



# Fermionic dark matter on galaxy scales *observations, theory and predictions*

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# Outline



- Short introduction  
*dark matter and galaxy structures*
- Fermionic Dark Matter  
*Ruffini-Argüelles-Rueda (RAR)*
- Results  
*predictions for dwarfs to ellipticals*
- Conclusion

# Galaxy Morphology

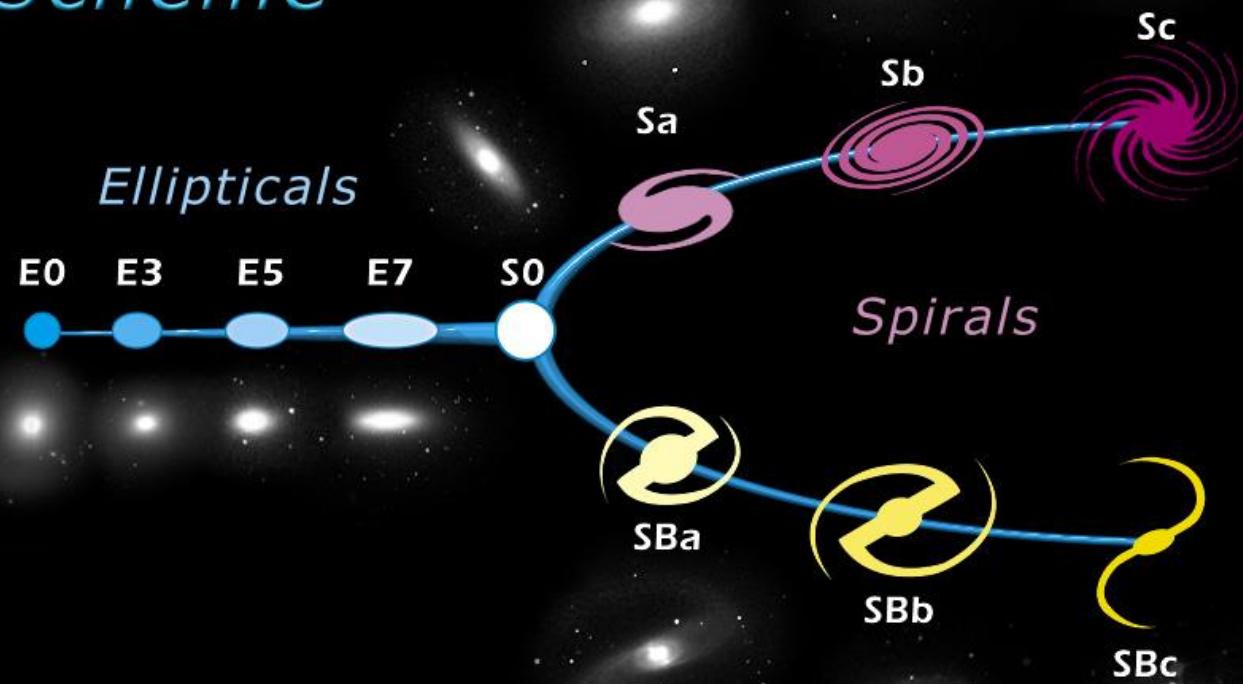


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Different types of stellar formations

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*Edwin Hubble's  
Classification  
Scheme*



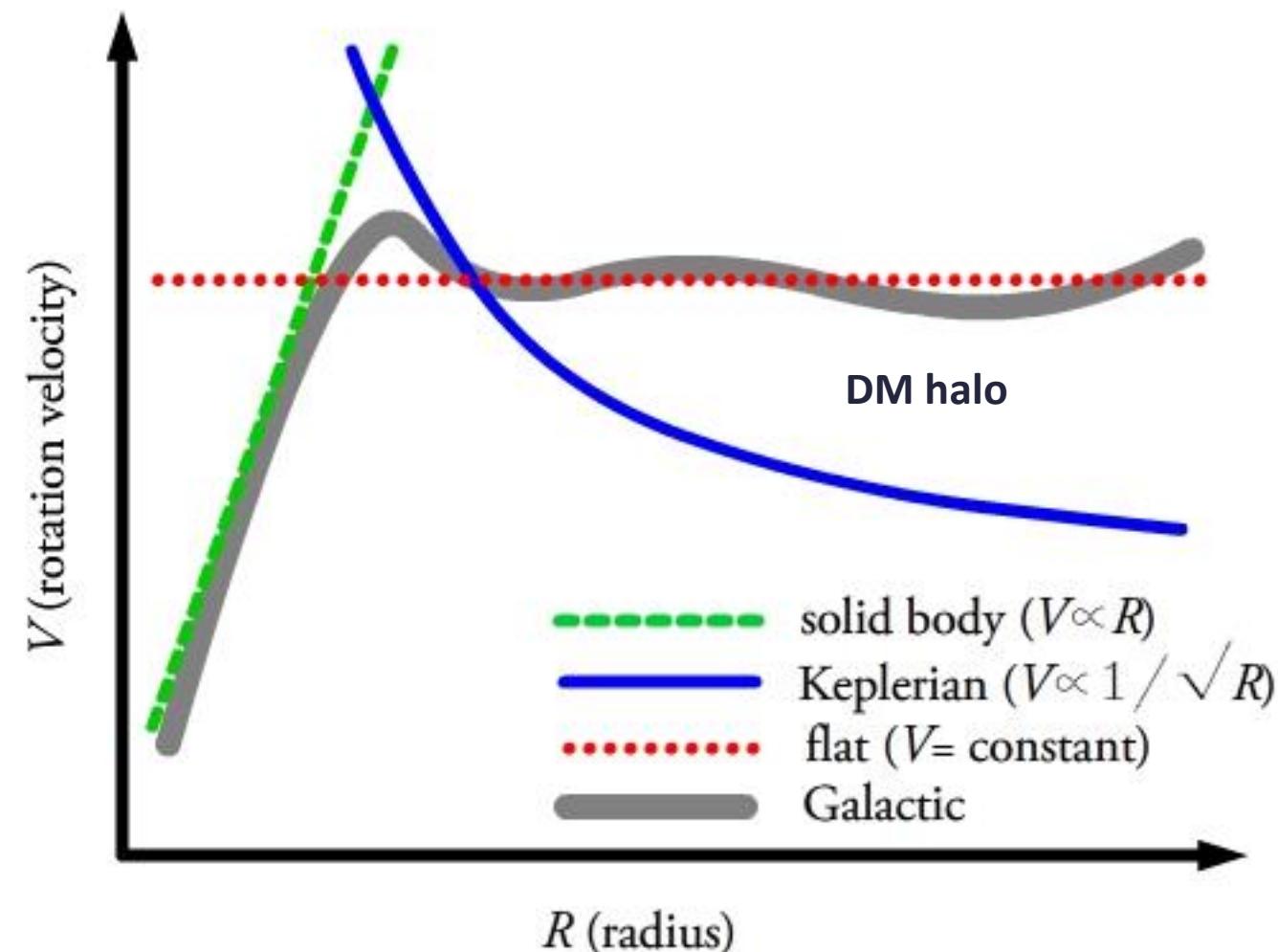
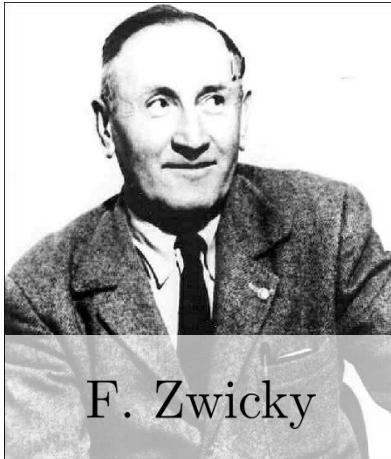
# More than baryonic matter!?



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Flat rotation curve

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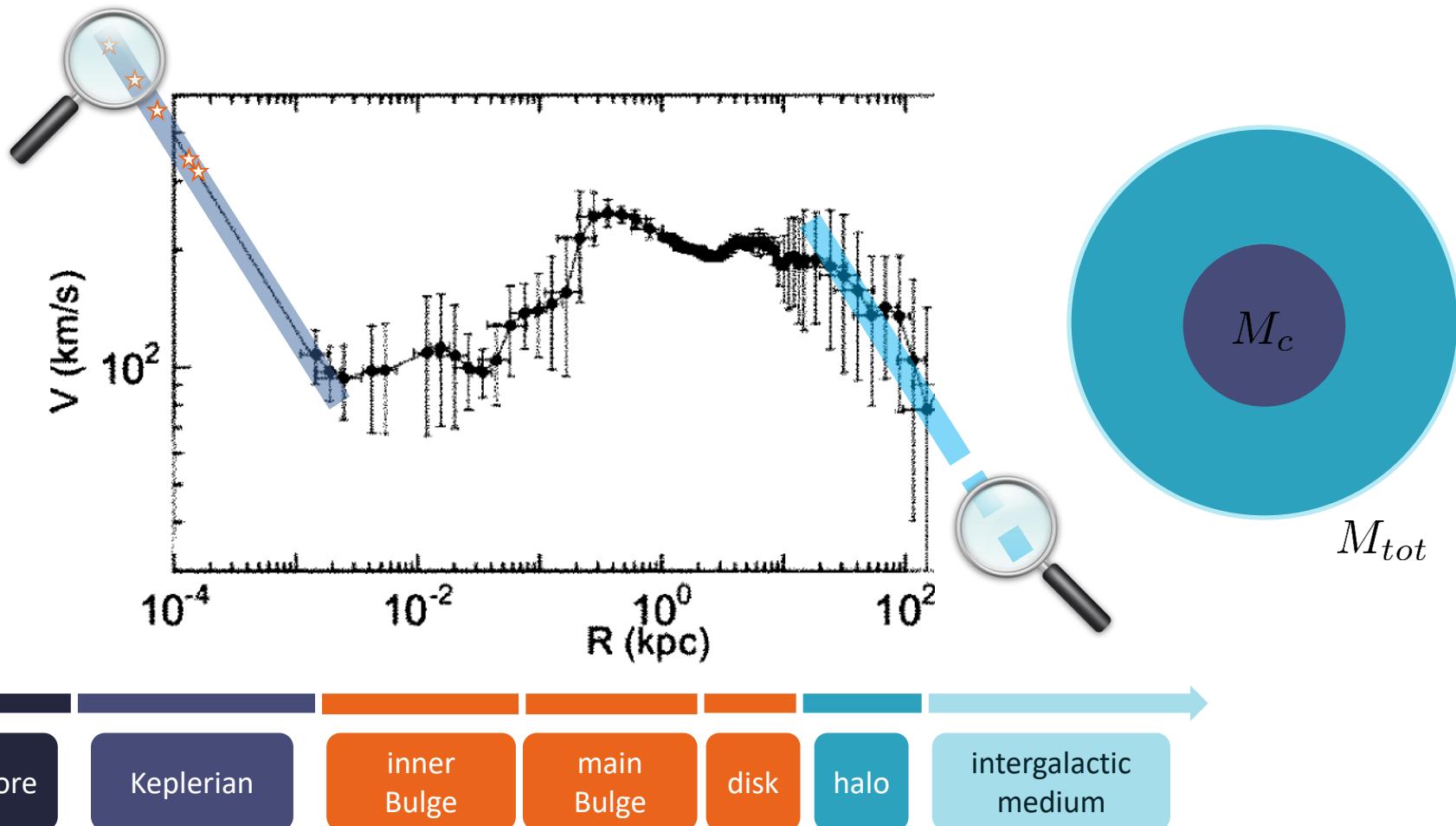


