

Simulation of an electron-positron plasma in the context of the IGC paradigm

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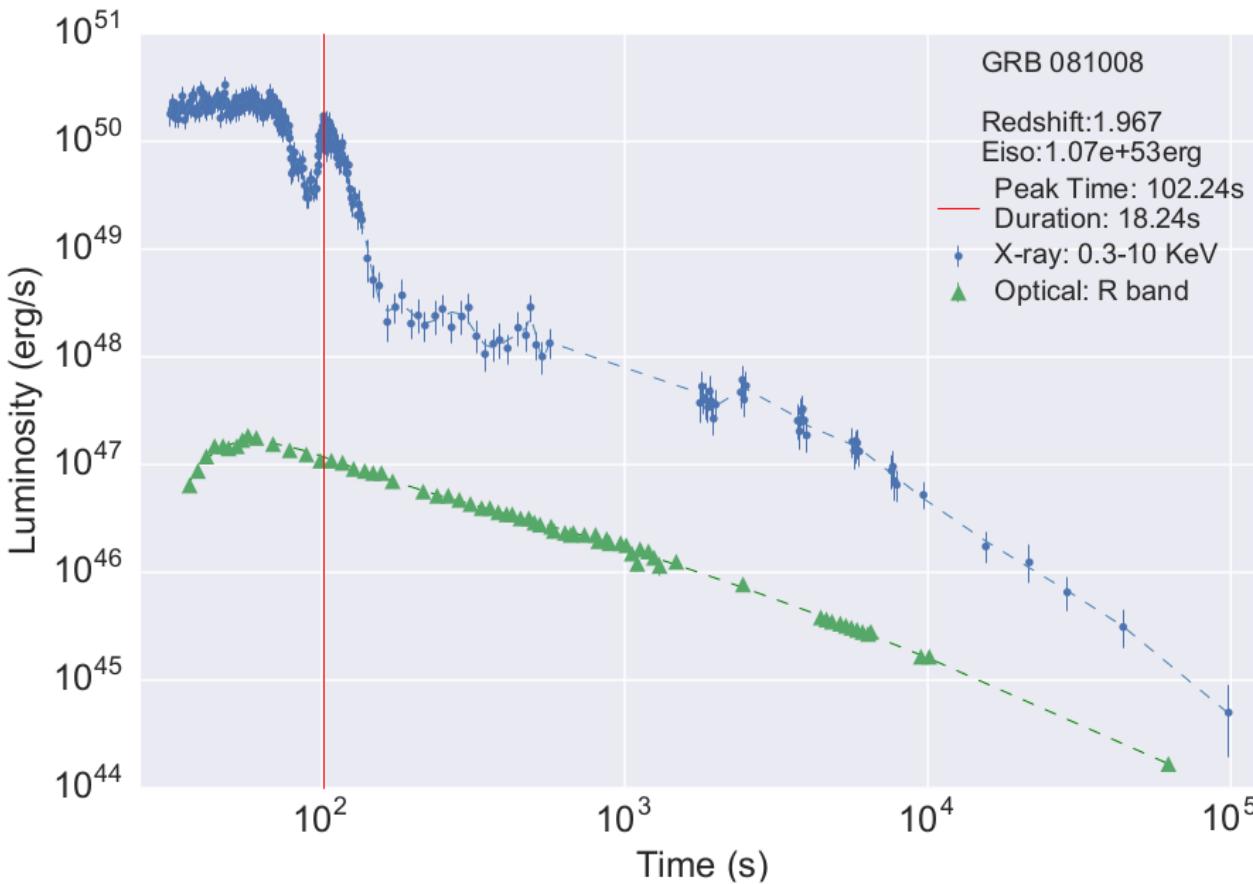
International Conference on Gravitation : Joint Conference of ICGAC-XIII and IK15

Ewha Womans University, Seoul, Korea

July 03, 2017 - July 07, 2017

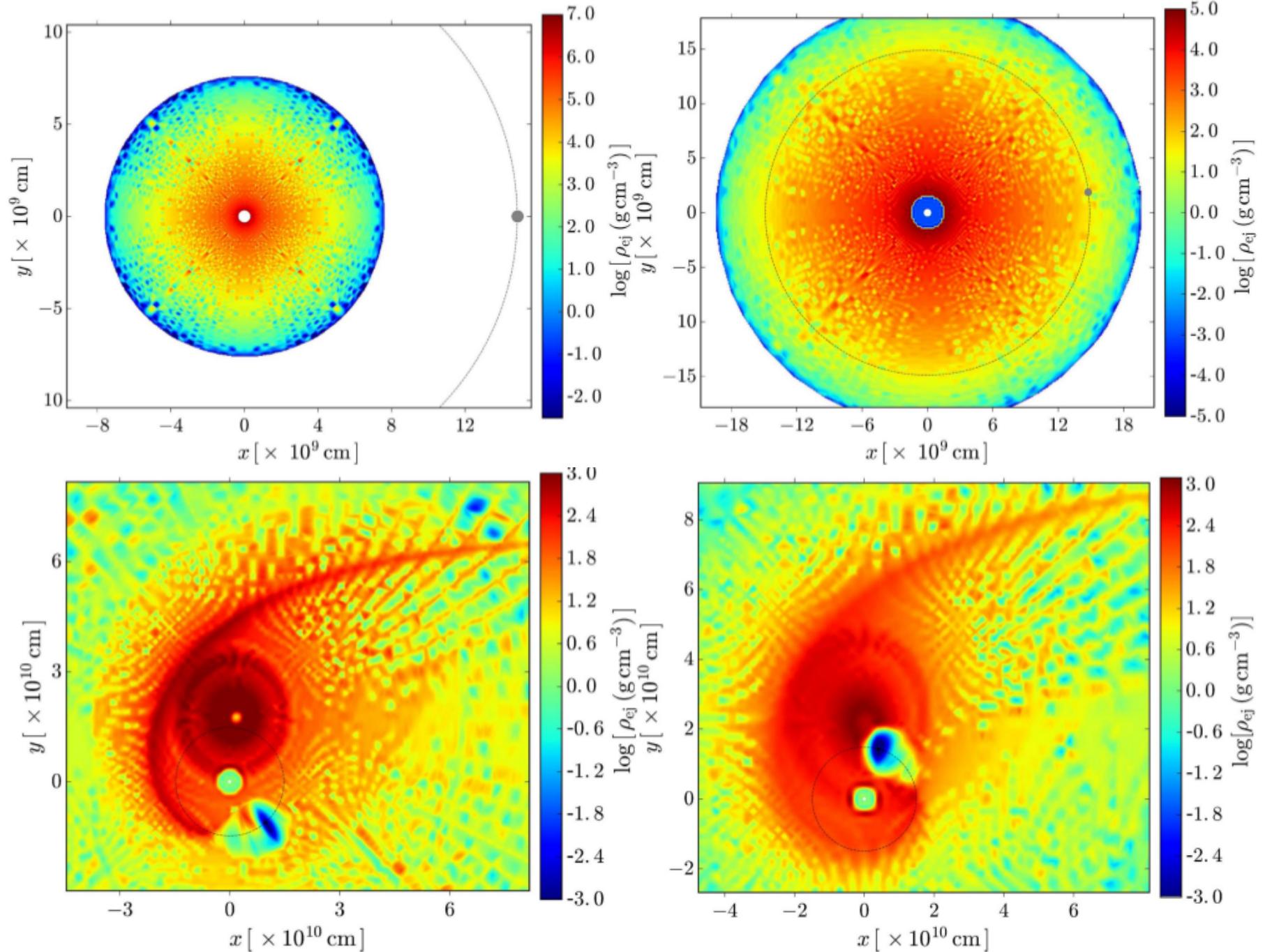
- *BDHNe and the IGC paradigm*
 - *Numerical schemes*
 - *Simulations*
- *Conclusions and future work*

Outline of the problem: Gamma Ray-Bursts and X-ray flares

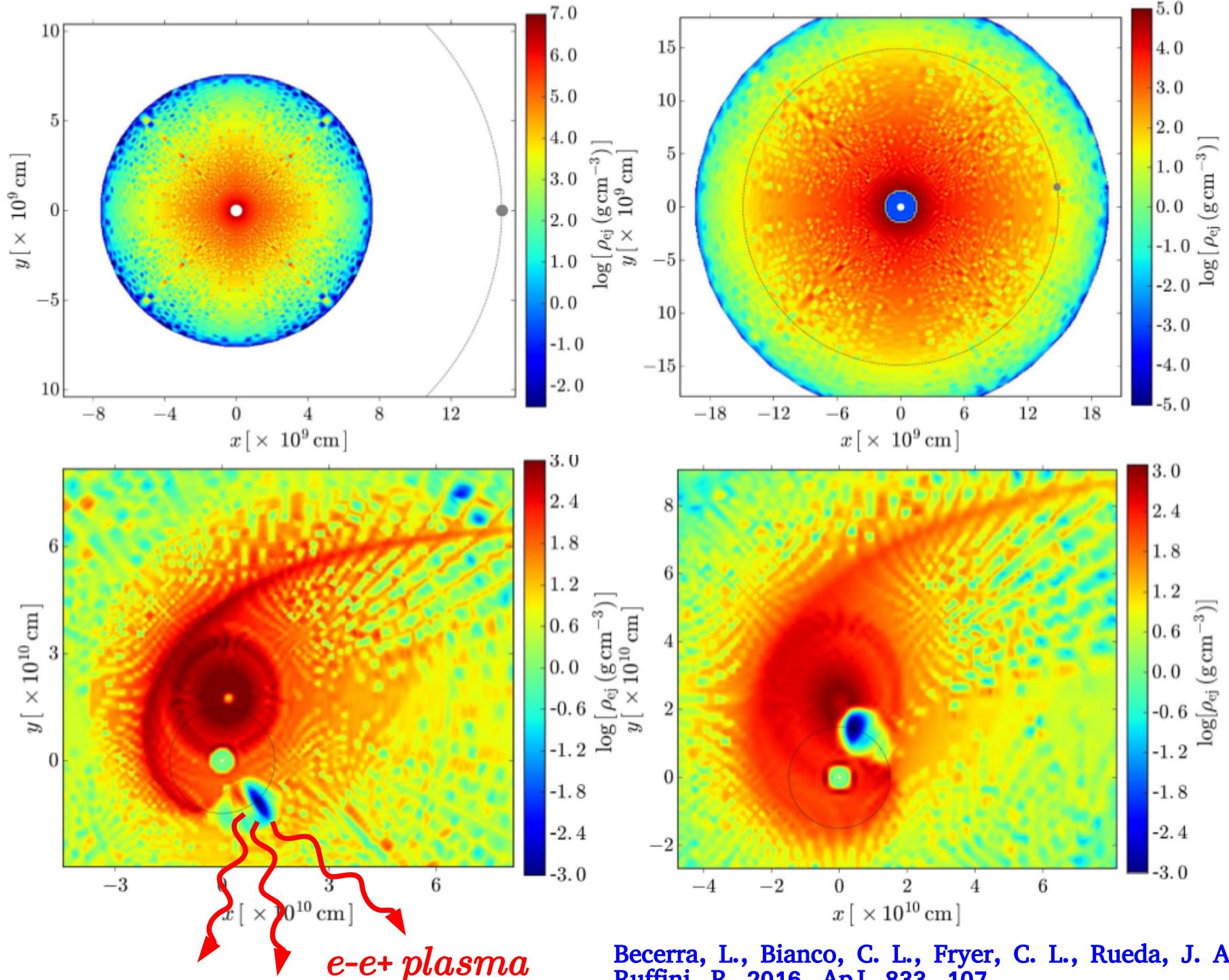


- **SN-GRB connection** (see e.g. Woosley & Bloom 2006; Della Valle 2011; Hjorth & Bloom 2012).
- Observation of **X-ray flares** with measured Lorentz factors **r up to ~4**, following the usual prompt emission with **r ~10²-10³** (R. Ruffini, Y. Wang et al., 2017, arXiv:1704.03821).

