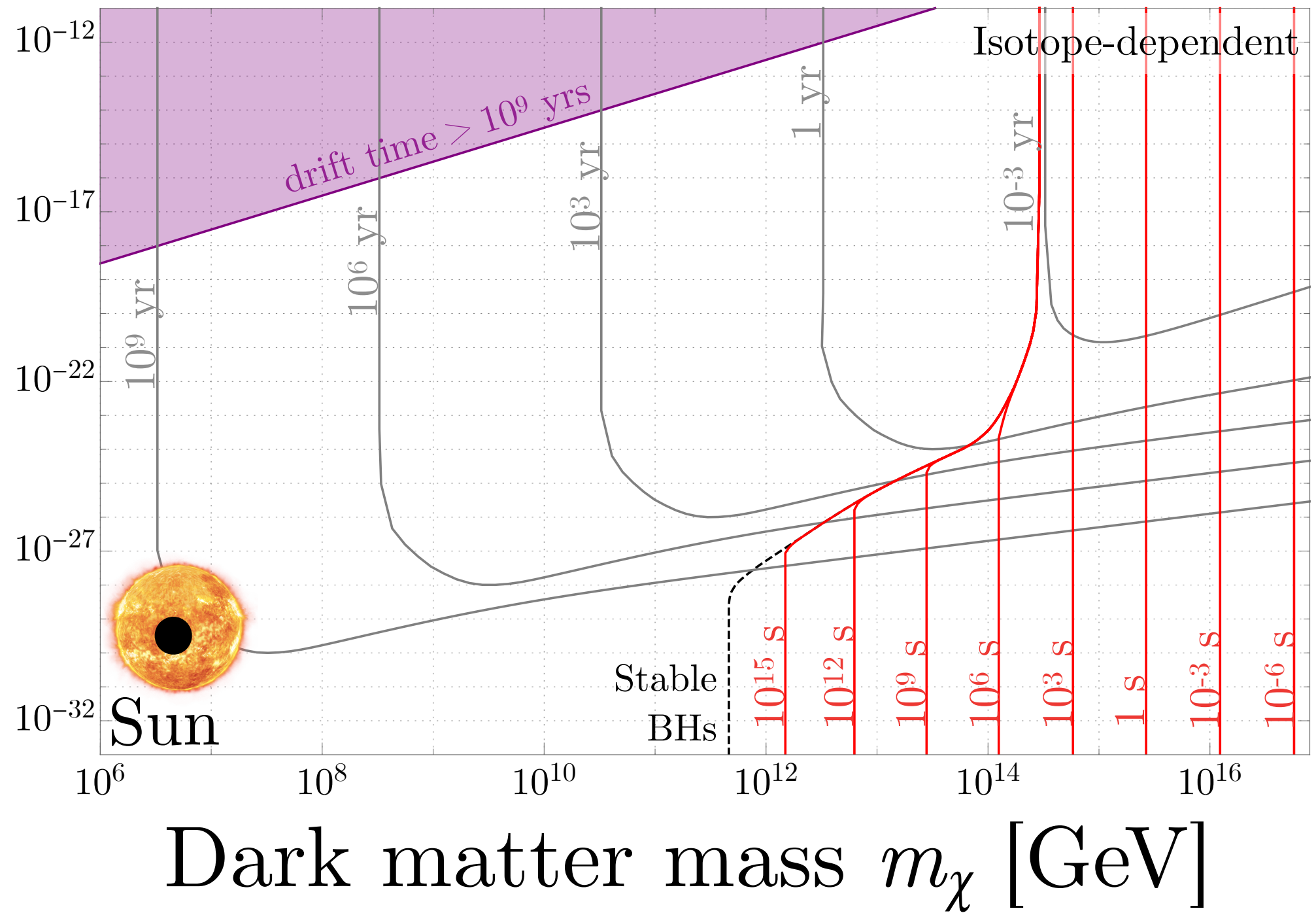
DM-nucleon cross-section $\sigma_{\chi N}$ [cm²]



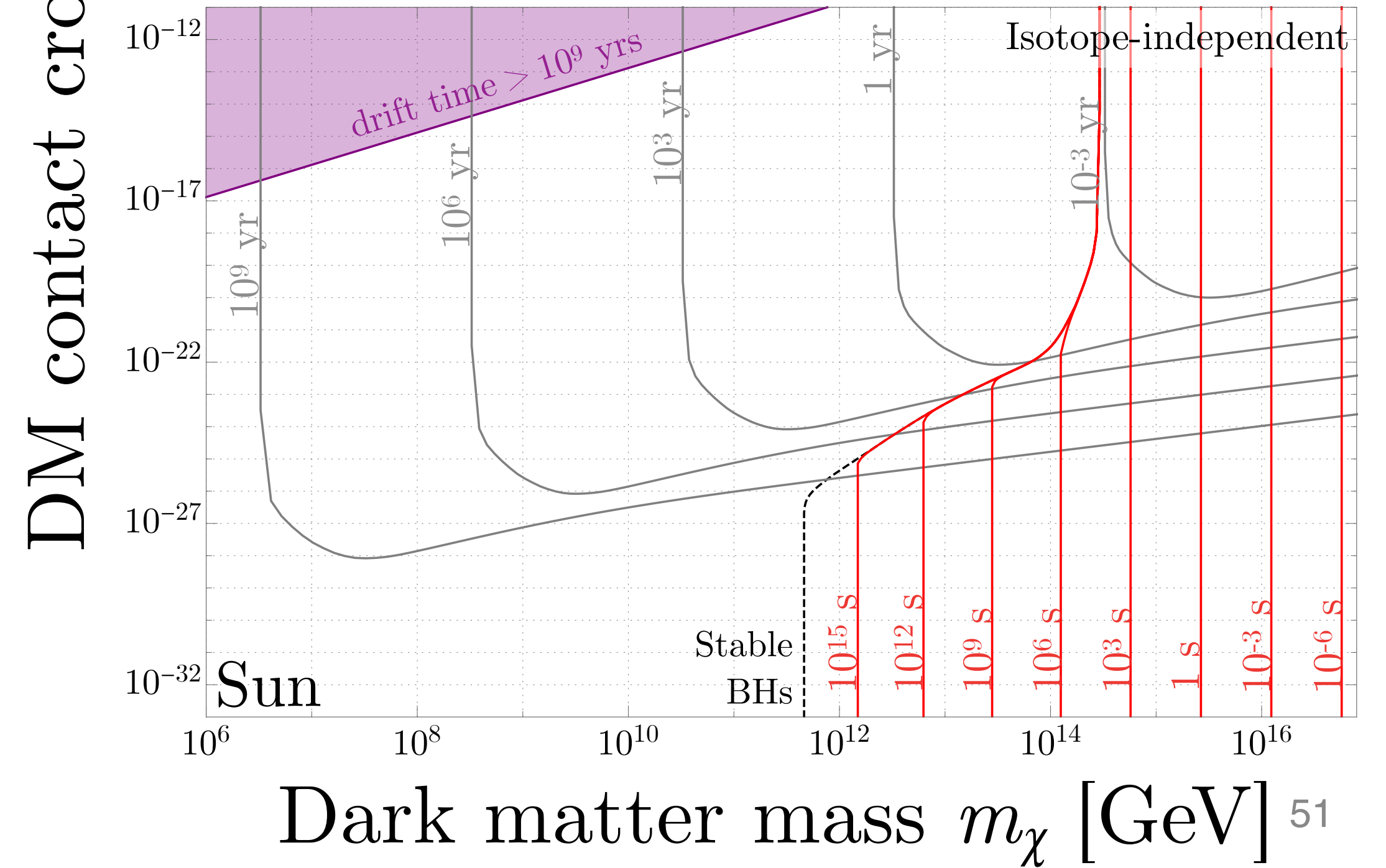
DM contact cross-section σ_c [cm²]



DM-nucleon cross-section $\sigma_{\chi N}$ [cm²]



DM contact cross-section σ_c [cm²]



For destructive BHs:

Exclude DM models that form faster than a billion years

For evaporating BHs:

Exclude DM models that would:

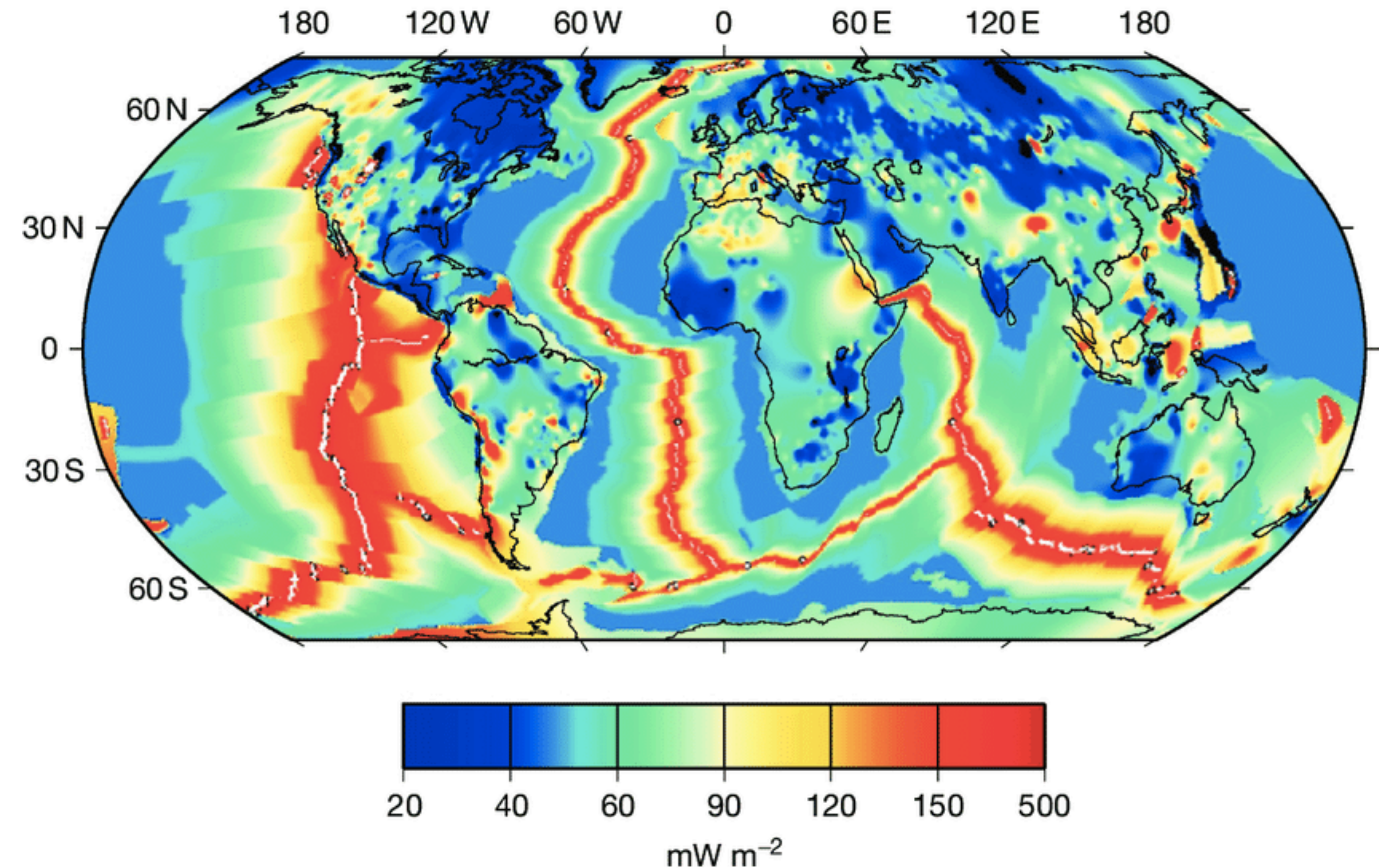
(1) overheat the Earth

(a) $m_\chi C_\chi \geq 44 \text{ TW}$

(b) $t_{\text{evap}} + t_{\text{form}} \lesssim 1 \text{ kyr}$

(c) $t_{\text{drift}} \lesssim 1 \text{ Gyr}$

J. Mareschal and C. Jaupart,
Heat Flow Measurements (2011)



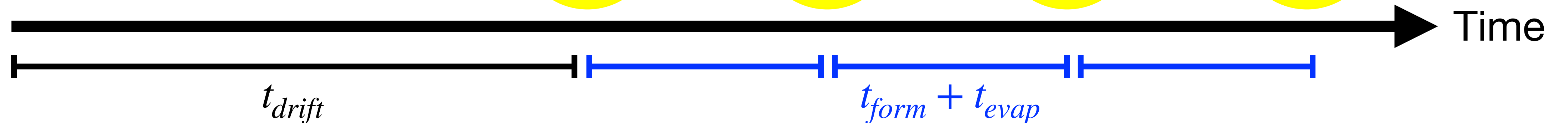
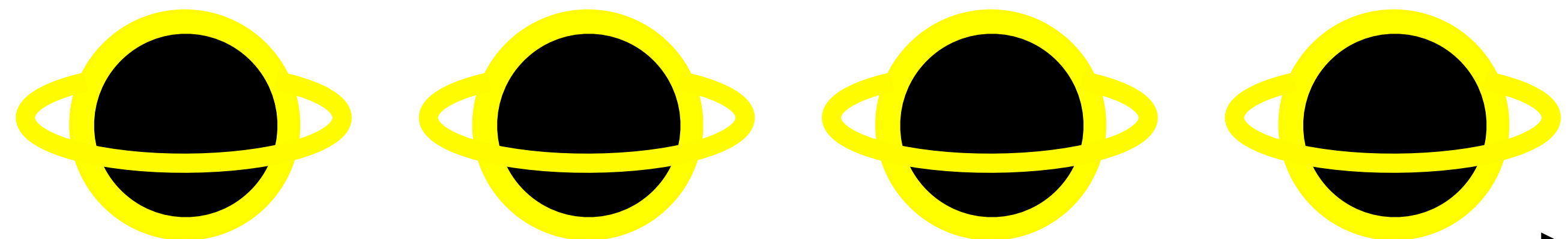
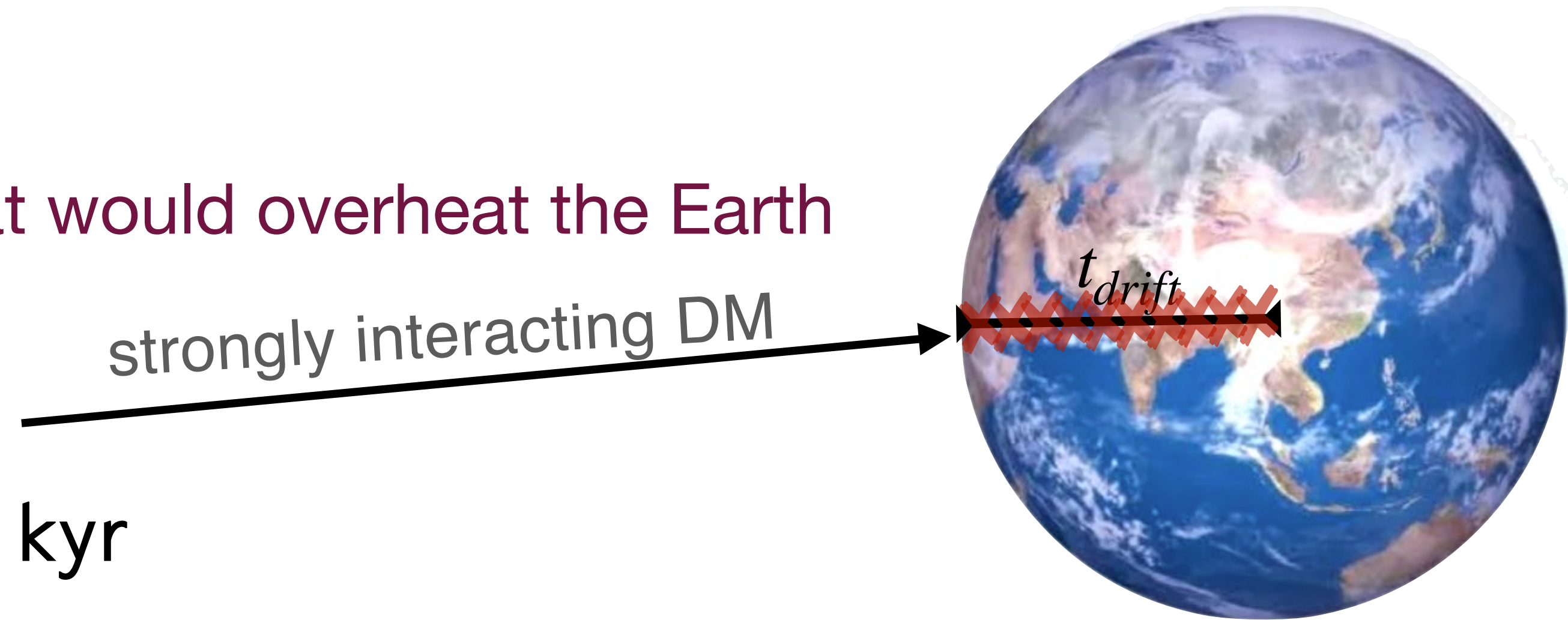
For destructive BHs:
Exclude DM models that form faster than a billion years