# Milky Way rotation curve



Two Keplerian behaviour in rotation curve

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# The outer halo

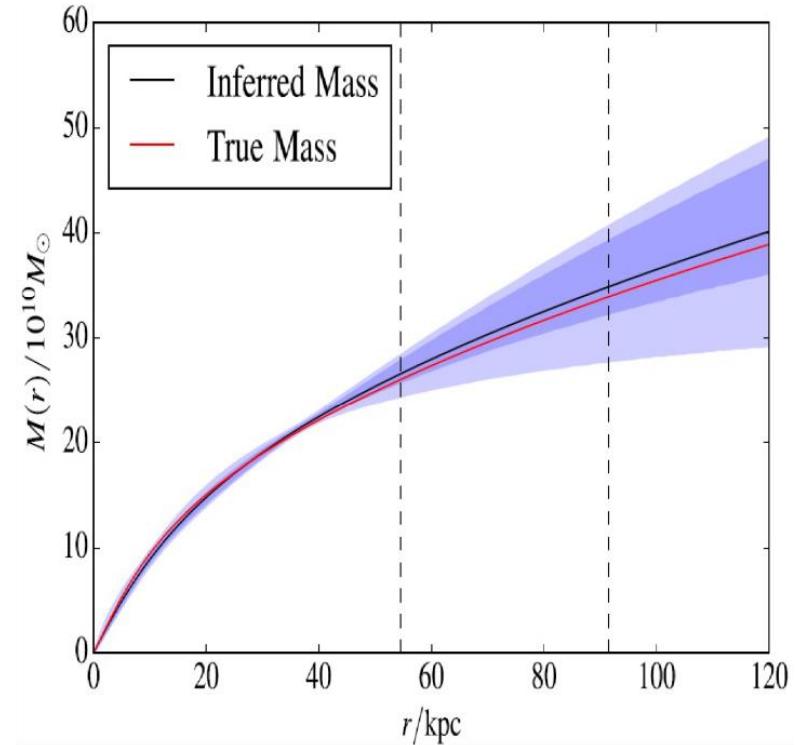
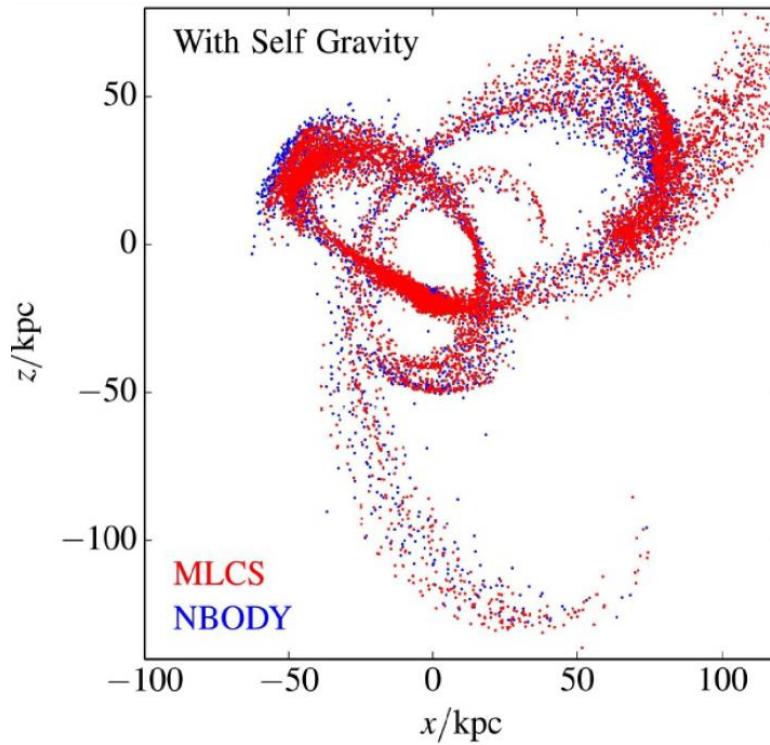


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satellite galaxies and streams

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- Outermost satellite galaxies of the MW are excellent total DM tracers
- The Sgr-dwarf satellite with its stream motion of tidally disrupted stars was well observed and well reproduced numerically





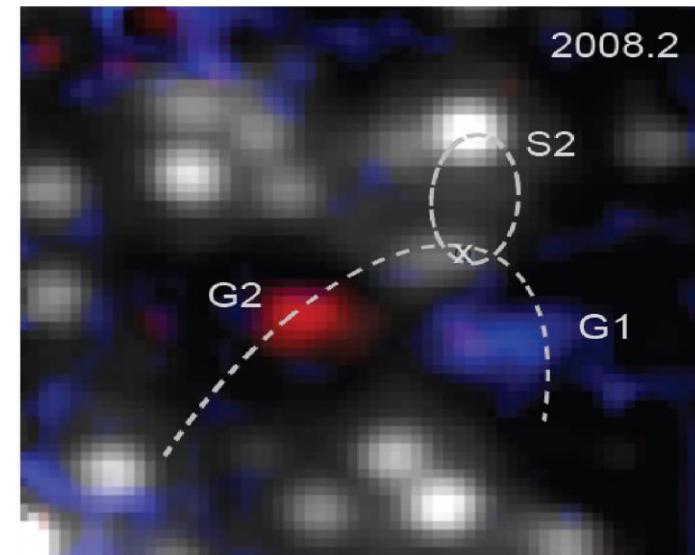
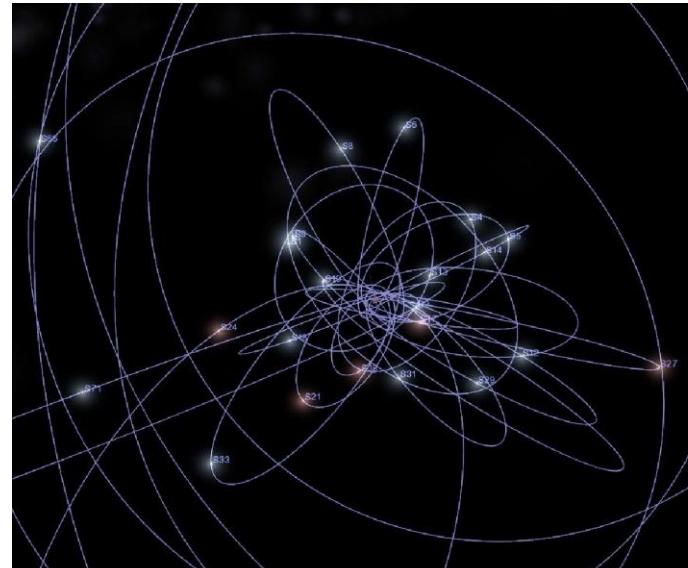
# The Galactic center

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The S-stellar cluster &amp; central gas

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- The central region ( $10^{-3}\text{pc} \lesssim r \lesssim 2\text{pc}$ ) consist of young so-called S-stars and molecular gas
- Stars and gas dynamics are well described by Keplerian law ( $v \sim r^{1/2}$ )
- A dark compact object ( $M \approx 4.2 \times 10^6 M_\odot$ ) is inferred within the smallest pericenter of  $r_p(S_2) \approx 6 \times 10^{-4}\text{pc}$