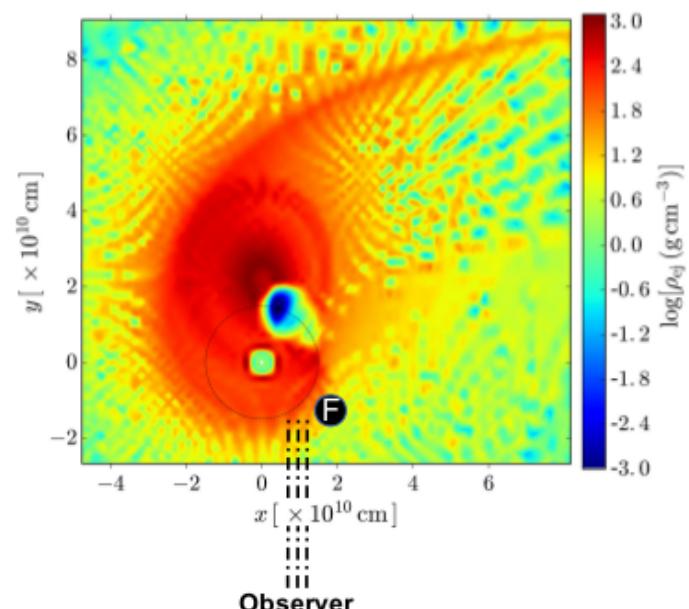
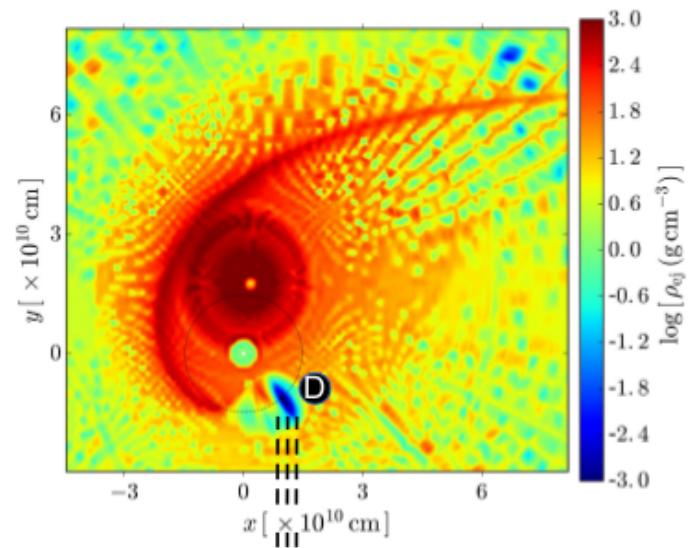
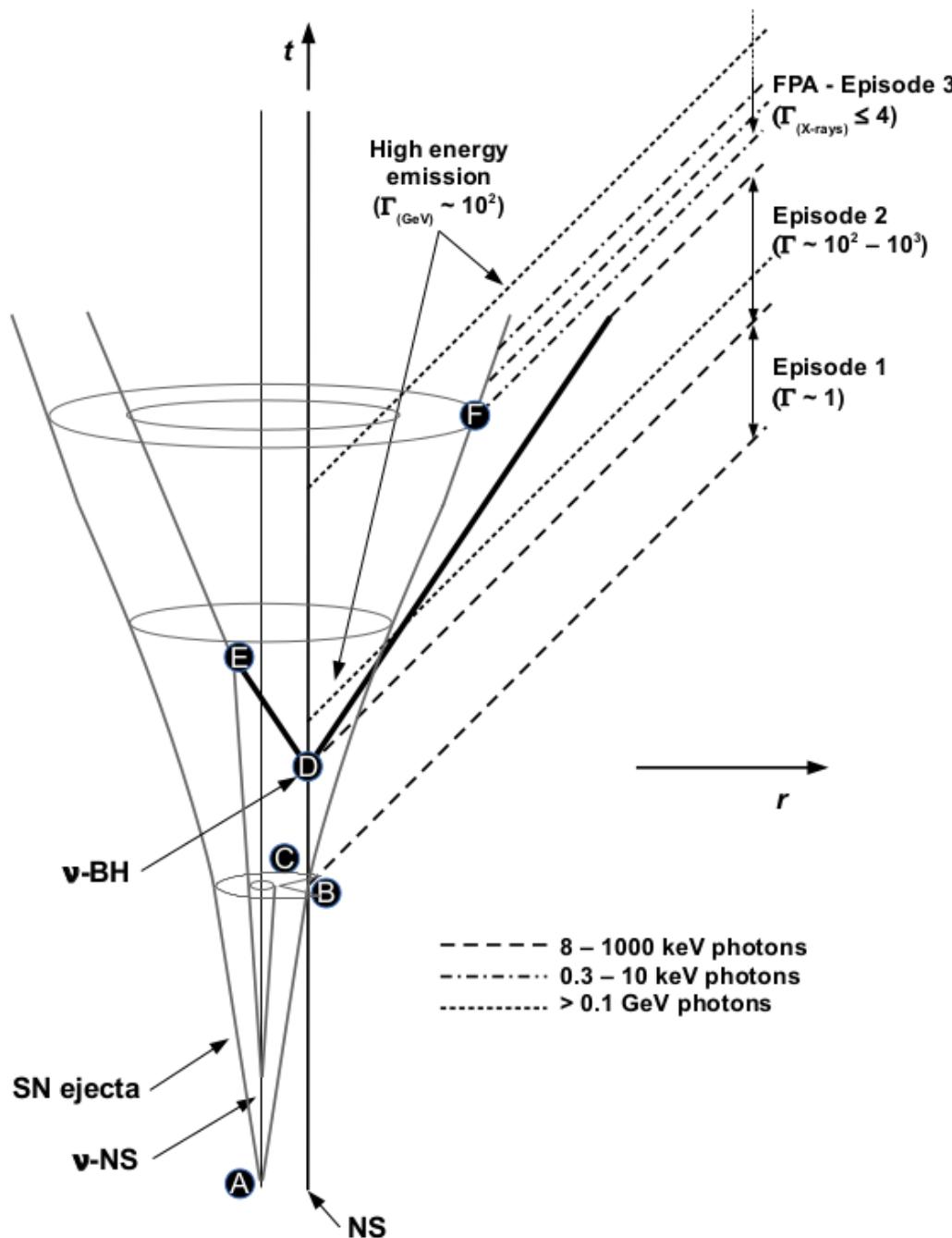
Outline of the problem: The IGC paradigm for GRBs



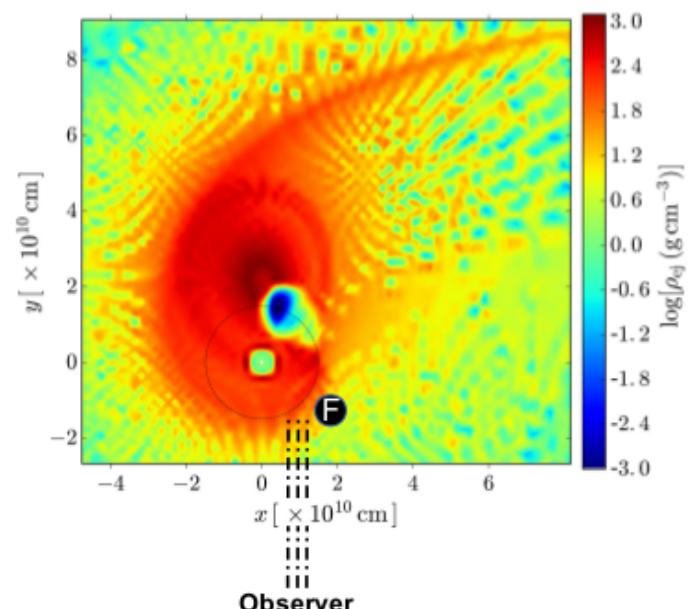
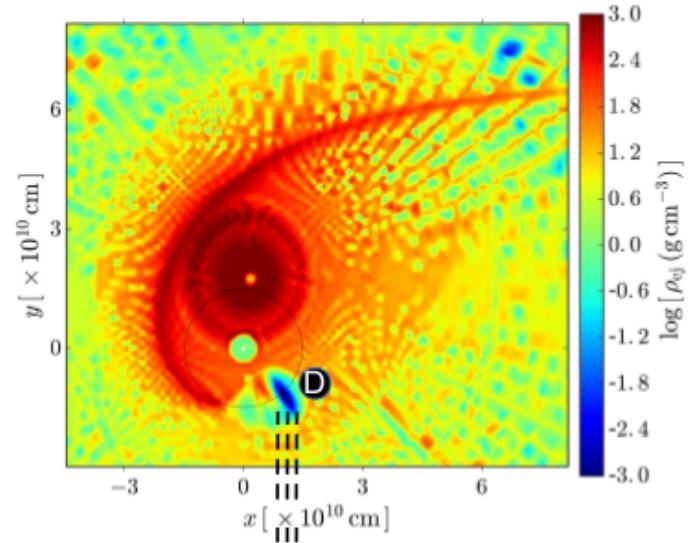
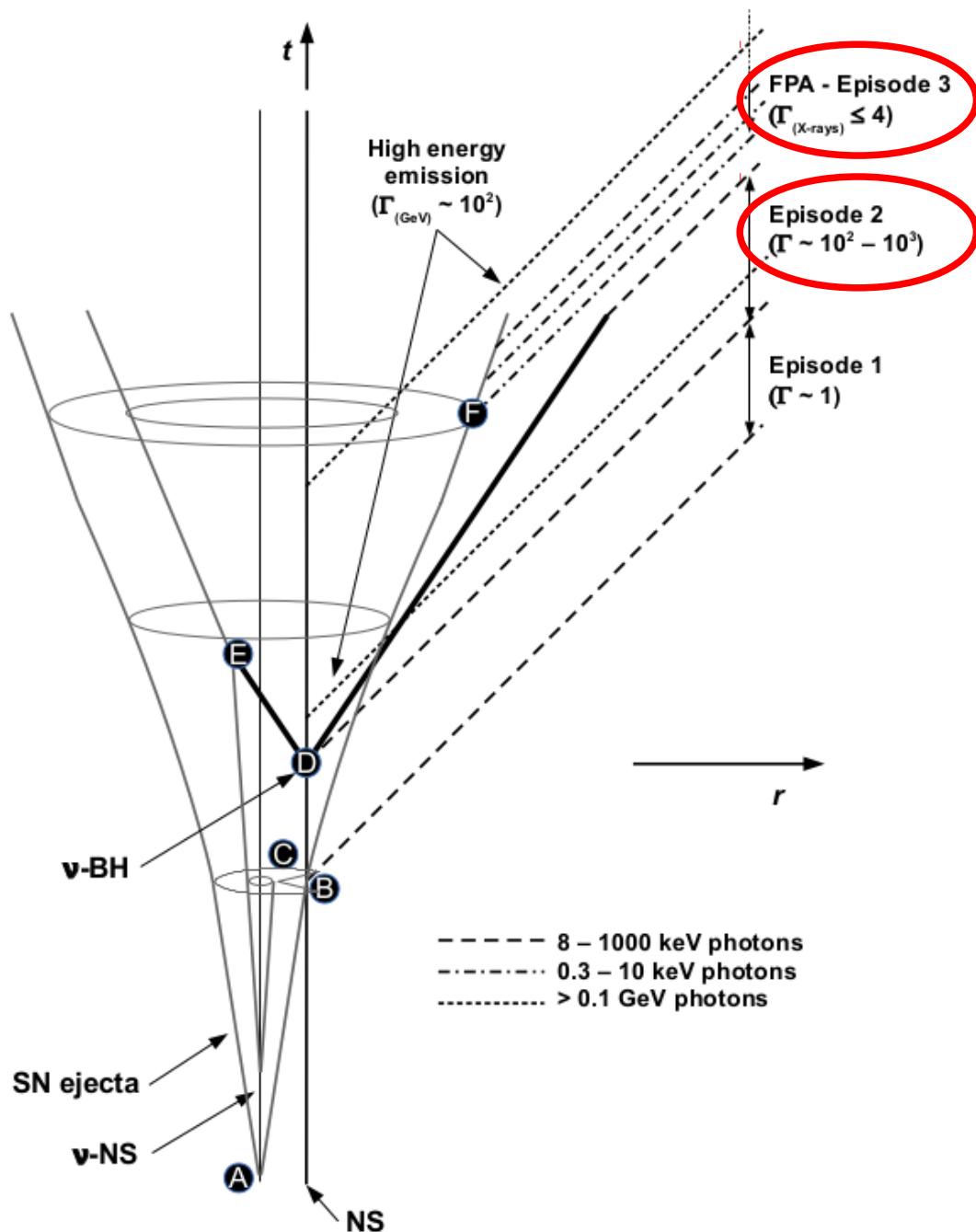
Outline of the problem: The IGC paradigm for GRBs