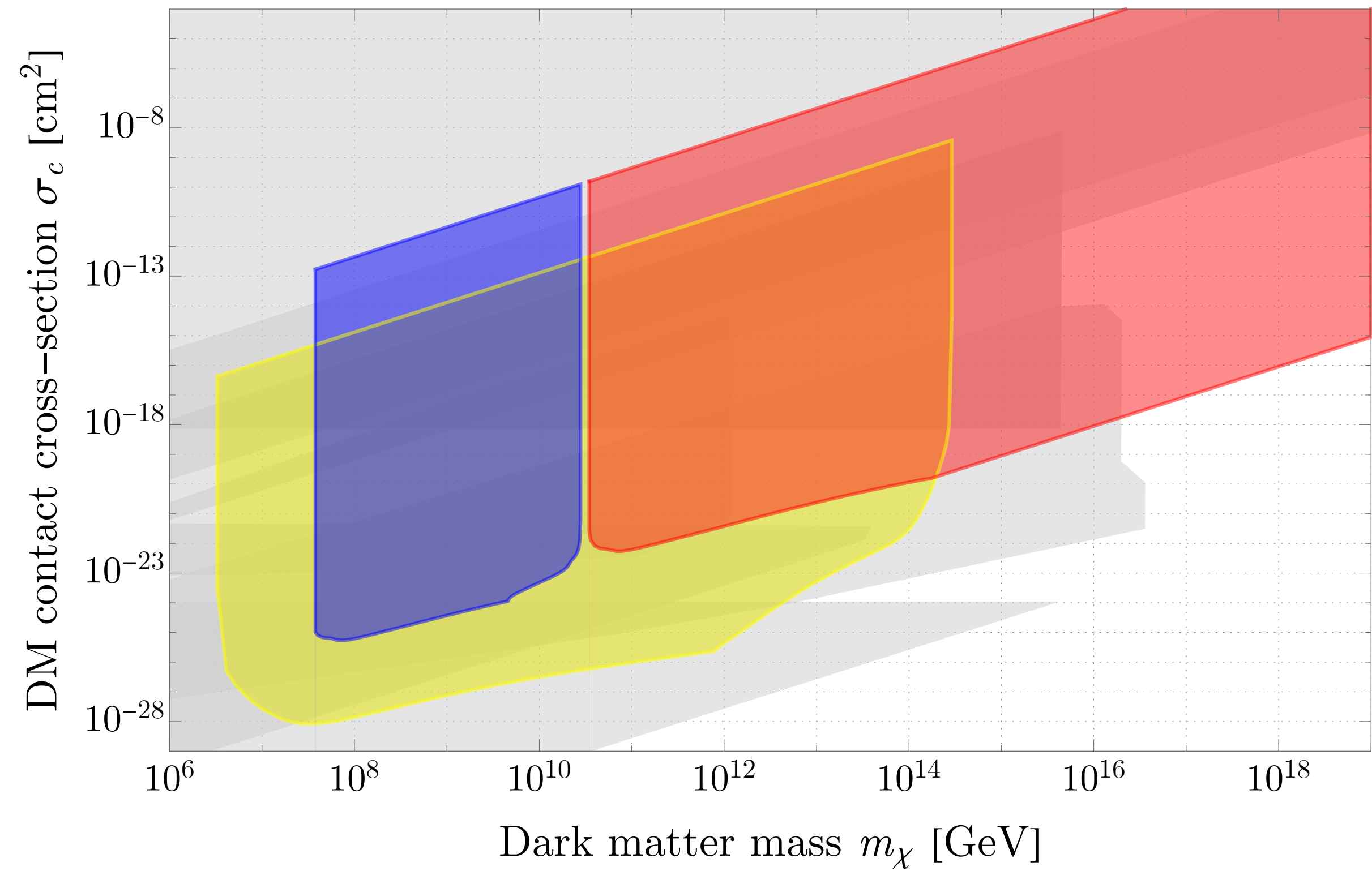
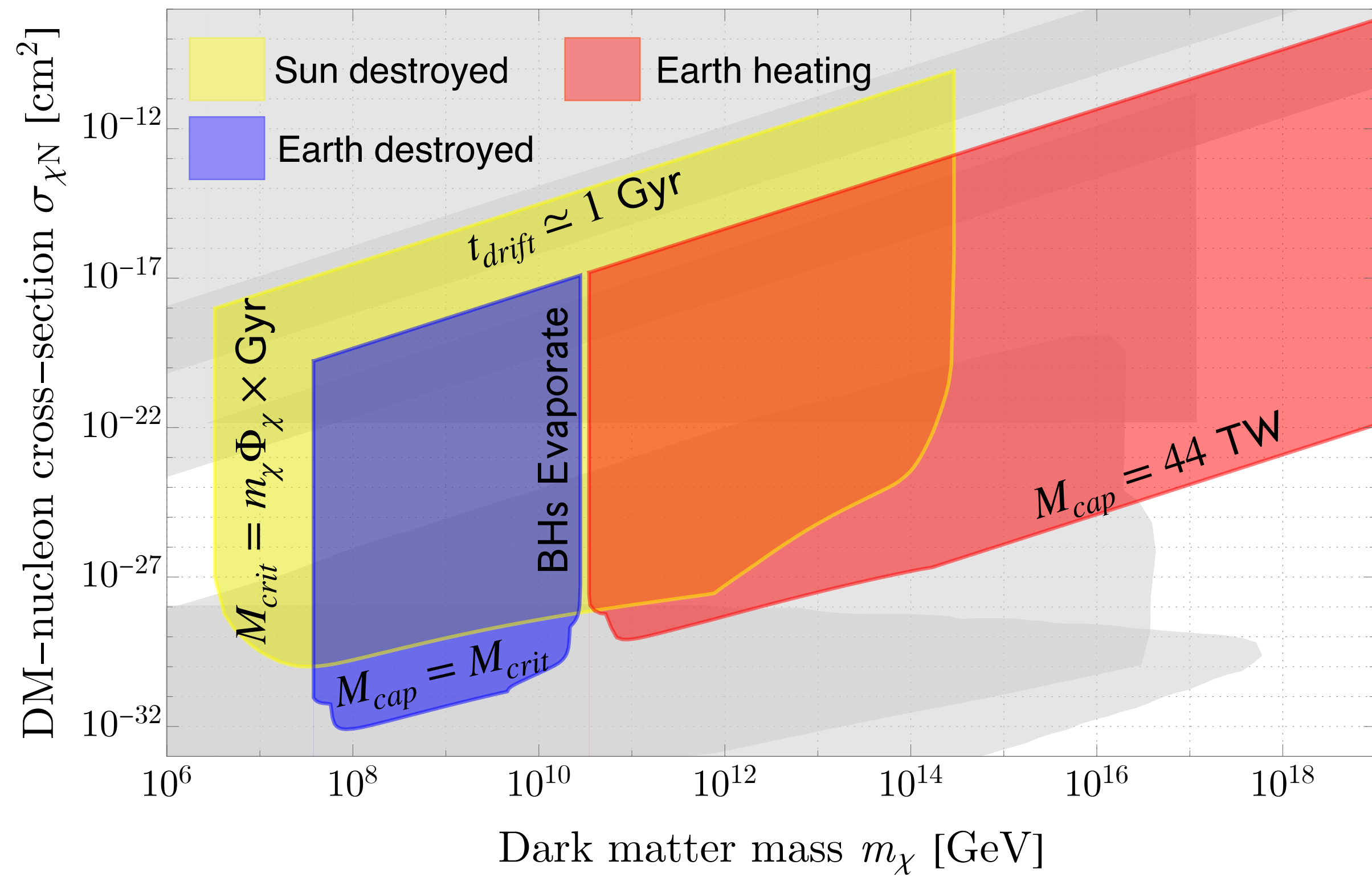
For evaporating BHs:
Exclude DM models that would overheat the Earth

(a) $t_{drift} \lesssim 1 \text{ Gyr}$

(b) $t_{evap} + t_{form} \lesssim 1 \text{ kyr}$

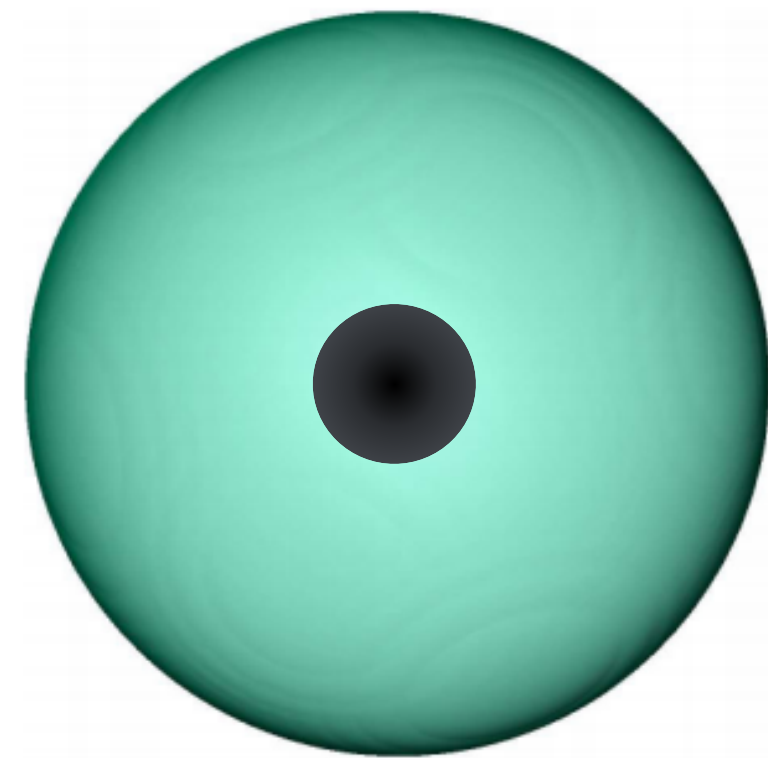
(c) $m_{\chi} C_{\chi} \geq 44 \text{ TW}$





Heavy Dark Matter Ignition of Type Ia Supernovae

In order to ignite a carbon-oxygen white dwarf, the dark matter must be **heavy** so that it thermalizes inside a small volume within the white dwarf, and collects to the point of collapse within $\sim 10^{10}$ years.



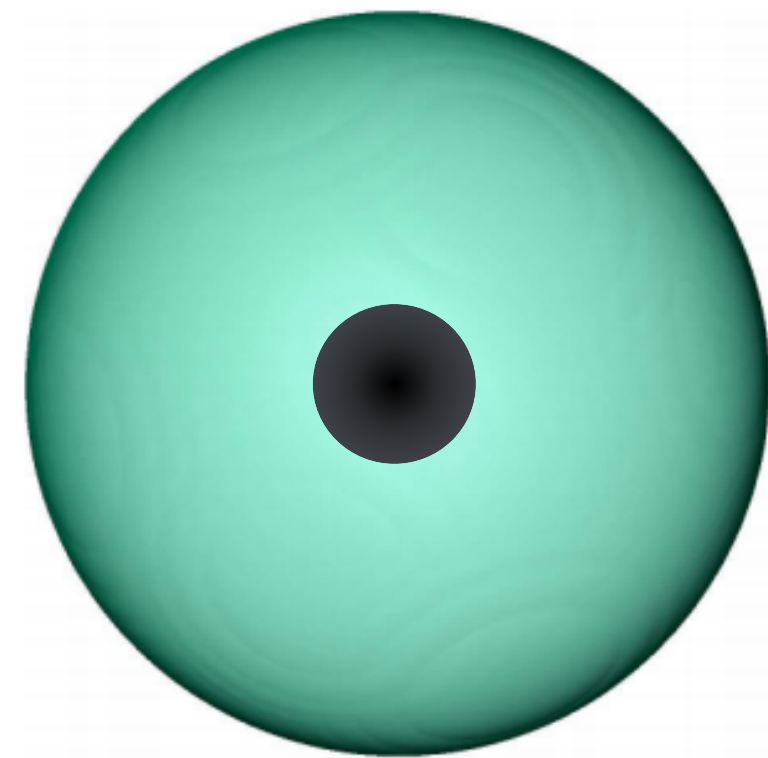
DM collects to the point of self-gravitation.

Harmonic Oscillator potential

$$k_B T \sim G \rho_{wd} m_x r_{th}^2$$

Heavy Dark Matter Ignition of Type Ia Supernovae

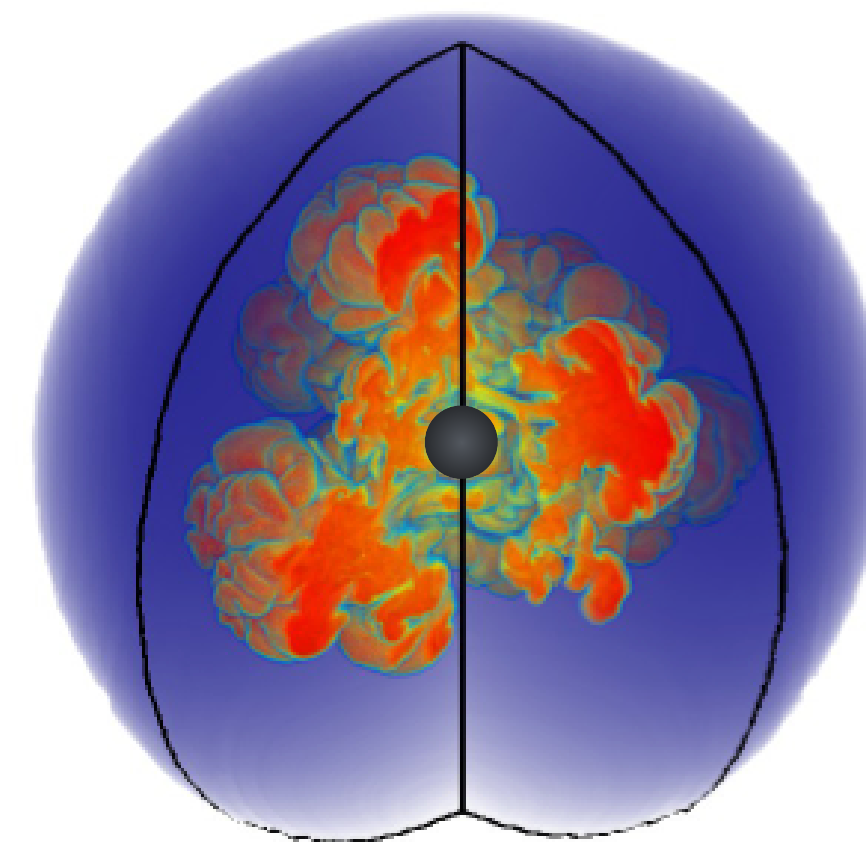
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DM collects to the point of self-gravitation.

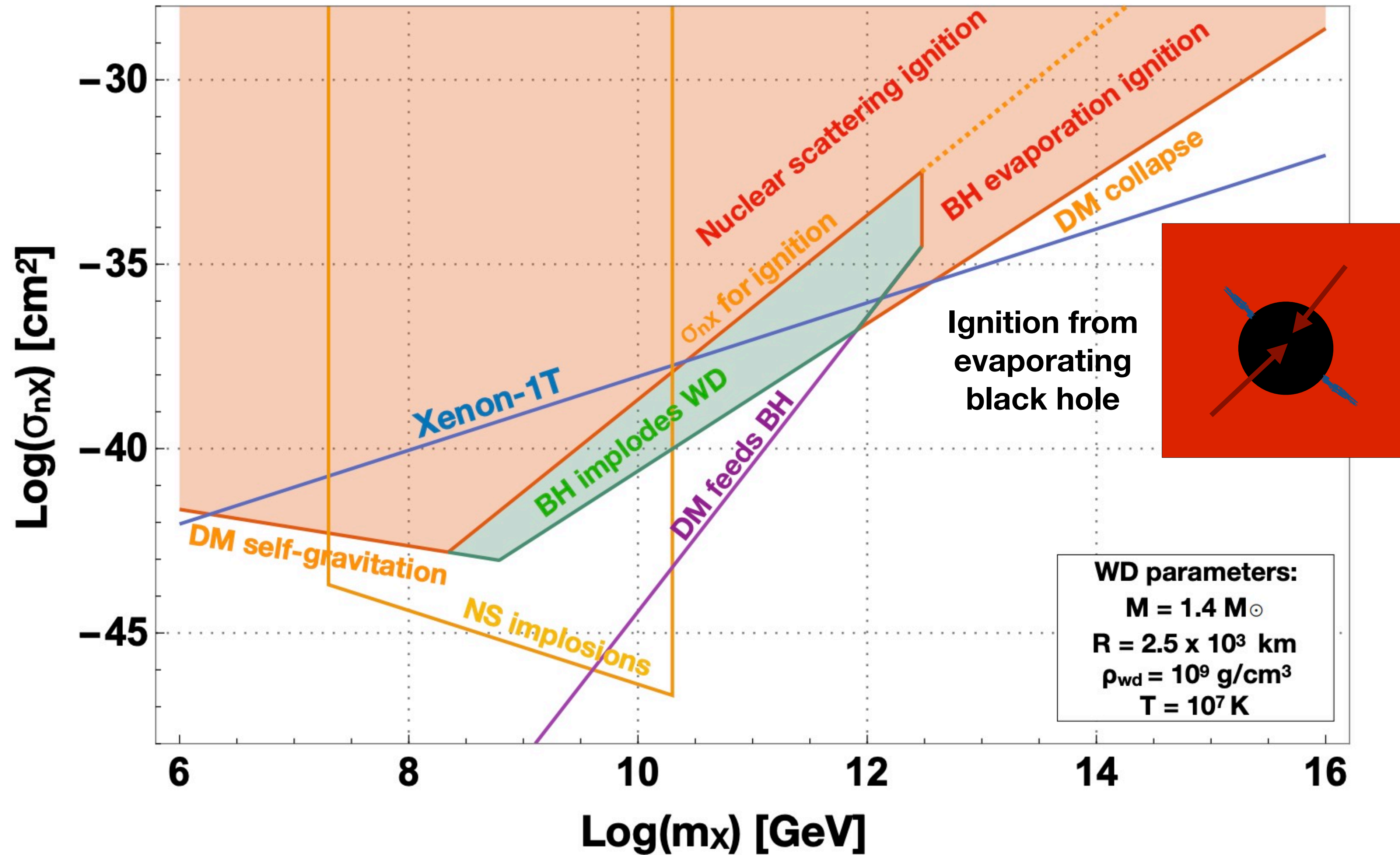
Harmonic Oscillator potential

$$k_B T \sim G \rho_{wd} m_x r_{th}^2$$



DM collapses, shedding gravitational potential energy through **scattering**, igniting a SNIa.