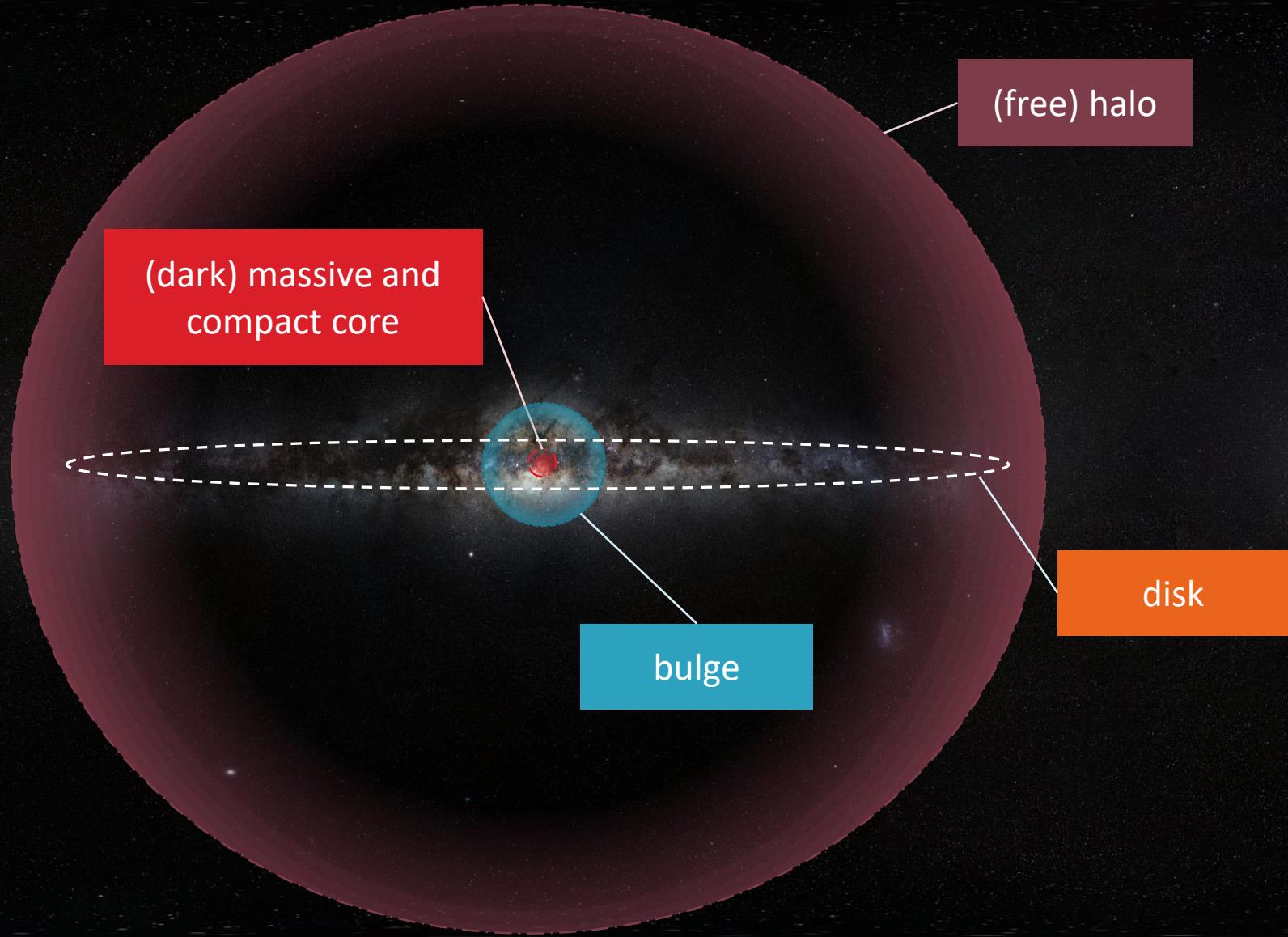
# Milky Way illustration



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typical components of a (disk) galaxy

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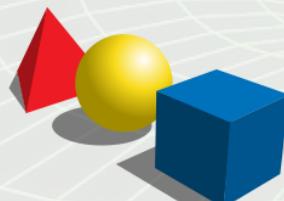
# Basic Questions



**How much** of DM exists (in Universe)?  
And **where** do we find it?



**How** does DM affect *structures*?



**What** is DM?

# Lambda-CDM

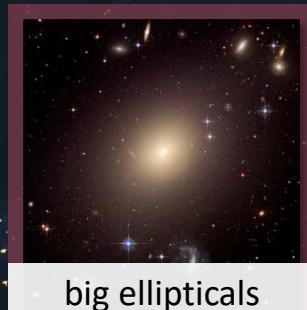
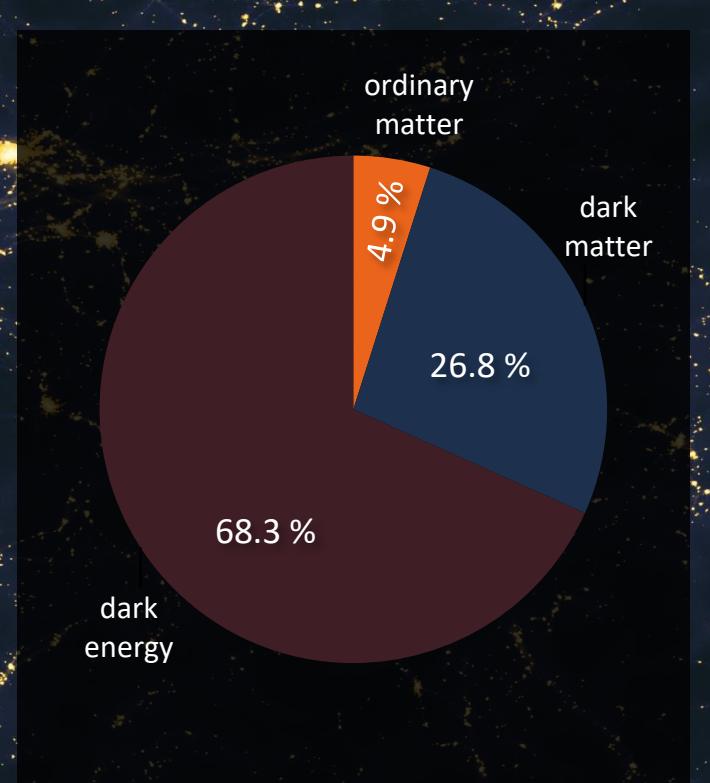
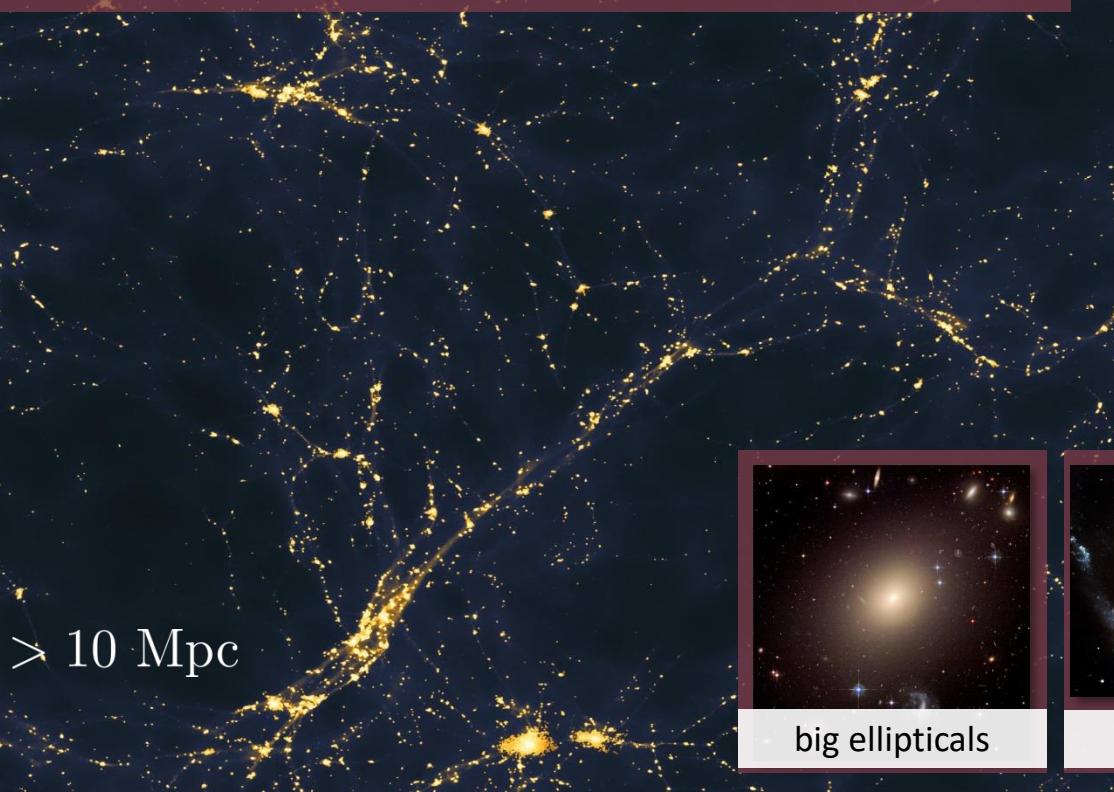


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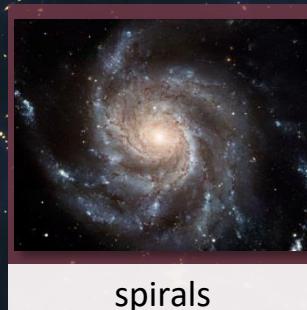
The Large Structures of the Universe