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Numerical Schemes

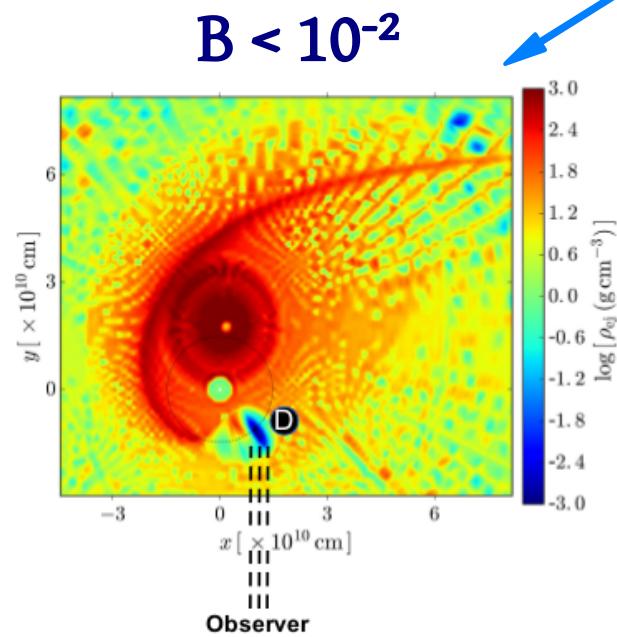
Baryon load

$$B = M_B c^2 / E_{e^+ e^-}$$

Numerical Schemes

Baryon load

$$B = M_B c^2 / E_{e^+ e^-}$$



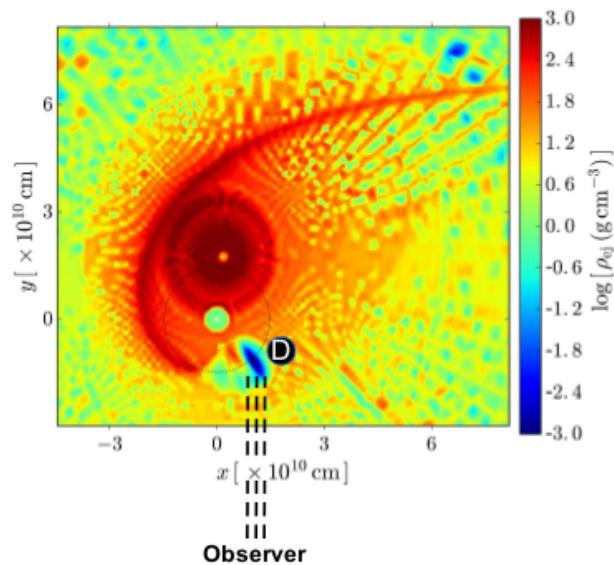
- Approximate code, constant thickness,
Ruffini, Xue, Bianco, ICRANet, 1999.
 - 1D
 - Constant thickness approximation

Numerical Schemes

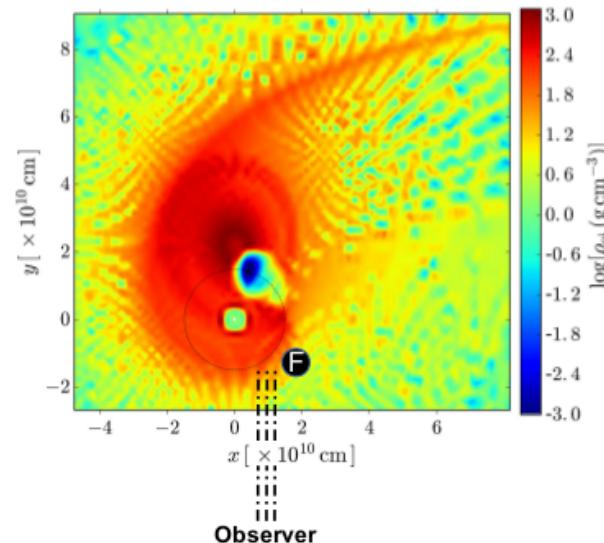
Baryon load

$$B = M_B c^2 / E_{e^+ e^-}$$

$B < 10^{-2}$



$B > 10^{-2}$



- Approximate code, **constant thickness**, Ruffini, Xue, Bianco, ICRA-Net, 1999.
 - 1D
 - Constant thickness approximation

- Nowadays: using **PLUTO** code (Mignone, 2007) to solve the **RHD** equations.
 - 1D, 2D, 3D.
 - Works with several Godunov-type solvers (Lax-Friedrichs, HLL, etc). Shock-capturing schemes.

Numerical Schemes

- RHD equations (1D, spherical symmetry) in conservation form:

$$\frac{\partial(\rho\Gamma)}{\partial t} + \nabla \cdot (\rho\Gamma \mathbf{v}) = 0$$

Mass

$$\frac{\partial m_r}{\partial t} + \nabla \cdot (m_r \mathbf{v}) + \frac{\partial p}{\partial r} = 0$$

Momentum

$$\frac{\partial \mathcal{E}}{\partial t} + \nabla \cdot (\mathbf{m} - \rho\Gamma \mathbf{v}) = 0$$

Energy

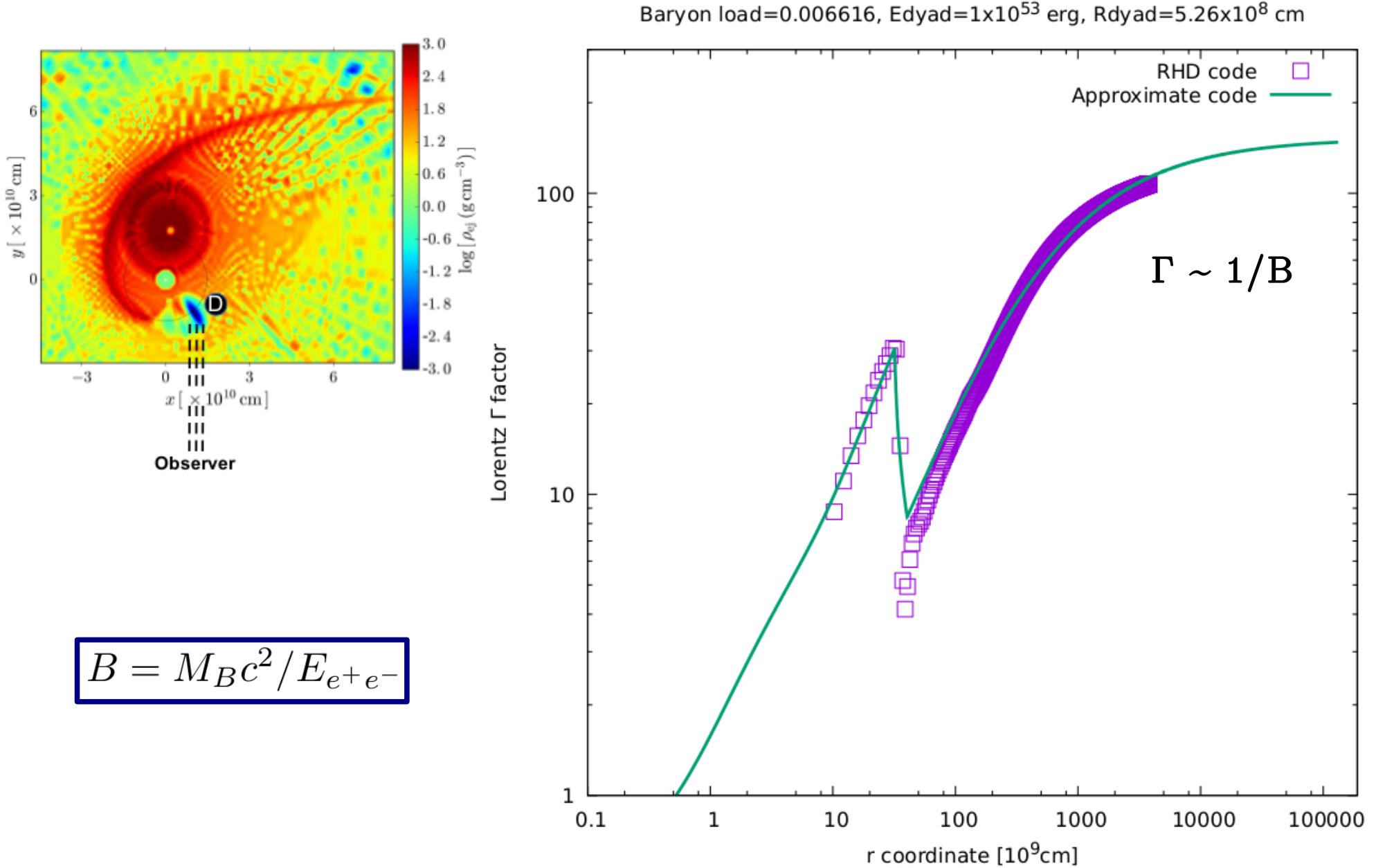
- Closure: Equation of State

$$h = \rho + \frac{\gamma p}{\gamma - 1}$$

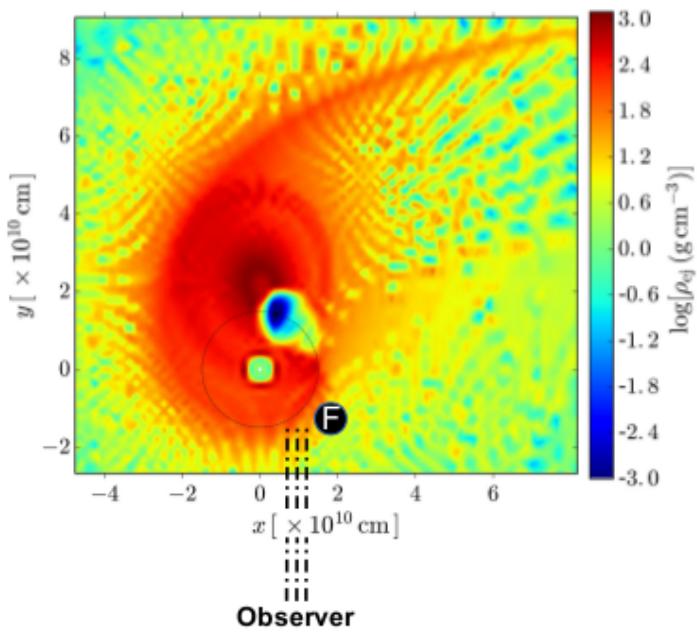
Constant γ index = 4/3
(verified)