Bounds on dark matter from an old GAIA White Dwarf



Neutrinos From Black Holes in the Sun

Signal Characteristics:

- Flavour universal
- Blackbody temperature

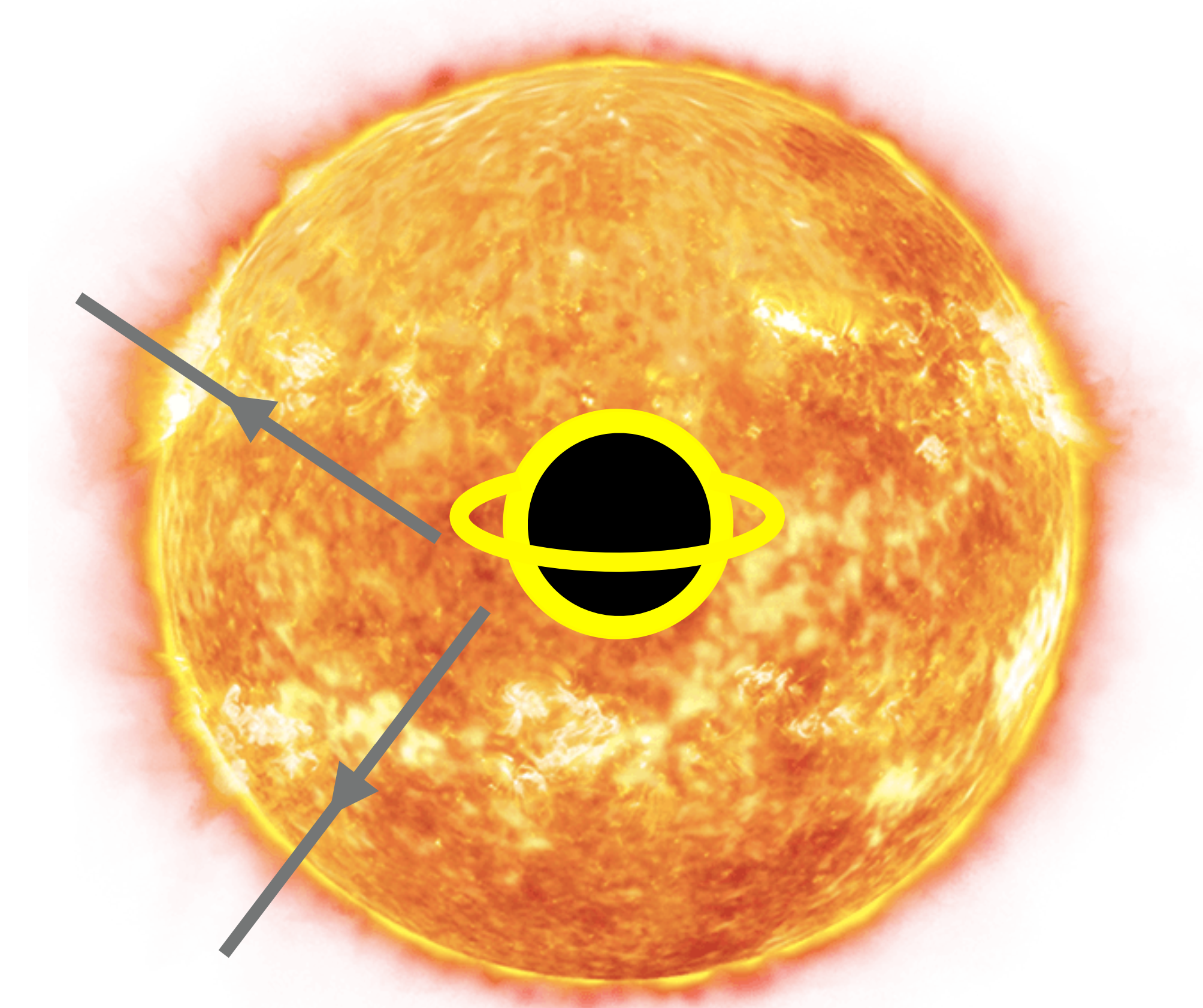
$$T(M_{BH}) = \frac{1}{8\pi GM_{BH}}$$

- Transient
- Directional

Spectra:

- Primary: $\nu_\alpha \bar{\nu}_\alpha$ pairs emitted at event horizon
- Secondary: decays of unstable primary particles/hadrons

BlackHawk (Hawking radiation) + PYTHIA (hadronization) + nuSQuIDS (propagation)



--- Primaries - direct BH production of muon neutrinos

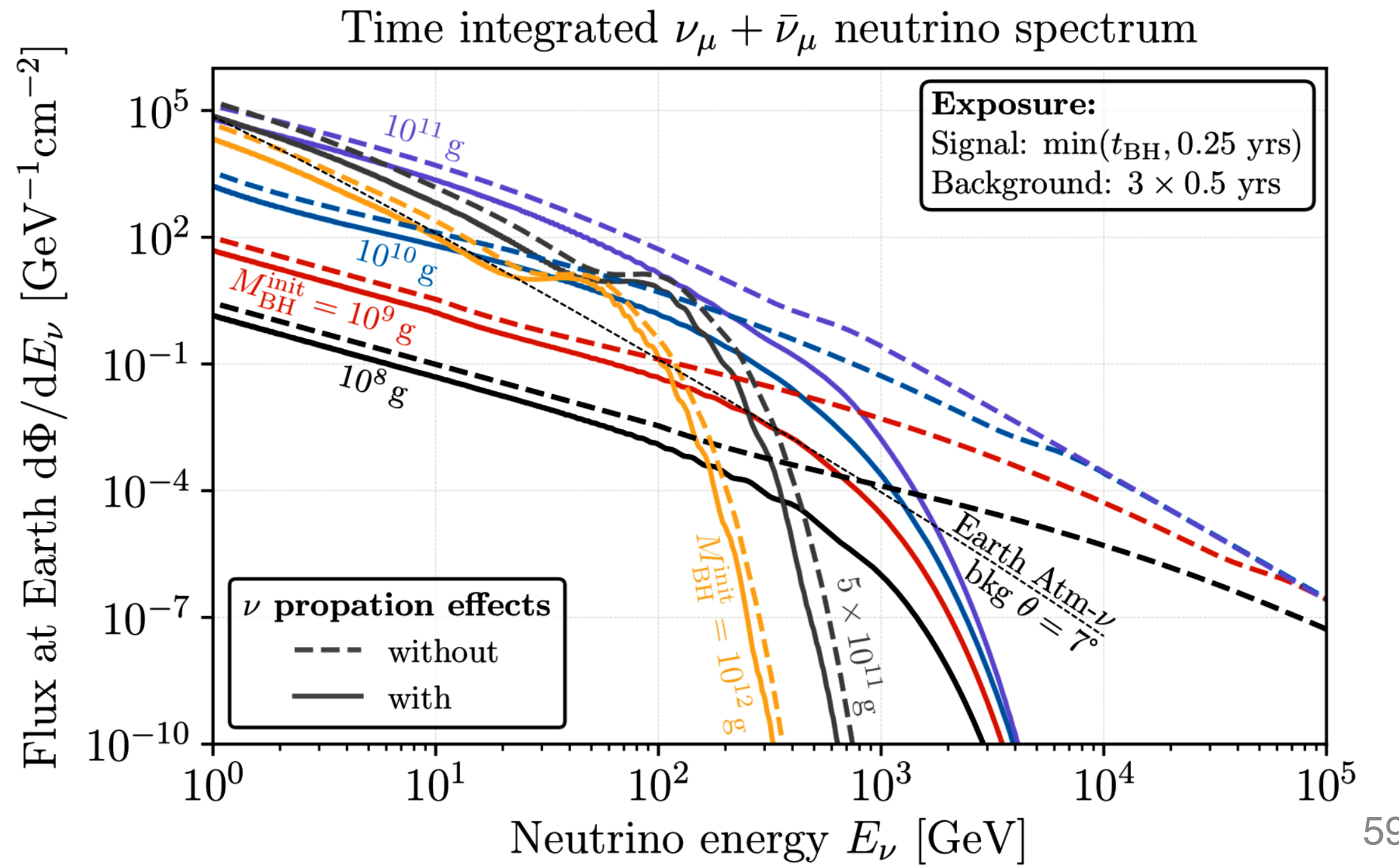
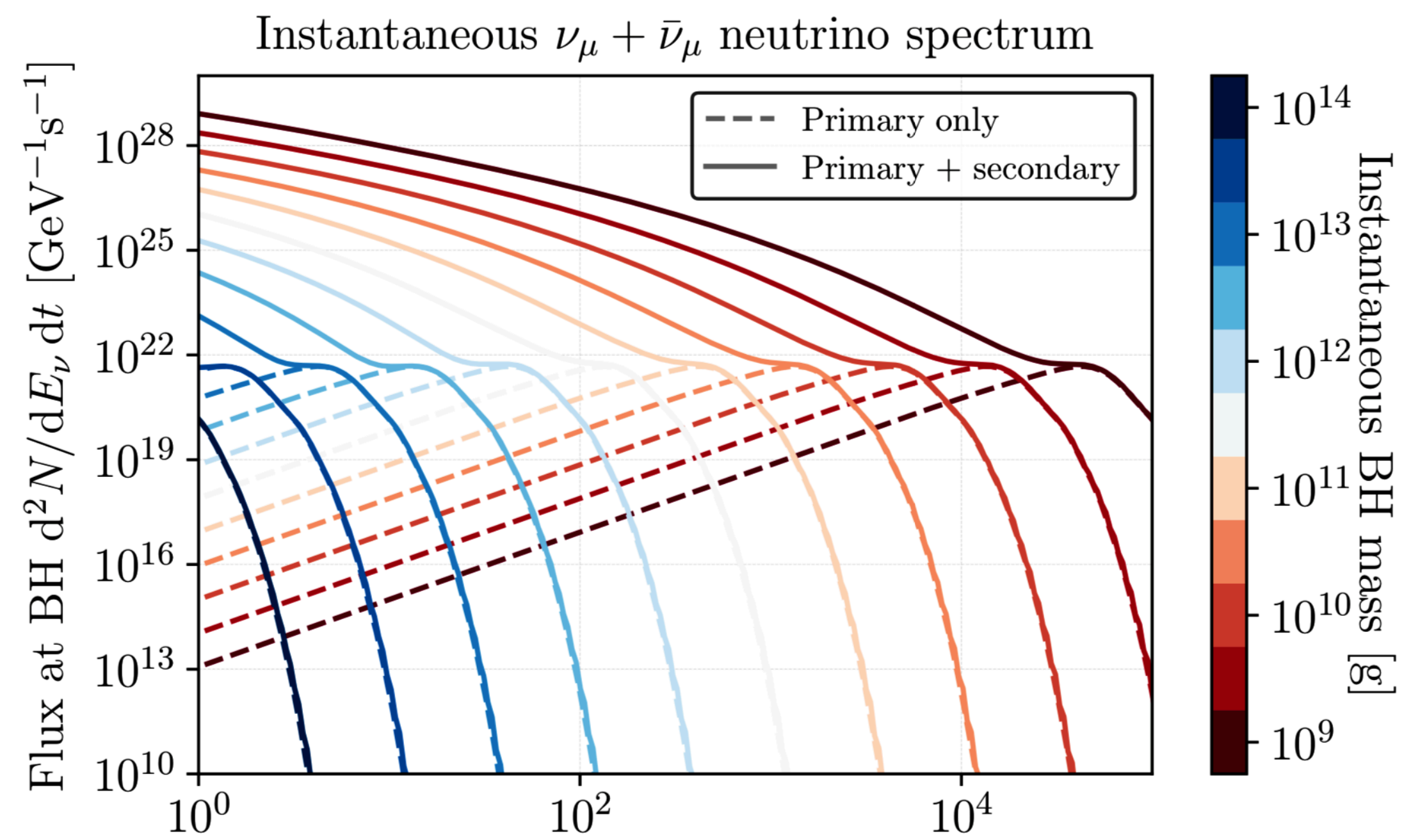
— Secondaries - muon neutrinos produced in particle showers

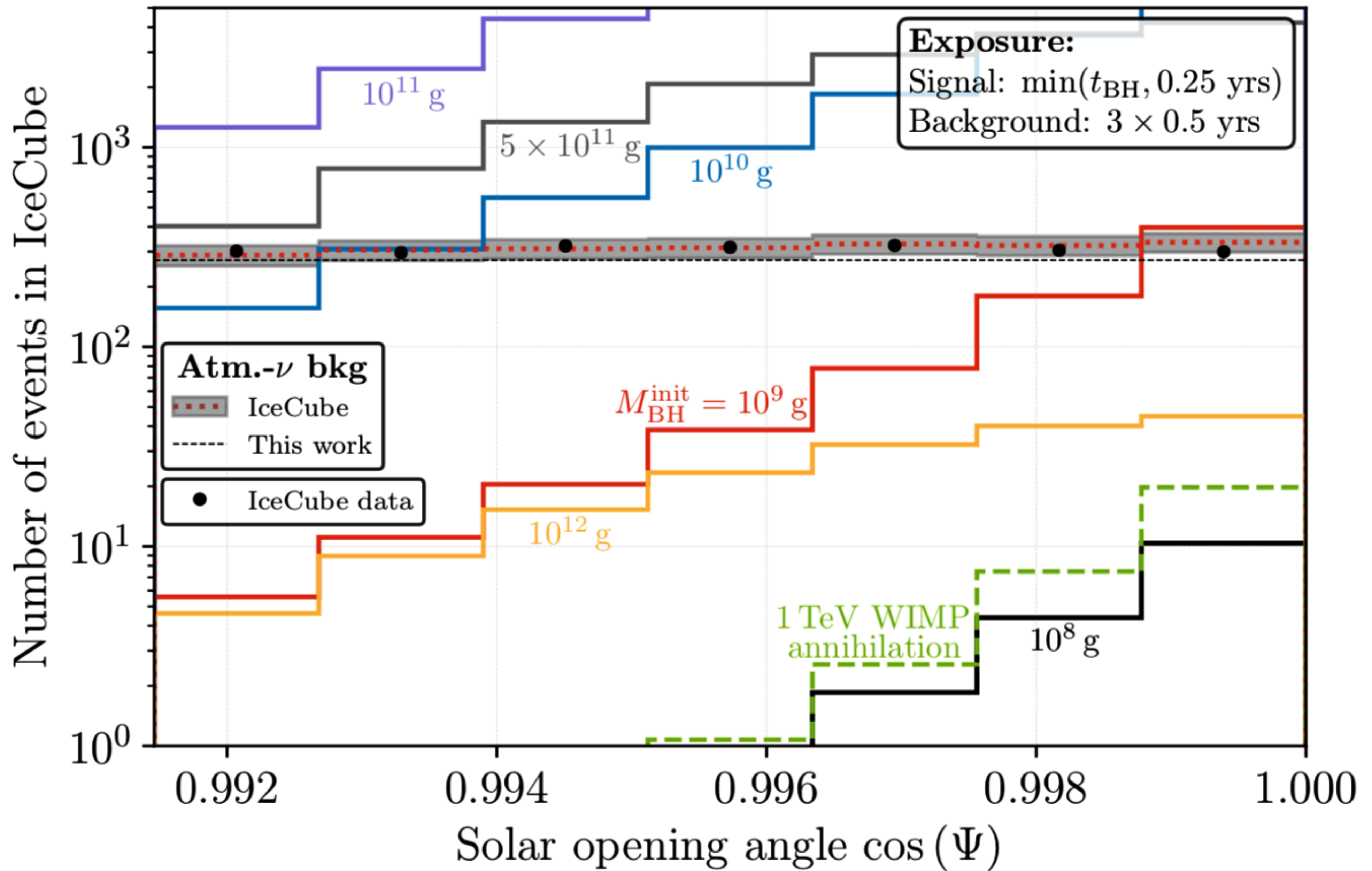
Integrated spectra:

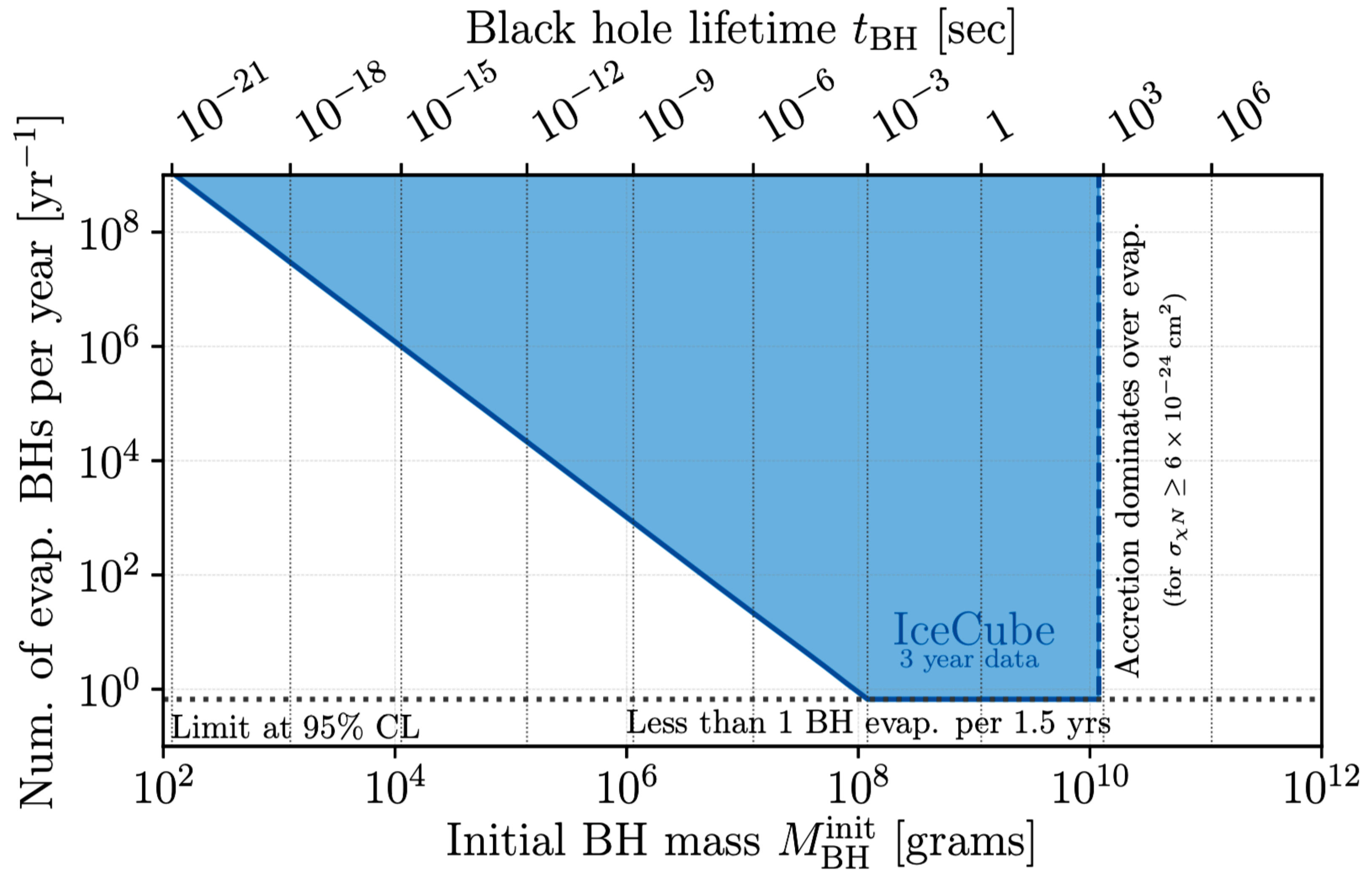
$$\frac{dM_{BH}}{dt} = - \frac{f(M_{BH})}{(GM_{BH})^2}$$