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- $\Lambda$ CDM reproduces very well the Large Structure of Universe
- But few problems on smaller scales remain



big ellipticals



spirals



dwarf galaxies

# Dark Matter candidates

particle candidate beyond SM

particle  
mass  
 $\text{GeV}/c^2$

$\text{MeV}/c^2$

$\text{keV}/c^2$

$\text{eV}/c^2$

$\text{meV}/c^2$



CDM



WDM

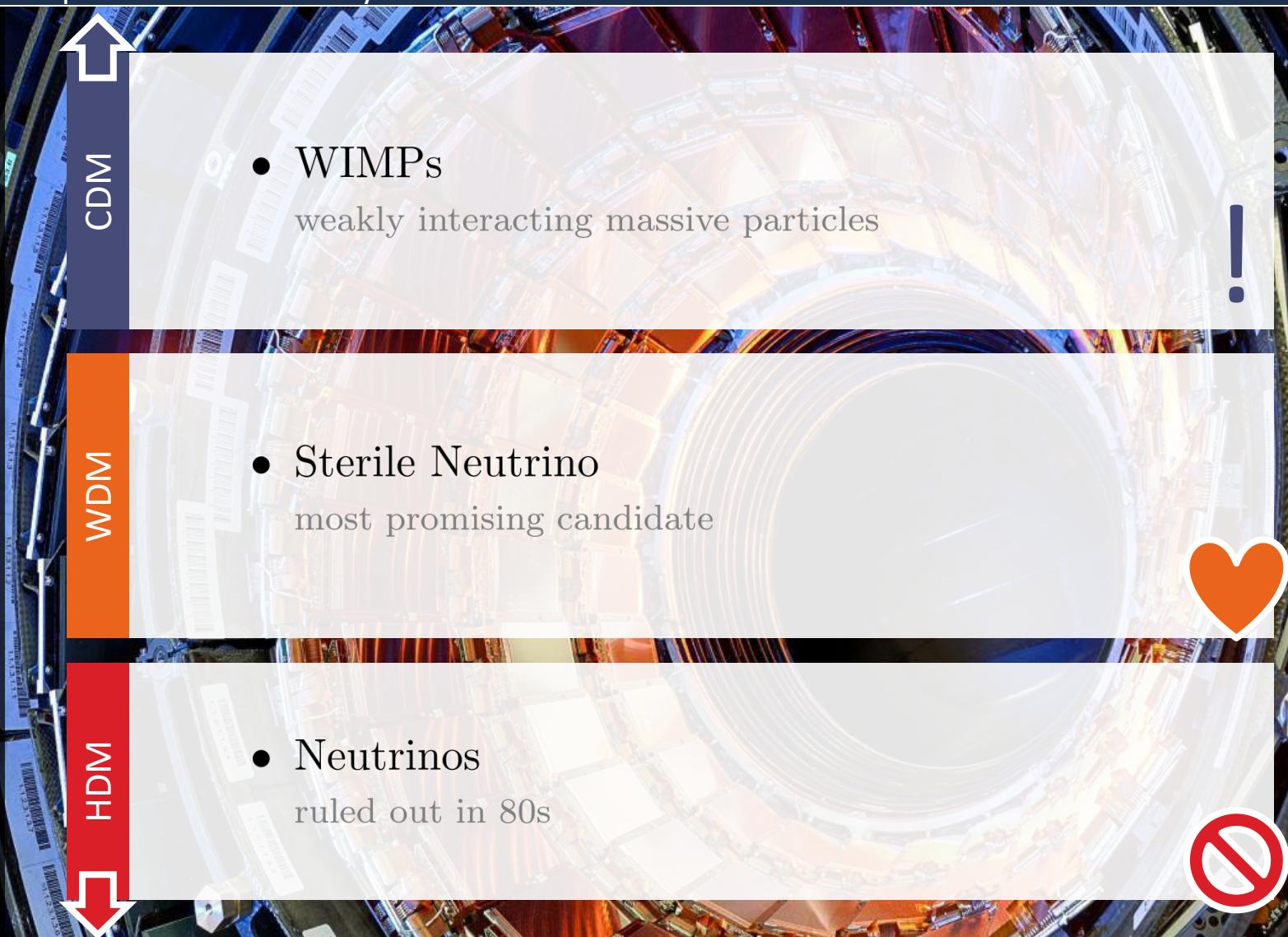


HDM

- WIMPs  
weakly interacting massive particles

- Sterile Neutrino  
most promising candidate

- Neutrinos  
ruled out in 80s



# Fermionic DM with Cutoff



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Self-gravitating system of massive fermions in spherical symmetry

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**collisionless relaxation & escape of particles**

## phase space density

$$f(r, \epsilon) = \frac{1 - e^{[\epsilon - \varepsilon(r)]/\beta(r)}}{e^{[\epsilon - \alpha(r)]/\beta(r)} + 1}$$

with  $1 \leq \epsilon \leq \varepsilon(r)$

**energy**  $\epsilon^2 = 1 + \frac{p^2}{mc^2}$

## temperature parameter

$$\beta(r) = \frac{k_B T(r)}{mc^2}$$

## chemical potential (relativistic)

$$\alpha(r) = 1 + \beta(r)\theta(r)$$

## escape energy (relativistic)

$$\varepsilon(r) = 1 + \beta(r)W(r)$$

**degeneracy parameter**  $\theta(r) = \frac{\mu(r)}{k_B T(r)}$

**cutoff parameter**  $W(r) = \frac{E_c(r)}{k_B T(r)}$

Ruffini R., Stella L., 1983, A&A, 119, 35

Merafina M., Ruffini R., 1989, A&A, 221, 4

Ruffini R., Argüelles C. R., Rueda J. A., 2015, MNRAS, 451, 622

# Perfect fluid in equilibrium



$$g^{\mu\nu} = \text{diag}(e^{\nu(r)}, -e^{\lambda(r)}, -r^2, -r^2 \sin^2 \vartheta)$$

spherically  
symmetric

GR

metric  
potential  
mass

$$\frac{\partial \nu}{\partial r/R} = \frac{R^2}{r^2} \left[ \frac{M(r)}{M} + \frac{r^3}{R^3} \frac{P(r)}{\rho c^2} \right] \left[ 1 - \frac{R}{r} \frac{M(r)}{M} \right]^{-1}$$

$$\frac{\partial}{\partial r/R} \frac{M(r)}{M} = \frac{r^2}{R^2} \frac{\rho(r)}{\rho}$$

TOV approach

Statistics

mass  
density  
pressure

$$\frac{\rho(r)}{\rho} = \frac{4}{\sqrt{\pi}} \int \epsilon^2 \sqrt{\epsilon^2 - 1} f(r, \epsilon) d\epsilon$$

$$\frac{P(r)}{\rho c^2} = \frac{4}{3\sqrt{\pi}} \int (\epsilon^2 - 1)^{3/2} f(r, \epsilon) d\epsilon$$

EOS needed!

# Perfect fluid in equilibrium



$$g^{\mu\nu} = \text{diag}(e^{\nu(r)}, -e^{\lambda(r)}, -r^2, -r^2 \sin^2 \vartheta)$$

spherically  
symmetric

GR	metric potential	→	$\frac{\partial \nu}{\partial r/R} = \frac{R^2}{r^2} \left[ \frac{M(r)}{M} + \frac{r^3}{R^3} \frac{P(r)}{\rho c^2} \right] \left[ 1 - \frac{R}{r} \frac{M(r)}{M} \right]^{-1}$
	mass	→	$\frac{\partial}{\partial r/R} \frac{M(r)}{M} = \frac{r^2}{R^2} \frac{\rho(r)}{\rho}$

TOV approach

Statistics	mass density	→	$\frac{\rho(r)}{\rho} = \frac{4}{\sqrt{\pi}} \int \epsilon^2 \sqrt{\epsilon^2 - 1} f(r, \epsilon) d\epsilon$
	pressure	→	$\frac{P(r)}{\rho c^2} = \frac{4}{3\sqrt{\pi}} \int (\epsilon^2 - 1)^{3/2} f(r, \epsilon) d\epsilon$

EOS needed!

# Perfect fluid in equilibrium



$$g^{\mu\nu} = \text{diag}(e^{\nu(r)}, -e^{\lambda(r)}, -r^2, -r^2 \sin^2 \vartheta)$$

spherically  
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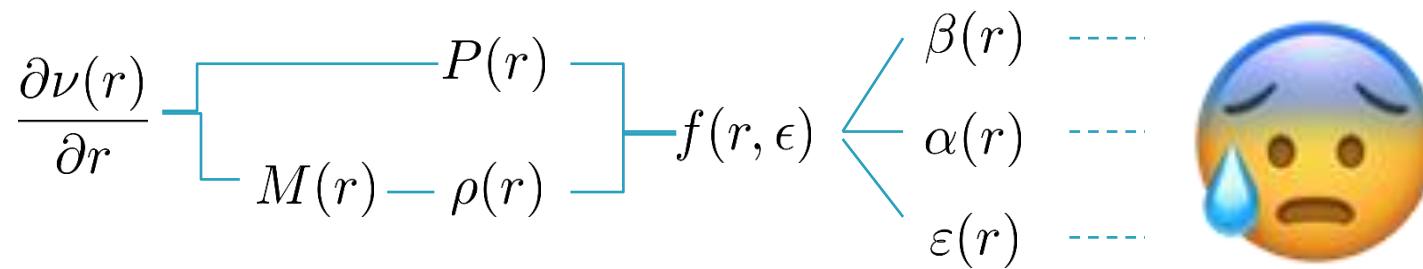
GR	metric potential	→	$\frac{\partial \nu}{\partial r/R} = \frac{R^2}{r^2} \left[ \frac{M(r)}{M} + \frac{r^3}{R^3} \frac{P(r)}{\rho c^2} \right] \left[ 1 - \frac{R}{r} \frac{M(r)}{M} \right]^{-1}$
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TOV approach

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	pressure	→	$\frac{P(r)}{\rho c^2} = \frac{4}{3\sqrt{\pi}} \int (\epsilon^2 - 1)^{3/2} f(r, \epsilon) d\epsilon$

EOS needed!