- Assumption of local thermodynamic equilibrium

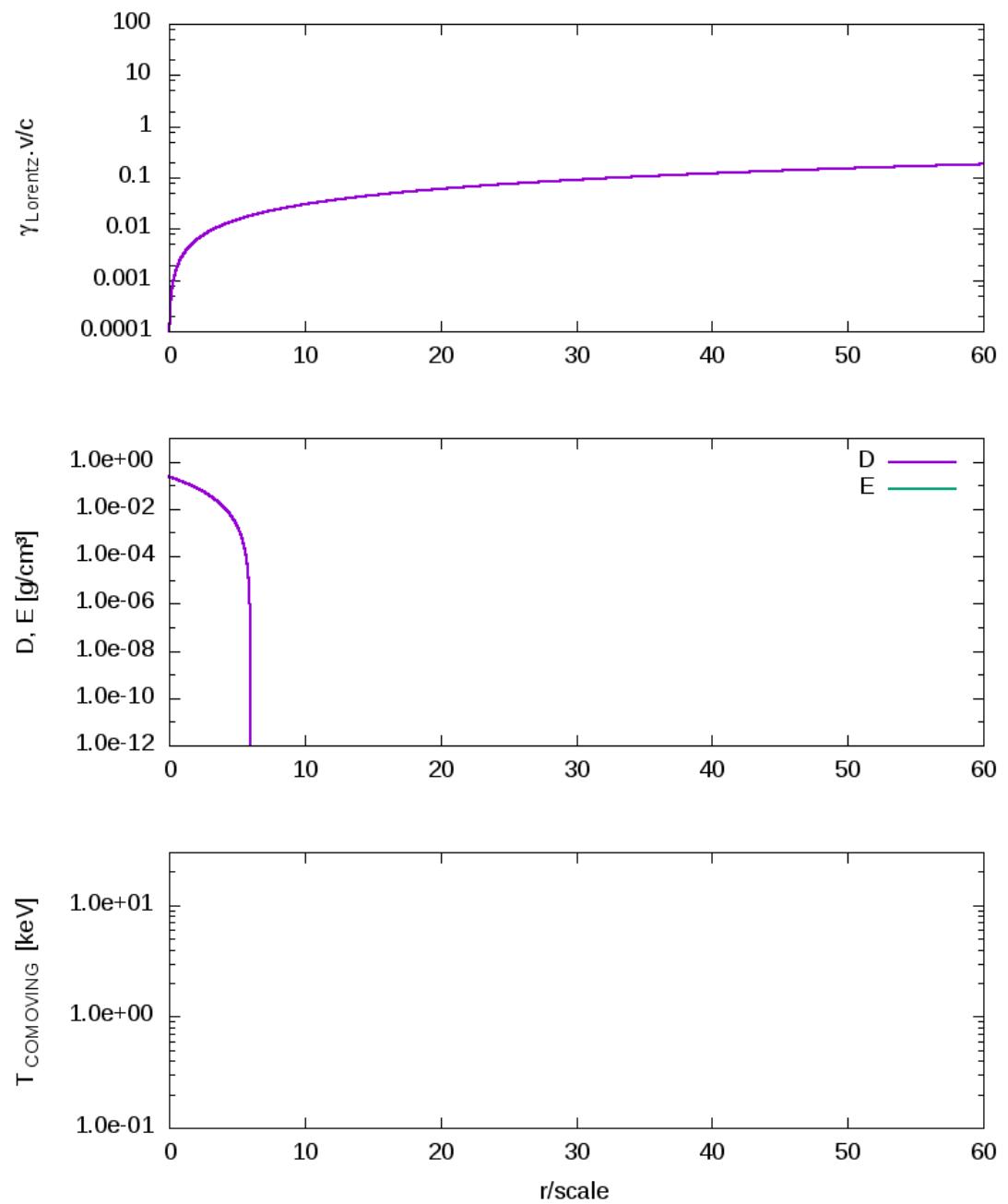
Results in 1D, low density



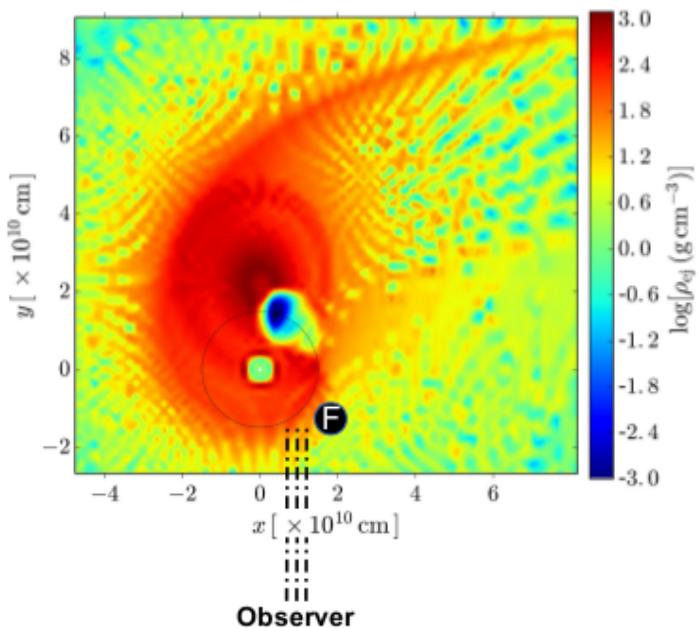
Results in 1D, high density



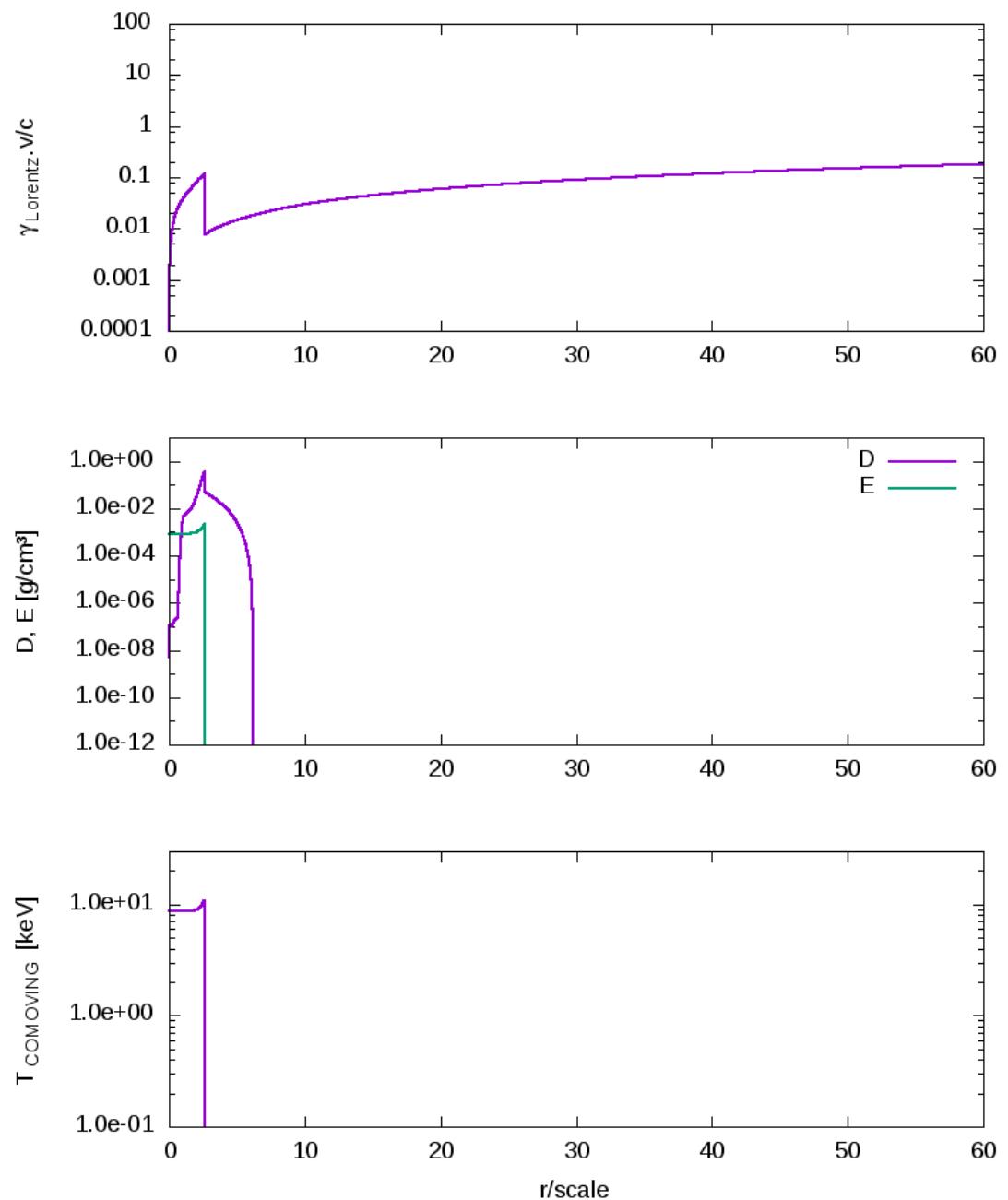
$t=0.000 \text{ s}$, scale=8.000000e+10 cm, factor=50.000



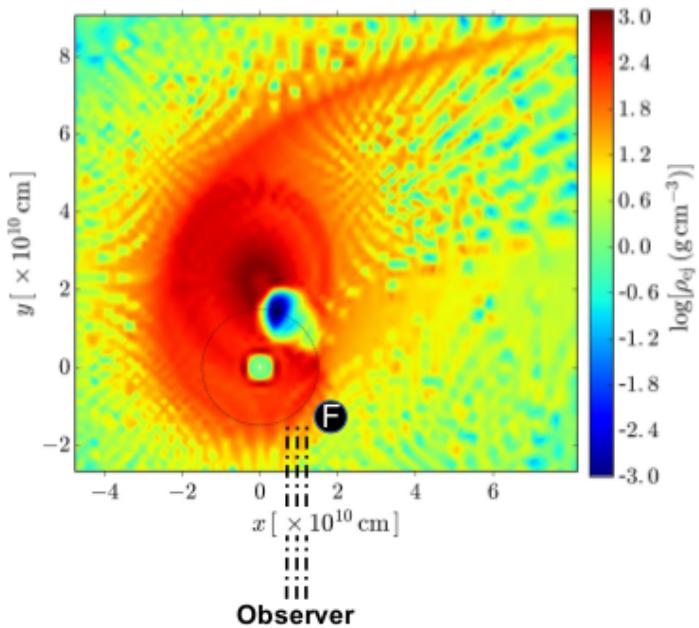
Results in 1D, high density



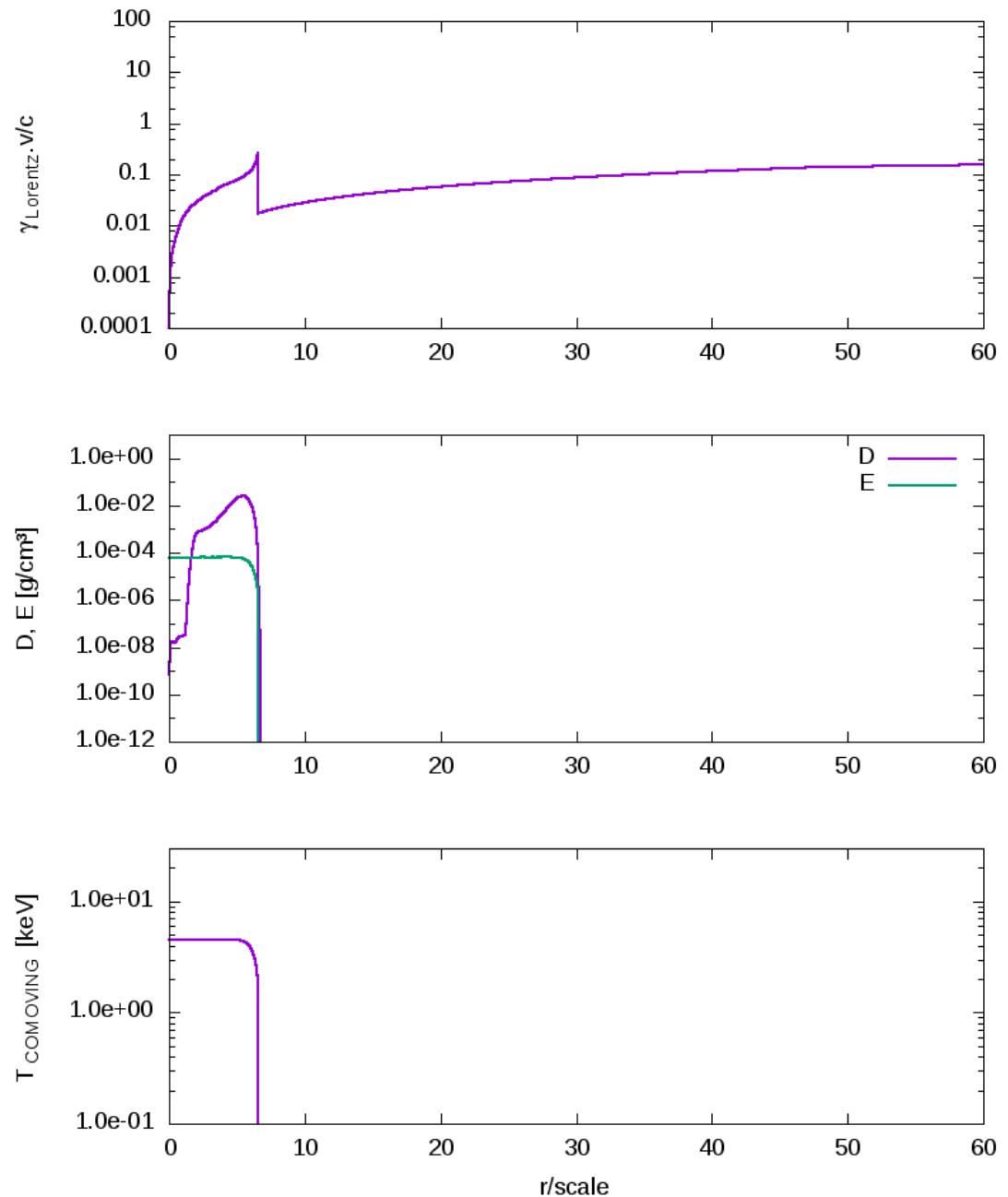
$t=26.685 \text{ s}$, scale=8.000000e+10 cm, factor=50.000