--- no prop
— prop effects

$$f(M_{BH}) = \sum_i g_i \int_0^\infty \frac{E}{2\pi} \frac{\Gamma_{s_i}(M_{BH}, E)}{e^{E/T_{BH}} \pm 1}$$







$$M_{BH}^{init} \lesssim 10^8 \text{ g}$$

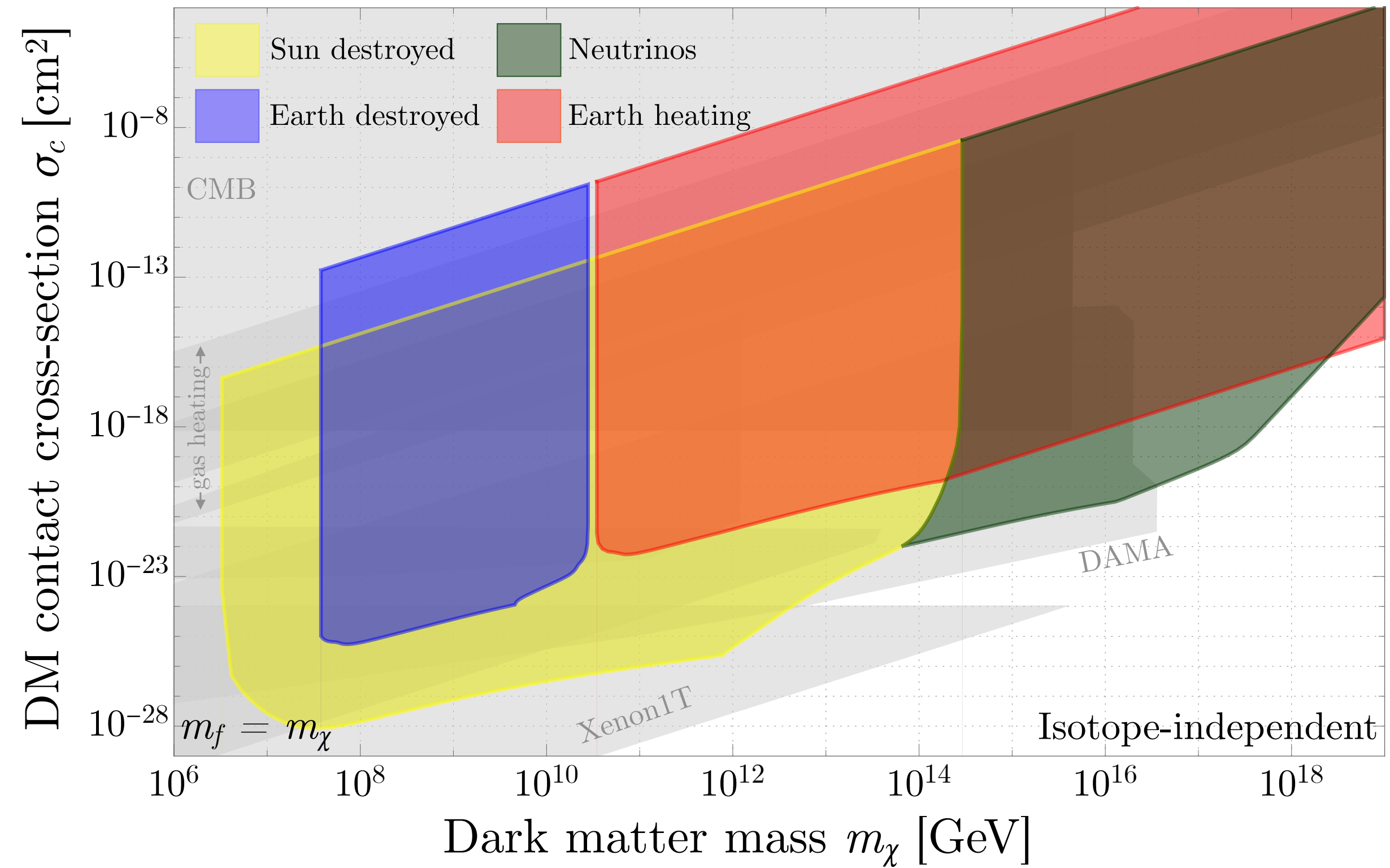
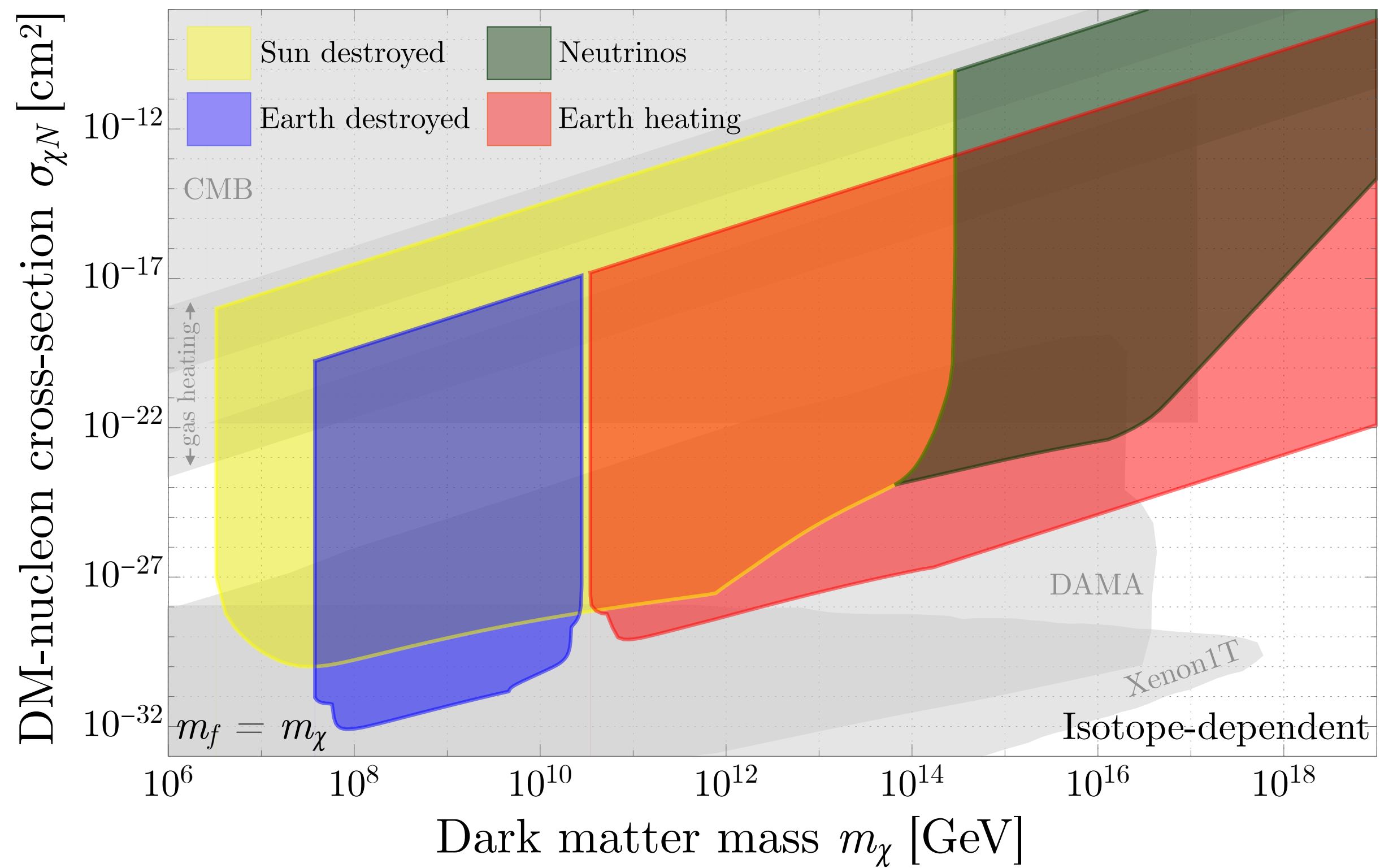
**Need multiple
evaporating BHs**

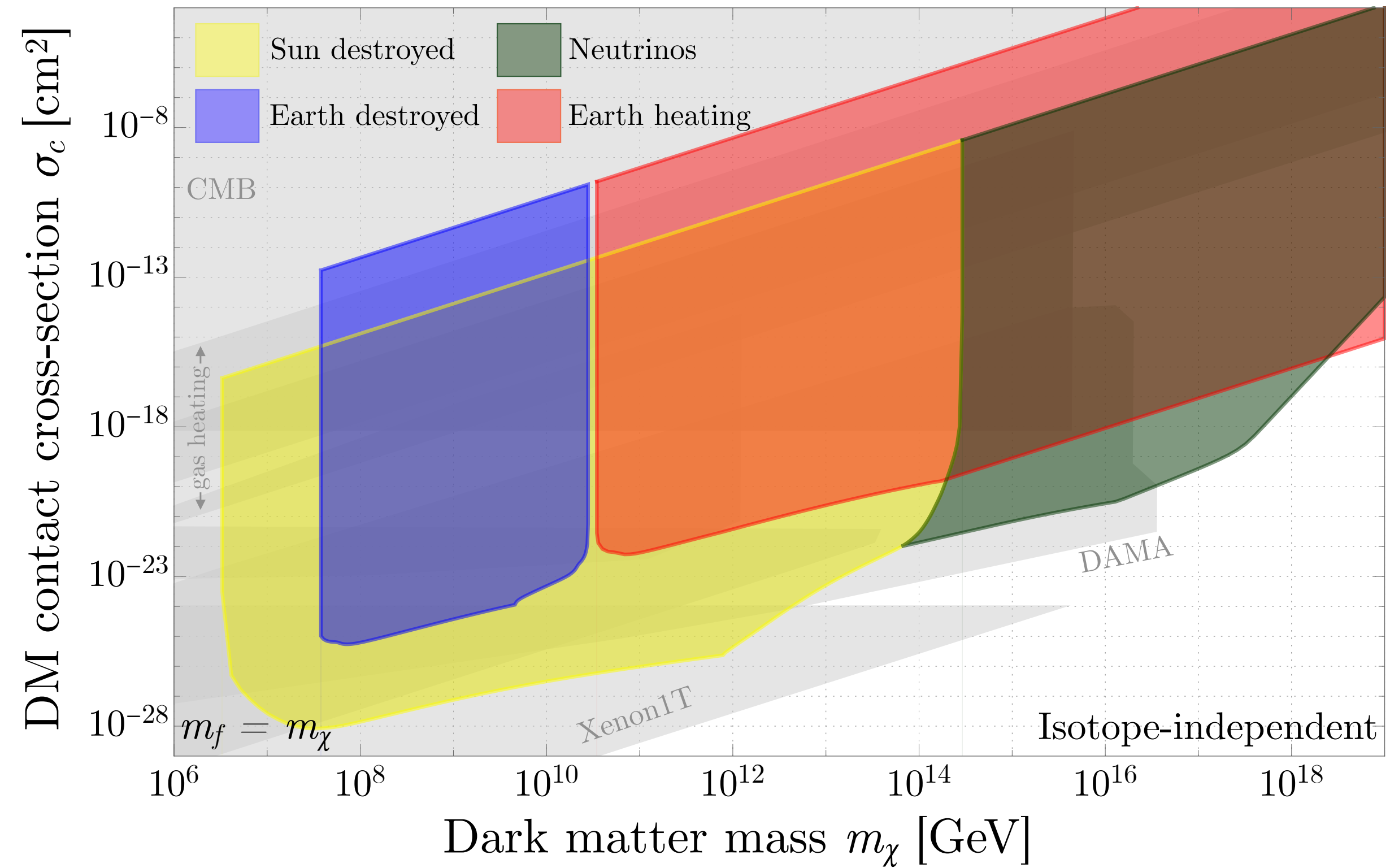
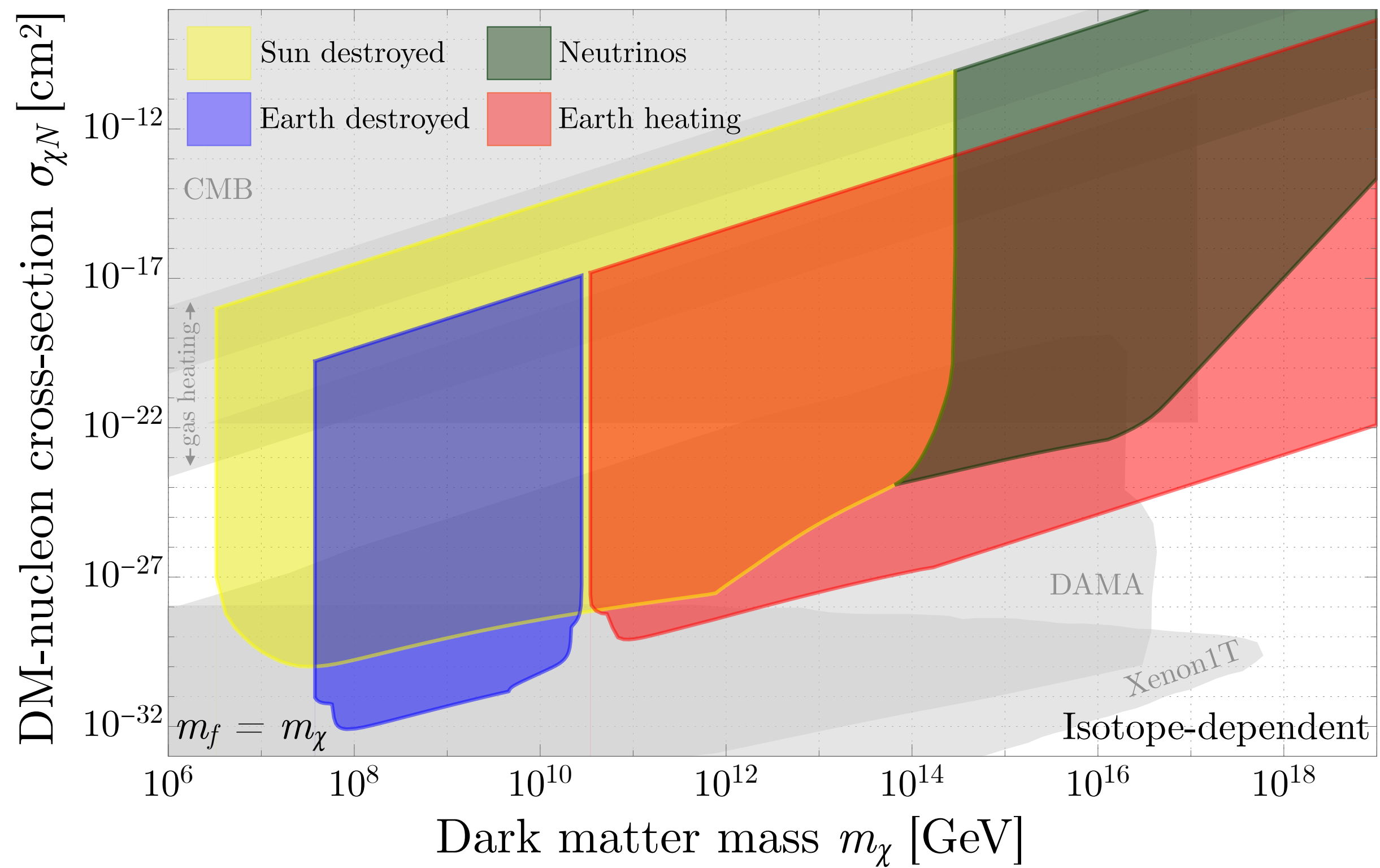
$$10^8 \text{ g} \lesssim M_{BH}^{init} \lesssim 4 \times 10^{10} \text{ g}$$