# Thermodynamic equilibrium



conservation of energy along a geodesic

Tolman & Ehrenfest (1930)

$$\beta(r)e^{\nu(r)/2} = \text{const}$$

Klein (1949)

$$\alpha(r)e^{\nu(r)/2} = \text{const}$$

Merafina, Ruffini (1989)

$$\epsilon(r)e^{\nu(r)/2} = \text{const}$$

# Thermodynamic equilibrium



$$\frac{\partial \nu(r)}{\partial r} = P(r) - M(r) - \rho(r)$$

$$f(r, \epsilon) = \beta(r) - \alpha(r) - \varepsilon(r)$$



conservation of energy along a geodesic

Tolman & Ehrenfest (1930)

$$\beta(r)e^{\nu(r)/2} = \text{const}$$

Klein (1949)

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Merafina, Ruffini (1989)

$$\varepsilon(r)e^{\nu(r)/2} = \text{const}$$



# dim-less initial conditions

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unit system and model parameter

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## boundary condition

focus on the galactic center without BH!

$$\frac{\partial M}{\partial r} \Big|_{r=0} = 0 \rightarrow M_0 = 0$$

$$\frac{\partial \nu}{\partial r} \Big|_{r=0} = 0 \rightarrow \{\beta_0, \theta_0, W_0\}$$

## unit system

eliminate constant particle mass from equations

$$\rho = \frac{gm^4}{h^3} [\pi c]^{3/2} \sim m^4$$

$$R = \left[ \frac{c^2}{8\pi G\rho} \right]^{1/2} \sim m^{-2}$$

$$M = 4\pi R^3 \rho \sim m^{-2}$$

$$\{m, \beta_0, \theta_0, W_0\}$$

4 parameters



# Milky Way fit

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constraints form core, halo and entire galaxy

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- boundary condition:  $r_h$ ,  $M_h = M(r_h)$ ,  $M_{tot} = M(r_b)$  and  $M_c = M(r_c)$  where  $r_c$  is core radius (of degenerate core),  $r_h$  is halo radius and  $r_b$  is boundary radius

observation

**core**

$$M_c = 4.2 \times 10^6 M_\odot$$

**halo**

$$M_h = 9 \times 10^{10} M_\odot$$

$$r_h = 20 \text{ kpc}$$

**total**

$$M_{tot} = 2.4 \times 10^{11} M_\odot$$

# Milky Way fit



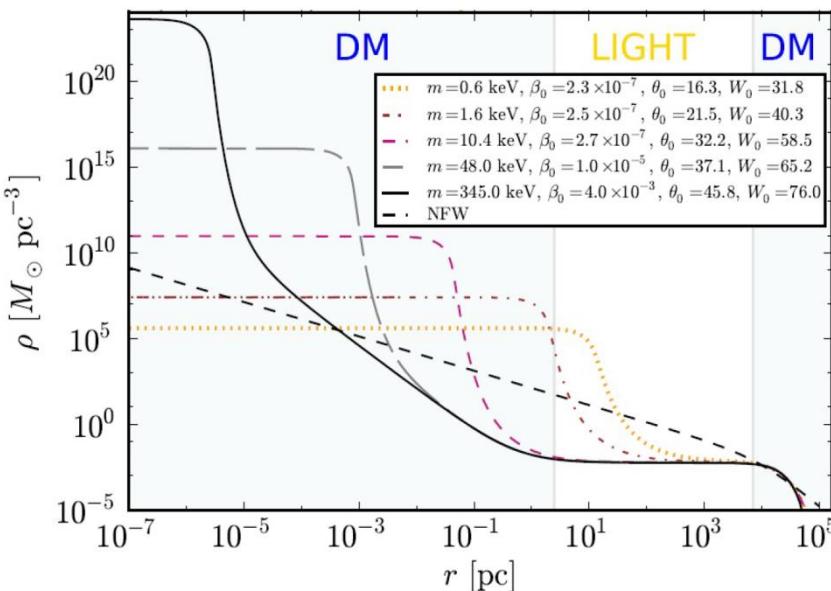
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constraints form core, halo and entire galaxy

20/32

- boundary condition:  $r_h$ ,  $M_h = M(r_h)$ ,  $M_{tot} = M(r_b)$  and  $M_c = M(r_c)$  where  $r_c$  is core radius (of degenerate core),  $r_h$  is halo radius and  $r_b$  is boundary radius

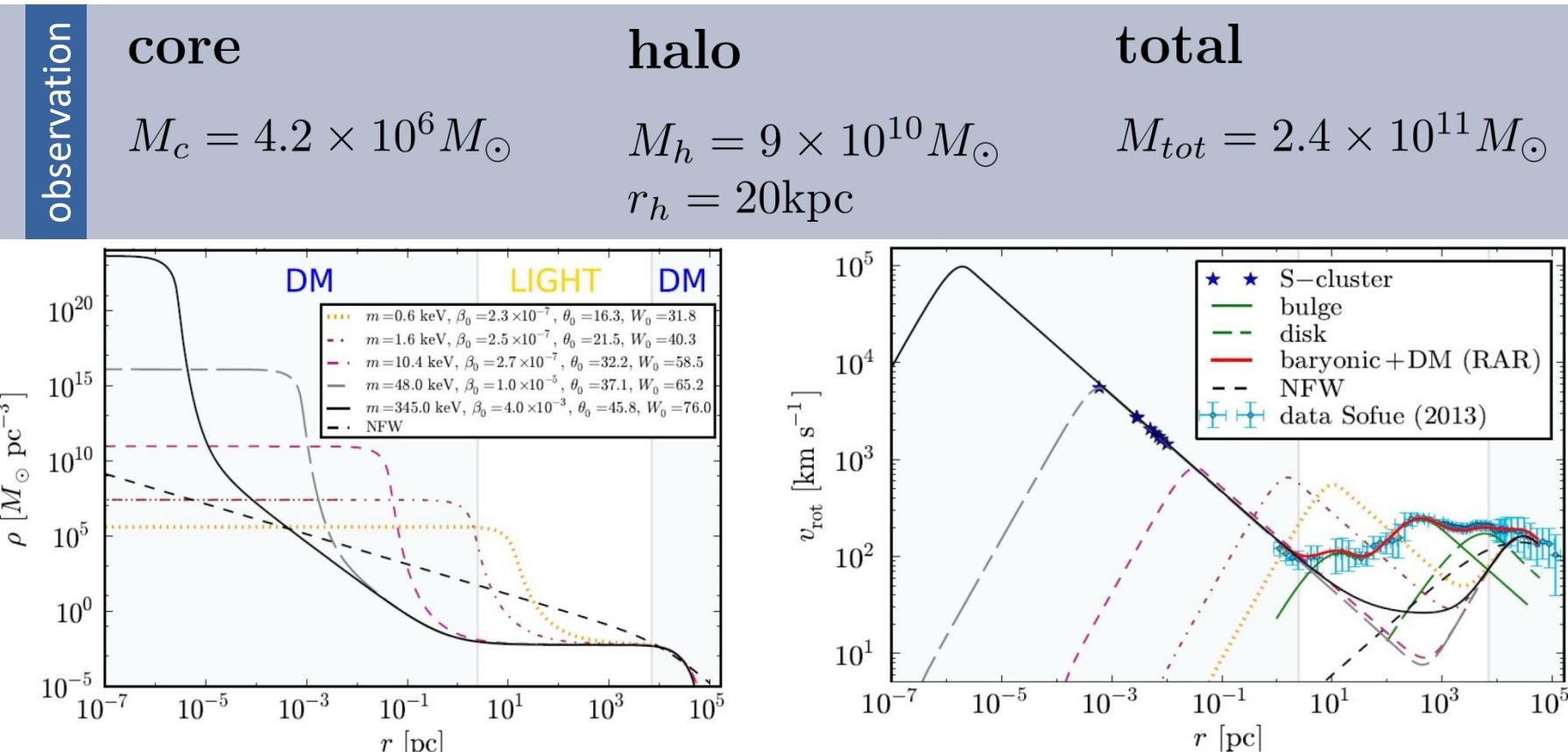
	core	halo	total
observation	$M_c = 4.2 \times 10^6 M_\odot$	$M_h = 9 \times 10^{10} M_\odot$ $r_h = 20\text{kpc}$	$M_{tot} = 2.4 \times 10^{11} M_\odot$



# Milky Way fit

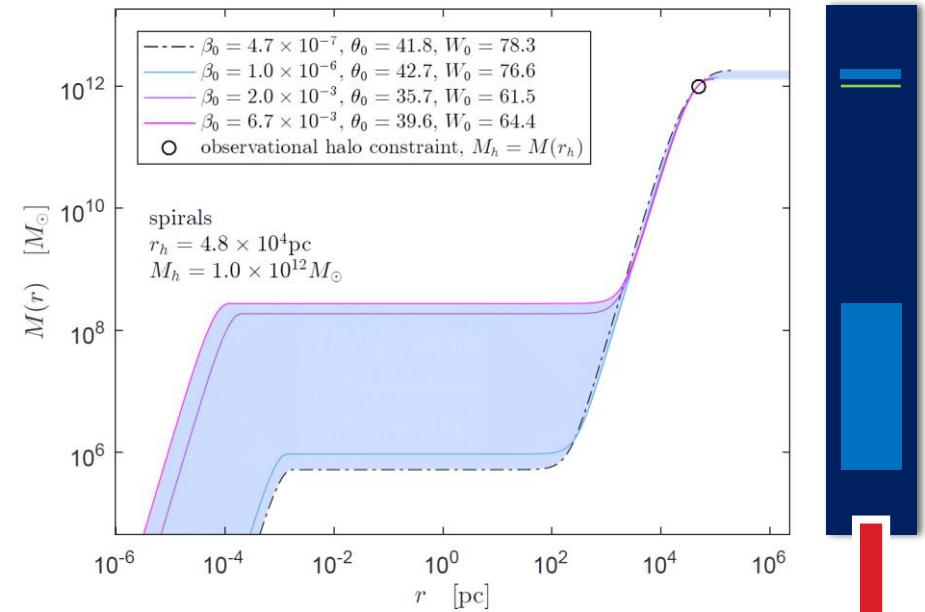
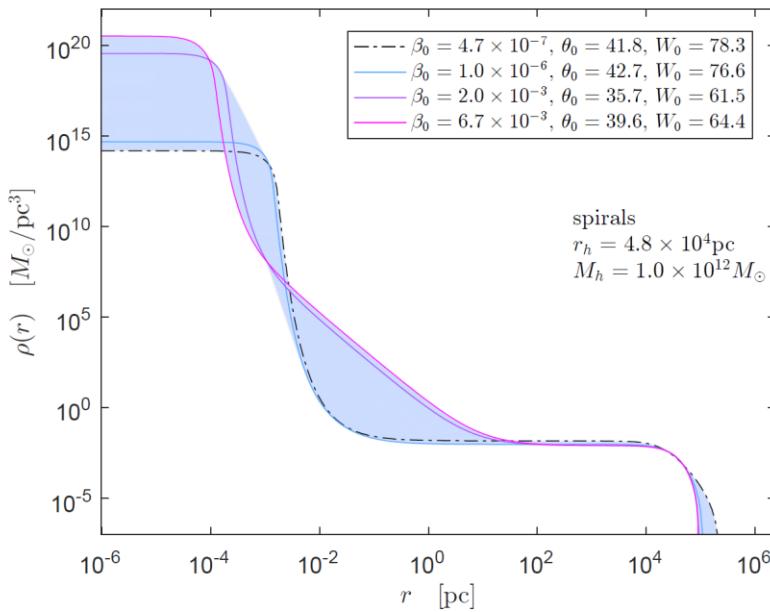