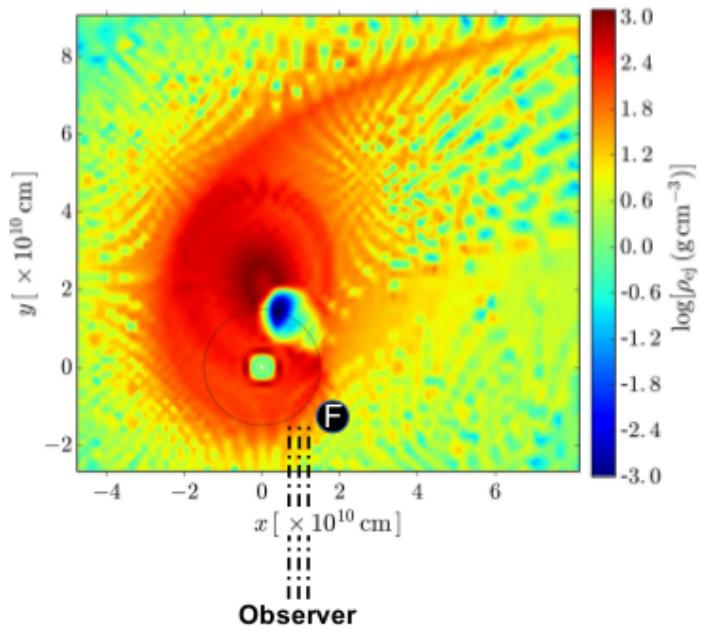
Results in 1D, high density



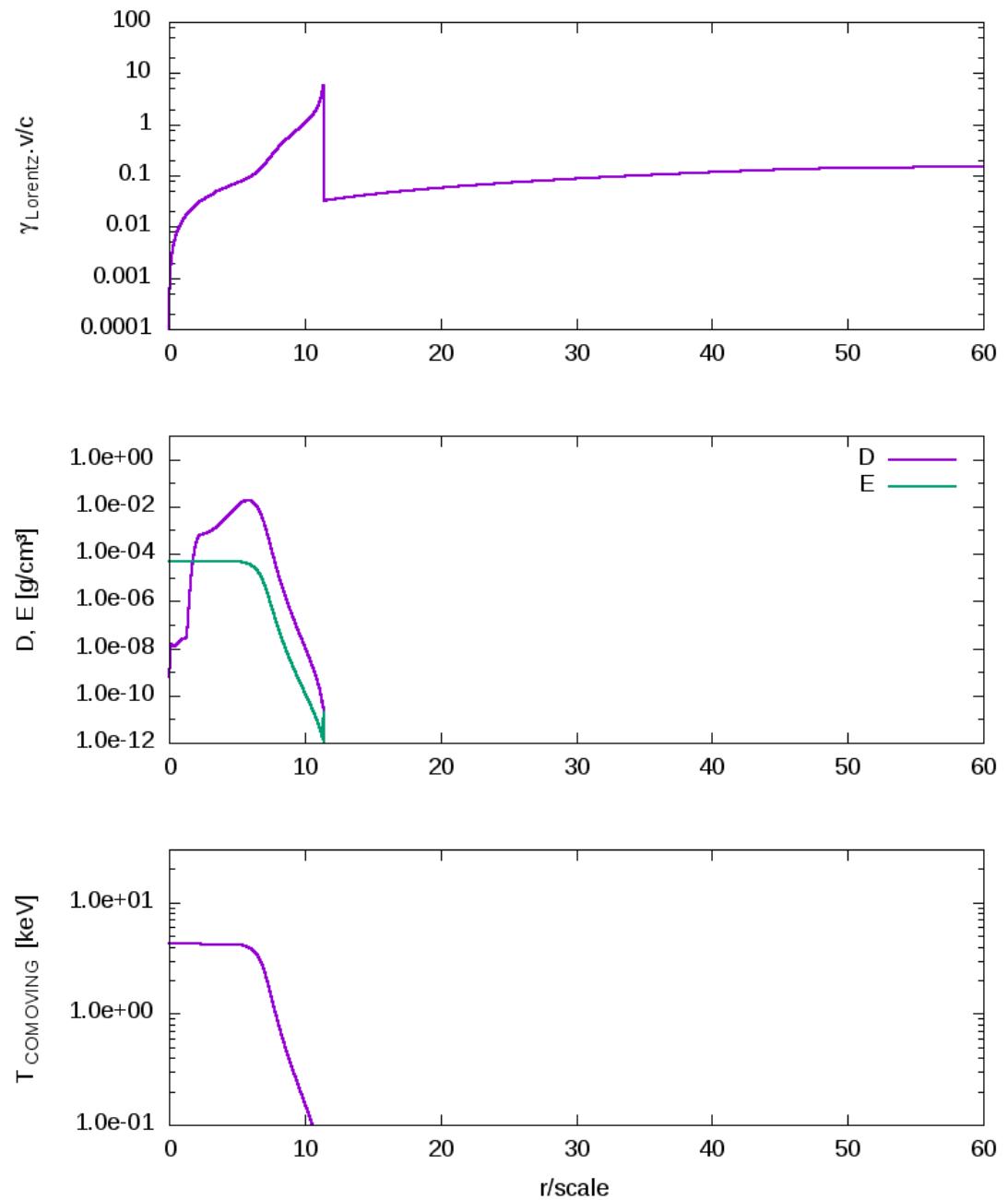
$t=106.207 \text{ s}$, scale=8.000000e+10 cm, factor=50.000



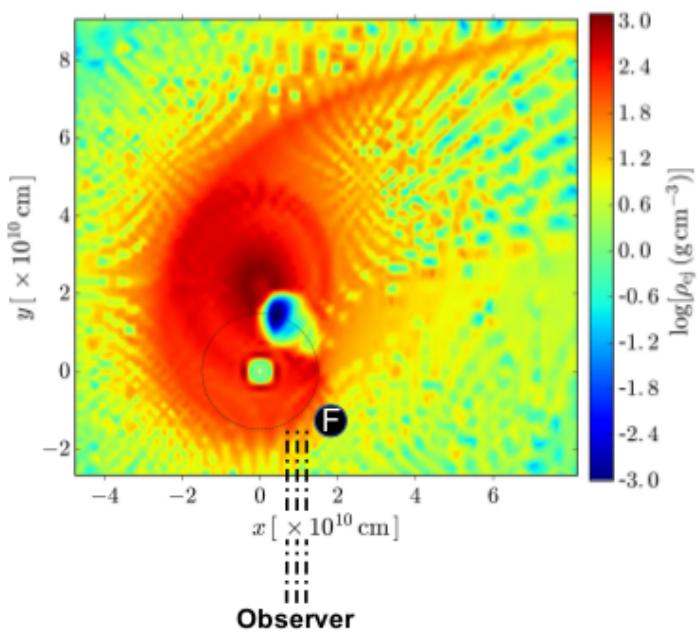
Results in 1D, high density



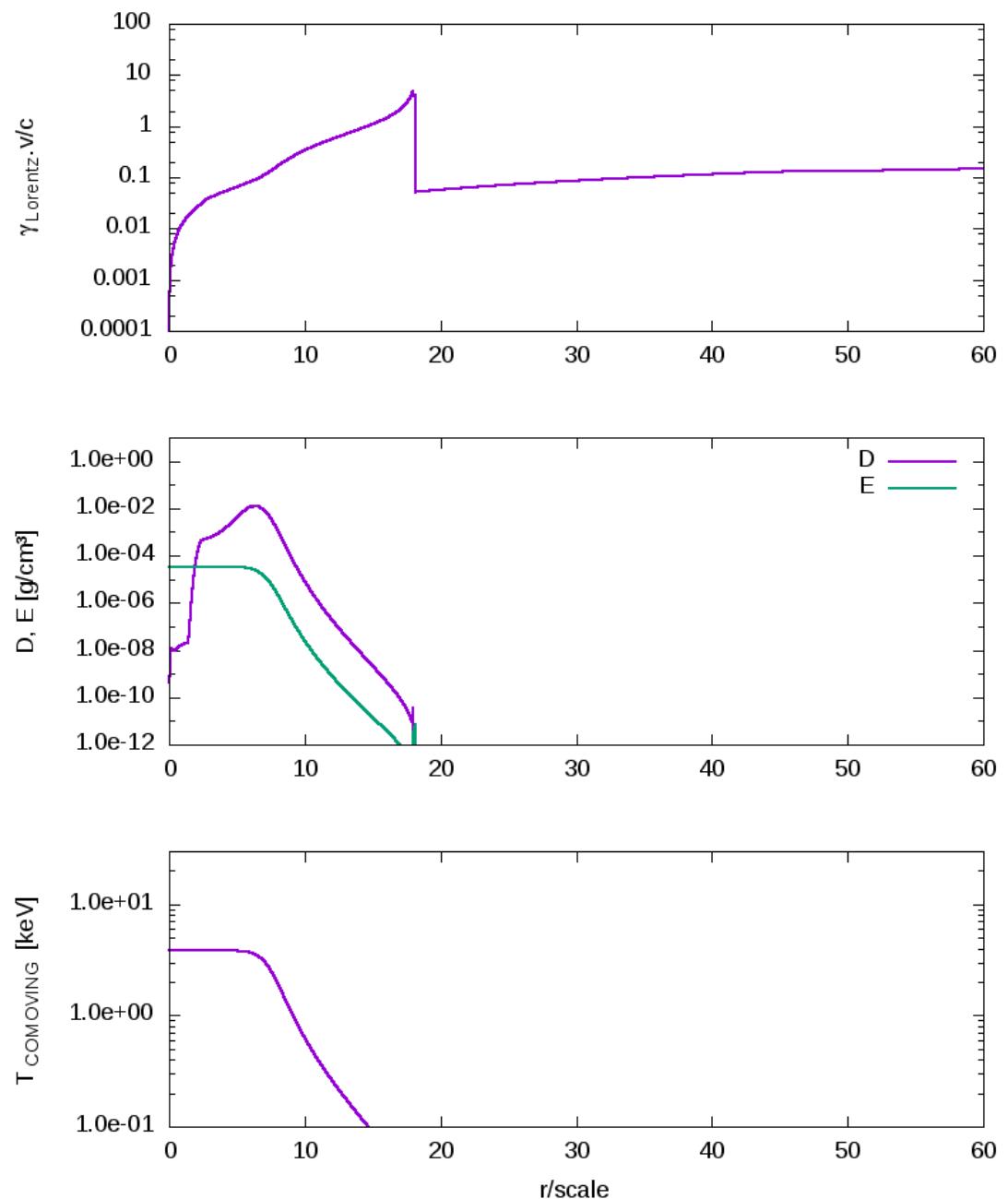
$t=120.083 \text{ s}$, scale= 8.000000e+10 cm , factor=50.000



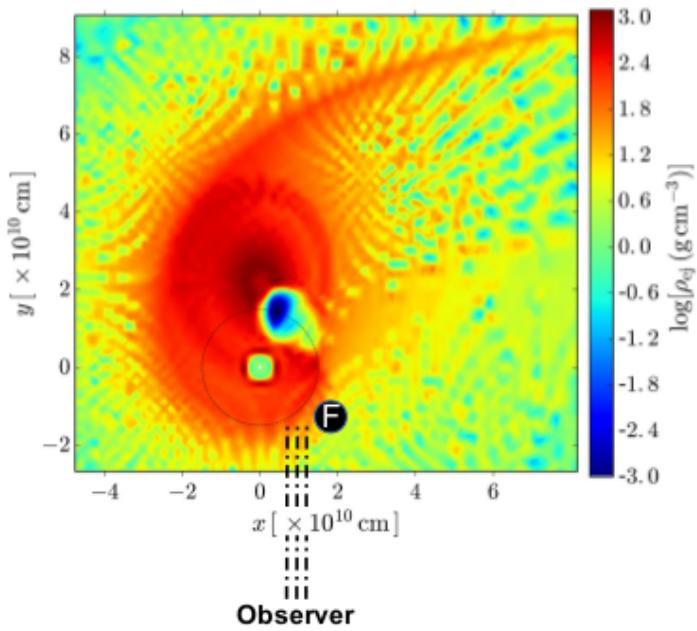
Results in 1D, high density



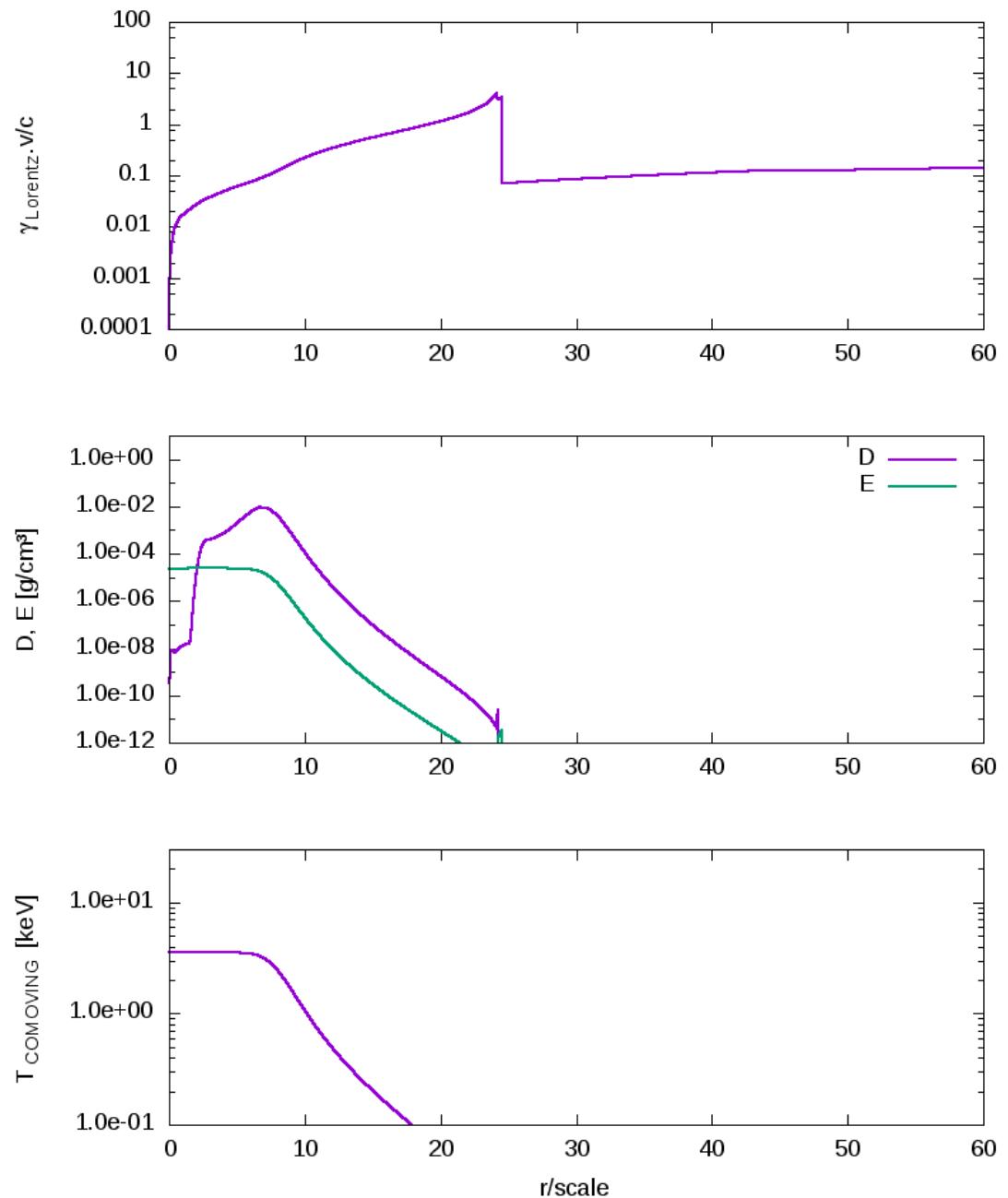
$t=138.229 \text{ s}$, scale= 8.000000e+10 cm , factor=50.000