**single evaporating
BH suffices**

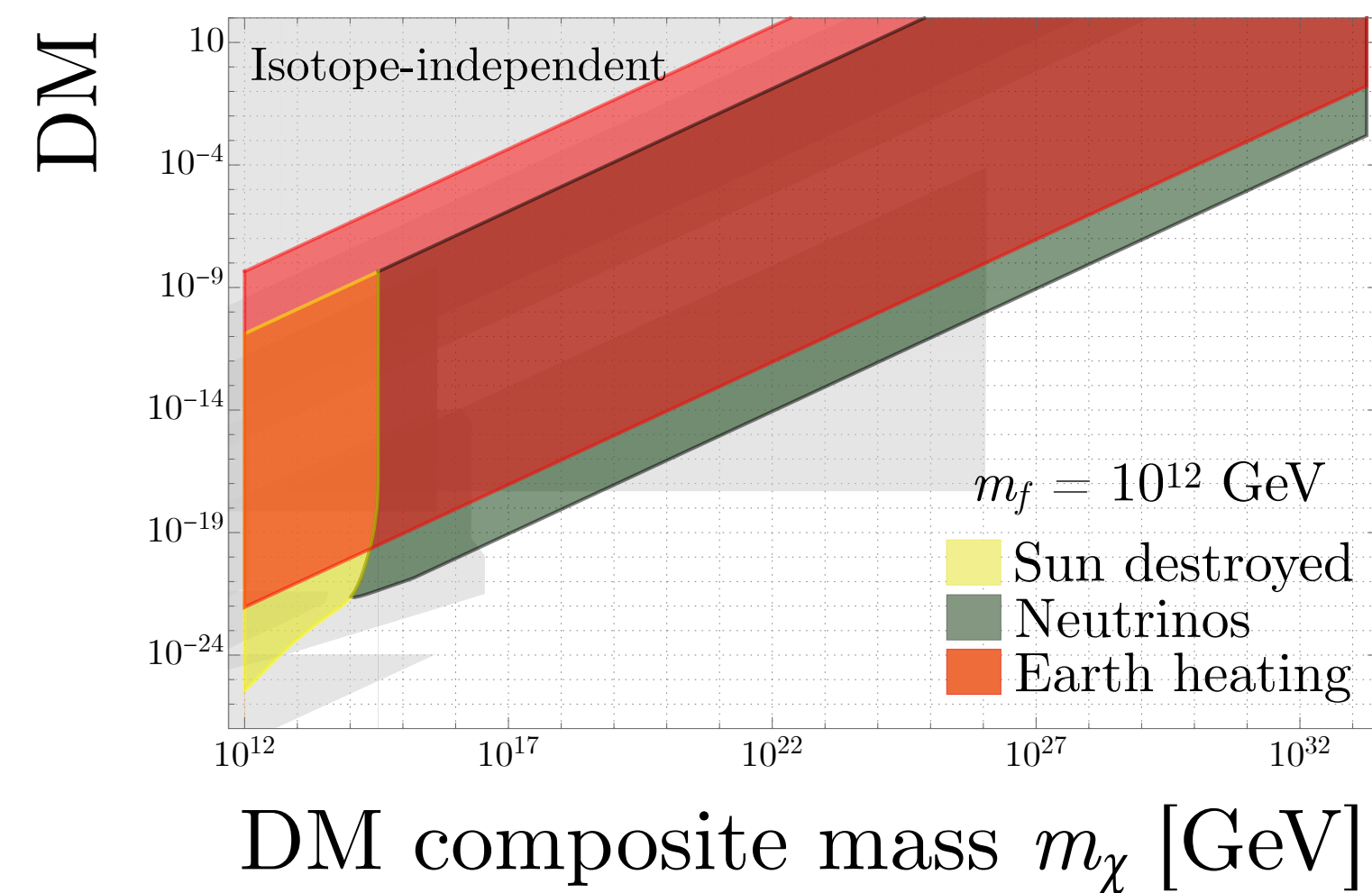
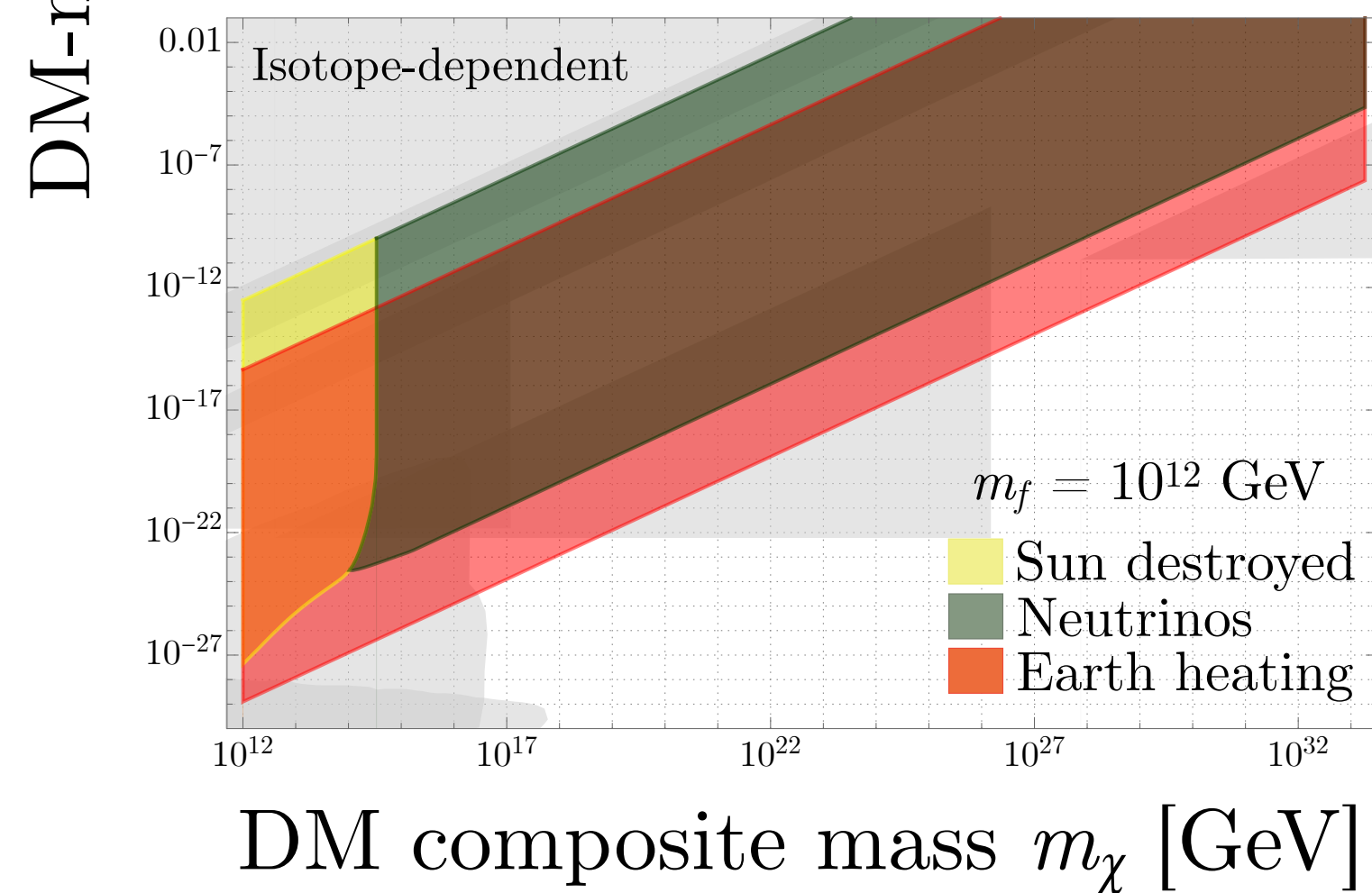
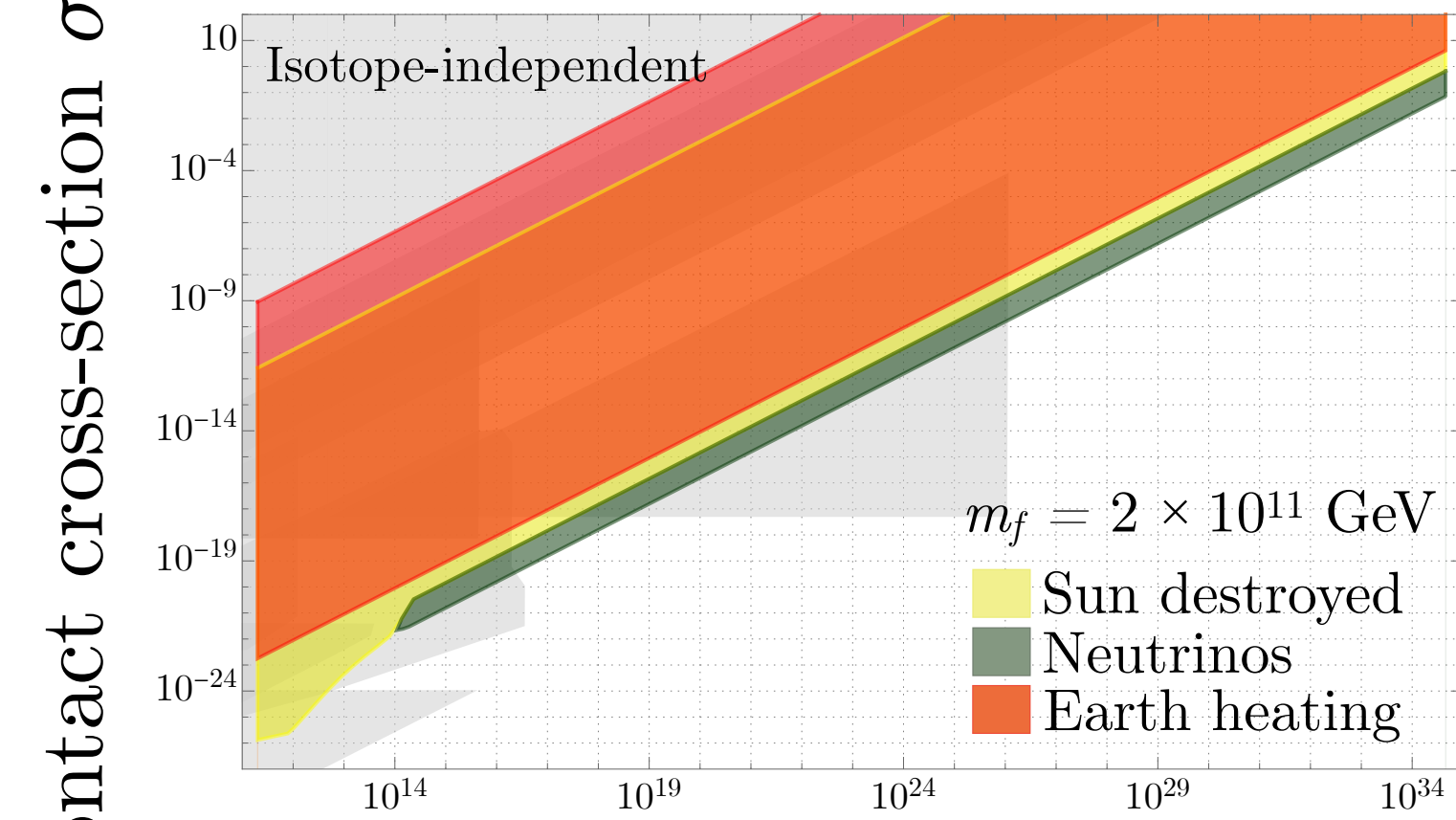
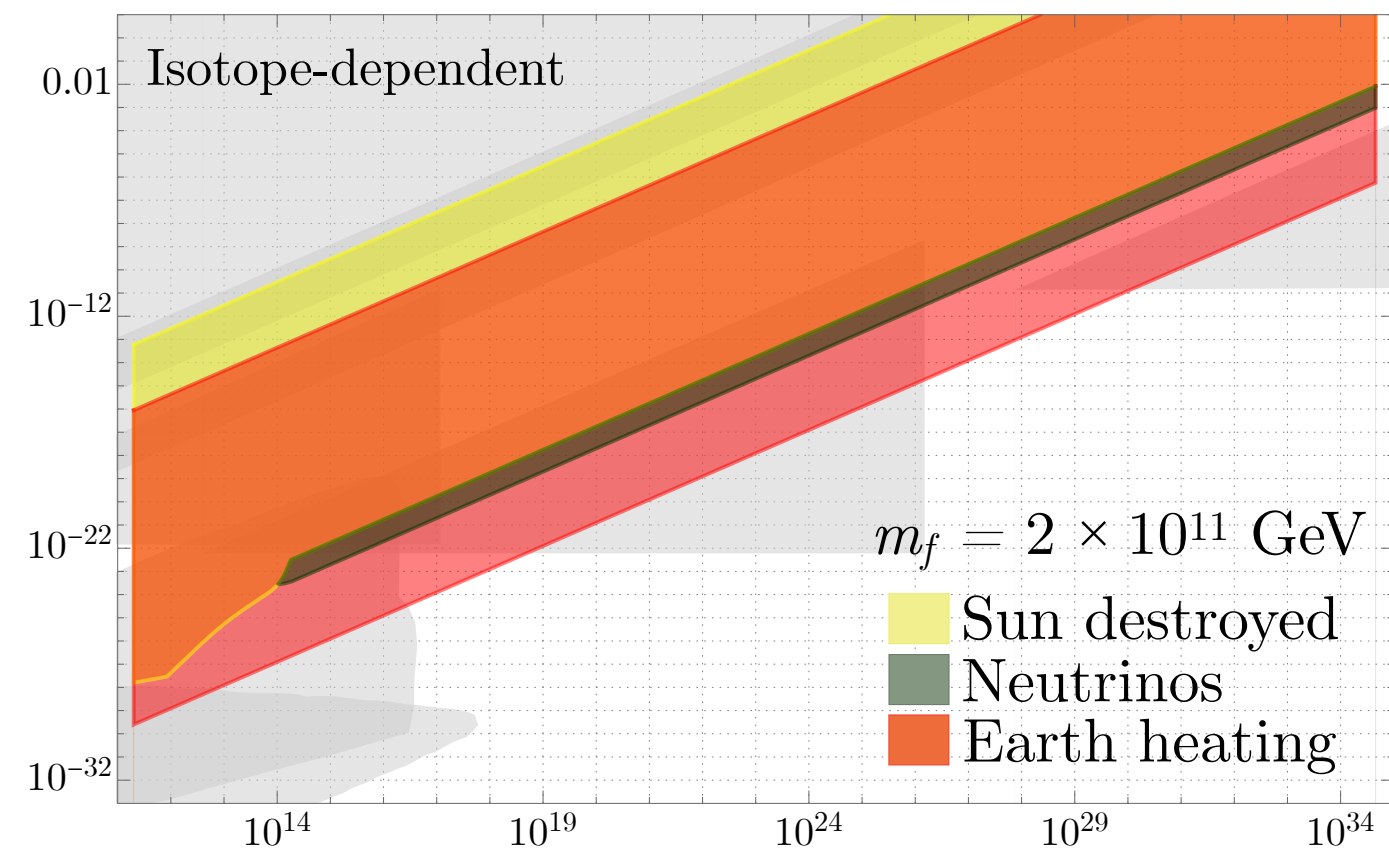
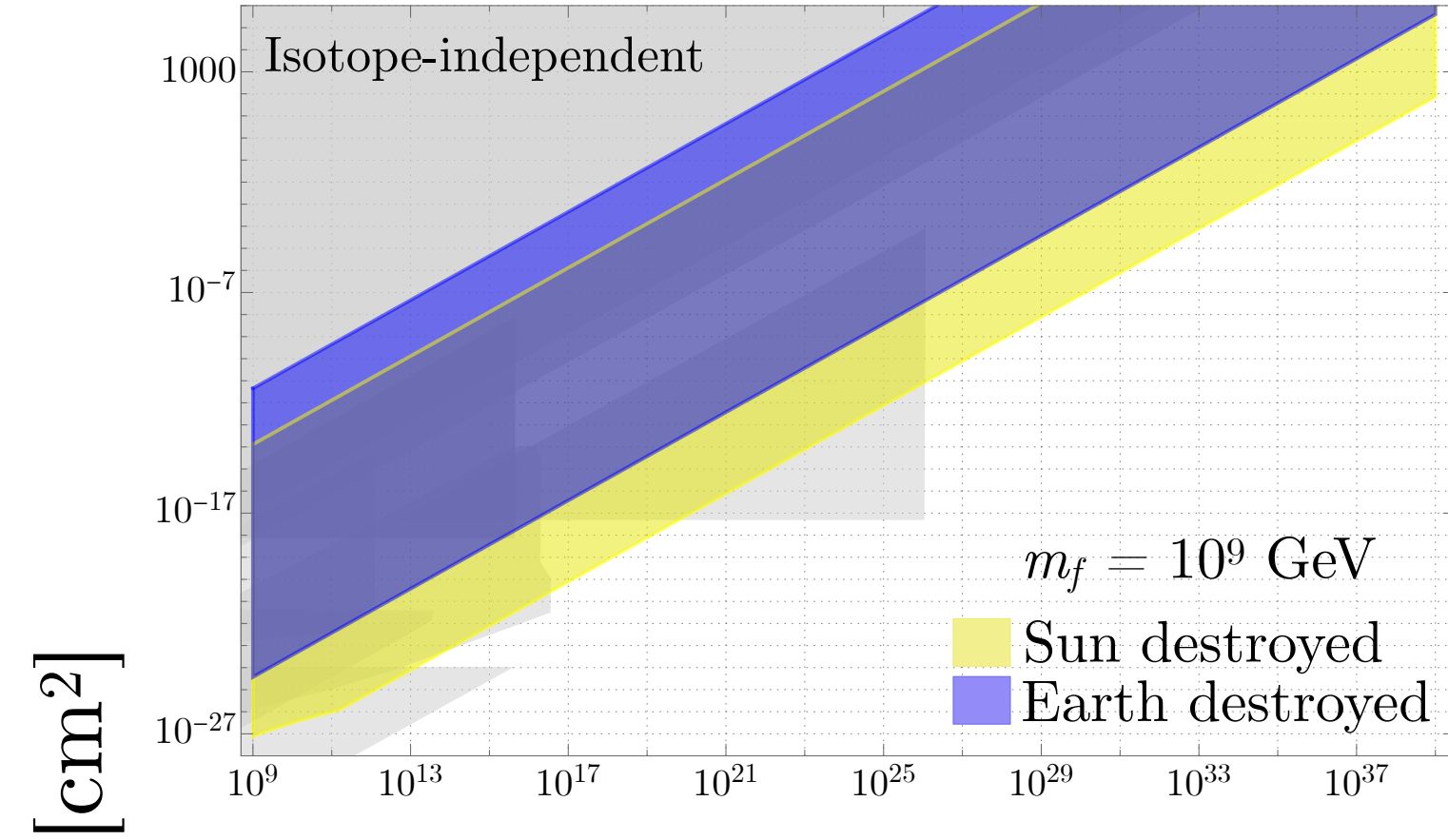
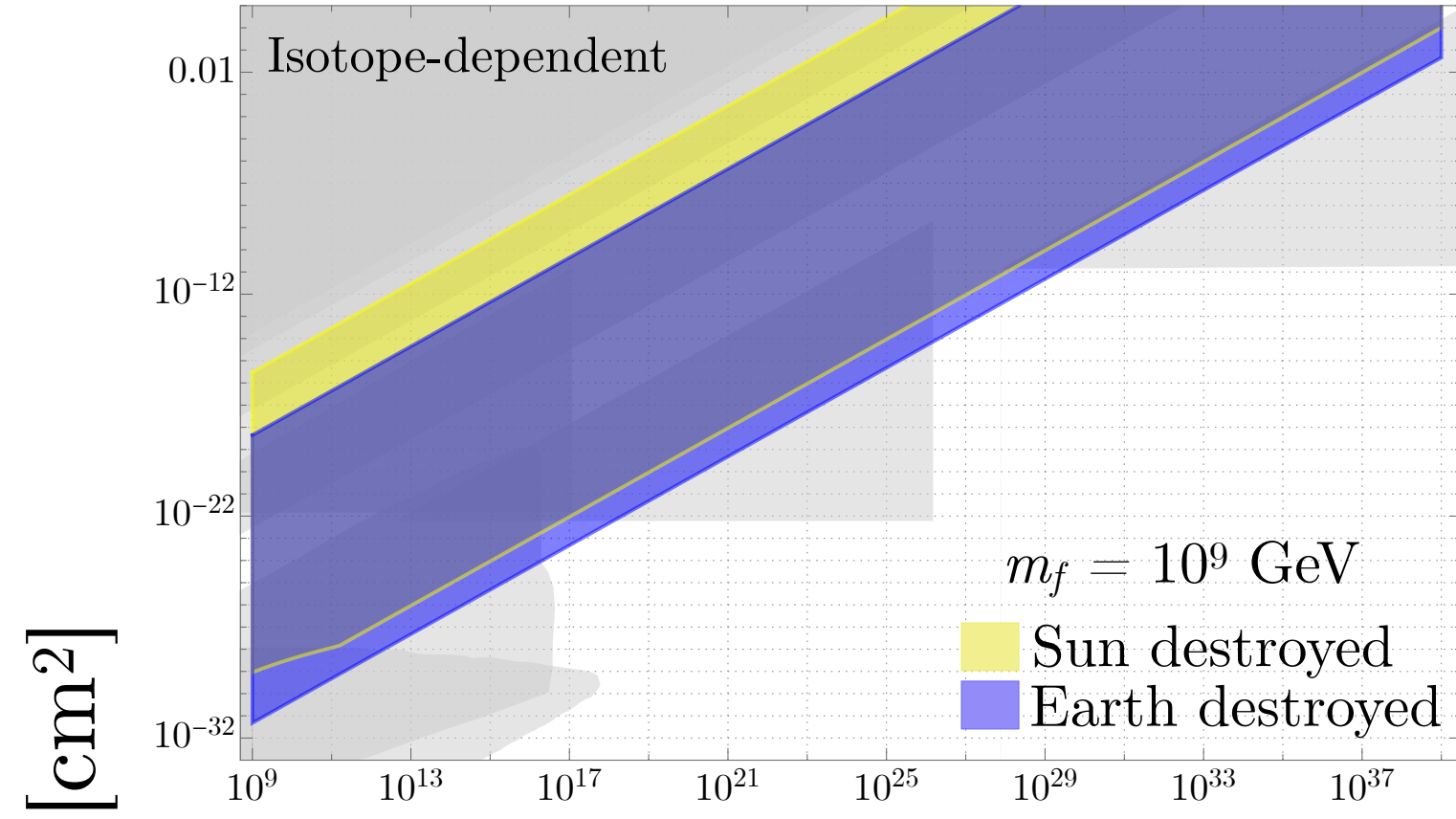
$$M_{BH}^{init} \gtrsim 4 \times 10^{10} \text{ g}$$