- boundary condition:  $r_h$ ,  $M_h = M(r_h)$ ,  $M_{tot} = M(r_b)$  and  $M_c = M(r_c)$  where  $r_c$  is core radius (of degenerate core),  $r_h$  is halo radius and  $r_b$  is boundary radius



# Typical Seyfert-like spirals

- The case of  $m = 48$  keV fermionic dark matter
- Observationally-given boundary condition:  $r_h = 48$  kpc and  $M_h = 1 \times 10^{12} M_\odot$



prediction

core

$$M_c \in (4 \times 10^5, 2 \times 10^8) M_\odot$$

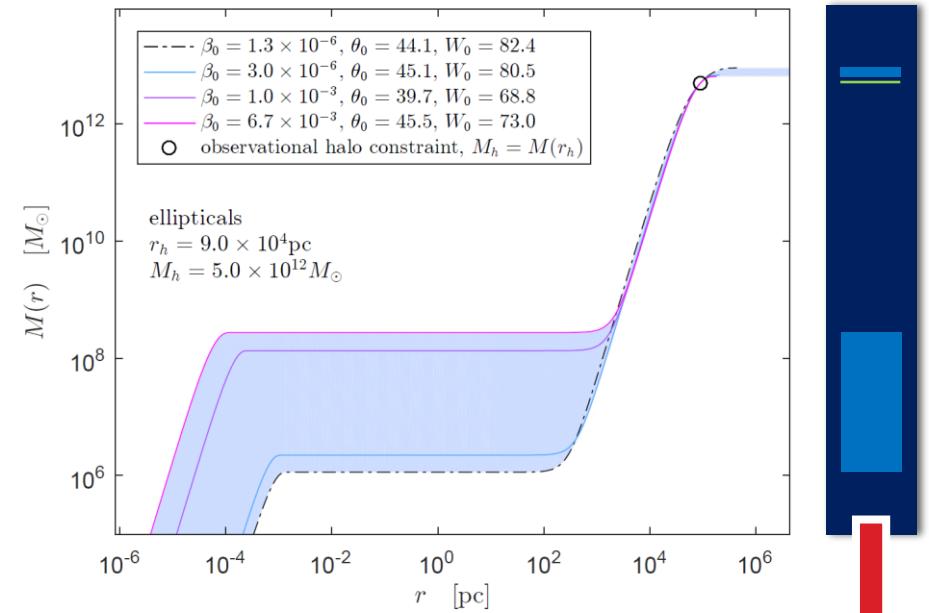
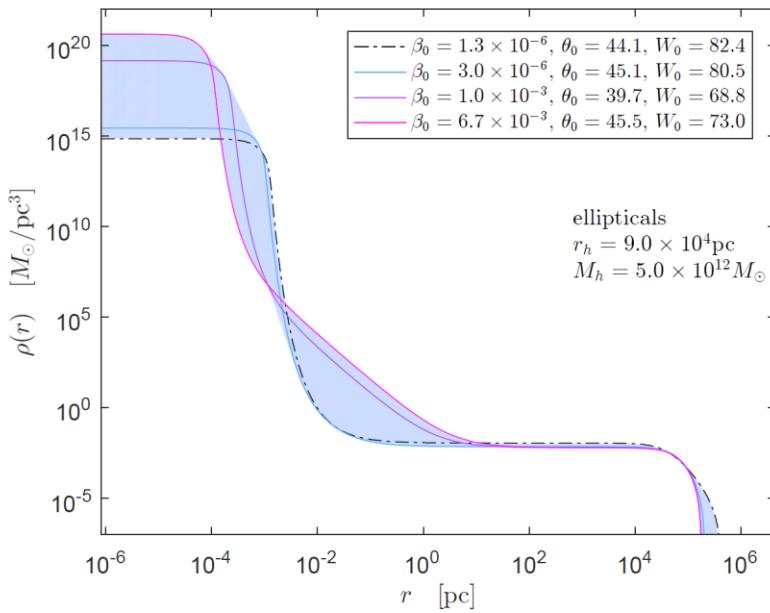
total

$$M_{tot} \in (1, 2) \times 10^{12} M_\odot$$

# Typical normal ellipticals



- The case of  $m = 48$  keV fermionic dark matter
- Observationally-given boundary condition:  $r_h = 90$  kpc and  $M_h = 5 \times 10^{12} M_\odot$



prediction

core

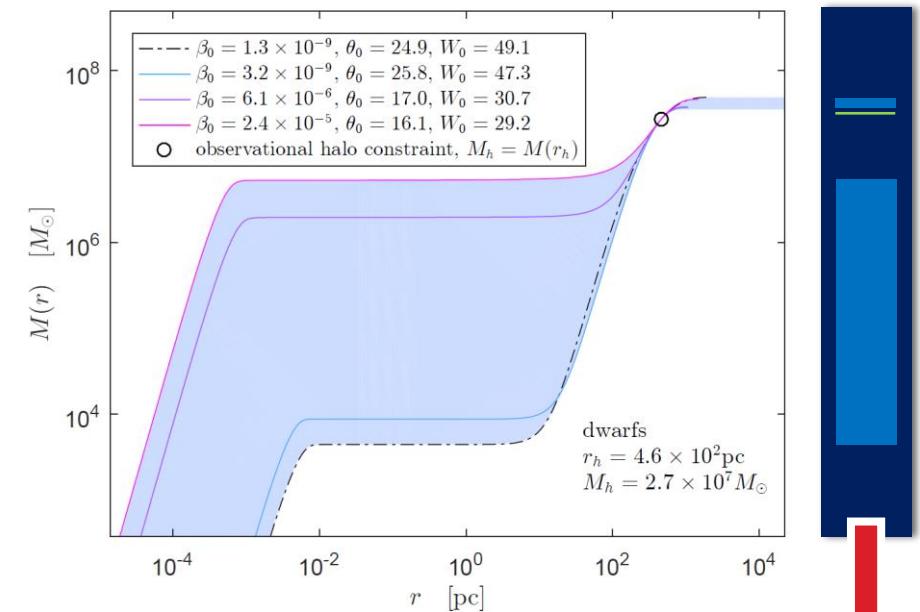
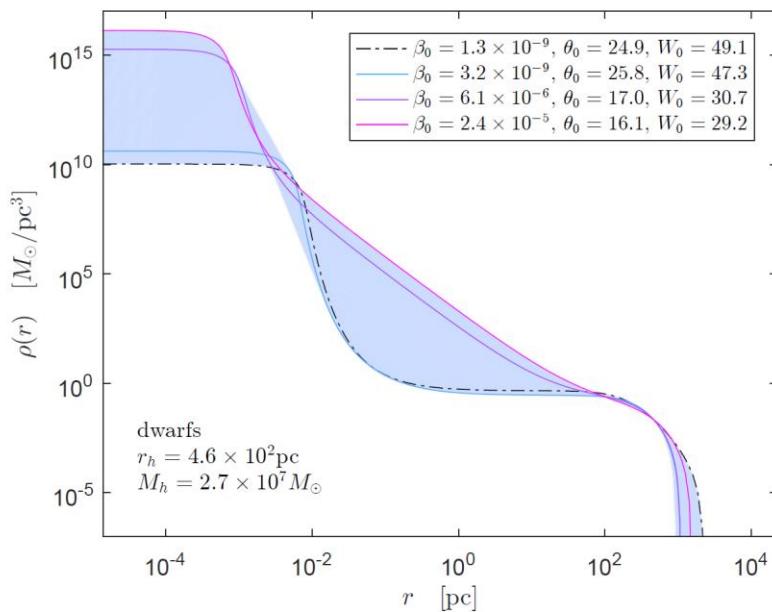
$$M_c \in (1 \times 10^6, 2 \times 10^8) M_\odot$$

total

$$M_{tot} \in (6, 9) \times 10^{12} M_\odot$$

# Typical dwarf spheroidals

- The case of  $m = 48$  keV fermionic dark matter
- Observationally-given boundary condition:  $r_h = 0.46$  kpc and  $M_h = 2.7 \times 10^7 M_\odot$



prediction

core

$$M_c \in (3 \times 10^3, 4 \times 10^6) M_\odot$$

total

$$M_{tot} \in (3, 5) \times 10^7 M_\odot$$

# Prediction confirmed!



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<https://doi.org/10.3847/1538-4357/aa6972>