Results in 1D, high density

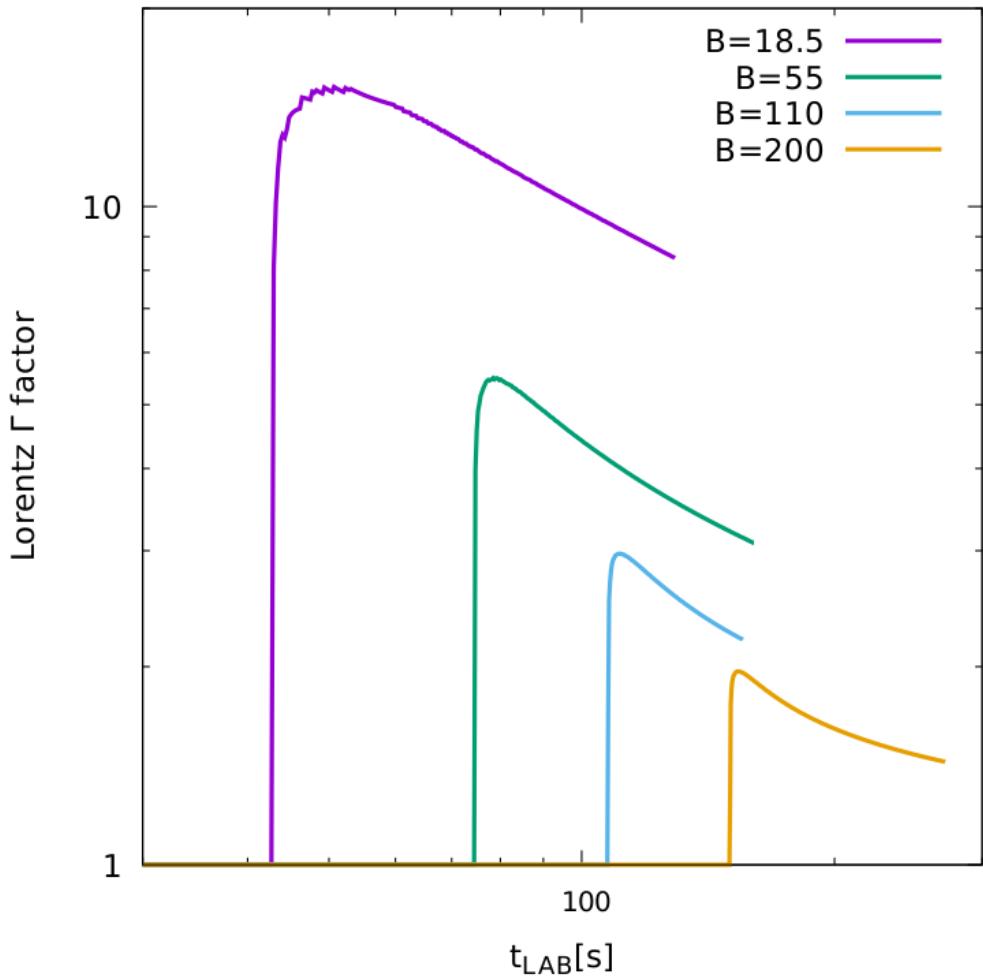


$t=155.574 \text{ s}$, scale=8.000000e+10 cm, factor=50.000



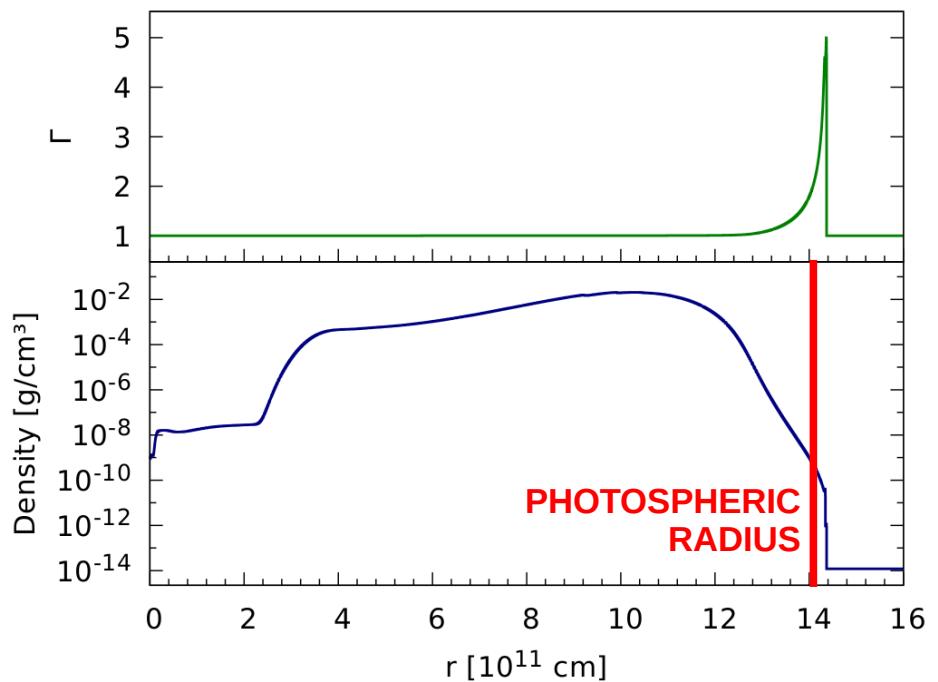
Results in 1D, high density

Lorentz Gamma at photospheric radius ($\tau=1$)



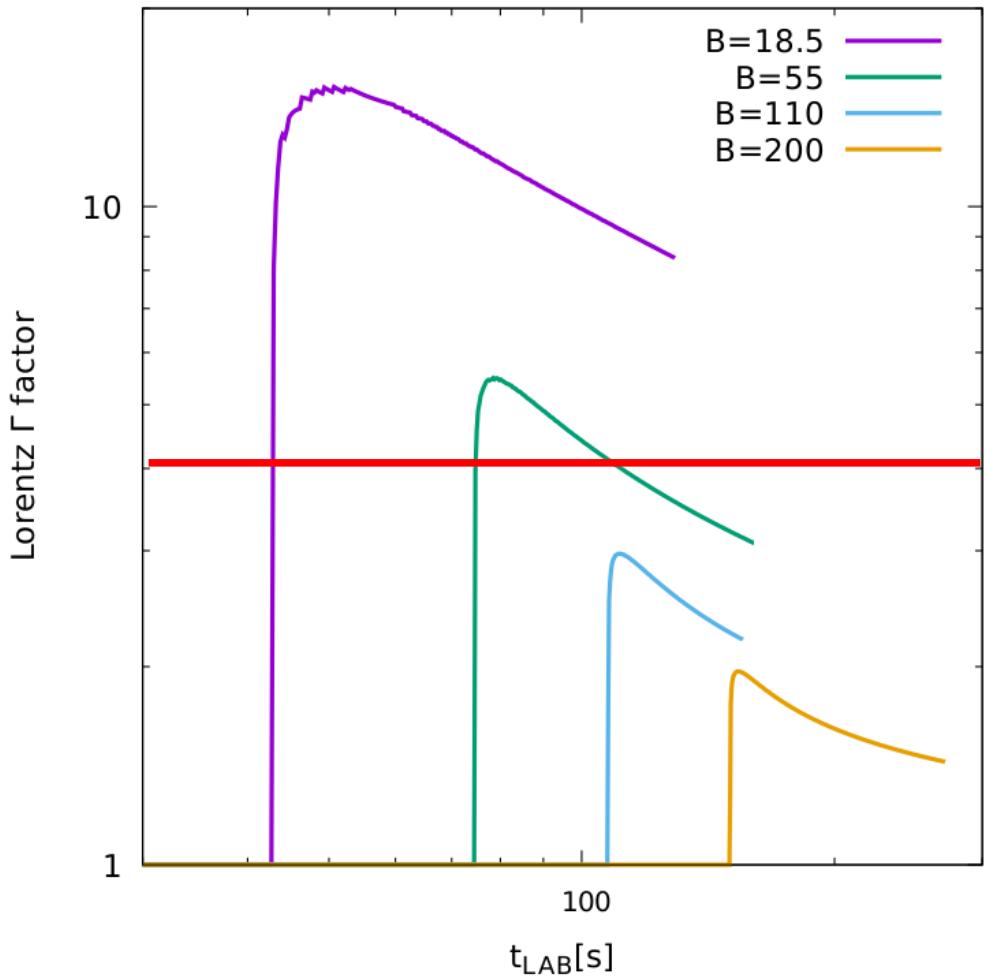
Optical depth:

$$\tau = \int_{R_{ph}}^{\infty} dr \sigma_T n_{e^-}(r)$$



Results in 1D, high density

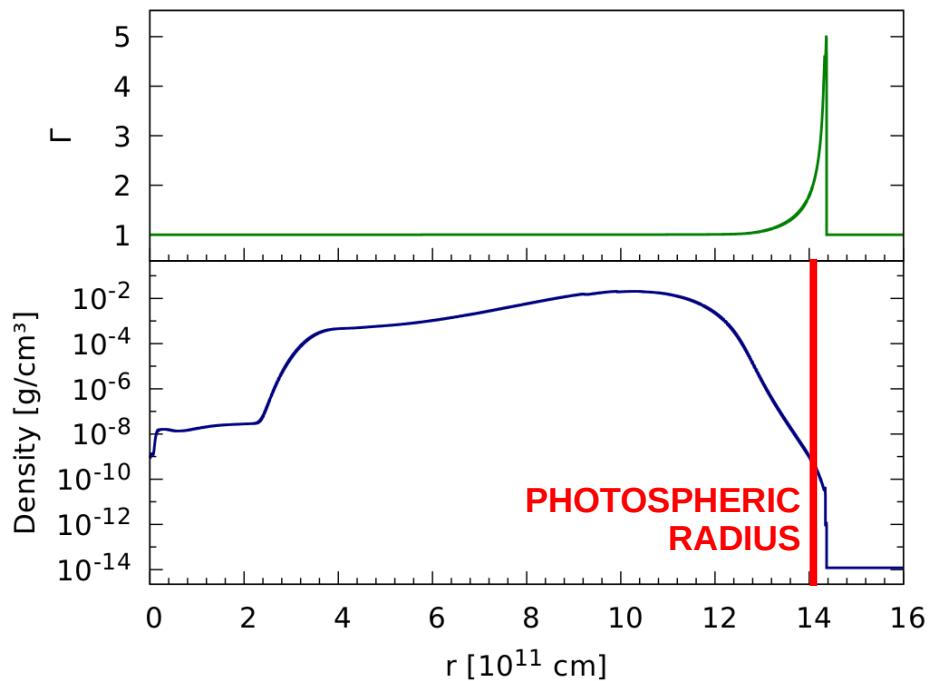
Lorentz Gamma at photospheric radius ($\tau=1$)