BHs do not evaporate

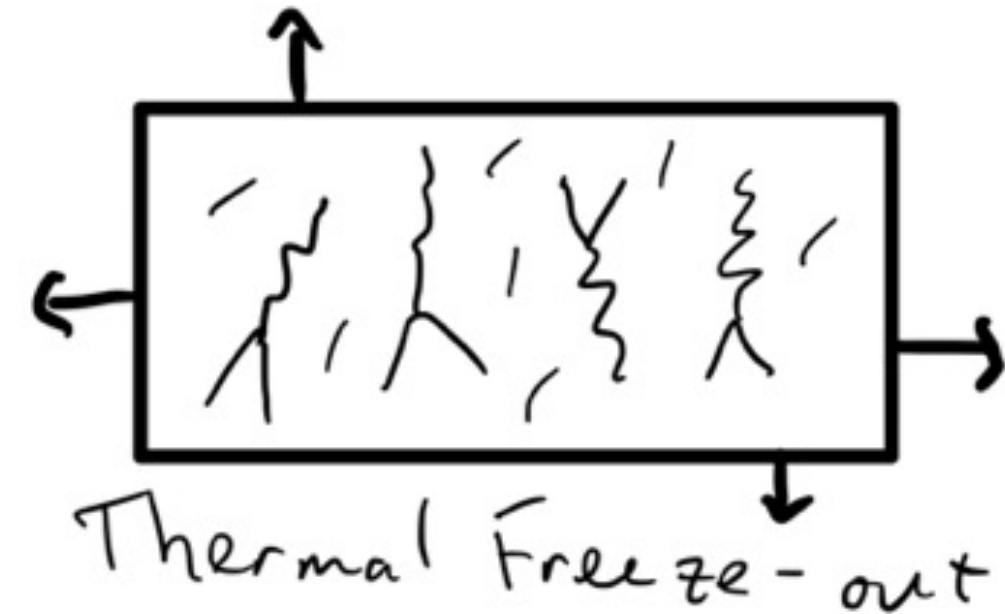




$$M_{crit} = \frac{M_{pl}^3}{m_f^2}$$



Weakly interacting dark matter "miracle"



As the universe cools, dark matter falls out of thermal equilibrium, some portion annihilates to SM particles

The final relic abundance depends on the annihilation cross-section, but only logarithmically on m_x

$$\Omega_x h^2 \propto \frac{x_{FO}}{\sigma_0} \quad | \quad x_{FO} \propto \ln[m_x]$$

$$\Omega_x h^2 \sim 0.1 \left(\frac{m_\nu}{100 \text{ GeV}} \right)^2 \left(\frac{0.03}{\alpha_w} \right)^2$$

The thermal relic annihilation cross-section matches the couplings and mass of the weak force, "wimp miracle"

DM Mass Unitarity Limit

Griest, Kamionkowski, '87

1. Assume freeze-out abundance set with annihilation

$$\sigma_0 \sim \text{picobarn} = 10^{-36} \text{ cm}^2$$

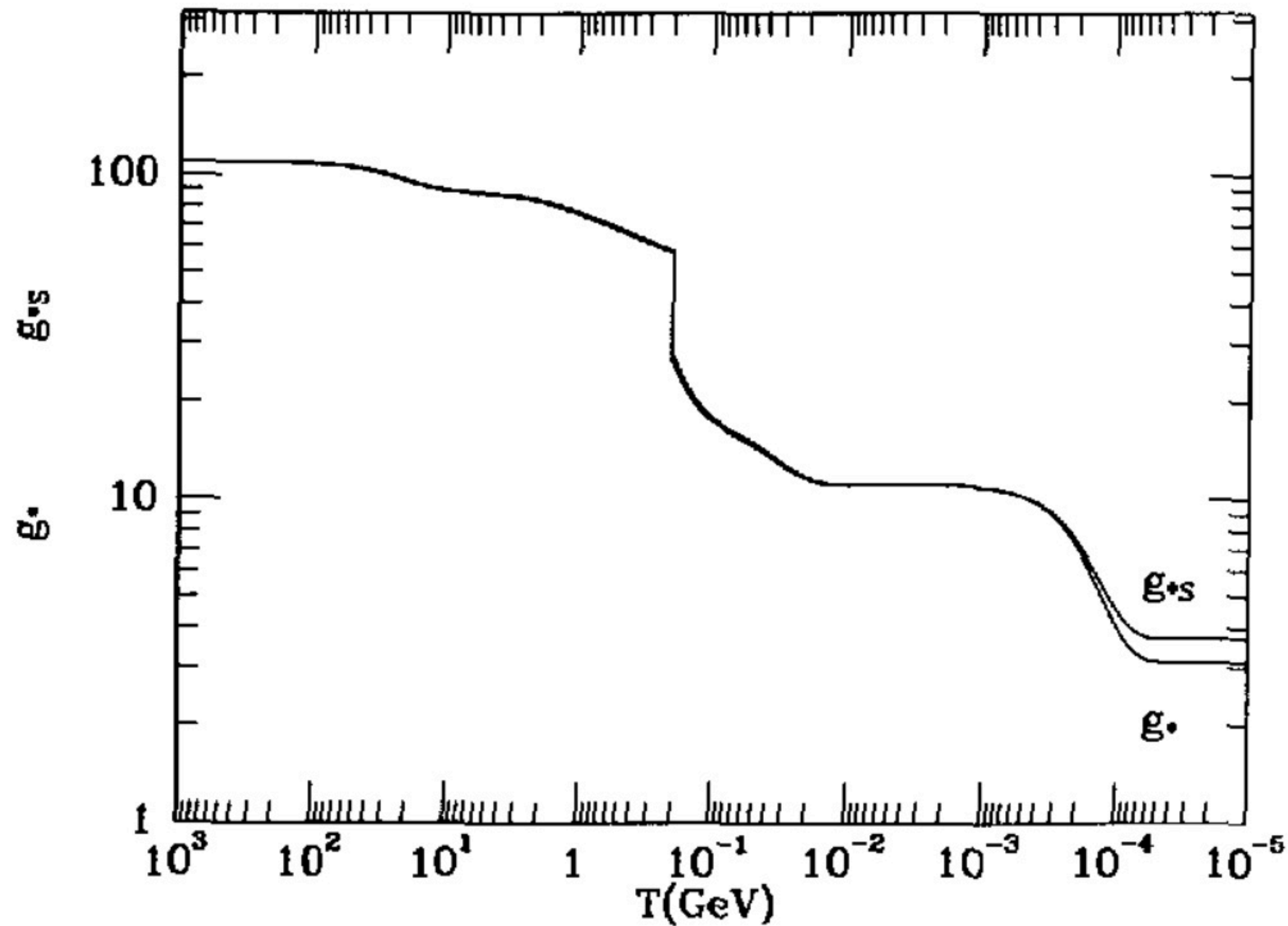
2. Require the annihilation cross-section not exceed a perturbative bound

$$\sigma_0 \lesssim 4\pi/m_{\text{DM}}^2$$

3. Then because this cross-section is a picobarn for thermal freeze-out, the suggestion for frozen out dark matter mass is

$$m_{\text{DM}} \lesssim 100 \text{ TeV}$$

Unitarity mass limit caveat: Entropy changes in the early universe



Kolb and Turner 1988

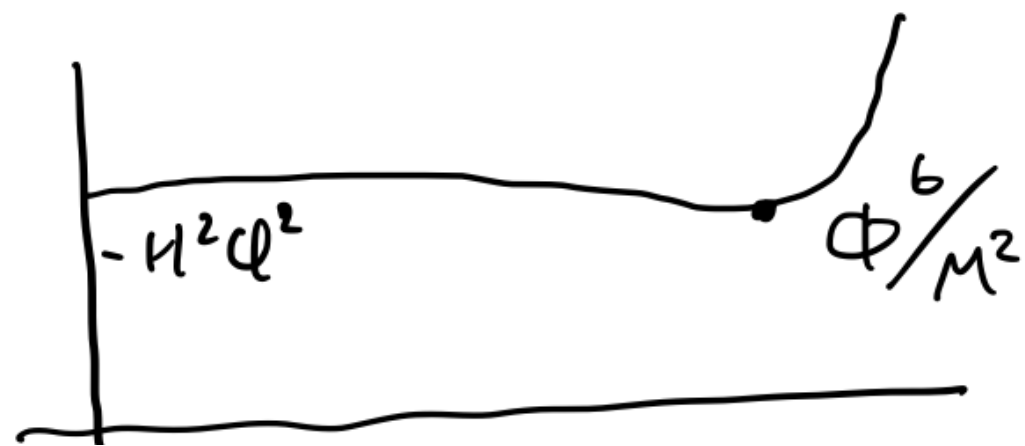
Degrees of Freedom in SM-only Universe

AD Baryogenesis

Afleck, Dine '85
 Linde '85
 Dine, Randall, Thomas '95

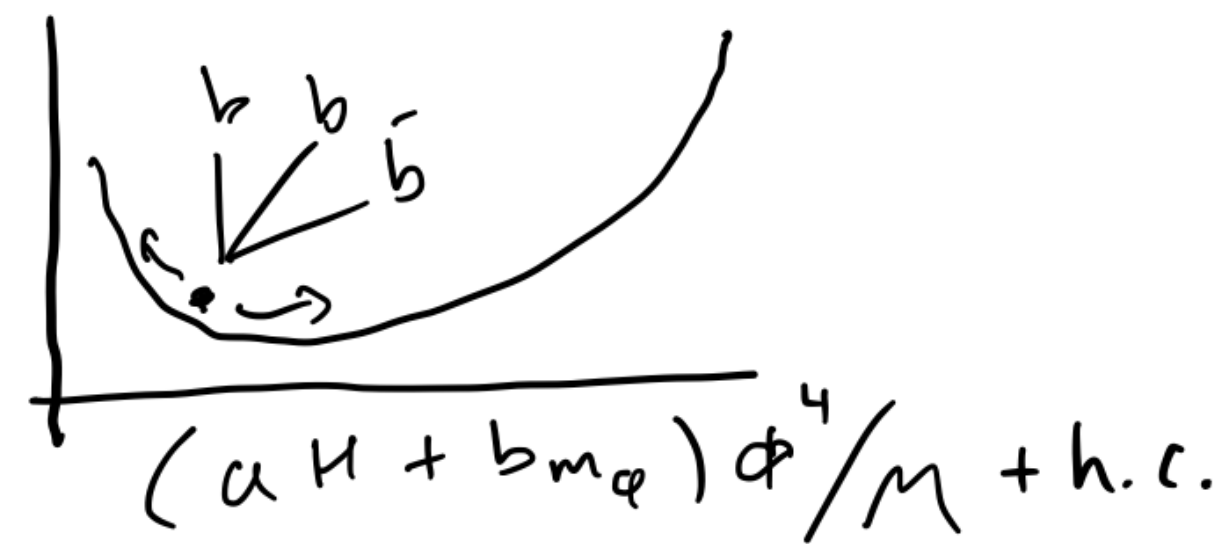
1. Baryo-charged scalar gets vev during inflation

$$V_{AD} = m_\phi^2 |\phi|^2 - H^2 |\phi|^2 + \frac{\phi^6}{M^2} + \cancel{CP}$$



2. Baryo-charged scalar decays (CP violating)

after inflation
 $H \lesssim M_\phi$

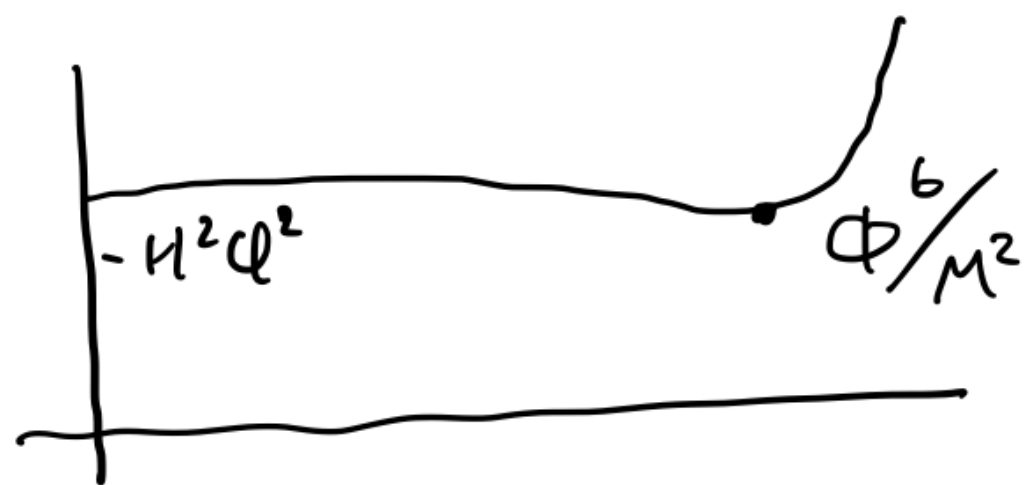


AD Baryogenesis

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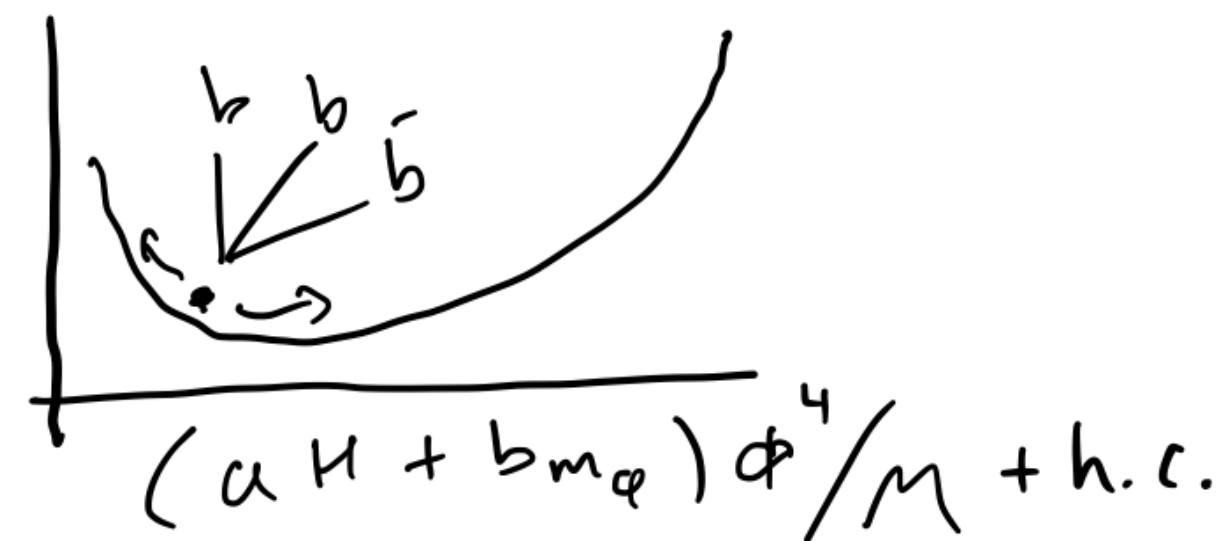
1. Baryo-charged scalar gets vev during inflation