CrossMark

## Detection of Supermassive Black Holes in Two Virgo Ultracompact Dwarf Galaxies

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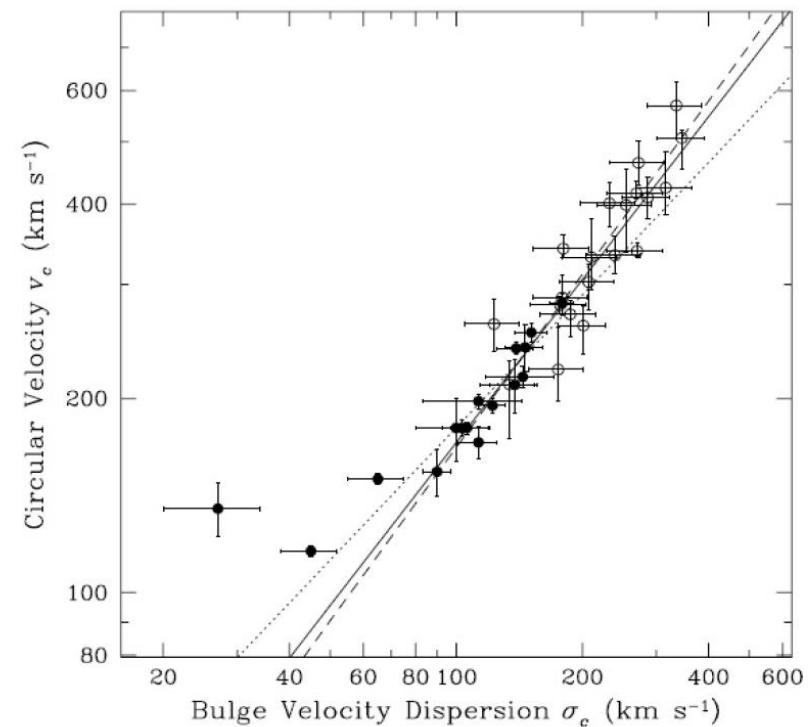
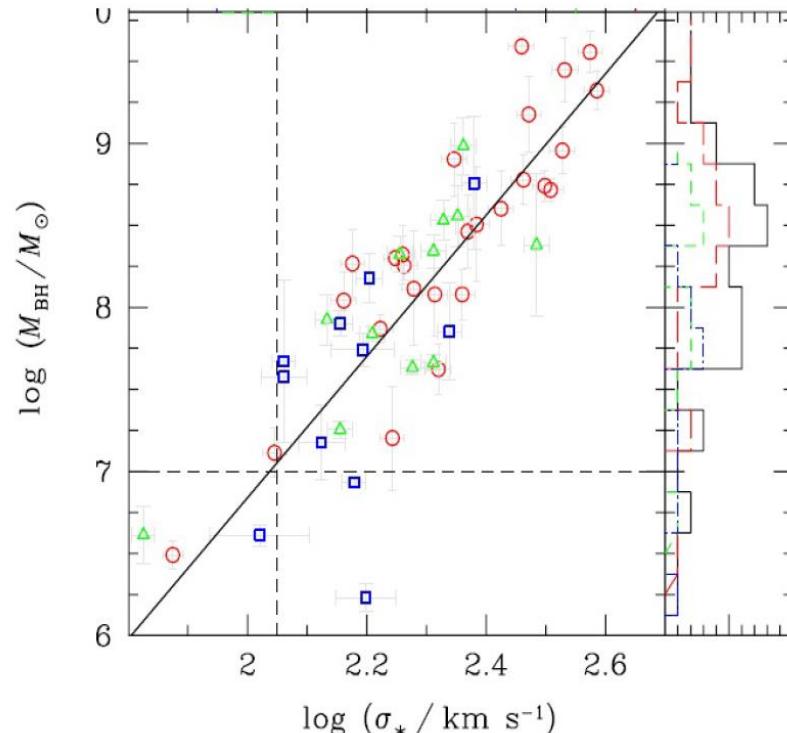
### Abstract

We present the detection of supermassive black holes (BHs) in two Virgo ultracompact dwarf galaxies (UCDs), VUCD3 and M59cO. We use adaptive optics assisted data from the Gemini/NIFS instrument to derive radial velocity dispersion profiles for both objects. Mass models for the two UCDs are created using multi-band *Hubble Space Telescope* imaging, including the modeling of mild color gradients seen in both objects. We then find a best-fit stellar mass-to-light ratio ( $M/L$ ) and BH mass by combining the kinematic data and the deprojected stellar mass profile using Jeans Anisotropic Models. Assuming axisymmetric isotropic Jeans models, we detect BHs in both objects with masses of  $4.4^{+2.5}_{-3.0} \times 10^6 M_{\odot}$  in VUCD3 and  $5.8^{+2.5}_{-2.8} \times 10^6 M_{\odot}$  in M59cO (3 $\sigma$  uncertainties). The BH mass is degenerate with the anisotropy parameter,  $\beta_z$ ; for the data to be consistent with no BH requires  $\beta_z = 0.4$  and  $\beta_z = 0.6$  for VUCD3 and M59cO, respectively. Comparing these values with nuclear star clusters shows that, while it is possible that these UCDs are highly radially anisotropic, it seems unlikely. These detections constitute the second and third UCDs known to host supermassive BHs. They both have a high fraction of their total mass in their BH;  $\sim 13\%$  for VUCD3 and  $\sim 18\%$  for M59cO. They also have low best-fit stellar  $M/L$ s, supporting the proposed scenario that most massive UCDs host high-mass fraction BHs. The properties of the BHs and UCDs are consistent with both objects being the tidally stripped remnants of  $\sim 10^9 M_{\odot}$  galaxies.

# Galaxy universal correlations



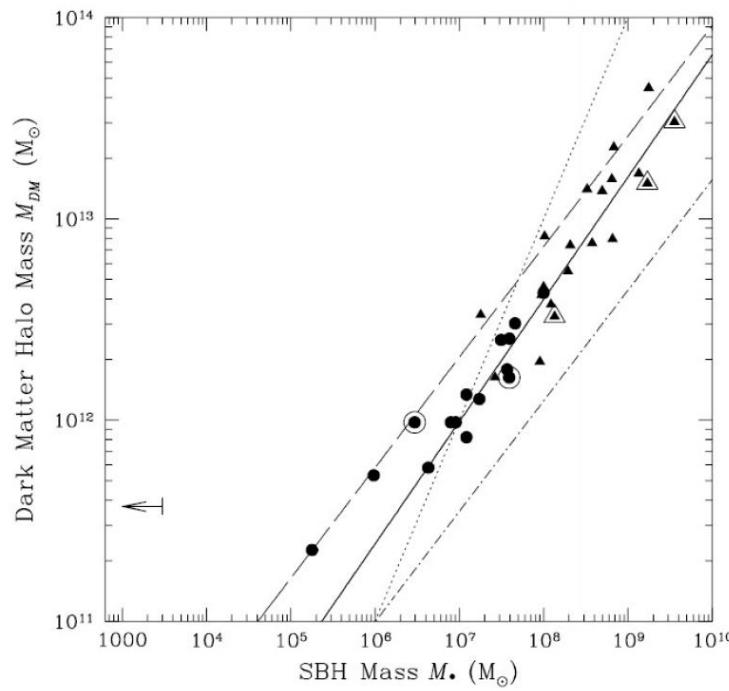
- $\log(M_{\text{BH}}/M_{\odot}) \approx 8.12 + 4.24 \log(\sigma_*/[200 \text{km/s}])$   
K. Gultekin et al. (Apj) 2009
- $\log(v_{\text{circ}}) \approx 0.84 \log(\sigma_*) + 0.55$   
L. Ferrarese (Apj) 2002; Kormendy et al. (Nature) 2011



# The core-halo correlation



- By transitivity between the  $M_{\text{BH}}-\sigma_*$  and  $\sigma_*-v_{\text{circ}}$  correlations by Ferrarese '02, she found in 2002 the  $M_{\text{BH}}-M_{\text{DM}}$  correlation L. Ferrarese (APJ, 2002)