$\Gamma < 4$ for high enough baryon load

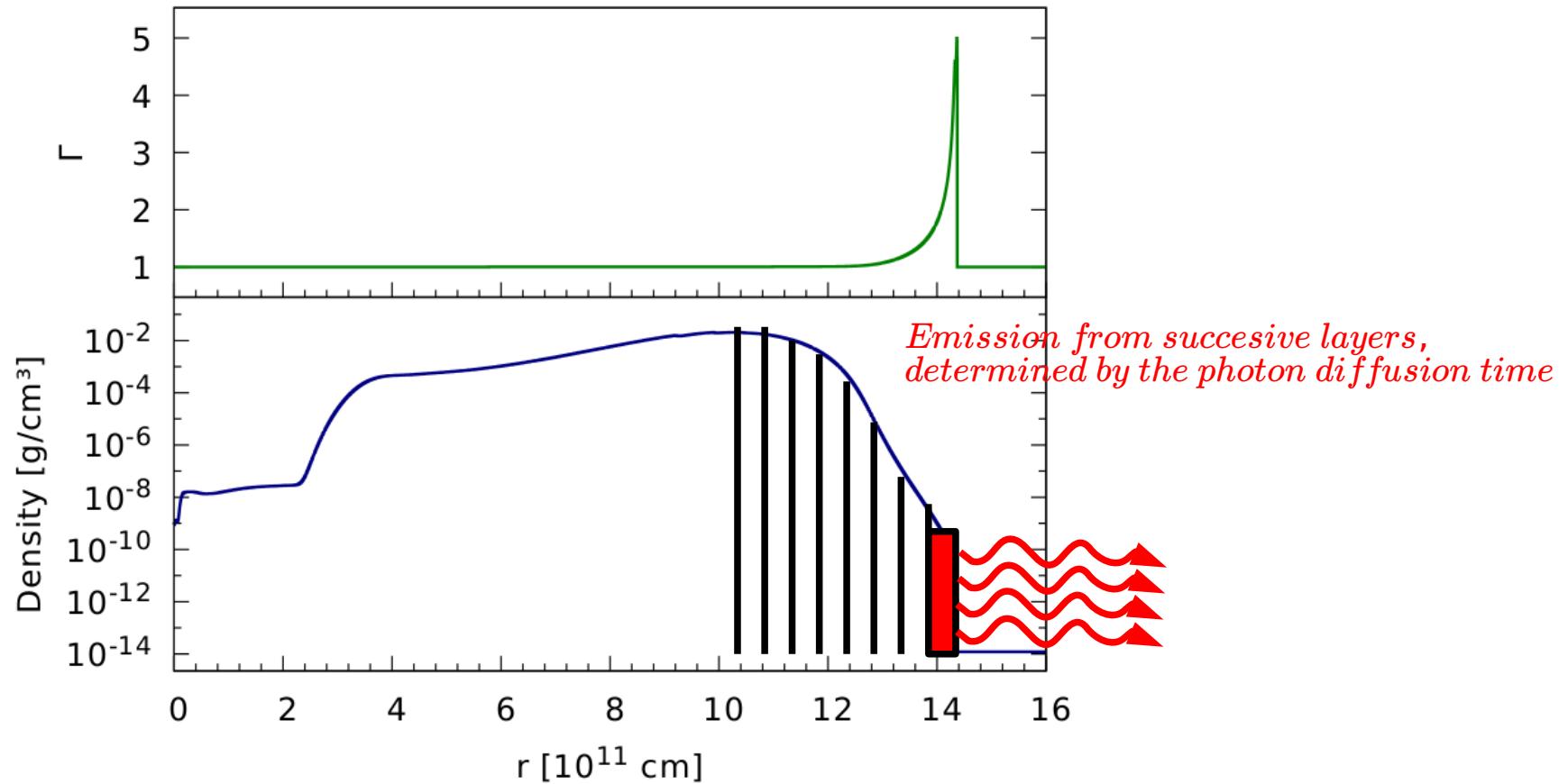
Optical depth:

$$\tau = \int_{R_{ph}}^{\infty} dr \sigma_T n_{e^-}(r)$$



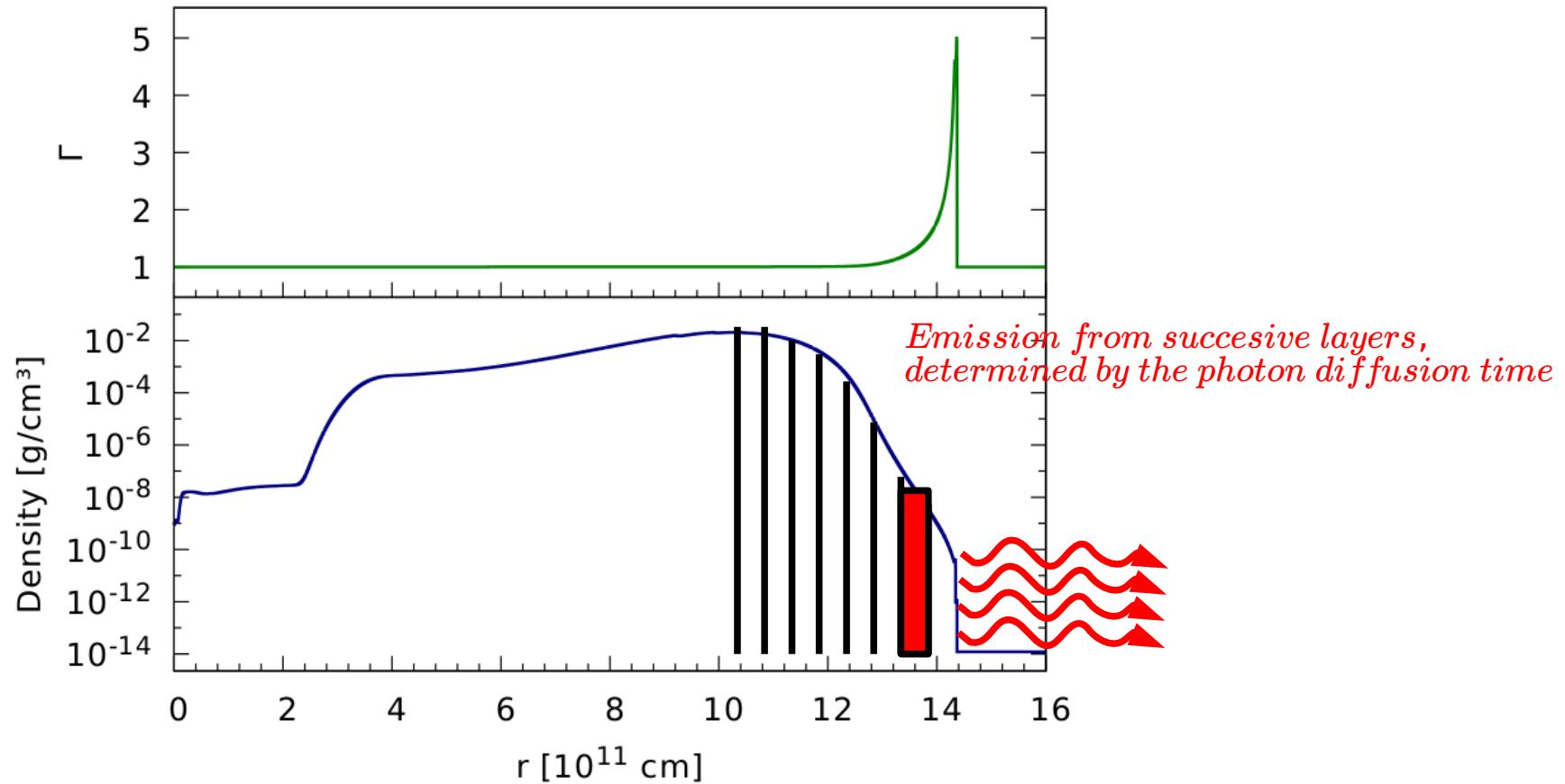
Work in progress: emission (1D)