$$V_{AD} = m_\phi^2 |\phi|^2 - H^2 |\phi|^2 + \frac{\phi^6}{M^2} + \cancel{CP}$$

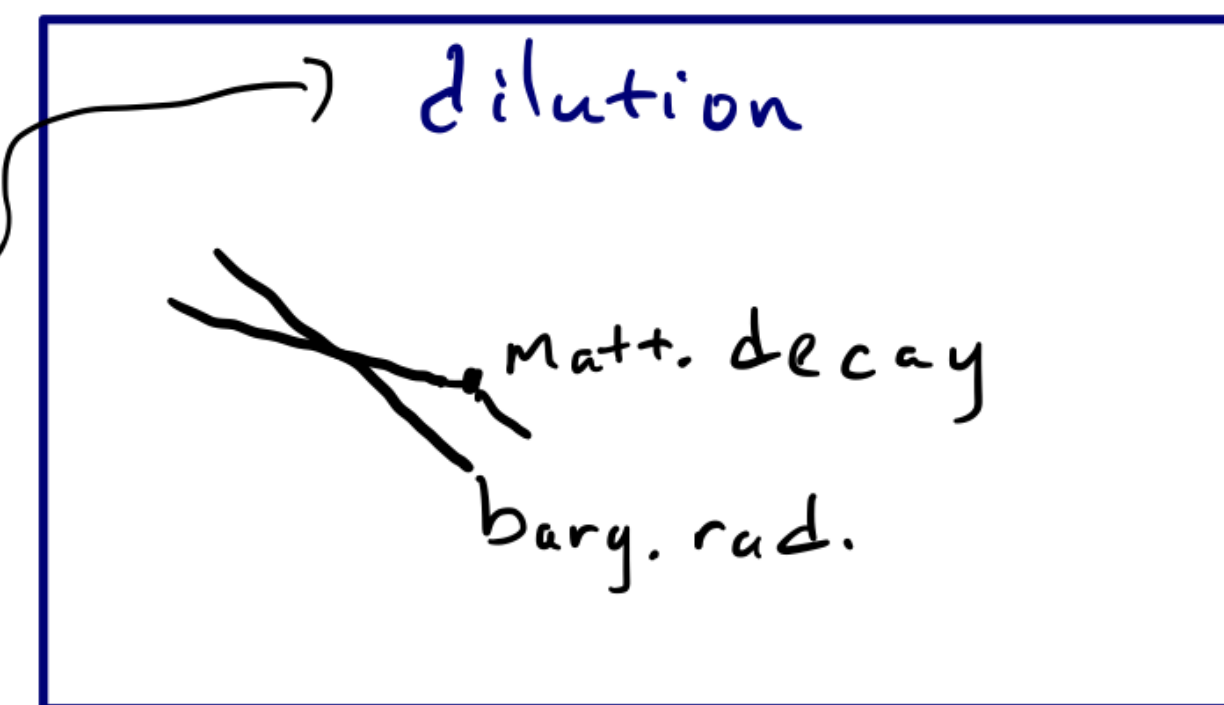


2. Baryo-charged scalar decays (CP violating)

after inflation
 $H \lesssim M_\phi$



3. Oops! too many baryons, need

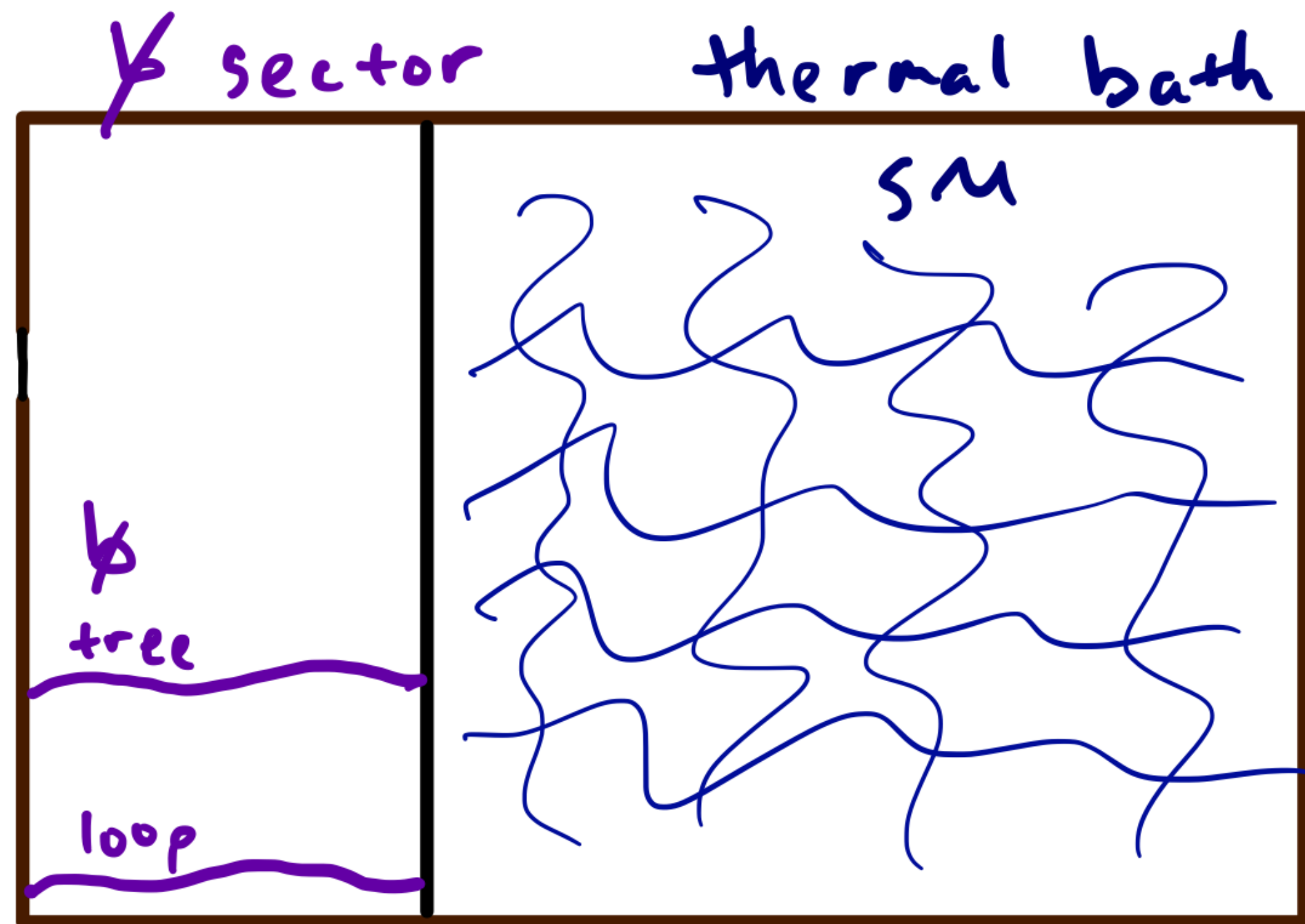


Main point: $\eta_b \sim 1 - 10^{-8}$ for a simple baryo-charged scalar
 $\eta_b = 10^{-10}$ observed, need dilution.

Why too many baryons?

If: $\mathcal{O}(1)$ CP violating decays

And: $\rho_\phi \sim \rho_u$
 \swarrow
 \not{B} sector

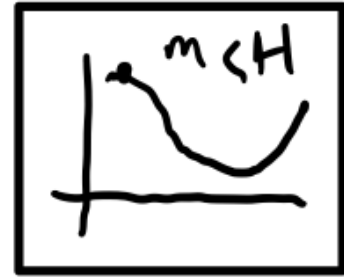


$$n_B \approx \frac{n_b}{\rho_u^{3/4}} \left(\int \right)$$

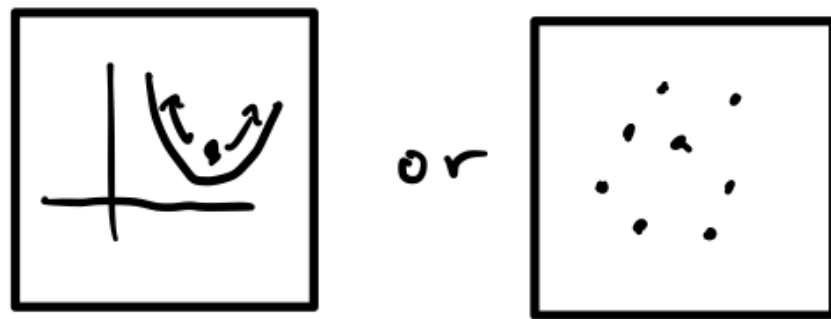
$n_b \sim [10^{-5} - 1]$ for any \not{B} sectors with $\mathcal{O}(1)$ couplings

High Scale Baryon Asymmetry Cosmology Dilutes Abundances

1. Stat. field

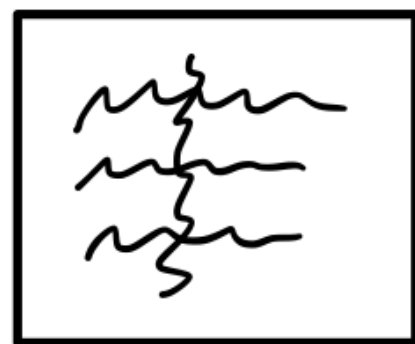


2. matt. field

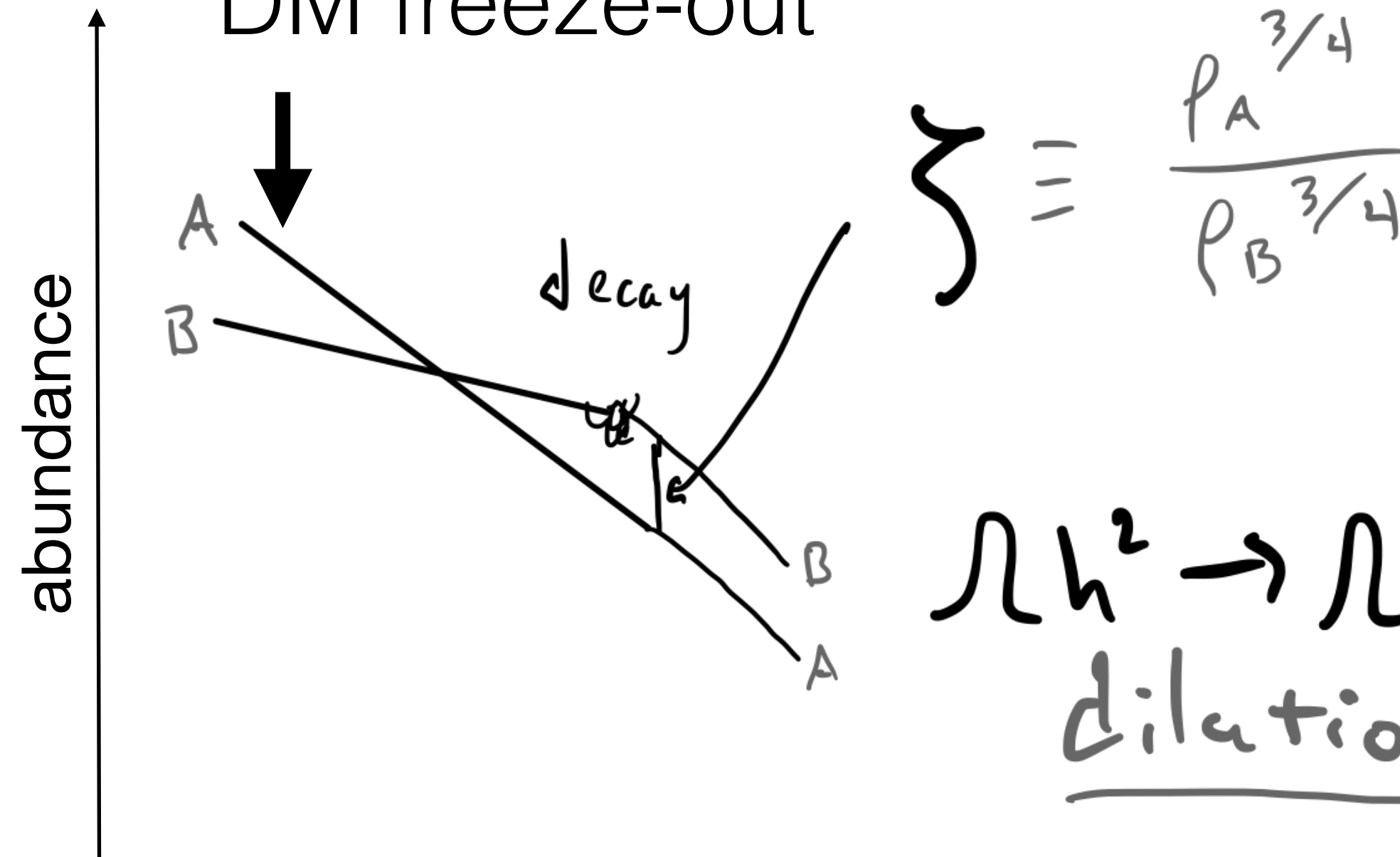


$\Gamma < H$

3. rad. field



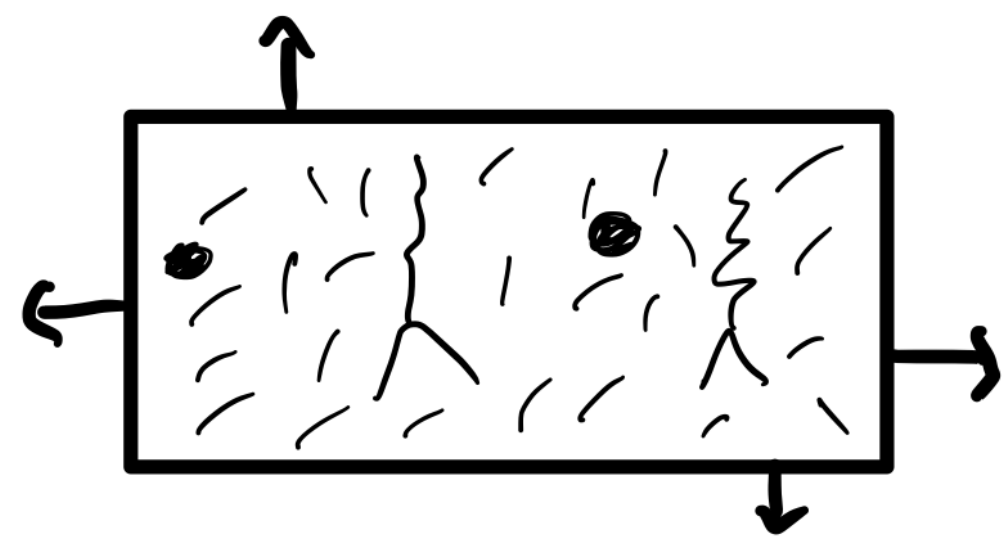
DM freeze-out



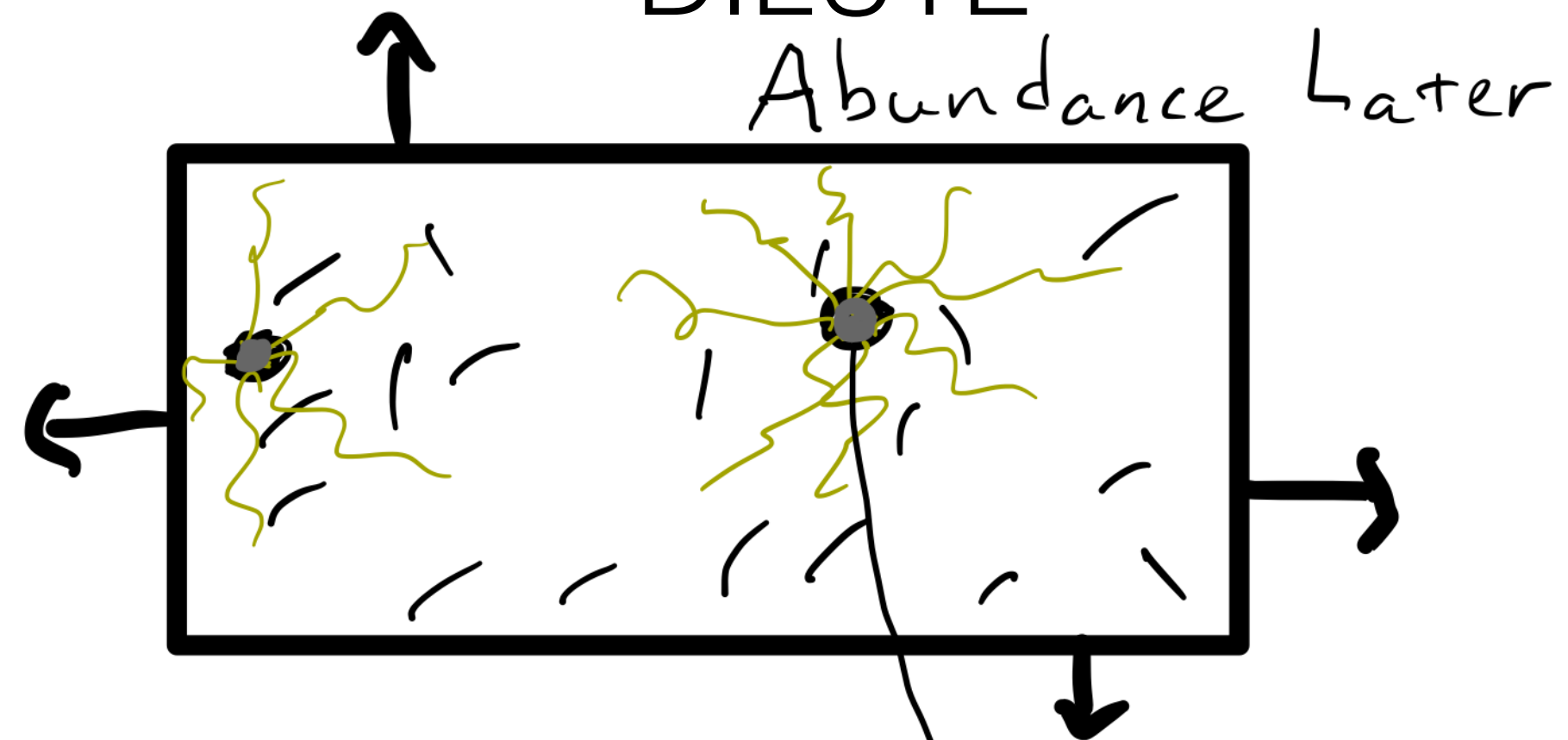
- **B** : slow decaying inflatons, moduli, GUT mass states, AD fields...