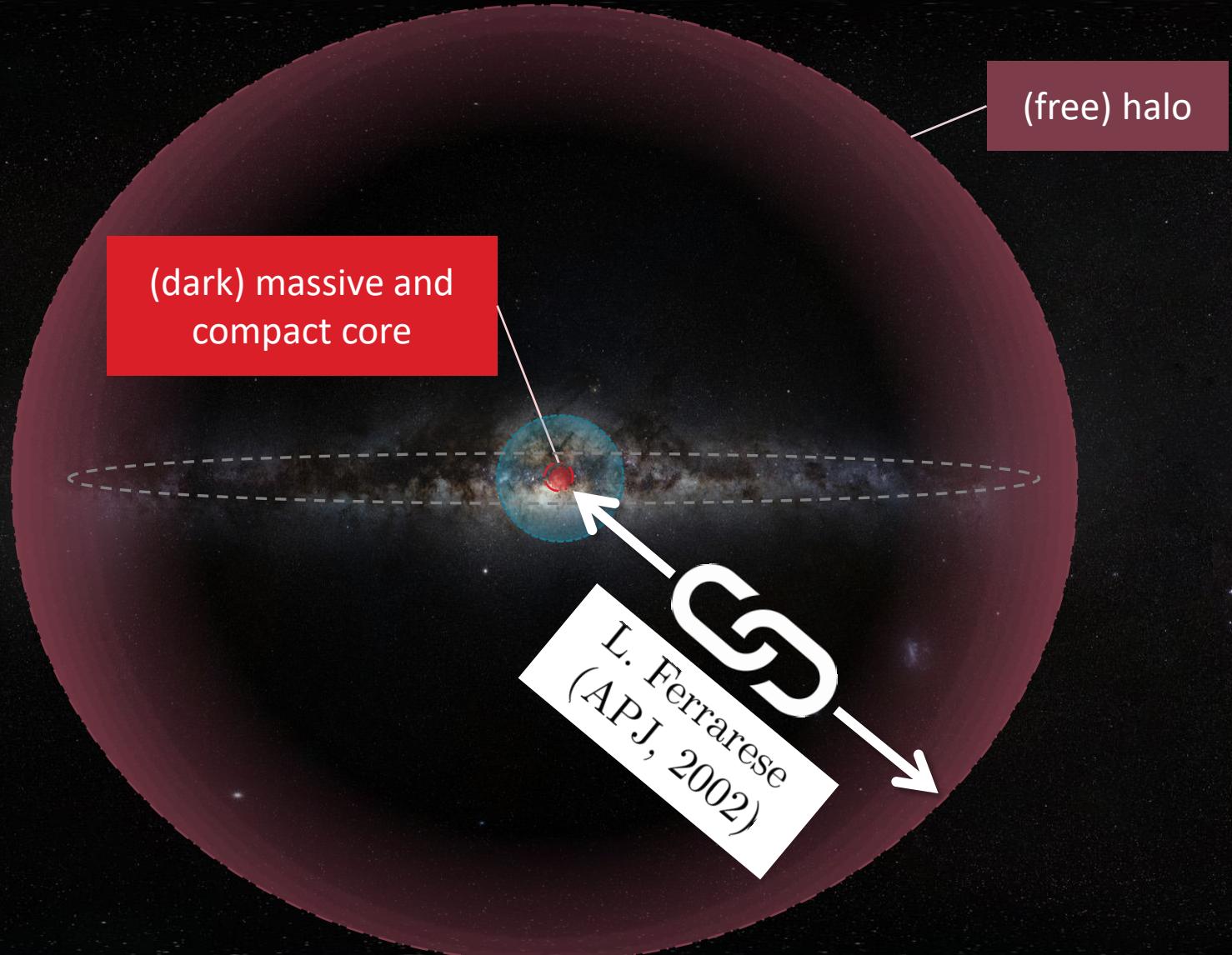
# Core-halo connection



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a fundamental relation

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(dark) massive and  
compact core

(free) halo

L. Ferrarese  
(APJ, 2002)

S

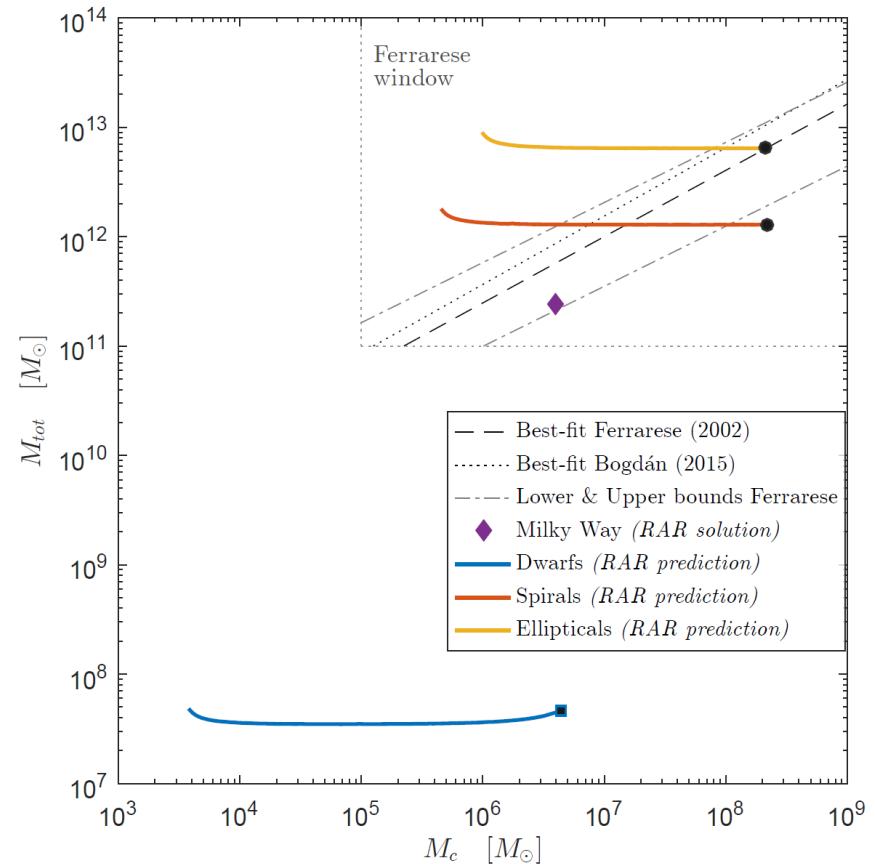
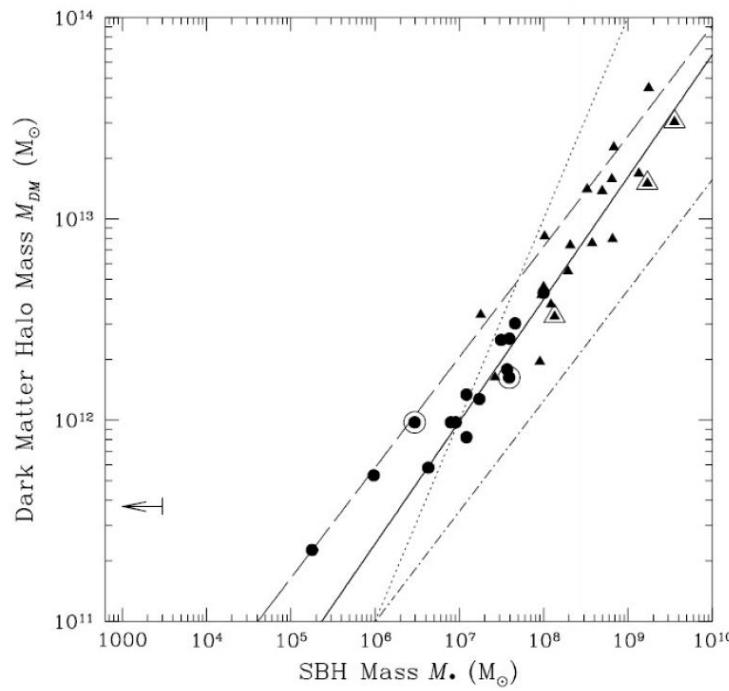
# The core-halo correlation



and RAR predictions

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- By transitivity between the  $M_{\text{BH}}-\sigma_*$  and  $\sigma_*-v_{\text{circ}}$  correlations by Ferrarese '02, she found in 2002 the  $M_{\text{BH}}-M_{\text{DM}}$  correlation L. Ferrarese (APJ, 2002)





# Normal and active galaxies

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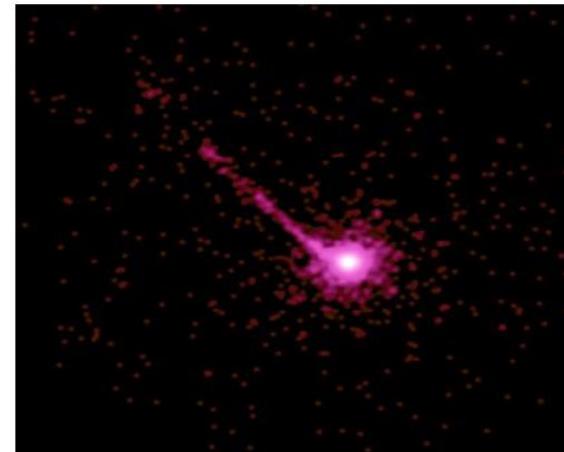
## normal galaxies

no active nuclei nor jets ( $M_c \sim 10^{6-7} M_\odot$ )



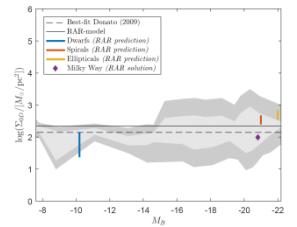
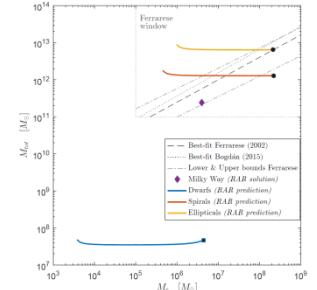
## active galaxies

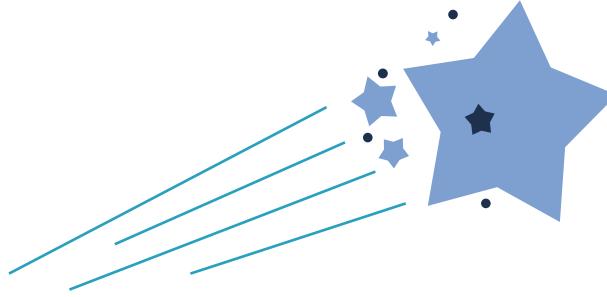
yes, active nuclei and jets ( $M_c \sim 10^{9-10} M_\odot$ )



# Summary

- A continuous distribution of  $\sim 10^1 - 10^2 \text{ keV}$  fermions can be an **alternative to the black hole** scenario in SgrA\* and being at the same time in agreement with the Milky Way DM halo without spoiling the baryonic (bulge and disk) components
- The RAR model is able to fulfill the observed properties of galaxies, such as the  **$M_{\text{BH}}-M_{\text{DM}}$  relation** and the  **$\Sigma_{0D} \approx \text{constant universal law}$** , for a unique DM fermionic mass
- For  $m \sim 50 \text{ keV}/c^2$  with massive fermionic quantum cores reaching a  $M_c^{cr}$  mass, it exists the interesting possibility that the less massive (not-yet collapsed) cores of  $M_c \sim 10^{6-8} M_\odot$  **explain the less-active galaxies**; while the more massive cores of  $M_c^{cr}$  plus subsequent more violent baryonic accretion would **explain the most massive SMBHs** with associated jets  
 $\rightarrow$  **the latter requieres more work to be done**
- High precision strong lensing measurements, as the expected EHT observations, may unveil the **nature of SgrA\*** in the Galactic center and distinguish between a BH and a dense DM core  
 $\rightarrow$  **first results expected in early 2018...**





# Thank you