Luminosity estimation, photon diffusion



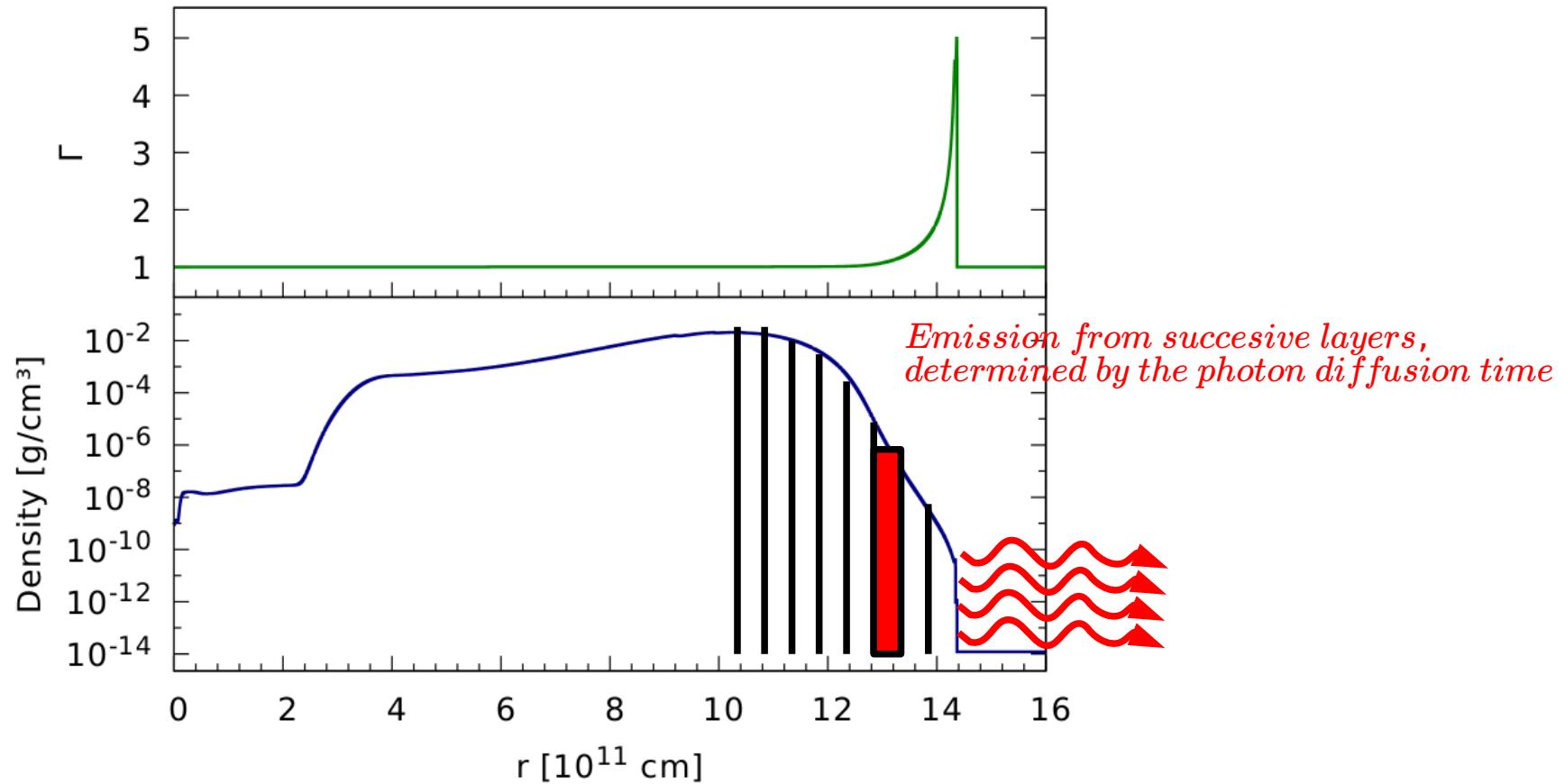
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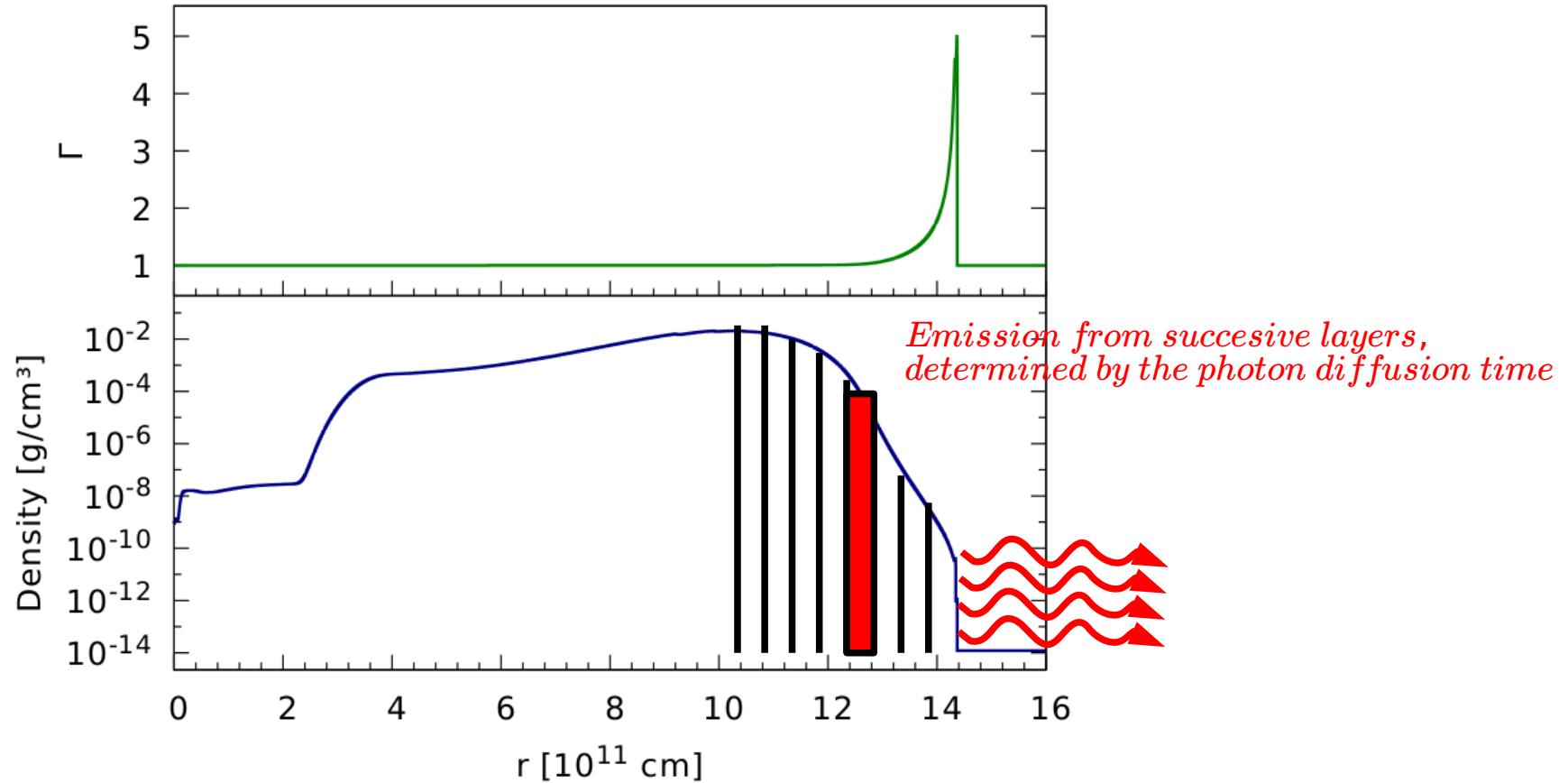
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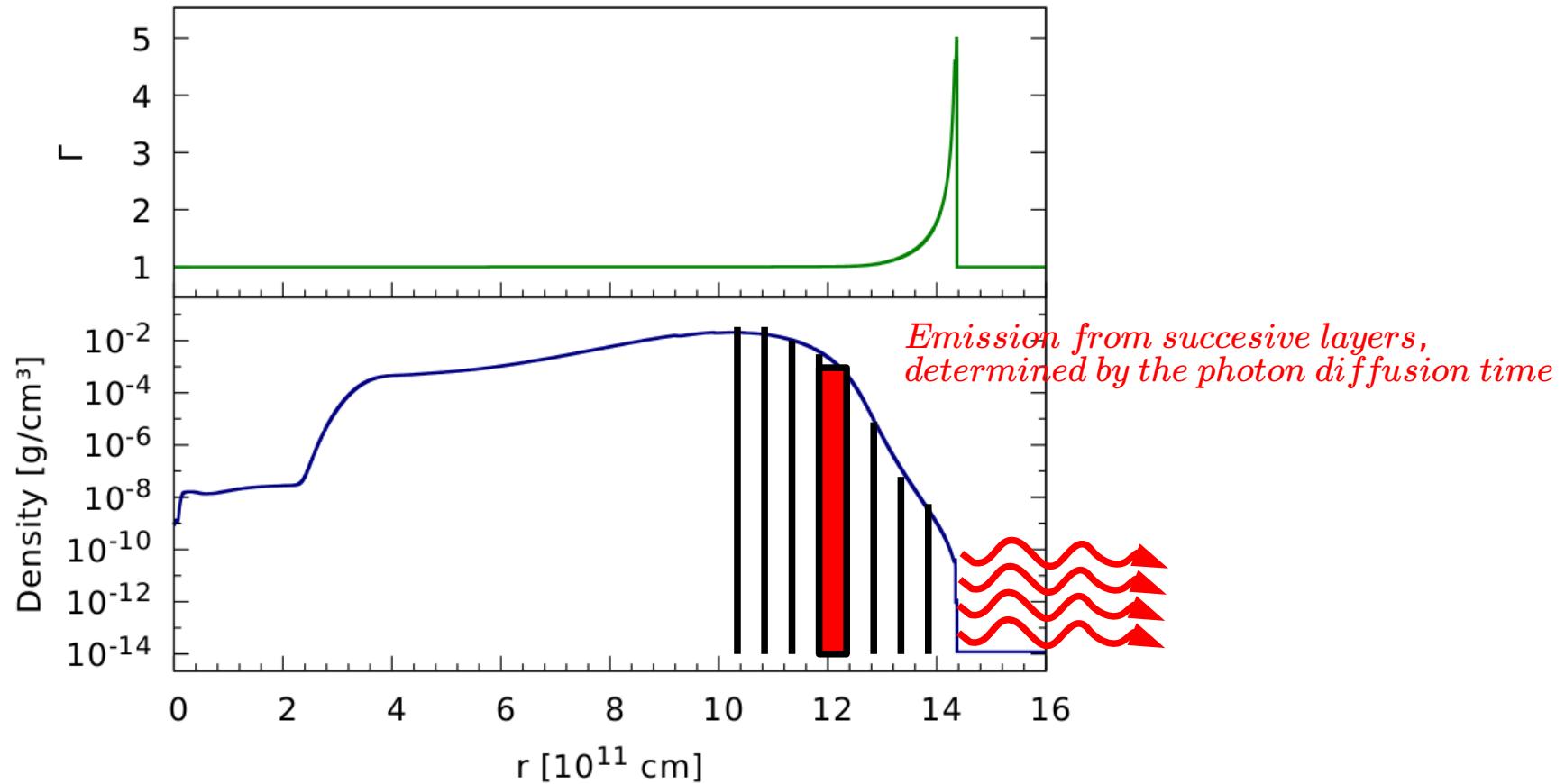
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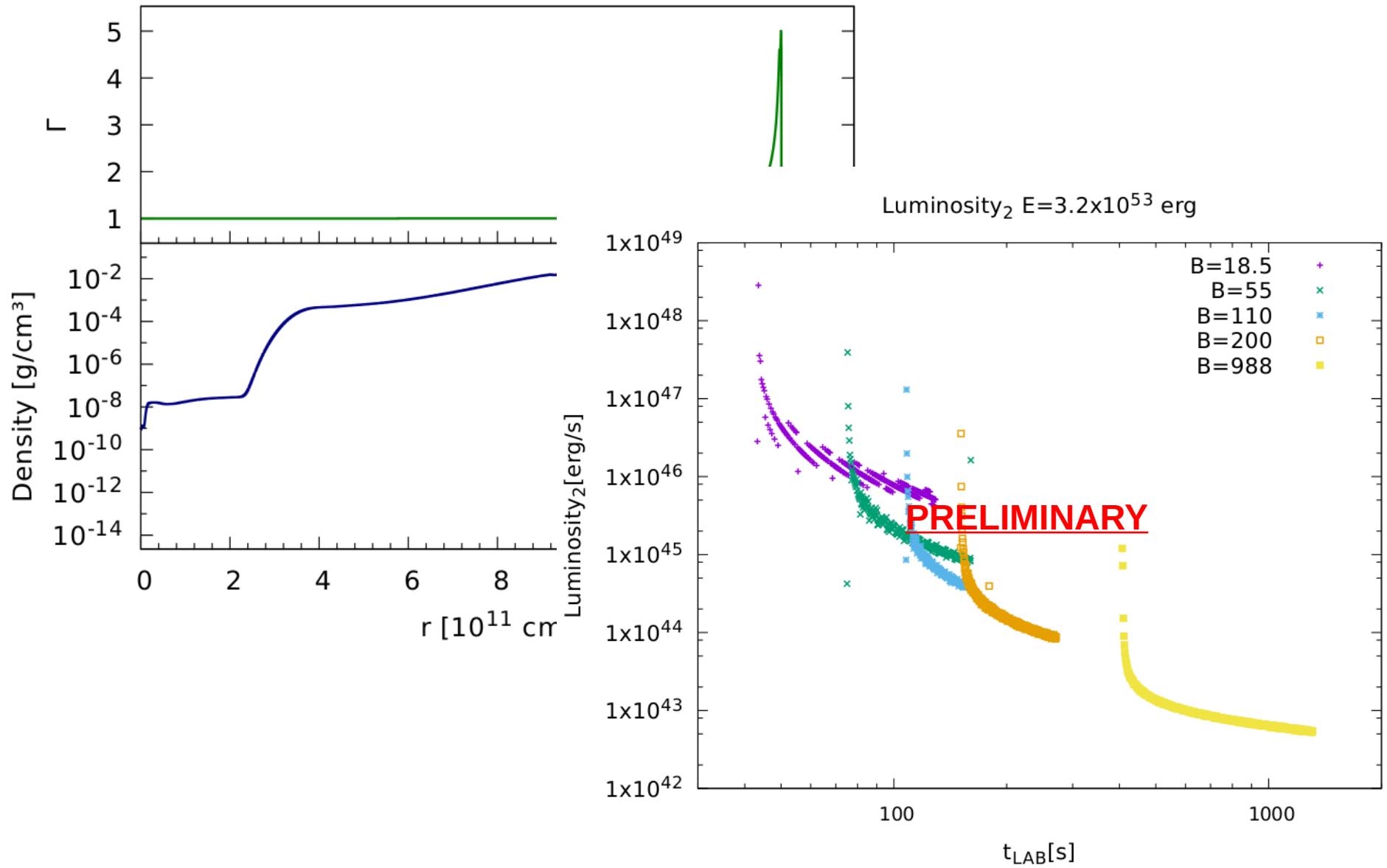
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Luminosity estimation, photon diffusion

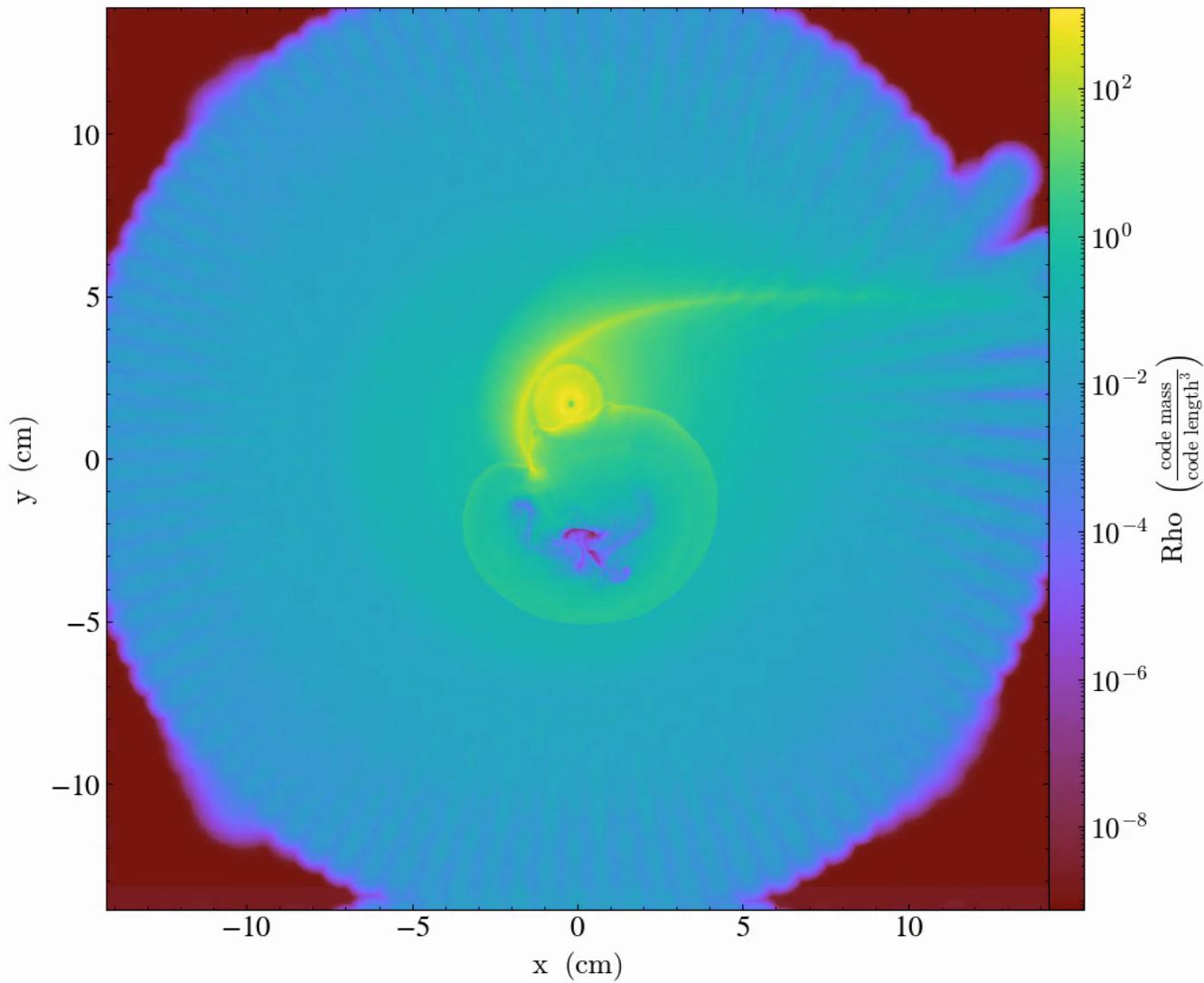


Work in progress: emission (1D)

Luminosity estimation, photon diffusion



Work in progress: dynamics in 2D



PRELIMINARY

Conclusions and future work

- The dynamics of the considered positron-electron plasma is **well described by RHD** with a **constant polytropic index of 4/3, in the optically-thick regime.**
- 1D simulations show consistency with the observations of both **prompt emission ($\Gamma > 10^2-10^3$)** and **X-ray flares ($\Gamma < 4$)**.
- Lots of work to do! Dynamics and geometric dependence of the emission in **2D**, comparison with **real data**.
- Currently working on an improved calculation of the velocities and the luminosity curves. **RHD+radiation** (in collaboration with the PLUTO developing team).