- **A** : Typically SM w/DM, baryons

Dilute WIMPS



Overabundant Freeze-out



DILUTE
Abundance Later

Late time dilution
from decaying states

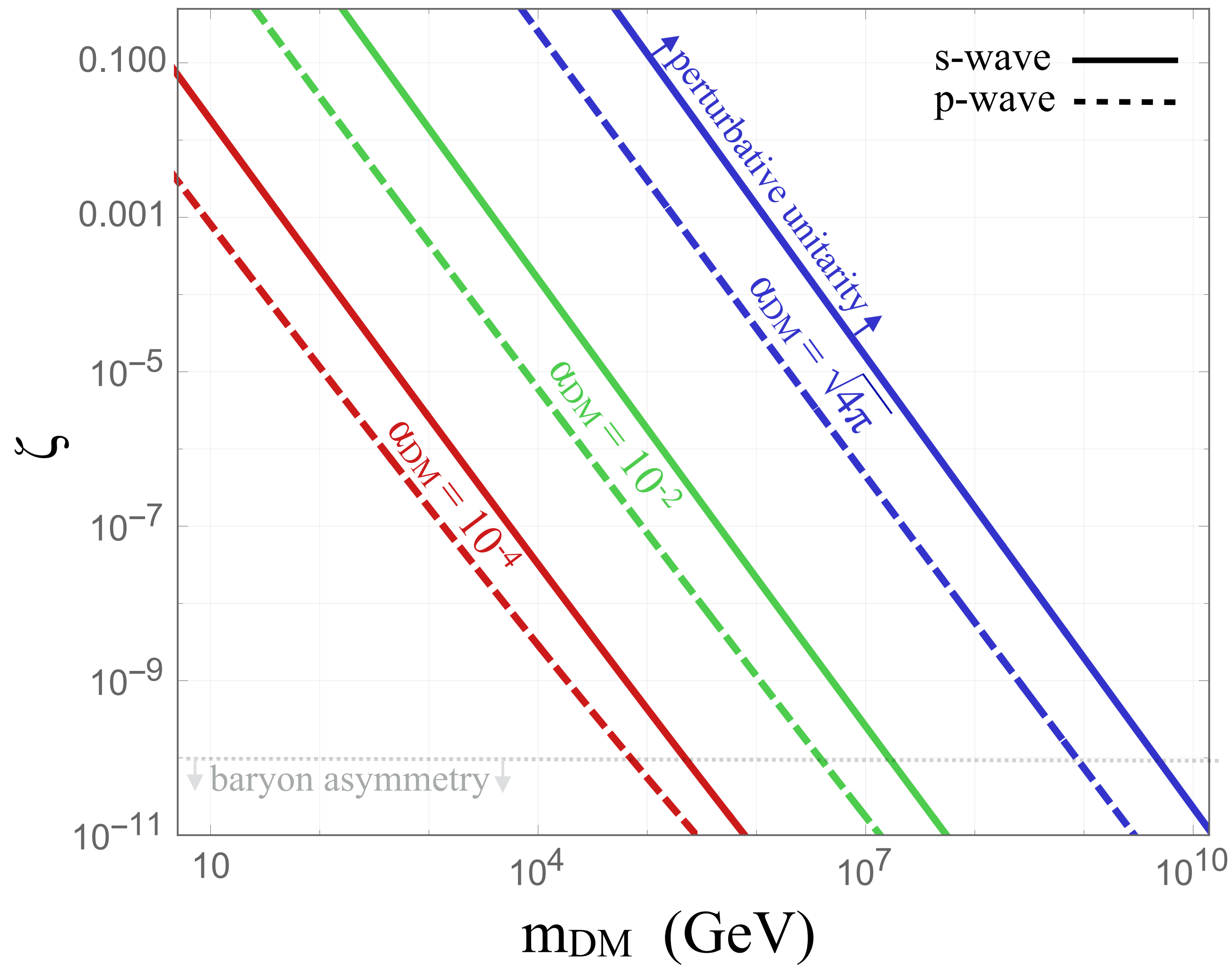
$$\Omega_{\text{DM}} h^2 \sim 0.1 \left(\frac{m_\nu}{\text{PeV}} \right)^2 \left(\frac{0.03}{\alpha} \right)^2 \left(\frac{\zeta}{10^{-8}} \right)$$

DILUTION FACTOR ζ

$$\zeta \equiv \frac{S_{\text{initial}}}{S_{\text{final}}} \left\{ \begin{array}{l} \Delta \text{ entropy} \\ \text{density from} \\ \text{decays} \end{array} \right.$$

See also
Allahverdi Dutta Sinha '11
Kane Shao Watson '11
Davoudiasl Hooper McDermott '15
Berlin Hooper Krnjaic '16

Much lower DM annihilation cross-section in diluted universe



➤ **Increasing dilution implies freeze-out dark matter masses up to 10^{10} GeV**

➤ **Super-GUT masses if DM produced out of equilibrium**

JB, Unwin 1701.05859

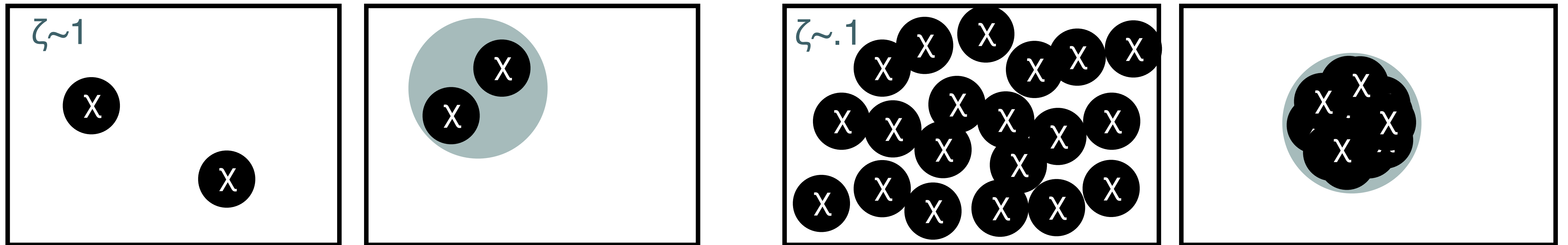
HIGH MASS ASYMMETRY, DILUTION, AND COMPOSITE DM

Consider a simple model of fermionic DM coupled by a scalar field

$$\mathcal{L} = \frac{1}{2}(\partial\varphi)^2 + \bar{X}(i\gamma^\mu\partial_\mu - m_X)X + g_X\bar{X}\varphi X - \frac{1}{2}m_\varphi^2\varphi^2 + g_n\bar{n}\varphi n + \mathcal{L}_{SM},$$

Diluted dark matter has a freeze-out abundance that scales with ζ^{-1}

This overabundance of dark matter can lead to very large $\varphi - X$ composites



$$N_c = \left(\frac{2n_X\sigma_X v_X}{3H} \right)^{6/5} = \left(\frac{20\sqrt{g_{ca}^*} T_r T_{ca}^{3/2} M_{pl}}{\bar{m}_X^{7/2} \zeta} \right)^{6/5} \simeq 10^{27} \left(\frac{g_{ca}^*}{10^2} \right)^{3/5} \left(\frac{T_{ca}}{10^5 \text{ GeV}} \right)^{9/5} \left(\frac{5 \text{ GeV}}{\bar{m}_X} \right)^{21/5} \left(\frac{10^{-6}}{\zeta} \right)^{6/5}$$

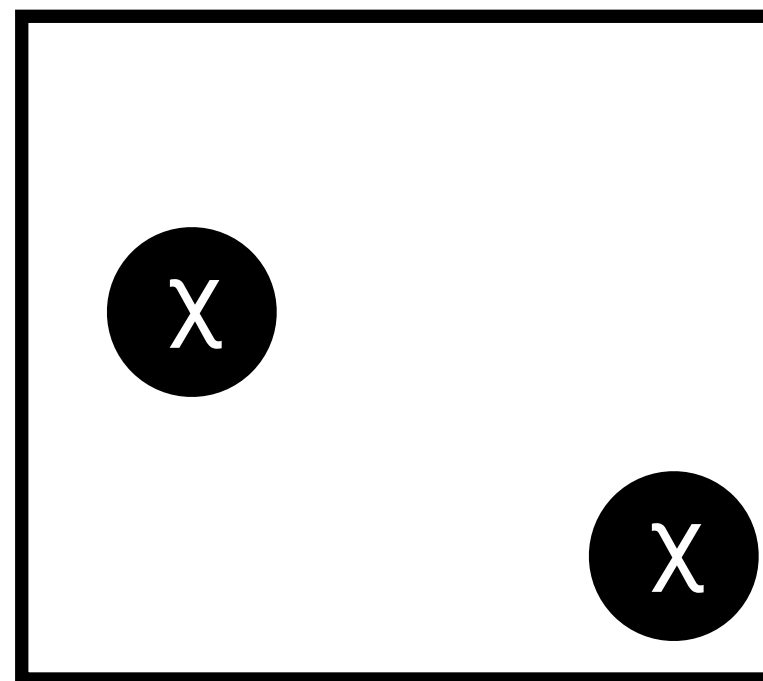
Composite mass ranging from milligrams to thousands of tons

HIGH MASS ASYMMETRY, DILUTION, AND COMPOSITE DM

Consider a simple

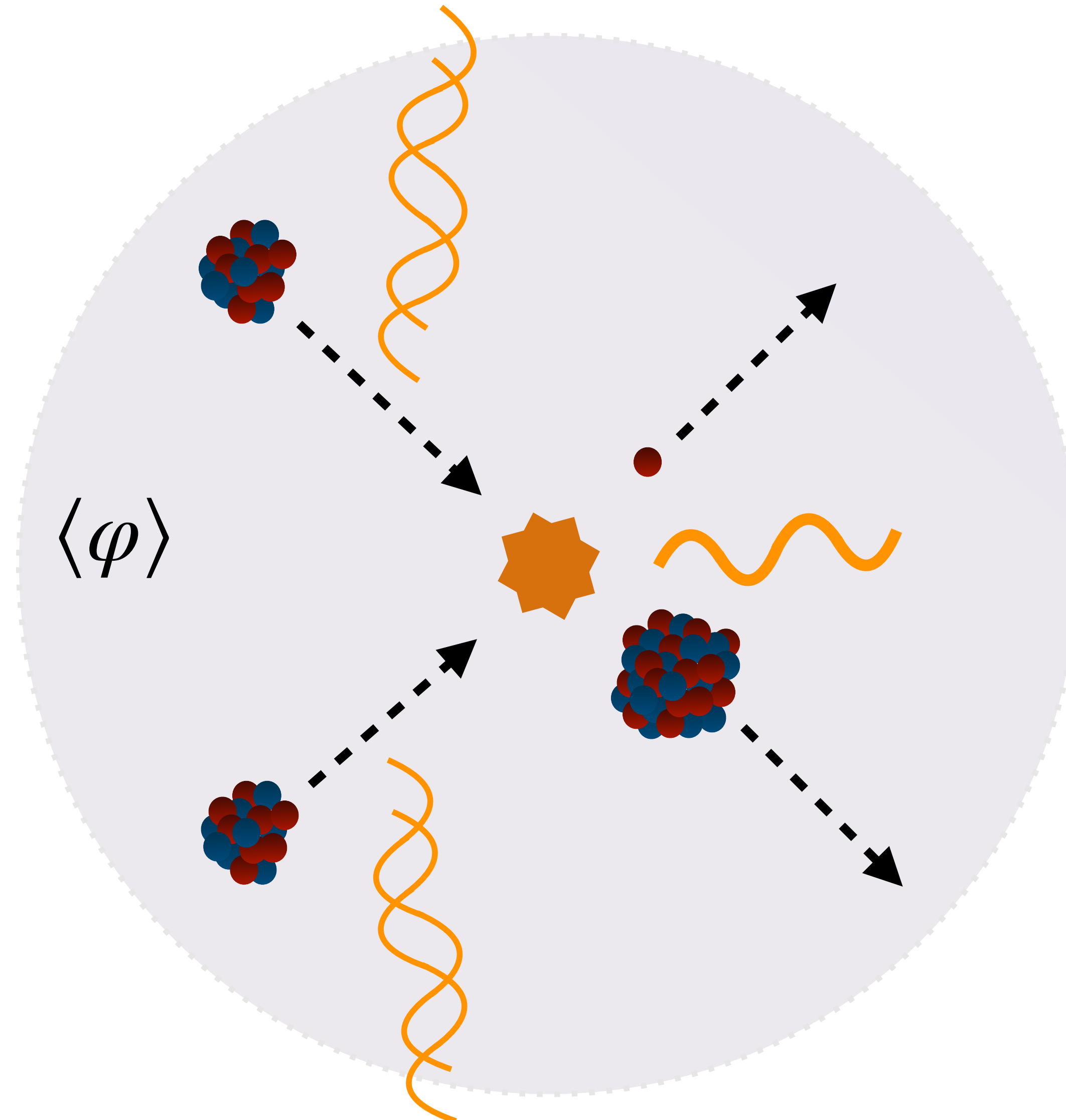
$$\mathcal{L} = \frac{1}{2}(\partial\phi)^2 + \bar{X}(i\partial\!\!\!/ - m_X)X$$

Since diluted dark

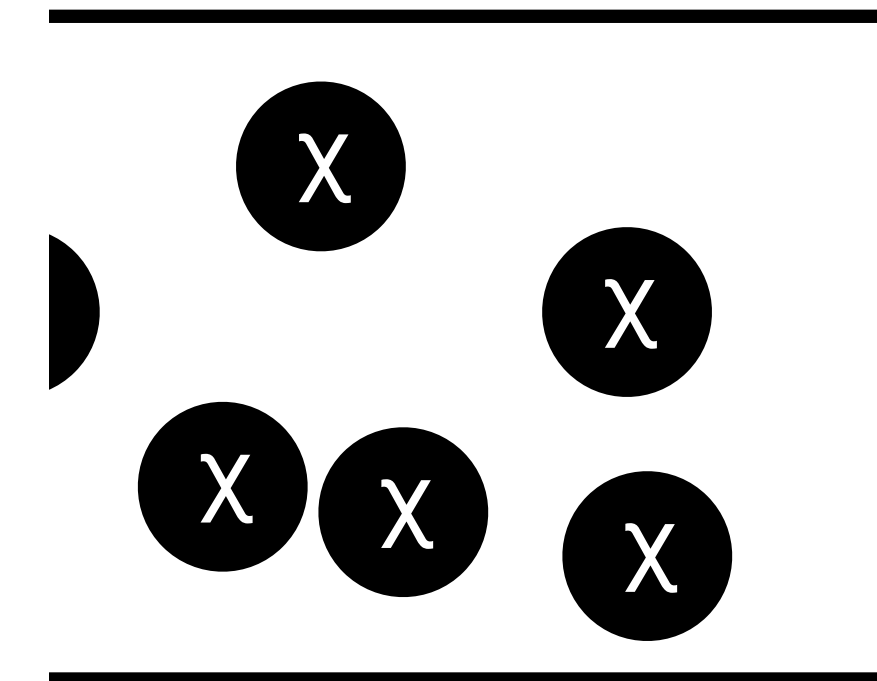


This overabundance

$$N_c = \left(\frac{2n_X \sigma_X v_X}{3H} \right)^{6/5}$$



$h \zeta^{-1}$



Composite DM

$$\left(\frac{5 \text{ GeV}}{\bar{m}_X} \right)^{21/5} \left(\frac{10^{-6}}{\zeta} \right)^{6/5}$$

THE HIGH MASS DARK MATTER FRONTIER

- Direct detection experiments and multiscatter
- Interstellar gas cloud cooling
- Solar / terrestrial / martian / white dwarven / neutron stars

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Upcoming work:

- Accelerative dark matter
- Mineral searches for heavy dark matter
- Composite cosmology